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## UNIVERSITÉ DE MONTRÉAL

## COMPUTER MODEL FOR OPTIMAL RESERVOIR OPERATION WITH SPECIFIC CONSTRAINTS

par

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# UNIVERSITÉ DE MONTRÉAL <br> ECOLE POLYTECHNIQUE 

Ce mémoire intitulé: COMPUTER MODEL FOR OPTIMAL RESERVOIR OPERATION WITH SPECIFIC CONSTRAINTS
presenté par: GAIL FAVERI
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## SOMMAIRE

L'agence de Mahawéli de Sri Lanka, un pays au sud-est des Indes, gère les réservoirs et les centrales hydro-électriques du Projet d'irrigation du Mahawéli. La fin première du système est l'irrigation des rizières, et la seconde est la production hydro-électrique. Dans ce projet de recherche, un logiciel en deux composantes est mis en point pour aider à trouver une politique de prélèvements qui maximise la production d'électricité et satisfasse les exigences d'irrigation.

La première composante du modèle choisit les superficies à cultiver afin de maximiser les revenus nets; elle utilise une formulation déterministe de programmation linéaire. L'optimisation porte sur trois saisons de mousson, avec une révision au début de chaque saison pour prendre en compte les apports prévus les plus récents. Cette composante calcule aussi la répartition de l'eau dans le système pour les trois saisons et détermine ainsi les niveaux de stockage requis dans chaque réservoir à la fin de chaque saison.

La deuxième composante, basée egalement sur une formulation déterministe de programation linéaire, recherche la politique de prélèvements pour la prochaine période d'exploitation afin de maximiser la production d'électricité, si possible sans permettre de déficits d'irrigation, pour le
reste de la présente saison de culture. Elle peut également offrir les niveaux cibles à atteindre dans les réservoirs à la fin de la saison. Une nouvelle solution est recherchée à intervalles réguliers d'un quart mois.

Pour cette deuxième composante l'horizon de l'optimisation, la fin de la saison de mousson, est proche, et les prévisions sont plus fiables que pour la première composante du logiciel, qui a un horizon lointain de trois saisons. Cependant, puisque les politiques identifiées dans la deuxième composante sont mises en oeuvre chaque semaine sans connaître les apports réels futurs, les conséquences des erreurs dans les prévisions sont plus importantes que pour la première composante. Des ajustements continus à intervalles réguliers minimiseront, le plus possible, les conséquences des erreurs de prévisions.

La programmation linéaire exige que les relations entre les variables de décision soient linéaires; la fonction d'énergie, le produit du débit par la hauteur de chute, est non linéaire. La formulation adoptée estime l'énergie produite par une fonction linéaire qui tient compte de l'importance du stockage. Sur l'ensemble des centrales, l'estimation a une précision de 5\%; avec une meilleure sélection des paramètres connexes, l'erreur individuelle diminue. Cette formulation utilisant une qui linéarise l'estimation d'énergie est jugée satisfaisante pour comparer
les politiques; les effets des niveaux des réservoirs sur la production hydro-électrique sont inclus.

Les deux formulations sont mises en ouvre à l'aide de la procédure de programmation linéaire SAS.OR, qui est très flexible et d'utilisation facile. SAS.OR est un module de SAS "Statistical Analysis System". Deux programmes en FORTRAN préparent les fichiers SAS.OR sur un micro-ordinateur compatible IBM, façon interactive. L'usager peut entrer des nouvelles données, mettre les fichiers à jour pour le prochain intervalle d'exploitation et corriger ou enregistrer sur les fichiers du micro, l'information sur les récoltes et les paramètres d'exploitation avant de créer un nouveau fichier SAS.OR.

Le logiciel a été verifié pour deux cas: une année d'hydraulicité moyenne et une année sèche historique, l'année 1955-56. Pour l'année d'hydraulicité moyenne, la politique de prélèvements trouvée produit 3684 GW-hr d'électricité, soit environ un tiers de plus que l'électricité ferme de 2711 GWhr, sans produise de déficit d'irrigation. Pour l'année sèche, la politique de prélèvements trouvée produit 2519 GW-hr avec moins de $20 \mathrm{Mm}^{3}$ de déficits. Pour cette denière, il est recommande de ne pas exploiter tous les champs cultivables.

Le logiciel trouve effectivement des politiques de prélèvements, qui peuvent être vérifiées et améliorées par un modèle de simulation. L'agence de Mahawéli pourra ainsi
définir les prélèvements hebdomadaires des réservoirs, des centrales et des canaux du système pour optimiser la production d'électricité tout en permettant une florissante culture de riz.

## ABSTRACT

The Mahaweli Authority of Sri Lanka has the responsibility of regulating the reservoirs and power plants of the Mahaweli Irrigation Project. The primary purpose is to supply water for the cultivation of rice; however, electrical power may be produced from five power plants. A two-tier computer model has been developed to assist the Mahaweli Authority in determining the release policy which will produce the most electrical power yet ensure that sufficient water is retained for future irrigation needs. The model may be used for any configuration of reservoirs and canals operated under similar goals.

The first tier uses a deterministic linear programming formulation to plan the cropping pattern which provides the highest net revenue for the user-selected objectives and the allocation of water, particularly the reservoir storage volumes necessary at the end of the growing seasons. The planning horizon is nominally three monsoon seasons, a year and a half; however, because of the unreliability of longrange forecasts, the solution is revised at least once a season to reflect current conditions and expected streamflows.

The second tier also uses a deterministic linear programming formulation to select the short-term release policy which produces the most electricity, will incur the least irrigation
deficits, if any, and will meet target storage volumes. While the forecast horizon is only to the end of the current monsoon season, streamflow discrepancies are more critical than in the first tier; again the solution is continually revised every time step to update forecasts, crop water requirements and operating characteristics.

Linear programming formulations require that all functions be linear, however the generation of electricity is a function of the release and of the head, a function of the storage. Thus, the accurate calculation of energy is a nonlinear function. Therefore a straight line approximation accounts for the effects of the storage level on the energy produced. The overall estimation error is less than five percent and adjustments to the constants involved may increase the accuracy of individual poor estimates. The formulation thus may select a policy which will retain water to increase the storage and generation capabilities of later time steps.

Both formulations are solved with a SAS.OR linear programming solution package which facilitates the preparation of sparse arrays. Two interactive FORTRAN programs were written to prepare the SAS.OR datafiles on an IBM-compatible personal computer.

The model has been tested on an average year, using mean monthly inflows and crop water requirements, and also on the water year 1955-56, a historically dry year. The inflows
forecasted were assumed to be perfectly correct. During the average year, the policy selected by the model produced 3684 GW-hr, over one third more than the projected firm energy of 2711 GW-hr and no irrigation deficits. In the case of the dry year, the model selected a policy which failed by less than $20 \mathrm{Mm}^{3}$ to deliver the committed irrigation demand. Not all the land was under cultivation and $2519 \mathrm{GW}-\mathrm{hr}$ of electricity was produced.

The two tier model does provide policies which a simulation model may more accurately assess. The correct application of the linear programming formulations ensure that the final policy will be close to the optimal for the predicted inflows and current and expected operating conditions. It is hoped that the Mahaweli Authority will find the model useful in defining weekly release policies which produce the most electricity yet support flourishing rice cultivation.

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## CHAPTER 1

## INTRODUCTION

All over the world, multi-reservoir projects store water from rainy or spring snowmelt seasons in a number of interconnected reservoirs for use during a dryer season or for transfer to comparatively dryer regions. Due to the spatial distribution of the reservoirs, the differences in reservoir capacities and release structures, and the inter-connection between the reservoirs, significant benefits may be obtained by operating the system to allow fuller reservoirs, benefitting from wetter catchment areas, to compensate for reservoirs which may be temporarily disadvantaged by hydrological conditions.

The operation of any reservoir has a direct bearing on the operation of others linked by the same river or by canals. Its releases may eventually flow to another reservoir, augmenting its inflows. A quantity of water released from one reservoir for a specific use frees the other reservoirs from supplying that demand. To fully realize the benefits of multi-reservoir projects, the operation of a reservoir should be coordinated with the operation of the other reservoirs in the entire project. When several reservoirs are involved, such global coordination becomes difficult without the use of
a computer, and, in some cases, even with considerable computing facilities.

### 1.1 OPTIMAL RESERVOIR REGULATION

An infinite number of possible release policies might define the operation of a multi-reservoir project. Some may be clearly inappropriate, while many may be equally appealing at first sight and others may not even be immediately evident. Mathematical optimization techniques may be used to quantify the benefits from release policies and to select the best policy possible for a given system. These techniques use the computer to investigate the large number of possible releases which combine into a single release policy. The optimization of reservoir operation depends on the hydrology, the uses of the water released and the physical capacities of the reservoir network, including the distribution canals.

### 1.1.1 Hydrological Considerations

The hydrology of the catchment area for the reservoir network has a large impact on how the reservoirs are operated. When reservoirs are expected to fill after heavy precipitation, considerable amounts of water may be released in anticipation of the runoff. When a dry spell is anticipated, water is rationed from the reservoirs, so that a
reserve for future needs will be available. Clearly, how well a particular combination of reservoir releases will satisfy the demands of the water users, will depend on the time distribution of the water supply, and to some extent, on the reliability of the predictions of that water supply.

### 1.1.2 Policy Objectives

The objectives of the reservoir network form the basis for selecting the best policy and rejecting those which are undesirable. Hydro-electric reservoirs release flows to meet the energy demands of electrical consumers through the year. Irrigation reservoirs release according to the water demands of the growing crops. The release policy for reservoirs which serve a mix of users must balance any conflicting demands for a limited supply by establishing which users have priority over others. All the mathematical tools for the optimization of reservoir operation require unequivocally defined objectives for the allocation of the water. Thus the benefits from each use can be easily quantified and comparisons made between various combinations of operating policies for the reservoirs in the network.

### 1.1.3 Physical Considerations

The number and size of the reservoirs connected by a natural river system and canals affects the choices of
possible beneficial policies. Even when surplus water arrives in a monsoon season, a reservoir may not store more water than it may hold, nor may it deliver more water by canal than the channel capacity. An optimal policy chosen for a network with large upstream reservoirs and smaller downstream reservoirs closer to the user is unlikely to be as beneficial to a network which has large downstream reservoirs and little upland storage. The optimal operating policy depends on the physical sizes of the reservoir and canals, the configuration of the reservoir network, the uses and priorities of the water stored, and the hydrology of the predicted pattern of water supply.

### 1.2 DEVELOPMENT OF AN OPTIMAL OPERATING POLICY

The development of the present computer model to optimize the operation of a multi-reservoir network had a specific reservoir project in mind: the Mahaweli Irrigation Project in Sri Lanka. The project incorporates recently built hydroelectric dams with centuries-old irrigation tanks, which are village reservoirs, linked by ancient and modern canals. There are three major inter-basin transfers of water supplementing natural inflows. A full description of the project is presented in the following chapter. In the Mahaweli Project, water for irrigation, particularly rice cultivation,
has priority over hydro-electric power generation. Due to the particular geography of the project, water may be used for both purposes most of the time. It is necessary to choose a mathematical technique to determine the optimal operating policy for this multi-reservoir dual-purpose project in Sri Lanka. Four techniques are generally used in the optimization of water reservoir regulation, a brief review follows. The third chapter reports on some applications of the various techniques in more detail.

### 1.2.1 Simulation

Simulation techniques attempt to model the responses of a system for a given set of operating conditions under a given set of operating rules. An unrestricted number of mathematical relations define and describe the flow of water in the system and calculate the benefits from the operation. Any number of reservoirs and canals may be included. However, the user may only evaluate a predetermined operating policy which the model does not ameliorate; only the consequences of the given policy are simulated.

Some simulation models include optimizing algorithms which try policies close to the current policy to investigate possible improvements. The possible benefits of small perturbations in the operating releases are evaluated such that the best policy of those tried will be found. However,
the global optimal policy may be very dissimilar from the current policy and its greater benefits would not be discovered by the optimizing algorithms. Detailed simulation models, however, are very useful, and sometimes necessary, to verify the optimal policies determined by other techniques which have had to simplify and overlook complicated details in the real life problem to select a policy.

### 1.2.2 Dynamic Programming

Dynamic programming (DP) also investigates complicated functions as it calculates the benefits due to a number of possible combinations of control variables in a recursive equation. All possible values for a set of control variables are used to determine, one stage at a time, the best combination of values for the control variables. In the optimization of reservoir problems the control variables are generally the releases from each reservoir during a time-step, a stage. However, when the number of reservoirs in a system exceeds three the number of state variables become excessive and the calculations and memory required burgeon into a problem too large for even the largest of today's computers. Similar to most multi-reservoir systems, the Mahaweli Project currently has over three reservoirs, and more are planned.

### 1.2.3 Non-linear Programming

Non-linear programming techniques are state-of-the-art formulations of optimal programming problems. They may use recursive equations to find the optimal policy or even linear programming structures which are constrained with Lagrangian penalty terms to incorporate the non-linear function. Theoretically, they are not restricted to small systems of a few reservoirs nor to simple, linear functions. However they are new, they have yet to be verified, and they have not been widely used for real-life operating problems.

### 1.2.4 Linear Programming

Linear programming (LP) is a method well-suited for optimizing a problem with a large number of decision variables. Standard solution codes are available and postoptimal analyses of the cost and price variations are easily conducted. The final solution to a linear programming formulation may be proven mathematically to be optimal. However, because the procedure requires that the variables be multiplied by independent constant coefficients and not by other variables nor quantities which depend on other variables, the linear programming formulation may not accurately reflect the real life situation, especially in hydro-electric applications.

Reservoir systems may have terms where the coefficients
change with the magnitude of another variable, such as evaporation loss coefficients, a function of the storage volume. The equation calculating the hydro-electric power generation is non-linear as it implies the product of the turbine release (the unknown variable desired from the solution of the reservoir regulation problem) and the head. In some cases, the head is constant, but usually the head varies with the storage in the reservoir, (another variable), whose magnitude depends on previous releases and inflows. There are thus significant non-linearities in these systems.

### 1.3 METHODOLOGY OF THE MODEL PROPOSED FOR SRI LANKA

A two-tier linear programming optimization model was developed to cope with the dual purpose, dual priority and dual timing of the release decision-making process found in the specific reservoir project in Sri Lanka. The model may be applied to other reservoir networks in a monsoon climate where irrigation has a higher priority than electrical power production. A simplification of the estimation of the energy being produced by a release policy maintained the LP requirement of solely linear functions. The resulting inaccuracies were within acceptable limits and any improvements made by a simulation model will be assured of being in the vicinity of the global optimum. Deterministic forecasts of the hydrologi-
cal inputs are used in the model, simplifying it, and allowing the user to rapidly and explicitly assess the consequences of any given hydrological sequence.

Two micro-computer programs, which prepare the data files for the linear programming solution of the two-tier problem, although written for a specific project in terms of the objectives, allow any configuration of the reservoir network. This flexibility in the physical components not only allows for the inclusion of further details of the Sri Lankan system but also for the application to another system or for the future expansion of irrigation districts, power plants, new reservoirs, or dewatering and repairs of existing facilities. The parameters of the physical components are capable of weekly variations at all sites, to reflect the possible need for periodic flood storage, seasonally varying conveyance losses, and crop growth differences. The hydrological, crop consumption, power and system configuration data used to test the formulation of the model was supplied by the Mahaweli Authority of Sri Lanka. It is hoped that the model will assist in the weekly operation of that system.

### 1.3.1 The Operating Problem

The following pages describe the development of an optimization model which may be used to select an operating policy for the reservoirs in the Mahaweli Irrigation Project.

Chapter two describes the specific system that was modeled and outlines the operating objectives. The location and physical capacities of the reservoirs, canals, irrigation and electrical components of the Mahaweli system are given in detail in this chapter. The implications of the dual purposes and dual timing on the selection of optimal operating policies are explored. The last section of chapter two lists the performance objectives of the model.

### 1.3.2 Alternative Approaches Proposed in the Literature

Chapter three describes how other authors have approached similar problems as reported in the literature. Various mathematical techniques are presented for comparison. A justification of the approach selected for the current model is then presented with an outline of its formulation and use.

### 1.3.3 The Two-tier Model

The details of the mathematical formulation of each tier of the model are presented in chapters four and five. Each chapter describes the scope of each tier and the information required before explaining the linear programming formulation of each. Chapter four discusses the seasonal planning step and chapter five the short-term operating step of the model.

### 1.3.4 Computer Implementation

The computer implementation of the two tiers of the model is subsequently described in chapter six. An interactive program was written for an IBM compatible personal computer to prepare the linear programming data files. These data files are transferred to a mainframe for solution using a commercially available linear programming package. The PC files which are necessary for each tier of the model are explained. Also sample LP data files and sample results are given and the format discussed.

### 1.3.5 Model Application

Chapter seven presents some policies found by the applications of the two-tier model. A year of monthly average inflows was predicted to evaluate the performance of the model. An extremely dry year was also simulated to compare the policies chosen in each hydrological case. Programming problems encountered are mentioned as well as how they were corrected.

### 1.3.6 Discussions and Conclusions

The last two chapters discuss the use of the model and present the conclusions. Chapter eight lists some failings of the model, recommends the use of a simulation model to verify the policies found, and lists methods of modifying the
existing model. Areas of further research are recommended before full use of the model occurs. A final section of chapter eight summarizes the current model. Chapter nine concludes the main body, evaluating how well the model meets the initial objectives.

### 1.3.7 Appendices

Appendix A contains a manual for the use of the data file preparation programs. Information on how to run the program, the data fields for each file, and possible run time error messages are also included. The final section of the manual gives more information on the SAS.OR linear programming package: how to manipulate the data files to add or delete constraints or variables, and how to combine them. Full listings of each data file preparation program and the definition of computer variables are given in Appendix B. Appendix $C$ has the list of the decision variables and the constants or application parameters presented in chapter 4 and 5.

## CHAPTER 2

## THE DEFINITION OF THE PROBLEM

The objective of the present work is to formulate a model which may determine an optimal operating policy for a multireservoir dual purpose project such as the Mahaweli System in Sri Lanka. An elaboration of the physical structure, the goals and the timeframe of the decision-making process, found in the Sri Lankan project are necessary to define the parameters so that feasible policies will be found, one preferred over the others. For the solution to be valid, the parameters must be accurate.

### 2.1 A DESCRIPTION OF THE PROJECT

The Mahaweli Authority has the overall responsibility for the management of the power plants, the reservoirs, the village storage ponds called tanks, as well as for the development of the irrigation districts of the Mahaweli River Project. The map of the region of Sri Lanka in Figure 2.1 indicates the location of the four rivers, the seven reservoirs, the five power plants and the irrigation tanks and districts that currently comprise the project. The majority of the irrigation tanks and reservoirs lie in the relatively flat lowlands of the north and east. The upper reservoirs of


Figure 2.1: Location map of the Mahaweli Irrigation Project
the Mahaweli and Amban rivers are in the mountainous terrain of the central highlands of Sri Lanka. The high heads available in this region have spurred the construction of hydro-electric developments in the upper reaches of the Mahaweli River.

Since the power plant reservoirs are on the same river as the diversion canals for most of the ancient irrigation districts, their operation has significant consequences for the downstream irrigated fields. From the upper Mahaweli at Polgolla, through a power tunnel to the turbines at Ukuwela and into the Sudu river to the Bowatenne reservoir, flows may be diverted to augment the water supplies of the $H, I$, and $M$, districts to the north. This diversion is upstream of the largest power plants on the Mahaweli.

The diagram of the engineering works in Figure 2.2 illustrates the flow pattern between the various reservoirs and irrigation districts.

While the irrigation project has over twenty reservoirs and tanks and an optimizing model which could handle all the reservoirs and tanks was desired, detailed information on only 17 reservoirs and tanks was available. Information was available for another hydro-electric complex to the south-west of the Mahaweli headwaters. When the optimizing model was tested, data for a combined system was used.


Figure 2.2 Diagram of the engineering works

### 2.1.1 The Configuration

Only the locations which were included in a Mahaweli Authority - Acres International Report [1986] on a 32-year simulation planning model were tested in the final application. The report tables inflows, crop water demands, reservoir and power plant data. The irrigation districts used in the model were revised to reflect the available crop water demand information. Figure 2.3 shows the schematic of the revised system.

When substantial quantities of water are diverted to meet the irrigation needs of the north, the electrical production of the Mahaweli suffers. More of the island's electrical demand must be met by costly thermal generation or by the hydro-electric power plants on the Maskeliya and Kehelgamu rivers. These rivers, to the south-east of the Mahaweli headlands, receive high year-round rainfalls on land too rugged for irrigation, but where the generation of hydroelectric power contributes significantly to the national energy production. Their energy production is limited by streamflow conditions, however, they may sometimes produce more energy allowing the Mahaweli system to divert or retain more water for irrigation purposes. The operators of the


Figure 2.3: The schematic diagram of the configuration used in the applications of the model
reservoirs in the Mahaweli system must consider both demands for water releases and the interplay between the benefits due to releases for irrigation or for power throughout the year and throughout the project.

Therefore, the power plants of the Kehelgamu-Maskeliya complex were also included in the model. These power plants and reservoirs serve no irrigation demands and do not divert to the Mahaweli basin. However, their electrical production feeds the same grid as the Mahaweli power plants. At times when energy production in the Mahaweli Basin may be restricted by the irrigation demands, the Kehelgamu and Maskeliya power plants may produce more to compensate, and an overall better weekly operating policy for the entire island could be determined by including all the hydro-electric power plants in the model. The map of Figure 2.4 shows the mountainous location of these power plants.

Approximately, 160000 hectares of land are presently irrigated from the storage tanks with a combined volume of over 1600 million cubic metres $\left(\mathrm{Mm}^{3}\right)$. The power plant reservoirs have an additional combined volume of $1000 \mathrm{Mm}^{3}$, while the power plants have a total installed generation capacity of 584 MW (Mahaweli Authority - Acres International [1986].


Figure 2.4
Location of the Kehelgamu and Maskeliya Complex

The hydro-electric data used for the power plants is given in Table 2.1. The reservoirs and their sizes are given in Table 2.2. The irrigation districts are shown in Table 2.3.

TABLE 2.1
Power plants in the Mahaweli Project

| NODE | NAME | MAXIMUM | RATED | FLOW |
| :---: | :---: | :---: | :---: | :---: |
| NUMBER |  | CAPACITY | HEAD | MINIMUM | MAXIMUM


| 1 | 1 | KOTMALE | 135 | 201 | $4.5 *$ | 80.5 |
| :--- | :--- | :--- | ---: | ---: | ---: | ---: |
| 2 | 2 | UKEWELA | 38 | 78 | $4.5 *$ | 58.6 |
| 3 | 3 | VICTORIA | 210 | 190 | $4.5 *$ | 137.5 |
| 4 | 4 | RANDENIGAIA | 126 | 78 | $4.5 *$ | 221.9 |
| 5 | 9 | BOWATENNE | 40 | 55 | $4.5 *$ | 93.3 |
| 6 |  | RANTEMBE | 17 | 30 | $4.5 *$ | 675.0 |
| 7 | 19 | CANYON | 60 | 204 | $4.5 *$ | 133.6 |
| 8 | 20 | NEW LAXAPANA | 100 | 578 | $4.5 *$ | 75.0 |
| 9 | 21 | POLPITIYA | 210 | 190 | $4.5 *$ | 125.0 |
| 10 | 22 | WIMALASURENDRA | 50 | 227 | $4.5 *$ | 99.0 |
| 11 | 23 | OLD LAXAPANA | 50 | 449 | $4.5 *$ | 48.2 |

* arbitrary value, reduced when necessary

Values from Mahaweli Authority - Acres International 1986 Report, page 8 and 10

Maximum Flow Capacities calculated from installed capacity, power coefficients.

TABLE 2.2
Reservoirs in the Mahaweli Project

|  | NODE NUMBER | NAME | STORAGE MINIMUM (Mm) | CAPACITY MAXIMUM (Mm) |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 1 | KOTMALE | 22.2 | 500.0 |
| 2 | 2 | POLGOLLA | 1.0* | 2.0* |
| 3 | 3 | VICTORIA | 34.0 | 768.0 |
| 4 | 4 | RANDENIGALA | 270.0 | 1000.0 |
| 5 |  | RANTEMBE | 0.0 | 16.6 |
| 6 | 8 | SEA | 0.0 | 99999.0* |
| 7 | 9 | BOWATENNE | 15.0 | 60.0 |
| 8 | 12 | PARAKRAME | 20.0 | 130.0 |
| 9 | 13 | MINNERIYA-GIRITALE | 0.0 | 136.0 |
| 10 | 15 | KAUDULLA | 5.5 | 136.0 |
| 11 | 16 | KANTALAI-VENDARȦSAN | 0.0 | 160.0 |
| 12 | 17 | ULHITIYA | 40.0 | 230.0 |
| 13 | 18 | MADURU | 0.0 | 478.0 |
| 14 | 19 | MOUSAKELLE | 3.9* | 140.0 |
| 15 | 22 | CASTLEREIGH | 3.0* | 44.8 |
|  | arbitr | rary value |  |  |

Values from Mahaweli Authority - Acres International
1986 Report, appendix III

TABLE 2.3
Irrigation districts used in the applications of the model

| NODE | DISTRICT | LAND FOR IRRIGATION |  |
| :---: | :---: | :---: | :---: |
| NUMBER | NUMBER | NAME | MAHA SEASON |
|  |  |  | ( hectares) |


| 1 | 7 | 1 | A | 7 | 000 |
| :--- | ---: | ---: | :---: | ---: | ---: |
| 2 | 18 | 2 | B | 39 | 300 |
| 3 | 17 | 3 | C | 22 | 700 |
| 4 | 13 | 4 | DIa | 11 | 900 |
| 5 | 15 | 5 | D1b | 4 | 500 |
| 6 | 16 | 6 | D1C | 9 | 300 |
| 7 | 12 | 7 | D2 | 10 | 100 |
| 8 | 6 | 8 | E | 6 | 100 |
| 9 | 10 | 9 | G | 5 | 400 |
| 10 | 9 | 10 | HIM | 30 | 800 |

Values from Mahaweli Authority - Acres International
1986 Report, page 12.

Plans are underway to develop more irrigation in the lowland areas southeast of the Mahaweli River, and to build more reservoirs and power plants. The power plant at Victoria is to receive more turbines. Even at the present time, the project is a large and complex system, with inter-basin transfers, tributaries, and sub-systems of canal-fed storage tanks supplying the irrigation districts. The model chosen for the Mahaweli Basin must be flexible to include any desired variations and actual operating conditions.
2.1.2 The Hydrology in the Project The Mahaweli River is the largest river in Sri Lanka,
starting in the central mountains and descending to the northeast plains. Its drainage basin is over one million hectares with an average annual flow of over eight billion cubic metres (8 $10^{9} \mathrm{~m}^{3}$ ) at the mouth of the river, (Sri Lankan Irrigation Department [1974]). The other rivers in the project have smaller drainage basins and lower flows, hardly a quarter of the magnitude of the Mahaweli. The larger flow volume of the Mahaweli is due to runoff from both monsoon rainfall seasons, the summer-time Yala and the winter-time Maha, in its upper reaches. The Kotmale basin, the uppermost watershed of the Mahaweli in the central highlands, yields the highest annual runoff per hectare in the country. In contrast, the other rivers used to supplement the irrigation supply start further north and east where they receive only the winter (Maha) rainy monsoon season due to the rain shadow of the central mountains.

The monsoon climate of Sri Lanka, dividing the year into two rainy seasons, which on the plains to the north and east of the central mountains are $a$ wet and $a$ dry season, is erratic. Unlike northern climates, winter snowfall may not be measured and used to predict later streamflow volumes. The timing and quantity of the monsoon rainfall is a function of continental pressure systems far offshore. The water available to the Mahaweli Authority varies every year and, in some Years, has failed to arrive in the expected amounts.

The majority of the flatter land traditionally used for agriculture and in the irrigation districts of the Mahaweli Project lies in the dry zone. To irrigate the rice paddies in the dry zone, engineers have diverted water from the Mahaweli for centuries, storing the water in the ancient tanks, such as at Parakrame samudra, or irrigating directly as from the Minipe Anicut to the fields of district $E$.

The time of concentration of the basin is very short. Due to the steep, rocky slopes of the watershed, flood peaks reach the sea in a day or so. The water released from an upstream reservoir also reaches downstream reservoirs within a day, simplifying streamflow calculations for periods longer than two days.

### 2.2 THE IMPORTANCE OF THE WATER USES

The use of the water for irrigation has long-standing political and sociological importance for the Mahaweli Authority. It is a goal of the government to become as selfsufficient in rice production as in centuries past. The development of new irrigation areas is often accompanied by new settlements, the supply of water for the fields may not be arbitrarily denied to generate hydro-electric power elsewhere, nor be seen to be favouring other districts. The importance of the benefits from irrigation cannot always be reduced to a
simple economic factor such as the price in Sri Lankan rupees. The decision-maker at the Mahaweli Authority has to weigh the relative importance of power production and irrigation demands, in the cases where the two goals conflict. The model was developed considering that the project was an irrigation project first and foremost, and that any electrical benefits were secondary and supplemental.

As practised in Sri Lanka, the irrigation of rice entails flooding the fields to prepare the soil before the seed is sown. Once the rice shoots are established, water is again applied to sit on the fields and impede the growth of weeds. A relatively high and constant demand for water throughout the three to four month growing period is thus necessary. Traditionally, upland crops, such as beans, chillies, and vegetables, which require less intensive irrigation, have been grown on higher land or in the dry Yala season. The goal of self-sufficiency in rice production requires more fields in year-round rice cultivation, and a better management of the available streamflows.

### 2.3 THE DECISION TIMEFRAME

The timeframe for which the decision-maker operates the reservoirs is also pertinent. Since the monsoon rains may be early or late, the date that the reservoirs will again be full is uncertain. To allocate water in the present entails weighing the likelihood of future water supplies and needs. Presently twice a year, at the beginning of each monsoon season, the level of irrigation for the next season is determined from the amount of land seeded in rice, in other crops, or idle. The crop pattern is based on actual precipitation and current reservoir and tank storage levels. While considerable amounts of electricity may be generated in the current season, the reservoirs may be so depleted that with low rainfalls in the next season, little electrical generation or irrigation can occur in the following seasons. The decision of how much water to allocate for the irrigation of the crops and for electrical generation must consider the demands and expected water supplies further into the future than the current season.

Prediction techniques confidently forecast for, at most, a month into the future. Midway through the season is too late for more or less fields to be planted and proportionally more or less water released for irrigation. However, releases for hydro-electric generation may respond more spontaneously,
diminishing or increasing as the actual water supply allows. They are only a function of current reservoir levels, crop water requirements and the streamflow and rainfall predicted over the short term. The required optimizing model must reflect this dual decision framework and the uncertainty involved in the streamflow predictions.

### 2.4 REQUIREMENTS FOR AN OPTIMIZING MODEL

The model that the Mahaweli Authority may use to assist in the allocation of water under its jurisdiction must be a simple to use, comprehensive decision-making tool. The optimizing model, while undertaking to maximize the electrical production, must recognize the higher priority of the irrigation demand for water. It must allow for future expansion of the project, more irrigation districts, new power plants, additions and repairs to those presently in operation, and additional reservoirs. The flexibility desired means the model may be applied to any irrigation and electrical project, with any configuration of reservoirs and canals, with similar priorities. The model must allow the decision-maker to consider the system on a weekly basis, while accounting for future water requirements as far ahead as a year and a half, in an uncertain monsoon environment. It must be able to respond to shortfalls in expected precipitation, or converse-
ly, more rain than forecast, allowing the decision-maker to view the future consequences of present policies. The optimizing model will determine, based on the above considerations, how much water to release each week to crops already growing, how much water may be released to generate electricity each week, and how much water needs to be stored in reserve for the future.

## CHAPTER 3

## OPTIMIZATION IN RESERVOIR OPERATION

Since Thomas and Revelle [1966] analysed the trade-off between irrigation and power uses for the water retained by the Aswan Dam, numerous studies have been published discussing the optimization of water resources management. The techniques used have ranged from classical linear programming used by Thomas and Revelle [1966], to chance constraints (Eisel [1972], and rule curve variations (Revelle, Joeres and Kirby [1969]), modified dynamic programming (Fults, Hancocks and Logan [1974]), combinations of linear and dynamic programming (Becker, and Yeh [1974]), as well as nonlinear programming (Laufer and Morel-Seytoux [1979]) to mention but a few authors. They attempted to analyse, not only the operation of existing facilities but also, in some cases, the planning decisions of when, where and to what capacity to build reservoirs in a multi-purpose system. The problem of optimal management of several reservoirs, with the nonlinear economic function of power generation as well as irrigation uses, and the uncertainty of water demands and streamflows, is not easily solved as discussed by Yeh [1985]. Though many models have been reported, few have been actually used in practice. In the following, the techniques which have been proposed to solve the problem will be presented and their shortcomings
discussed.

### 3.1 SIMULATION

Sigvaldason [1976] used a simulation model of the Trent River system in Ontario, to analyse the forty-eight reservoir basin in detail. The primary purpose of the regulation was to maintain lake levels for recreation, for municipal water supply, and for fish and wildlife, as well as for some low priority hydro-electric power regulation. Various zones in each reservoir were identified and penalties assigned for differing from a perceived optimal operating level. Flows in the connecting canals and natural streams were also assigned zones of varying penalties. The out-of kilter algorithm mathematically determined the operating policy which minimized the penalties due to violations form the desired operating levels, finding a feasible policy very efficiently. The algorithm works on an analogue of an electrical network, with nodes and arcs. Initially, the user must give preferred reference levels, which are not expected to be met at all times due to the variable nature of streamflows. In the years when the preferred levels are not optimal due to the expected level of streamflows, a truly optimal policy may be overlooked.

### 3.2 MODIFIED DP

Various modifications to the dynamic programming algorithm as expounded by Bellman [1957] have been proposed retaining its capacity to exactly model nonlinear benefits, but reducing the number of calculations required, by restricting the range of choices. Unfortunately, the solutions may not be definite global optimal solutions.

### 3.2.1 DDDP

Discrete Differential Dynamic Programming (DDDP) starts from a trial release policy and calculates the benefits from policies slightly different from the first policy in an attempt to find a better policy. More than one attempt may be made as the trial policy is shifted in the direction of higher benefits. Samaratunge and Samaratunge [1980] used a DDDP model to optimize the generation of power on the Kehelgamu and Maskeliya rivers in Sri Lanka, the basin to the south-west of the Mahaweli with five power plants and two monthly storage reservoirs.

Meredith [1975] suggested using DDDP with the reservoirs as the stages and the monthly time step as the states. Because forecasts in any case, are not reliable for longer than about five months, the limit of four control variables in dynamic programming would not be too restrictive and one would
be permitted to have many reservoir stages. However the regulation of the Mahaweli Project must consider the irrigation requirements of an entire growing season in shorter time steps than one month. The Yala season is five and a half months long, the Maha is one month longer.

An inordinate amount of computer time is still required for large multi-reservoir systems when using either form of DDDP. The solution may depend upon the starting trial policy as only local optima are found, and the shifts in trajectory may be insufficient to locate the direction of the true global optimum.

### 3.2.2 Other Modifications of DP

Turgeon [1980] has optimized a single-purpose multireservoir operation on the Ottawa River for waterpower production in a two state DP problem solved sequentially. In turn, reservoirs are isolated from the rest and the remaining are aggregated into one effective reservoir. However, if the reservoirs are distinctly different, the aggregation is unsuitable. Turgeon [1981] has also developed an iterative algorithm similar to DP, termed progressive optimality. The procedure reduces the calculation and, especially, the memory requirements of the standard procedure but a global optimum cannot be assured.

### 3.3 LP-DP

Many recent studies (Grygier and stedinger [1985]; Mohammedi and Marino [ 1983, 1984 ]; Gilbert and Shane [1982]; Becker, Yeh, et al. [1976]) have nested LP formulations in a DP formulation of the benefits to the system as a whole. These statements of the problem treat the releases from all the reservoirs as one state variable, whose value is calculated by the LP problems at each time step stage. The generation of power is calculated within the DP step, allowing the linear programming step to deal with the releases in a large number of reservoirs. The authors of these studies have analysed the inter-basin networks managed by the California Valley Project and the Tennessee Valley Authority, which operate for other purposes than hydro-electric generation, though power is still of the highest priority.

### 3.4 NONLINEAR PROGRAMMING

A hierarchical approach was used for a multi-purpose multi-reservoir system in California. Adiguzel and Coskunoglu [1984] nested models of successively smaller timeframes within one analysis. All the models calculating the electrical production used a nonlinear programming technique of Lagrangian and penalty parameters to compensate for the nonlinear
nature of the power production function. Soliman and Christensen [1986] used a functional analysis with a minimum norm formulation to optimize the operation of a system of reservoirs with variable heads. Lagrangian and Kuhn-Tucker multipliers were used to treat the nonlinear terms.

### 3.5 APPLICATIONS OF LP

Despite its restriction to linear relations, linear programing has been used in a number of situation where the number of reservoirs and power plants have been large. The nonlinear terms have either been ignored, considered linear using constant average coefficients, or piece-wise linearized using mixed integer programming. LP problems may be easily coded for solution by a computer and the results analysed for their sensitivity to inflow magnitudes or variations, the influence of various parameters gauged, and the results checked.

### 3.5.1 Linear Decision Rule

Leclerc and Marks [1973] have used linear decision rules to analyse a basin in Quebec for streamflow regulation and recreational purposes. The method uses the recurrent pattern of annual flows to develop an optimal policy for short-term releases - expressed by the linear decision rules. Conflict-
ing purposes are handled in the economic function or as constraints. The resulting operating policy is thus a standard policy to be followed year after year according to the month. It depends on a regular cyclical streamflow pattern for maximum benefits to be realized.

### 3.5.2 Benders Decomposition

Pereira and Pinto [1985] report on an iterative solution to LP problems each solving the decomposed benefits of the economic function. The economic function was partitioned into linear terms using a mathematical principle proposed by J.F. Benders [1962]. This procedure was able to solve the stochastic operation of a 37 reservoir system for hydroelectric purposes in Brazil on a micro-computer.

### 3.5.3 Successive Estimation of the Power Benefits

For an irrigation and power project in India, Chaturvedi and Srivastava [1981] proposed an LP formulation to determine the capacities of proposed new reservoirs as well as the monthly operation of each reservoir. The power production term utilized an "effective" head in preliminary runs. Subsequent runs used the head associated with the release policy of the previous run, until no significant difference was observed. The authors reported that only two runs were necessary to match the effective and actual heads over the
monthly periods and for the planning goals of their study.

### 3.6 UNCERTAINTY

The uncertainty of the inflows, and to a lesser extent the unknown future demands for power and irrigation, add a further complexity to the problem of multi-purpose, multireservoir operation. Stochastic analyses, explicitly considering the probability of an inflow quantity, result in nonlinear terms and more choices to consider. Chance-constrained linear programming includes additional constraints to account for the unknown quantity of future flows. Using historical streamflow sequences might be valid for long-term planning purposes, but for short-term operation they are likely to yield dangerous release policies. Predicted deterministic flow sequences are only as good as the prediction and as previously stated, are difficult to forecast further ahead than five months. Monsoon precipitation is very unpredictable.

Stochastic analyses and chance-constrained techniques require confidence in the probability analysis of the inflows to each reservoir. They result in probable courses of action, but the decision-maker is still left with the dilemma of what immediate action to take. When a stochastic model determines one policy based on a series of equally probable hydrological
sequences, the model ignores the inflows which are the most probable. A weighting procedure might be employed to ensure that a policy beneficial for the hydrological sequence most likely to occur, is the policy selected.

A repetitive technique, which is updated every time step, has successfully been used to determine short-time policies while considering the future water requirements of a system. The predictions for the first few time steps, which are likely the most accurate, are combined with estimates of the later time steps to enable the model to determine a policy which looks ahead into the future. Because the model updates the operating policy every time step, the actual short-term operation reflects the better predictions of the short-term period. The longer-term operating policies are not enacted though the continually updated model may recommend them on the basis of the short-term forecasts once their time has come.

### 3.6.1 Uses of the Repetitive Technique

Adiguzel and Coskunoglu [1984] describe the process of repetitive solution as repetitive optimization via rolling horizons. They used it to update their nonlinear programming model of the California Valley Project, including the actual streamflows of the last period, before determining the releases of the next. Dagli and Moles [1980] termed the process adaptive planning (AP) in conjunction with their
solution of the operation of a multi-purpose reservoir system in Turkey. They used a linear programming solution, linearizing nonlinear terms.

### 3.7 OPTIMIZATION IN IRRIGATION APPLICATIONS

Because of the priority of irrigation demands in the Mahaweli Project, reports of the optimization of irrigated agriculture were also studied. The same optimizing techniques are found but with a new application. For example, Hall and Butcher [ 1968,1969 ] presented a dynamic programming formulation to determine how much water to deliver to crops under scarce water conditions. Rhenals and Bras [1981] reported on a stochastic dynamic programming technique treating a similar situation. The procedures suggested involve detailed investigations of the soil-moisture content, plant yield and weekly potential evapo-transpiration.

### 3.7.1 Crop Allocation

Two reports describe irrigation projects and the allocation of land and water to crops. Maji and Heady [1980] used deterministic and chance-constrained formulations to determine the best use for water, labour and land resources in a one reservoir, six irrigation district project in northern India. Linear programming solved the planning problem. In
southern India, Mohanty, Sahu, and Rao [1976] used a hierarchial model to first plan the agricultural allocation, then secondly decide the optimal release schedule, in a onereservoir two-power plant four-irrigation zone project. Linear programming was used to both allocate crops in the irrigation districts and to determine how much water to release for power production, irrigation, and flood.

### 3.8 IN SUMMATION

Many techniques not discussed here have been proposed for the solution of the optimal operation of reservoir systems with multiple goals. similar to the above techniques, they each have their advantages and their shortcomings. They may not guarantee that a radically different policy might not have higher benefits. They may be difficult to implement, requiring detailed cost functions, many parameters, or custom designed computer codes. The Mahaweli Authority requires a model that is easy to use, reasonably simple, yet still accurate, and which gives a release policy of the most benefit to planted crops. Some aspects of the various models mentioned above have been combined in the model presented below.

No single model above appears to account for all the aspects of the regulation of the reservoirs in the Mahaweli

Project. Some of the optimization techniques are incapable of analysing the large number of reservoirs, power plants and irrigation districts which comprise the project. Others do not recognize the dual decision timeframe implicit in the operation of the reservoirs for both irrigation and hydroelectric purposes, with irrigation commanding a higher priority. Others are too complicated, requiring a great familiarity, not only with the operation of the Sri Lankan reservoirs, but also with nonlinear optimizing techniques.

A dual decision timeframe occurs because the irrigation allocation is decided for the growing season before the crops are planted while the waterpower release schedule may be revised at any time. If later in the season, more or less water is available than expected, it is not possible to change the crops planted, although revisions may be made to the cropping plans for the next season. The production of energy may, however, increase or decrease according to actual streamflows whether or not they were anticipated well ahead of time. How much water to release for electrical energy production is a decision independent of past decisions.

### 3.8.1 The Hierarchial Approach

Therefore, the approach has been to divide the formulation into two models, one used before the other. The hierarchial structure reflects the priority of irrigation over
electrical production, and the difference in decision timing. The seasonal planning model, PROJPLAN, permits the decisionmaker to quantify the revenues to be earned from a water policy determined for the cropping pattern planned for the next three seasons. At the same time, PROJPLAN has determined the storage levels necessary in each reservoir at the end of the growing seasons so that enough water will be available for the subsequent season's planned cropping pattern.

The short-term operating model PROJOP uses these reservoir storage targets to ensure that the operating release policy which maximizes the electrical production leaves sufficient water in the reservoirs for the next season. PROJOP calculates, for the next time step, the best release policy for every reservoir, diversion and turbine, considering the irrigation and electrical production demands for the entire season and the reservoir storage targets of the final time step. Figure 3.1 illustrates the structure of the hierarchial model.

Both models use adaptive, repetitive updating of current reservoir levels and streamflow forecasts to allow the decision-maker to respond to unforeseen hydrological events as they become apparent. The release policy is revised each week with a new PROJOP run as the growing season progresses; the short-term model may thus revise the release policy according to the changes in anticipated future conditions. PROJPLAN
runs during the season may also update future cropping plans and the concomitant target reservoir storages. The repetitive solutions, using updated streamflow forecasts and reservoir levels, allow the model to respond to uncertain streamflows.


Figure 3.1: Schematic structure of the proposed model

### 3.8.2 THE DETERMINISTIC LP FORMULATION

The model comprises two linear programming formulations which simplify the reality of the streamflows from five rivers, sixteen reservoirs, five power plants, five interbasin diversions, and the ten irrigation districts of the Mahaweli System into a set of linear equations. The planning model includes the yields, benefits and production costs of the crops planted in the districts.

The operating model calculates the benefits of electrical production with linearized equations. The optimal release policy for the predicted inflows is then solved by the linear programming algorithm which permits the consideration of a number of time steps, all the reservoirs, diversions, power plants, and irrigation districts, using a standard computerized code. The sensitivity of solutions to the input data is easily analysed. The possibility of future expansion poses no problems for later use of the same model.

The operating policy, which may be verified and improved by a simulation model with optimizing algorithms and detailed nonlinear junctions, is guaranteed to be the optimal solution for the set of linear equations solved. The LP solution policy might not accurately reflect reality, due to the necessary simplifications, and the uncertainty of future inflows, however the solution policy should be as close as possible to the real optimal policy. A sound base policy for
further investigations with simulation trials is thus found. The adaptive deterministic linear programming formulations in a two-tier hierarchial model were developed for the Mahaweli Project in Sri Lanka, but may be easily applied to other multi-reservoir dual purpose systems which place a higher priority on irrigation than on power production. The following chapters discuss each model, preliminary results, and the use of the models in further detail.

## CHAPTER 4 <br> THE SEASONAL PLANNING COMPONENT - PROJPLAN

The formulation of PROJPLAN determines how the streamflows expected over the next eighteen months may maximize crop revenues in the irrigation project. PROJPLAN quantifies irrigation benefits, stipulating the reservoir storage necessary to realize them. The seasonal diversions of water and the amount of reservoir storage necessary and feasible for this level of production are determined with a linear programming model because of the large number of crops, districts and time steps. The solution proposes a cropping pattern which maximizes crop revenue for the three seasons under consideration, and determines the reservoir storage and canal diversions required in the irrigation system. A few optional features are incorporated to allow the user to consider various restrictions on the cropping patterns.

While the formulation was developed to determine an optimal cropping pattern, it may also be given a fixed pattern, or a high number of pre-determined crop-hectares. It may be used to determine how much additional land in what crop and in what district may be cultivated this season, or whether it is more worthwhile, in terms of Rupees or some social objectives, to hold the water for irrigation during the next season. The following section presents the mathematical
formulation of the model. The names used to identify the constraints and the objective function for the SAS.OR linear programming procedure are also included. The presentation of the formulation follows.

### 4.1 CONSTANTS AND VARIABLES

The symbols used to present the formulation of PROJPLAN may be subdivided into those whose values are defined by the solution (shown in uppercase) and those whose values are defined by the user as constants in the formulation (shown in lowercase).

### 4.1.1 Decision Variables

Decision variables are solved by the linear programming formulation. The important decision variables in PROJPLAN are those representing the number of hectares to be planted in a particular crop in each district and those representing the final season reservoir storages. The interseasonal releases and diversions, the corresponding reservoir storages and optional variables for the differences in cultivated land may also be obtained from the solution. The complete list of symbols for these variables and their definitions is given in Appendix C.

### 4.1.2 User-defined Parameters

The user-defined parameters are constants for a given PROJPLAN formulation. They are the crop values, configuration size, local inflows, and other parameters which define the system. Their values are supplied for the linear programming solution of PROJPLAN. An alphabetical list is included in the appendices.

### 4.2 OBJECTIVE FUNCTION

The linear programming formulation of PROJPLAN maximizes the revenue from the crops selected by the user or by the formulation. The fundamental function, named $O B J$ for the SAS.OR solution procedure, decides which feasible solution is the best:

$$
\begin{gathered}
\max z=\begin{array}{c}
I J K \\
\sum \sum \sum\left(c_{i j k} H_{i j k}\right) \\
c_{i j k}=p_{i j k}-c l_{i j k}-f_{i j k}-w_{i k} u_{i j k}
\end{array} \quad 4.1
\end{gathered}
$$

where:

$$
\begin{aligned}
& \text { I }=3 \text { consecutive growing seasons starting } \\
& \text { October } 1 \text { or April } 15
\end{aligned}
$$

$J=$ number of prospective and possible crops, up to 50 dimensioned in PROJPLAN


At the same time, the formulation selects a feasible seasonal or sub-seasonal water allocation. The costs of labour, fertilizer, and water are subtracted from the gross revenue for each crop in each district in each season. Thus, when the formulation is used to find an optimal cropping pattern, the crops which yield the highest net return are chosen as long as the selected constraints are met.

### 4.3 PROJPLAN CONSTRAINTS

There are two sets of basic constraints in the current formulation: the constraints on the consumption of water, and those on the amount of suitable land.

### 4.3.1 The Water Balance Restriction

The irrigation water required throughout the season by each crop hectare sown in a district must not exceed the total amount of water forecast as available to that irrigation district in that season, including water remaining in the irrigation tank from the last season. An irrigation district may be supplied by a number of upstream reservoirs, by diversions from other streams, and from return flow from other irrigation districts. The water balance restriction was modeled using continuity equations for every node, whether reservoir, tank or diversion, during each season, because of
the complex interrelationships between the components in the project. Subseasons were used to account for varying water demands during the growing season.

Many terms are available in the water-balance equation to model all the modes of water transfer. Not every continuity equation has every term listed here, depending on the physical features of the node. The water balance equations, labeled CNTnSit, have the general form:

```
(REGULATED + NET) INFLOW - OUTFLOW = CHANGE IN STORAGE 4.2
```

    REGULATED INFLOW includes the terms:
    $$
\begin{array}{ll}
N^{1} \\
\Sigma Q_{i \tau(n+q)} & +N^{2} \\
\sum \alpha_{i \tau(n-p)} Q D_{i \tau(n-p)}+N^{3} \\
\Sigma B_{i \tau(n-m)} Q R_{i \tau(n-m)}
\end{array}
$$

where:


| $Q D_{i T(n-p)}$ |  | diversion releases $\left(\mathrm{Mm}^{3}\right)$ from a node, n p , to the node n during the sub-season $\tau$ of season i |
| :---: | :---: | :---: |
| Q $\mathrm{i}_{\mathbf{i \tau}(\mathrm{n}-\mathrm{m})}$ | $=$ | irrigation releases ( $\mathrm{Mm}^{3}$ ) from a node, n $m$, of which a quantifiable percentage reaches node n during the same sub-season $\tau$ of season i |
| $\alpha_{i \tau(n-p)}$ | $=$ | diversion canal transport loss as a percent of the seasonal flow, particular to the diversion from the node $n-p$ to the node $n$, during the sub-season $\tau$ of season i |
| $\mathcal{B}_{i \tau(n-m)}$ | $=$ | irrigation return flow percentage of the irrigation turnout at the node $n-m$ which flows to the node $n$ during the sub-season $\tau$ of season i |

NET INFLOW includes:

$$
\operatorname{INF}_{\mathrm{i} \pi n}-\operatorname{LOSSn}_{\mathrm{i} \pi n}
$$



OUTFLOW includes the terms:

$$
Q_{i \pi n}+Q D_{i \pi n}+Q R_{i r n}
$$

where:

$$
\begin{aligned}
Q_{i \tau n}= & \text { regulated releases }\left(\mathrm{Mm}^{3}\right) \text { to the } \\
& \text { downstream node, } n+1 \text {, or } n-q \text { (when } n \text { is } \\
& \text { the last node on a tributary flowing to } \\
& \text { the node } n-q), \text { during the sub-season } \tau \text { of } \\
& \text { the season } i
\end{aligned}
$$

CHANGE IN STORAGE includes the terms:

$$
S_{i \tau n}-S_{i(\tau-1) n}
$$

where:

| $S_{i T n}$ |  | storage $\left(\mathrm{Mm}^{3}\right)$ at the node n at the end of the sub-season $\tau$ of the season i. The storage volume at the beginning of the first season should be included with the predicted inflows at the node $n$ |
| :---: | :---: | :---: |
| $S_{i(\tau-1) n}$ | = | storage $\left(\mathrm{Mm}^{3}\right)$ at the node n at the beginning of sub-season $\tau$ of the season <br> i. When $\tau=1$, the storage at the end of the preceding season enters into the calculation: |
|  |  | ```\[ S_{i 0 n}=S_{(i-1) L n} \] \[ \text { where } L=\text { number of last sub-season in } \] season i-1``` |

RESTRICTIONS:

The following water-balance variables may be bounded:

$$
\begin{array}{r}
\operatorname{qmin}_{i \pi n} \leq Q_{i \pi n} \leq \operatorname{qmax}_{i \pi n} \\
Q D_{i \pi n} \leq \operatorname{qdmax}_{i \pi n} \\
\text { SMIN }_{i \pi n} \leq S_{i \pi n} \leq \operatorname{SMAX}_{i \pi n}
\end{array}
$$

```
qmin
    release (Mm}\mp@subsup{}{}{3})\mathrm{ allowed from the node n
    during the sub-season }\tau\mathrm{ of the season i
qmax irn = maximum downstream sub-seasonal regulated
    release (Mm}\mp@subsup{}{}{3}\mathrm{ ) allowed from the node n
    during the sub-season }\tau\mathrm{ of the season i
qdmax irn = maximum regulated diversion canal
    releases (Mm}\mp@subsup{}{}{3})\mathrm{ from node }n\mathrm{ during the
    sub-season }\tau\mathrm{ of the season i, limited by
    the canal capacity
smin
    at the end of the sub-season }\tau\mathrm{ of season
                        i
    smax}\mp@subsup{i}{inn}{}=\mathrm{ maximum allowed storage ( }\mp@subsup{M}{m}{3}\mathrm{ ) at the node
        n}\mathrm{ at the end of the sub-season }T\mathrm{ of the
        season i
    Irrigation releases are calculated by the equations
        labeled WATnSit in the SAS.OR solutions:
\[
\begin{array}{ll}
J & K^{1} \\
\Sigma & \Sigma \\
u_{i j k T} H_{i j k} & =Q R_{i T n} \quad 4.3
\end{array}
\]
```

where:

$$
\begin{aligned}
K^{1}= & \text { the list of irrigation districts } k \text { which } \\
& \text { obtain water from the node } n \text {, up to } 5 \\
& \text { irrigation districts form one node }
\end{aligned}
$$

| $u l_{i j k \tau}=$ | water requirement $\left(\mathrm{Mm}^{3} / \mathrm{ha}\right)$ of the crop $j$ |
| ---: | :--- |
|  | in district $k$ during the sub-season $\tau$ in |
|  | the season $i$, including the delivery |
|  | losses |

### 4.3.2 Land Restriction

No more hectares may be planted in crops than there is suitable land in each district. This physical constraint is expressed in two ways. The number of hectares of a crop grown in a district in a season is restricted to the maximum number of hectares of land considered suitable for that crop by a SAS upper bound constraint:

$$
\begin{gathered}
H_{i j k} \leq t_{i j k} \text { for every } i, j, k \\
t_{i j k}=\quad \text { maximum land (ha) suitable for growing crop } j \\
\text { in district } k \text { in season } i .
\end{gathered}
$$

As well, the sum of hectares cropped in a district must not exceed the total hectares of arable land in that district for that season, the series of constraints named LANDkSi:

$$
\frac{J}{\Sigma H_{i j k} \leq h h_{i k}, \quad i=1,2,3 \quad k=1,2,3, \ldots K \quad 4.4}
$$

where:
$\quad \mathrm{hh}_{\mathrm{ik}}=$ total arable land (ha) in the district $k$
in the season $i$

### 4.4 OPTIONAL CONSTRAINTS

PROJPIAN also permits the user to include optional constraints to calculate the possible yield from a selected pattern and to ensure that it meets production targets. Also the user may wish to avoid disparate land cultivation between seasons. In this case, additional constraints calculate the difference in the total amount of land being cropped in two seasons so that it may be restricted or minimized. These optional constraints are appended to the fundamental objective function and the two preceding purely physical constraints. An alternative objective function, explained later at the end of section 4.4 .2 , may be used, requiring constraints which calculate the difference in land unused between seasons.

### 4.4.1 Production Targets

There are a series of constraints allowing the user to specify levels of production. The user may request that a crop be grown in a district in a season on at least a certain amount of hectares. This is done by simply restricting the crop to a lower bound equal to that amount of hectares:

$$
H_{i j k} \geq b_{i j k} \text { for every } i, j, k
$$

where:

$$
\begin{aligned}
b_{i j k}= & \text { land (ha) required to grow a given level } \\
& \text { of crop } j \text { in district } k \text { in season } i \text {, may } \\
& \text { be zero }
\end{aligned}
$$

In the case of perennial or user-specified crops, the user would set this minimum equal to the maximum suitable land, thus defining the cropping level to be used in the solution.

Crops that have a longer growing season, such as sugar cane, have a separate set of constraints, named LNGjSi for the SAS.OR procedure, ensuring that the hectares planted in one season will be supplied with water for the next three seasons:
$H_{i j k}-H_{(i+1) j k} \leq 0, \quad i=1,2, j \epsilon J^{1}, \quad k=1,2,3, \ldots K \quad 4.5$
where:
$J^{1}=$ list of crops with growing seasons longer than 6 months

This constraint is not really optional. It is superfluous when all the prospective crops are seeded and harvested in one season. Whenever the user wishes PROJPLAN to determine a level of cultivation for sugar cane or other longer growing crops, it becomes obligatory.

A certain level of production of one prospective crop may be desired, but the user may not wish to stipulate how much by district but to allow the linear programming formulation to determine where the crop might best be grown. Then the user specifies that total production from all the districts of a certain crop must exceed a minimum production target in the series of constraints labeled MNCRPjSi:

K
$\Sigma\left(y_{i j k} H_{i j k}\right) \geq y_{m i n}^{i j}, i=1,2,3, j \in J^{2} \quad 4.6$
More than one crop may have production targets.
where:
$y_{m i n}^{i j}=$ minimum production target (T) for the crop $j$ in the season $i$, used to guarantee production of certain crops over all the districts
$J^{2}=$ list of crops with minimum production quotas in a given season

Alternatively, the user may specify that some combination of crops must meet a pre-defined level. This would apply when varieties of rice are of equal value to the target setters, or when a crop was entered as two because yields or water requirements were not constant at different locations in the same district. These constraints, CCROPjpsi in the SAS.OR procedure, combine the yield from the various crops:

```
\(\begin{array}{ll}J p & K \\ \Sigma & \Sigma\end{array}\)
\(\left(Y_{i j k} H_{i j k}\right) \geq \operatorname{pcrop}_{i, j p}, i=1,2,3\)
4.7
```

where:

| $J p=$ | number of prospective crops, j, combined |
| ---: | :--- |
|  | in a group |
| $Y_{i j k}=$ | yield (T/ha) of the crop $j$ in the |
|  | district $k$ in the season $i$ |
| pcrop $_{\mathrm{i}, \mathrm{jp}}=$ | minimum production level (T) for that |
|  | combination of crops jp in the season $i$ |

More than one combination per season may be included and the same crop may appear in more than one combination.

These optional constraints are not exclusive, the formulation of the planning component may include all the
modes of guaranteeing minimum production simultaneously or in any permutation. Other units than tonnes may be used to measure productivity, the yield/hectare and the target yield must, of course, be in consistent units. So must the productivity units of prospective crops whose yields are to be summed to meet a combined crop target. The optional constraints are mutually compatible and append to either objective function and the physical land and water constraints.

### 4.4.2 Even Land Use

Finally, there are the constraints which calculate the difference in land cultivated in a solution from the total available that season and compare the difference between seasons. This fourth set of constraints is only included when the formulation is deriving an optimal cropping pattern and the user wishes to minimize the occurrence of large numbers of hectares uncultivated in a dry season while a wet season is fully cropped. The constraints are appended to the formulation which may include any of the previously described optional constraints.

Three constraints, labeled DIFi, one for each season, calculate the difference between seasons of the land left idle by the chosen cropping pattern:
where:
$D D_{m}=$ difference in the number of uncultivated hectares in the solution. If the difference is positive, the even index m, (2i), is non-zero and the corresponding odd term is zero. Conversely, if the difference is negative, the odd index $m$, (2i-1), is non-zero and the corresponding even term is zero.

DEFi equations define the absolute value of the difference:

$$
D_{\mathbf{i}}=D D_{(2 i-1)}+D D_{2 i}
$$

$$
4.9
$$

where:

$$
\begin{aligned}
D_{i}= & \text { absolute difference between seasons of } \\
& \text { the quantity of land left idle in all the } \\
& \text { districts }
\end{aligned}
$$

$$
\begin{aligned}
& =D D_{(2 i-1)}-D D_{2 i} \\
& 4.8
\end{aligned}
$$

The equation of the last season compares the third to the first. The difference is expressed as the difference of two non-zero terms to obtain the absolute difference. The absolute difference of land which will be left idle from one season to the next may then be restricted or minimized, but not both.

When the seasonal difference in idle land is to be limited to a given quantity of hectares, the absolute difference is upper bounded and this restriction applies:

$$
D_{i} \leq \text { dmax }_{i}, \quad i=1,2,3
$$

where:

$$
\begin{aligned}
D_{1}= & \text { difference (ha) of the available land not } \\
& \text { cultivated in season } 1 \text { and season } 2
\end{aligned}
$$

$D_{2}=$ difference (ha) of the available land not cultivated in season 2 and season 3

$$
\begin{aligned}
D_{3}= & \text { difference }(\text { ha) of the available land not } \\
& \text { cultivated in season } 1 \text { and season } 3
\end{aligned}
$$

dmax $_{i}=$ limit in hectares of the allowable difference between the season $i$ and the season i+1 of idle land

When the cost of idle land may be quantified in Rs, an alternative objective function may be used, which is still identified as OBJ in the SAS.OR datafile:

$$
\begin{align*}
& \max Z=\begin{array}{l}
I \\
\sum \sum \sum \sum\left(c_{i j k} H_{i j k}\right)-w d \quad 4.1 a
\end{array} \\
& c_{i j k} \text { is the same as in } 4.2 \text {, the net benefit/hectare } \\
& \text { and } \\
& w d=\frac{I}{\Sigma} \quad \mathrm{Cc}_{\mathrm{i}} \mathrm{D}_{\mathrm{i}}
\end{align*}
$$

where:


With this additional term in the objective function, the linear programming solution tries to minimize disparate land
use between one season and another as well as maximizing the net revenue. The constraints of available water and land, and any desired production constraints, apply in this formulation. Furthermore, the two constraints defining the absolute difference of the land left uncultivated between seasons by a solution appear in the formulation. The datafile preparation program is capable of twenty-four different formulations, combining the basic constraints and fundamental objective function with the optional constraints according to the planning needs and specifications of the user. Some of these formulations are given in Figures 4.1 to 4.3. Table 4.1 shows the possible formulations.

Table 4.1
Table of Possible PROJPLAN Formulations

|  | Restricting | Minimizing |
| :--- | :--- | :--- |
| Basic | Seasonal | Seasonal |
|  | Land | Land |
|  | Differences | Differences |


| Basic formulation | 1 | 2 | 3 |
| :--- | :--- | :--- | :--- |
| Production Targets | 4 | 5 | 6 |
| Long-growing Crops | 7 | 8 | 9 |
| Long-growing Crops <br> \& Production Targets | 10 | 11 | 12 |
| Combined Crops | 13 | 14 | 15 |
|  <br> Long-growing Crops | 16 | 17 | 21 |
|  <br> Production Targets | 19 | 20 | 24 |

BASIC FORMULATION OF PROJPLAN:

$$
\max z=\sum \sum \sum \sum \quad\left(c_{i j k} H_{i j k}\right)
$$

$$
4.1
$$

Subject to:

$$
\begin{gathered}
(\text { REGULATED }+ \text { NET) INFLOW }- \text { OUTFLOW }=\text { CHANGE OF STORAGE } 4.2 \\
\text { for every } i, \tau, n
\end{gathered}
$$

J $K^{1}$
$\Sigma \Sigma u l_{i j k T} H_{i j k}=Q R_{i \pi n}$
for every $i, \tau, n$ where $n$ supplies an irrigation node

$$
\begin{aligned}
\mathrm{J}_{\mathrm{ijk}} & \\
& \text { for every } i, k \\
H_{i j k} & \leq t_{i j k} \quad 4.4 \\
& \text { for every } i, j, k
\end{aligned}
$$

Figure 4.1: The basic formulation of PROJPLAN

FORMULATION WITH SOME MINIMUM CROP PRODUCTION:

$$
\max z=\begin{align*}
& I \\
& \Sigma \\
& \Sigma \\
& \Sigma
\end{align*} \quad\left(\mathrm{C}_{i j k} \mathrm{H}_{i j k}\right)
$$

Subject to:

$$
\begin{aligned}
&(\text { REGULATED }+N E T) \text { INFLOW }- \text { OUTFLOW }= \text { CHANGE OF STORAGE } 4.2 \\
& \text { for every } i, \tau, n
\end{aligned}
$$

$$
J K^{1}
$$

$\sum \Sigma U l_{i j k T} H_{i j k}=Q R_{i \pi n}$
for every $i, r, n$ where $n$ supplies an irrigation node
for every $i, k$
$H_{i j k} \quad \leq \quad t_{i j k}$
for every $i, j, k$
$H_{i j k}-H_{(i+1) j k} \leq 0$
for every $I, J, K$ where crop j takes 3 seasons to grow
$\begin{array}{lll}\mathrm{K} \\ \Sigma & \left(Y_{i j k} H_{i j k}\right) & \geq \min _{i j}\end{array} \quad 4.6$
for every $i, j, k$ where a minimum amount of crop $j$ must be grown in season i

Figure 4.2: A PROJPLAN formulation including crop targets

FORMULATION MINIMIZING LAND DIFFERENCE

$$
\max Z=\frac{I}{\Sigma} \Sigma \Sigma\left(C_{i j k} H_{i j k}\right)-W D \quad 4 . l a
$$

subject to:
$($ REGULATED + NET) INFLOW - OUTFLOW $=\underset{\text { for every } i, \tau, n}{\text { CHANGE OF } T, ~} 4.2$
$J K^{1}$
$\Sigma \sum_{i j k r} H_{i j k}=Q R_{i \tau n}, ~$
for every i, r, $n$ where $n$ supplies an irrigation node

| $\mathrm{J} \mathrm{H}_{\mathrm{ijk}}$ | $\leq \mathrm{hh}_{\mathrm{ik}} \quad$ |  |
| :--- | :--- | :--- |
|  | for every $\mathrm{i}, \mathrm{k}$ |  |

$H_{i j k} \leq t_{i j k} \quad$ for every $i, j, k$

$$
H_{i j k}-H_{(i+1) j k} \leq 0 \quad \begin{aligned}
& \text { for every } i, j, k \\
& \\
& \\
& \\
& \\
& \\
& \\
& \\
& \text { there crop } j \\
& \text { to grow seasons }
\end{aligned}
$$



Figure 4.3: A PROJPLAN formulation which minimizes the

### 4.5 PROJPLAN FEATURES

The PROJPLAN formulation, with its comprehensive allocation of irrigation water throughout the project and its flexible options of alternative constraints provides a valuable planning model for the selection of crops.

### 4.5.1 Sub-seasonal Time Step

At times, the irrigation demands of one crop selected by the formulation, is not distributed evenly throughout the growing season but a large proportion of water is required at the beginning. This results in a critical period when the tank or reservoir must start the season with enough water to supply the irrigation demand of the first few months, even though there will be surplus water later in the season. To ensure that the weekly operation of the reservoir or tank will be able to supply the initial high demand period, the continuity equations may be calculated more frequently, up to five times in one season, to reflect these critical periods. The end date of each sub-season continuity equation must be the same throughout the Mahaweli Project, as all the equations are interlinked through the various stream and diversion flows. The user must therefore identify the few dates which are critical for any prospective crop in all the districts. When the critical date is mid-June for some
districts and the end of June for others, there will be two sub-seasons, one ending mid-June, one ending at the end of June. Thus the high demand period will be assured of water and the reservoir levels for the end of the season will be realistic given the forecast of water supply and demand.

### 4.5.2 Equal Land Cultivation Between Seasons

In some years, under some hydrologic conditions and crop prices, water demands and yields, the most revenue may result in a cropping pattern which crops intensely in one season while the subsequent season has considerably less land under cultivation. The social or economic consequences of farmers without irrigation for those undercultivated lands for one season may be unacceptable politically. In that case, the user may include either modification to the model that disallows large differences in the land cultivated between one season and the next. In truly dry years, both seasons may be undercropped but the formulation distributes the idle land more evenly between the seasons.

### 4.5.3 Irrigation Return Flows

Irrigation return flows may be included in the regulated inflows. The percentage of an irrigation diversion to fields above a given node which arrive in the same growing season
from a different node may be calculated in the sum of water available to the node. While this source of water is included in the formulation, its predictability may be questioned. The user may decide to include these terms only for the nodes where long established evidence may be used to quantify the constants of the term.

### 4.5.4 Variations on Losses and Restrictions

The user may vary the diversion canal losses as a percent of the flow. If a canal loses more water to evaporation or seepage during one hotter or dryer period, the losses may be calculated at that higher rate for only that time. Similarly, the return flow percentage may vary during the growing season or between a Yala and Maha season.

The restrictions on the variables in the continuity equations may differ according to the sub-season. In the case of the downstream or of the diverted releases, whose limits are likely defined as a flow in $\mathrm{m}^{3} / \mathrm{s}$, this is necessary because the time steps are of differing duration. Note that the two monsoon seasons are of different length. The restrictions may not apply to every node with a diversion or a spilling capacity. The user may define these bounds as needed. The storage variables are restricted by the physical capacity of the reservoir and the elevation of release structures, which are unlikely to vary from one season or sub-
season to another. The user may wish to vary the limits, however, to ensure flood storage capacity during a critical sub-season, or when a low-level outlet is closed temporarily for repairs.

### 4.6 SUMMARY

PROJPLAN is a planning model which allows the user to allocate water and crops based on predicted inflows for the next three growing seasons. A number of optional constraints permit detailed crop analysis and combinations to meet production targets. As well the irrigation demands of previously selected crops may be included in the calculations of the water demand. The sub-seasonal time step is included to ensure that the seasonal balance of water accounts for early peaks in demand. The reservoir storages at the end of the first monsoon season are used as storage targets by the short-term operating model PROJOP, described in the next chapter.

# CHAPTER 5 <br> THE SHORT-TERM OPERATING COMPONENT - PROJOP 

The second component of the model, PROJOP, is also a deterministic linear programing model. The goal of the optimization is to maximize the production of electricity from all the power sites in operation for the rest of the growing season, subject to the higher priority of irrigation uses. Therefore the objective function includes a penalty cost for any occurrence of an untimely irrigation deficit. As well. the reservoir storages required to irrigate the planned cropping pattern of the next growing season, determined by the higher-tier PROJPLAN model, are set as storage targets for the final time step.

### 5.1 PROJOP FORMULAATION

To obtain accurate energy estimates, the constants of the energy production equation may require adjusting. The slope of the energy curve, given by the energy constants as a single straight line, varies with the size of the release as well as with the storage. When the expected releases are grossly over or under estimated, the model will significantly miscalculate the energy produced at a single power plant. When this happens, the constants should be adjusted to more accurately
reflect the energy production curve for the releases determined by a previous run of PROJOP with the same inflows and initial reservoir levels. The subsequent run may suggest a completely different release policy, requiring an iterative process before the final solution has more accurately estimated the power production.

To compensate for the uncertainty of streamflows five or six months into the future, the model is repeatedly run with newly predicted inflows entered on a continuous basis. The weekly updating of the projected streamflows determines the best system response to current and anticipated conditions until the end of the current monsoon season.

The linear programming formulation allows for a large number of reservoirs and hydroelectric plants in a complicated system with many time steps considered at one time. The upper and lower bounds of the turbine, diversion, and irrigation flows, and reservoir storage volumes may vary with the time step, reflecting seasonal changes in the physical parameters or operating objectives.

The following pages present the deterministic linear programming formulation: an explanation of the objective function and each of the constraints with the definition of the variable and constant terms and the SAS.OR solution procedure names.

The symbols used to present the formulation may be categorized as those which represent the decision variables (in uppercase) and those which define the current formulation (in lowercase). The complete list of symbols for these variables and their definitions is given in Appendix $C$.

### 5.1.1 Decision Variables

The important decision variables are those for the turbine releases, the corresponding energy produced for each power plant, and the releases at the other reservoir and diversion sites for the current step. The solution to the Iinear programming formulation also yields values for the rest of the season based on the current streamflow predictions, as well as the corresponding reservoir storages, any irrigation deficits and variables necessary for the linearization of more complex functions and the calculation of absolute differences.

### 5.1.2 User-defined Parameters

The user-defined parameters are constants for a particular formulation at a given time for a given configuration of reservoirs, irrigation districts and canals, and hydroelectric plants. These include the size of the formulation, the irrigation water demands, predicted streamflows and final reservoir storages, the linearization
parameters, and the penalty costs of the objective function. Their values must be defined for the linear programming procedure before solution.

### 5.2 THE OBJECTIVE FUNCTION

The objective function of PROJOP, called OBJ, has at least two sets of terms.

1) The first set of terms defines the power production from all power sites included in the optimization
2) The second set of terms defines the irrigation deficits. The terms assign a penalty for agricultural losses due to untimely irrigation deficits, permitting a complex function using mixed integer programming where desired.

Thus the objective function has the mathematical form:

$\max z=\mu_{1} \quad=$| II NP |
| :---: |
| $\Sigma$ |
| ENG $_{\text {in }}$ |

$$
-\mu_{2} \quad \Sigma \quad \Sigma \quad \Omega_{\mathrm{i} 1 \mathrm{n}} \quad Q D F_{\mathrm{in}}
$$

$$
-\mu_{2} \quad \begin{array}{ccc}
\Sigma & \mathrm{N}^{1} & \mathrm{~K}^{1} \\
\Sigma & \Sigma & \left\{\Omega_{\mathrm{ikn}} \mathrm{D}_{\mathrm{ikn}}+\Phi_{\mathrm{i}(\mathrm{k}-1) \mathrm{n}}\right. \\
\left.\mathrm{X}_{\mathrm{ikn}}\right\}
\end{array}
$$

where:

| II $=$ | number of time steps left in the current <br> season |
| ---: | :--- |
| $\mathrm{Np}=$ | number of hydro-electric power plants <br> modeled in the project |
| $\mu_{1}=$ | unit price (Rs/GW-hr) of electrical |

$\mathrm{ENG}_{\mathrm{in}} \quad=\quad$ estimated energy produced $(\mathrm{GW}-\mathrm{hr})$ at the

time step $i$ at the node n
$\mu_{2} \quad=$ penalty price (Rs/ $\mathrm{Mm}^{3}$ ) of the reduced yields due to a unit volume of irrigation deficit

Ni $\quad=$ number of nodes which deliver water to irrigation districts where the losses due to irrigation deficits are considered linear
$\Omega_{i k n} \quad=\quad$ the slope of the losses $\mathrm{v} / \mathrm{s}$ water deficit
curve for the crops of the irrigation district at the node n at the time step i
due to a deficit of the magnitude of the linearization interval k

| QDF $_{\text {in }}=$ | irrigation deficit $\left(\mathrm{Mm}^{3}\right)$ occurring at <br>  <br> time step $i$ at the node $n$ |
| ---: | :--- |
| $\mathrm{Ni}^{9}=\quad$ | number of nodes which deliver water to |
|  | irrigation districts where the losses due <br>  <br> to irrigation deficits are linearized by <br> $\quad$mixed integer variables |

$K^{1} \quad=\quad$ number of intervals used to linearize the irrigation losses curve.

| $\mathrm{D}_{\mathrm{ikn}}=$ | linearization variable, the incremental |
| ---: | :--- |
|  | irrigation deficit $\left(\mathrm{Mm}^{3}\right)$ occurring at the |
|  | time step $i$ at the irrigation node n in |
|  | the linearization interval k |


| $\Phi_{i k n}=$ | the losses (Rs) due to a reduction of |
| ---: | :--- |
|  | yield from a deficit of the magnitude of |
|  | the minimum level for the linearization |
|  | interval $k$ at the node $n$ at the time step |
|  | $i$ |

$$
\begin{aligned}
\mathrm{X}_{\mathrm{ikn}}= & \text { integer variable permitting only one } \\
& \text { interval } k \text { to have non-zero values at the } \\
& \text { time step } i \text { at irrigation node } n
\end{aligned}
$$

### 5.3 THE BASIC CONSTRAINTS

There are two sets of obligatory constraints in the formulation of PROJOP. There are constraints due to the physical properties of the system. As well, the linearization of non-linear functions to increase the model's accuracy requires more constraints.

### 5.3.1 The Water Balance Restriction

The water - balance equation (continuity), called CNTiNn for the SAS.OR procedure, is written for every node, even those without significant local inflow nor with any storage, and for every time step. The series of equations and terms are very similar to those in PROJPLAN, only there is one index for the time step.
(REGULATED + LOCAL) INFLOW - OUTFLOW = CHANGE IN STORAGE

The general form presented above includes the following specific terms which may not all be present at any one node, depending on the physical features of the individual modes:

## REGULATED INFLOW includes the terms:

$$
\begin{aligned}
& Q S_{i(n-1)}+\Sigma^{N^{1}} \pi_{i n \prime} Q D_{i(n-p)}+Q T B_{i(n-z)} \\
& +\stackrel{N}{ }^{2}{ }^{2} S_{i(n-q)}+\stackrel{N^{3}}{\Sigma} \pi^{\prime}{ }_{i n}{ }^{\prime} Q R_{(i-x)(n-m)}
\end{aligned}
$$

where:


| $Q S_{i(n-q)}$ | $=$ | volume of downstream flows from the node $n-q$, a tributary to node $n$, during time step i |
| :---: | :---: | :---: |
| $\mathrm{N}^{3}$ | $=$ | list of nodes where a percentage of their irrigation deliveries return to the node n at the time step |
| $\pi^{\prime}{ }^{\text {in }}$ | = | percentage of irrigation flow, diverted at $n-m$ (the $n^{\prime}$ ), which will contribute to the regulated inflow of the node $n$ during the time step i |

and

$$
\begin{aligned}
Q R_{(i-x)(n-m)}= & \text { the volume of flow diverted for } \\
& \text { irrigation at node } n-m \text { during the time } \\
& \text { step } i-x, \text { a significant portion of which } \\
& \text { flows to the node } n \text { during the time step } \\
& i
\end{aligned}
$$

LOCAL INFLOWS are the forecast flows for each node:

$$
\inf _{\text {in }}
$$

where:

$$
\begin{aligned}
\text { inf }_{\text {in }}= & \text { volume of local inflow }\left(\mathrm{Mm}^{3}\right) \text { in the } \\
& \text { natural basin of the node } n, \text { not } \\
& \text { including upstream regulated nor diverted } \\
& \text { flows during time step i. The inflows of }
\end{aligned}
$$

the first time step include any reservoir or tank storage, therefore the current storage is added to the local inflow by the data preparation program

OUTFLOW includes the terms:

$$
Q D_{i k n}+Q S_{i n}+Q T B_{i n}+Q R_{i n}
$$

where:


$$
\begin{aligned}
Q R_{\text {in }}= & \text { irrigation releases }\left(\mathrm{Mm}^{3}\right) \text { delivered to } \\
& \text { the irrigation district from the node } n \\
& \text { during the time step } i
\end{aligned}
$$

CHANGE IN STORAGE includes the terms:

$$
\left(1+\sigma_{i n} \delta_{k n}\right) S T_{i n}-S T_{(i-1) n}
$$

where:

| $\sigma_{\text {in }}=$ | reservoir loss coefficient $(\mathrm{mm})$ used to |
| ---: | :--- |
|  | calculate the evaporation and seepage |
|  | losses in the tank or reservoir at node $n$ |
|  | at time step $i$ |

$\delta_{\mathrm{kn}} \quad=\quad$ slope of the surface area - storage curve for the reservoir or tank at the node $n$ in the linearization interval k. When the function of reservoir losses are linear, k=1
and

| $\mathrm{ST}_{\text {in }} \quad=\quad$ storage volume $\left(\mathrm{Mm}^{3}\right)$ of the reservoir or |  |
| ---: | :--- |
|  | tank at the node $n$ at the end of time |
|  | step $i$ |

RESTRICTIONS: The following terms are restricted:

$$
\begin{aligned}
\text { qdmin }_{\text {in }} & \leq Q D_{i n} \leq \text { qdmax }_{\text {in }} \\
\text { qrmin }_{\text {in }} & \leq Q R_{\text {in }} \leq \text { qrmax }_{\text {in }} \\
\text { qsmin }_{\text {in }} & \leq Q S_{i n} \leq \text { qsmax }_{\text {in }} \\
\text { qtbmin }_{\text {in }} & \leq Q T B_{i n} \leq \text { qtbmax }_{\text {in }} \\
\operatorname{smin}_{\text {in }} & \leq \operatorname{ST}_{\text {in }}
\end{aligned}
$$

where:

$$
\begin{aligned}
\operatorname{qdmin}_{i n}= & \text { minimum regulated diversion canal } \\
& \text { releases }\left(\mathrm{Mm}^{3}\right) \text { from node } n \text { at the time } \\
& \text { step } i
\end{aligned}
$$

qdmax $_{\text {in }}=$ maximum regulated diversion canal releases ( $\mathrm{Mm}^{3}$ ) from node n at the time step i limited by the canal capacity
qrmin $_{\text {in }}=$ minimum irrigation releases $\left(\mathrm{Mm}^{3}\right)$ from node n at the time step i
qrmax $_{\text {in }}=$ maximum irrigation releases $\left(\mathrm{Mm}^{3}\right)$ from node $n$ at the time step $i$, limited by canal capacities
qsmin $_{\text {in }}=$ minimum downstream releases $\left(\mathrm{Mm}^{3}\right)$ from node n at the time step i

| qsmax $_{\text {in }}$ | = | maximum downstream releases ( $\mathrm{Mm}^{3}$ ) from |
| :---: | :---: | :---: |
|  |  | node n at the time step i |
| $\mathrm{qtbmin}_{\text {in }}$ | $=$ | minimum turbine releases ( $\mathrm{Mm}^{3}$ ) from the |
|  |  | power plant at the node n at time step |
| $\mathrm{qtbmax}_{\text {in }}$ | $=$ | maximum turbine releases ( $\mathrm{Mm}^{3}$ ) from the |
|  |  | power plant at the node n at time step |
| $\operatorname{smin}_{\text {in }}$ | $=$ | minimum allowed storage ( $\mathrm{Mm}^{3}$ ) at the node |
|  |  | n at the end of time step i |
| $\operatorname{smax}_{\text {in }}$ | $=$ | maximum allowed storage ( $\mathrm{Mm}^{3}$ ) at node n |
|  |  | at the end of time step i |
| $s f_{n}$ | = | target storage ( $\mathrm{Mm}^{3}$ ) for the end of this |
|  |  | monsoon season at node $n$ |
| ST ${ }_{11 n}$ | $=$ | storage volume ( $\mathrm{Mm}^{3}$ ) of the |
|  |  | reservoir or tank at node $n$ at the |
|  |  | end of the last time step II |

### 5.4 THE DEFINITION OF THE IRRIGATION DEFICIT

The second set of constraints defines an irrigation deficit for every time step at every node where there are irrigation deliveries, in an equation labeled IRRiNn in the SAS.OR procedure:

$$
Q D F_{\text {in }}=C W r_{\text {in }}-Q R_{\text {in }} \quad \text { • } \quad \text { • } 5.4
$$

where:

| $c w r_{i n}=$ | volume of water $\left(\mathrm{Mm}^{3}\right)$ demanded by crops |
| ---: | :--- |
|  | supplied by the node $n$ for the time step |
|  | i, including transportation losses, a |
|  | given quantity based on the known |
|  | cropping pattern and expected evapo- |
|  | transportation rates for the remainder of |
|  | the season |

### 5.5 THE LINEARIZATION CONSTRAINTS

The other constraints in the formulation linearize the power function, the reservoir water loss function or the irrigation revenue loss function due to water shortages. Only the power function linearization is obligatory.

Originally, the power linearization used a mixed integer procedure which takes an inordinate amount of computer time when there are many integer variables. Fifty or so integers require one hour of CPU time. Another approach therefore, was developed and successfully implemented.

### 5.5.1 Linearization of the Energy Produced

The function for energy production is a product of the head and the flow. However the head varies with the flow released in the previous time step of the solution, making the problem non-linear.

Where the head does not vary greatly, a power coefficient based on the average head is sufficiently accurate. At the power sites with highly variable heads, and high heads at that, the energy produced is not accurately estimated by a single power coefficient based on an average head.

Not only is the estimation inaccurate but the release policy chosen as optimal will not reflect the advantages of releasing water from a fuller reservoir. More energy will be generated when more water is released from a reservoir at a given level. The subsequent time step would then have lower reservoirs levels, thus the same release in the later time step will generate less electricity. If a single power coefficient is used the model will still estimate the same amount of production. Using a second or third run with power coefficients adjusted to the reservoir levels of the previous solution will increase the accuracy of the estimates. An alternative policy, which increases reservoir levels by initially releasing less, yet thereby produces more energy over the duration of the monsoon season, would be overlooked. Wherever the reservoir levels above a power plant fluctuate significantly, a single power coefficient based on an average head is not sufficient to find an operating policy optimal for the entire season.

Mixed integer linearization procedures using differing power coefficients to multiply the turbine releases depending
on the reservoir levels were developed for PROJOP. However, the branch and bound solution of mixed integers increased computer time geometrically. Complete studies of the operation of reservoirs with large variations in the head, were only possible one site at a time and for a third of a season. Only four possible power coefficients at one site were feasible for a run at the beginning of a season.

The branch and bound procedure did not allow an adequate investigation of the optimal operating policy. Therefore another linearization approach to the estimation of power generation (Sigvaldason [1987]) was incorporated into the model. The energy function was approximated by splitting the function into three terms for those power sites where an average head calculation was insufficient.

This approach uses only one constraint, named EPiNn, for each time step $i$ and for each node $n$ with a power plant estimated by a variable head, to define the amount of energy produced in a time stem:
$E N G_{i n}=h_{i n} Q T B_{i n}+c_{i n}\left(0.5 S T_{i n}+0.5 S T_{(i-1) n}-\right.$ sto $\left._{\text {in }}\right)$
where

$$
\begin{aligned}
\mathrm{h}_{\text {in }}= & \text { power coefficient }\left(\mathrm{GW}-\mathrm{Hr} / \mathrm{Mm}^{3}\right) \text { for a } \\
& \text { representative head in the operating }
\end{aligned}
$$

range of the reservoir $n$ during time step i.
$\mathrm{c}_{\mathrm{in}}=$ correcting factor ( $\mathrm{GW}-\mathrm{hr} / \mathrm{Mm}^{3}$ ) used to adjust the estimate of energy production according to the average volume of water stored at the node $n$ at time step $i$ multiplied by an energy factor.
and

$$
\begin{aligned}
& \text { sto }_{\text {in }} \quad=\quad \text { representative storage volume }\left(\mathrm{Mm}^{3}\right) \text { of } \\
& \text { the reservoir at the node } n \text { for the time } \\
& \text { step } i
\end{aligned}
$$

Both the power coefficient, $h_{i n}$, and the correcting factor, $c_{i n}$, differ with the duration of the time step. They incorporate the duration of the time step, the density of water and the efficiency of the turbines in their derivation.

Figure 5.1 shows the curvilinear function of power generation as $a$ function of head and at various release amounts, superimposed with two dashed lines representing the straight-line approximation of the three-term linearization used in the formulation. Varying $c_{i n}$ adjusts the slope of the power line to the curve representing the actual power produced by the release.

The first term of the power approximation multiplies a head representative of the operating range by the flow variable. Where the head at a power plant does not vary greatly, where the reservoir fluctuations are small, the first term alone is sufficient to estimate the power production: $c_{\text {in }}$ equals zero.

Otherwise, the second and third terms correct the estimation of the first term according to whether the average storage variable in the time step was above or below a constant reference volume. The greater the difference, the greater the proportional correction. The correcting terms would reduce the value calculated in the first term when the average storage level in a time step was below the constant reference volume.

The magnitude of the turbine flows is necessary to quantify the constants of the second and third terms as is seen by the poor estimation of the energy produced by a release of $200 \mathrm{Mm}^{3}$ with a correcting factor, $C_{i n}$ estimated from a flow at $25 \mathrm{Mm}^{3}$. A detailed account of the estimation and refinement of the power estimation constants is presented in subsequent chapters.


Figure 5.1 Straight line estimates of the energy function

### 5.5.2 Mixed Integer Linearization

The original linearization method, which is not included in the current version of PROJOP, is presented here for comparison. Five constraints are required to linearize the electrical production as a function of the water released (QTB) and the head (a function, in turn, of the average reservoir storage, $0.5 \mathrm{ST}_{\mathrm{in}}+0.5 \mathrm{ST}_{(\mathrm{i}-1) \mathrm{n}}$, during the time step). Figure 5.3 shows the approximation graphically. The linearized function appears as:
K
$\Sigma\left(\beta_{i k n} Q_{i k n}\right) \quad$ a.1
where:
$\mathrm{K}=$ number of intervals used to linearize the power curve
$\beta_{\mathrm{ikn}} \quad=$ average power coefficient (GW-hr/ $\mathrm{Mm}^{3}$ ) which calculates the amount of power generated at time step $i$ at power plant $n$ for the average storage in the interval $k$
and

$$
\begin{aligned}
Q_{i \mathrm{kn}} \quad= & \text { linearization variable, the turbine } \\
& \text { release at time step } i \text { at the power plant } \\
& n \text { in a linearization interval } k
\end{aligned}
$$

During every linearization interval $k$ at the node $n$ in the time step i there is the constraint, FiNnEk:

$$
99999 Z_{i k n}-Q_{i k n} \geq 0 \quad \text { a. } 2
$$

where:

$$
\begin{aligned}
& \mathrm{z}_{\mathrm{ikn}} \quad=\quad \text { integer variable used to select one } \\
& \text { interval } k \text { at the time step } i \text { at the node } \\
& n \text { for the linearization of the electrical } \\
& \text { power curve }
\end{aligned}
$$

The constraint, called ZiNnEk in the SAS.OR data file, also exists for every time step $i$ and the node $n$ for every linearization interval k:

$$
\begin{equation*}
\left(\alpha_{i(k+1) n}-\alpha_{i k n}\right) z_{i k n}-s_{i k n} \geq 0 \tag{a. 3}
\end{equation*}
$$

where:

$$
\begin{aligned}
& \alpha_{\mathrm{kn}} \quad=\quad \text { maximum storage volume }\left(\mathrm{Mm}^{3}\right) \text { in interval } \\
& \mathrm{k} \text { at the power plant node } \mathrm{n}
\end{aligned}
$$

and

| $S_{i k n}=$ | linearization variable, the incremental |
| ---: | :--- |
|  | storage (average $S T$ for the time step $i-$ |
|  | minimum storage of the interval $k$ ) at |
|  | power plant node $n$ |

For every time step $i$ at the node $n$ there are three more constraints. Their names for the SAS.OR procedure are listed to the left:

| QiNn : | K |  |
| :---: | :---: | :---: |
|  | $\Sigma Q_{i k n}-Q^{T} B_{i n}=0$ | a. |
|  | K |  |
| ZiNn : | $\Sigma \mathrm{z}_{\mathrm{ikn}} \leq 1$ | a. 5 |
| SiNn : | K |  |
|  | $\Sigma\left(\alpha_{i(k-1) n} Z_{i k n}+S_{i k n}\right)-05\left(\mathrm{ST}_{i n}-\mathrm{ST}_{(i-1) n)}=0\right.$ | a. 6 |
|  | HEAD v/s STORAGE Victoria |  |



Storoge Volume ( Mm3)
Figure 5.2 The mixed integer estimate of energy production using the head versus storage curve

### 5.5.3 Linearization of Reservoir Losses

Three constraints linearize the evaporation and infiltration losses in reservoirs as a function of the surface area (a function of the final storage volume of the time step) and the independent monthly loss coefficient. The linearized function replaces the CHANGE OF STORAGE terms in the continuity equation with:

$$
S T_{i n}-S T_{(i-1) n}+\sum^{K^{3}} \sigma_{i n}\left(\epsilon_{k n} Y_{i k n}+\delta_{k n} T_{i k n}\right) \quad \text {. } .5 .6
$$

where
$K^{3} \quad=\quad$ number of intervals used to linearize the surface area - storage curve of the reservoir or tank
$\epsilon_{\mathrm{kn}}=\quad=$ minimum surface area $\left(\mathrm{km}^{2}\right)$ of the reservoir or tank at the node $n$ in linearization interval k
$Y_{i k n}=$ integer variable used to select one interval $k$ at the time step $i$ at the node $n$ for the linearization of the surface area - slope curve
$T_{i k n} \quad=\quad$ linearization variable, the incremental storage $\left(\mathrm{ST}_{\mathrm{in}}\right.$ - minimum storage of the interval k) at the end of the time step i at the reservoir or tank at node n

During every linearization interval $k$ at the node $n$ in the time step i there is the constraint, labeled YiNnEk:

$$
\left(\Gamma_{(k+1) n}-\Gamma_{k n}\right) Y_{i k n}-T_{i k n} \geq 0 \quad \text { • } \quad \text {. } 5.7
$$

where:

| $\Gamma_{\mathrm{kn}}=$ | maximum storage volume $\left(\mathrm{Mm}^{3}\right)$ of the |
| ---: | :--- |
|  | interval $k$ at the reservoir or tank $n$ |

For every time step $i$ at the node $n$ there are also two more constraints which are named RiNn and YiNn for the SAS.OR procedure:

RiNn :

$$
\sum^{K^{3}}\left(\Gamma_{(k-1) n} Y_{i k n}+T_{i k n}\right)-S T_{i n}=0
$$

YiNn : $\quad \sum^{K 3} Y_{i k n} \leq 1 \quad$. . 5.9
Figure 5.3 shows the approximation graphically:
SAMPLE AREA - STORAGE GRAPH


Figure 5.3 Mixed integer estimation of the surface area

### 5.5.4 Linearization of Irrigation Deficits

There are also three constraints in the current version of PROJOP which use mixed integer linearizations to more accurately calculate the losses in yield due to irrigation deficits when the user wishes to do so. The linearized function in the current version of PROJOP appears as:

$$
\begin{array}{lll}
K^{1} \\
\Sigma & \Omega_{i k n} & D_{i k n}+\Phi_{i(k-1) n} \\
X_{i k n} & 5.10
\end{array}
$$

During every linearization interval $k$ at the node $n$ in the time step $i$ there is the constraint, labeled DiNiEk:

$$
\left(\theta_{i(k+1) n}-\theta_{i k n}\right) X_{i k n}-D_{i k n} \geq 0 \quad 5.11
$$



Figure 5.4 Mixed integer estimation of the costs of water deficits

For every time step $i$ at the node $n$ there are two more constraints, shown with their SAS.OR names to the left:

WiNn : $\quad \sum_{\Sigma}^{K^{1}}\left(\Theta_{i(k-1) n} X_{i k n}+D_{i k n}\right)-Q_{i n}=0.12$

XiNn : $\quad \sum_{\Sigma_{1}} X_{i k n} \leq 1$

### 5.6 OPTIONAL FORMULATION

In wet forecast years, when inflows in the current season are greater than first forecast, and the benefits to the next season of reservoir levels higher than the targets from PROJPLAN are quantifiable, the user may wish to assign a premium to higher final levels. An optional set of terms for the objective function allows for solutions which increase the amount of water stored in reservoirs for the next growing season.

A solution which generated a large amount of electrical power in the final month of the growing season, and scarcely any at the beginning, may generate a lot of energy in total, but would not be as satisfactory a solution as one where the monthly totals of energy produced were more consistent. Another set of terms in the objective function and some additional constraints, may be incorporated in the formulation
to smooth the fluctuations in total energy produced from one time step to another.
5.6.1 Optional Terms in the Objective Function

The two additional sets of optional terms which may be included in the objective function are:

| $\stackrel{\mathrm{Nr}}{\Sigma}$ |  |  |
| :---: | :---: | :---: |
| + | $\Sigma \mu_{3 n} \mathrm{ST}_{\text {IIn }}$ | (optional) |
| (II-1) |  |  |
| - | $\mu_{4} \quad \Sigma \quad$ DIFi | (optional) |

where:

$$
\begin{aligned}
& \mathrm{Nr}=\text { number of nodes which have significant } \\
& \text { storage } \\
& \mu_{3 n}=\text { unit price (Rs } / \mathrm{Mm}^{3} \text { ) which can be } \\
& \text { assigned to the agricultural or other } \\
& \text { benefits of a reservoir } n \text { storing more } \\
& \text { water at the end of the growing season } \\
& \text { than stipulated by PROJPLAN. When equal } \\
& \text { to zero, future benefits of additional } \\
& \text { water are ignored } \\
& \text { II }=\text { number of time steps left in the season } \\
& \mu_{4}=\text { an arbitrarily assigned unit price } \\
& \text { (Rs/GW-hr) for a difference in power }
\end{aligned}
$$

production between one time step and another, chosen not to unduly influence the power production.
$D I F_{i}=$ absolute difference ( $G W-h r$ ) between the power produced in one time step and the next

The first optional set of terms maximizes benefits due to higher reservoir storage volumes at the end of the season. The benefits may be set to zero and this term disregarded. The second optional set of terms, which may appear in the objective function of PROJOP, minimizes the fluctuations in power generated from one week to the next.

The terms are independent: one may appear in the formulation without the other, or both may appear. The original first set of terms must appear. The inclusion in the objective function of the set of terms to minimize power fluctuations involves the addition of the constraints which define the quarter monthly and monthly variation variables.

There are thus four possible objective functions:

1. The basic objective which maximizes the energy production and weights the penalties of irrigation deficits alone;
2. The basic objective with an additional set of terms to increase storage at the end of the season;
3. The basic objective with an additional set of terms to even energy production;
4. The basic objective function with both optional sets of terms.

### 5.6.2 Optional Constraints

Also, the user may include optional constraints to incorporate particular energy policy objectives. Two optional series of constraints restrict the energy production in a time step to obtain an even production rate throughout the season, each in an alternative fashion. There are the constraints, named POWi, which guarantee a minimum production of electricity in each time step:

$$
{ }_{\Sigma}^{\mathrm{Np}}\left(\text { ENG }_{\mathrm{in}}\right) \geq \operatorname{pmin}_{\mathfrak{i}} \quad . \quad . \quad .5 .14
$$

where:

$$
\begin{aligned}
\operatorname{pmin}_{\mathrm{i}}= & \text { minimum total energy production }(\mathrm{GW}-\mathrm{hr}) \\
& \text { required at the time step } i
\end{aligned}
$$

Alternatively, or in conjunction with the energy limits, the difference between the total amount of energy produced in one time step and the next may be calculated by the equations labeled PDFi and PPPi for the SAS.OR procedure:
 where:
$¥ \quad=\quad 4$, when $i$ is the last quarter month time step before the final monthly time steps when optimizing at the start of the season, otherwise, it is equal to 1
$\mathrm{DIFP}_{\mathrm{i}} \quad=$ positive difference between the total power produced at the time step 1 and that produced at the time step $i+1$
and

| $\mathrm{DIFM}_{\mathbf{i}}=$ | negative difference between the total |
| ---: | :--- |
|  | power produced at the time step $i$ and |
|  | that produced at the time step $1+1$ |

PPPi : $\operatorname{DIFP}_{\mathbf{i}}+$ DIFM $_{i}=D I F_{i}$

The variable DIFi may be minimized in the objective function or restricted:

$$
\text { DIF }_{\mathbf{i}} \leq \text { DIFMAX }_{\mathfrak{i}} \quad \text { - } \quad \text {. } 5.17
$$

where:
DIFMAX $_{i}=$ maximum allowed difference (GW-hr) in energy generated between the time step $i$ and $\mathrm{i}+1$

The two terms, DIFP and DIFM, are necessary to define the absolute value.

### 5.7 PROJOP FEATURES

The formulation of PROJOP, with its linearized functions, optional electrical production restrictions, and quantification of irrigation deficits, provides a versatile operating model.

### 5.7.1 Rationing under Drought Conditions

The second set of terms in the objective function, assigning a penalty to any irrigation deficits, enables the linear programming formulation to find an optimal release policy even in expected dry conditions. Under anticipated flow conditions, the high penalty cost of the deficits will prohibit the model from selecting release policies which allow irrigation deficits. Without including the possibility of deficits, when the forecast water supplies were unable to meet the irrigation demands of already planted crops, the user
would obtain infeasible solutions which do not suggest any policies.

By weighting the penalty costs for each irrigation district and for the critical weeks in the growing season, the user may obtain release policies which will minimize the overall irrigation damage under drought conditions.

The penalty for an irrigation deficit may be estimated by a varying rate using the mixed integer linearization technique included in the data-file preparation program. Its use is restricted to the few districts or critical periods where the penalty per $\mathrm{Mm}^{3}$ of water deficit varies with the size of the deficit. When this is the case too often, the number of integer variables required will be too many for quick solution.

Another method, (Norrie [1987]), which does not use mixed integer programming, exploits the concave nature of a cost function and the simplex method choice of variables with lower costs before those with higher costs. When the cost associated with high deficits is higher than those associated with a lower deficit, the simplex method will choose the deficit variable for an irrigation district associated with a lower cost before the deficit variable with a higher cost unless constrained by the upper limit of the lower cost deficit variable. It will not select more than one deficit variable a district as non-zero, under these conditions. To
use this method, the objective function has these terms for the irrigation deficit:

$$
\begin{array}{lllll}
I I & \mathrm{Ni}^{2} & \mathrm{~K}^{2} & & \\
\Sigma & \Sigma & \Omega_{i k n} & D_{i k n} & \text { b.l }
\end{array}
$$

where:

| $\mathrm{Ni}^{2}=$ | number of nodes which deliver water to |
| ---: | :--- |
|  | irrigation districts where the losses due |
|  | to irrigation deficits are linearized by |
|  | the second method |

$\mathrm{K}^{2} \quad=\quad$ number of intervals used to linearize the irrigation losses curve using the second method

Constraints of the following form are needed to define the deficit variables for each time step and each irrigation node:

$$
\begin{aligned}
& K^{2} \\
& \Sigma \\
& D_{i k n}-Q D F_{i n}=0
\end{aligned} \quad \text { b. } 2
$$

Each $D_{i k n}$ has an upper limit equal to the magnitude of the deficit at the end of the linearization interval minus that at the beginning. In the linearization interval the costs of the deficit are a constant rate. This second method is not included in the current version of PROJOP.

### 5.7.2 Irrigation Return Flows

Note that the irrigation return flows are included in the regulated inflows. The percentage of an irrigation diversion in the current or previous time step from a different node which returns to fields above a given node may be calculated in the sum of water available to the node.

While this source of water is included in the formulation, its predictability may be questioned. The user may decide to include these terms only for the nodes where long established evidence may quantify the constants of the term. The time lag and the percentage may be varied with the time step in the growing season.

### 5.7.3 Variation of the Parameters

The linear programming formulation allows the operating bounds from one time step to the next to be independent. Reservoir storage bounds may be reduced or increased for flood storage provision, repairs or temporary operating conditions. The other bounds are variable with the time step because of the varying duration. When a turbine is scheduled for repairs, the amount of flow which may generate power would be reduced. As well, the user may vary the diversion canal losses as a percent of the flow. Whenever predictably more water in a canal evaporates or seeps during a hotter or dryer period, the losses may be calculated at the higher rate for only that time. By varying these limits the user ensures the
formulation is modeling the real life operating conditions of the system.


#### Abstract

5.7.4 Definition of the Energy Produced

The energy produced at one power plant during one time step is a decision variable in the formulation. This is useful because it allows quick and ready identification of electrical production. Also the decision variable may be subjected to upper or lower bounds and included in the objective function and the constraints, either individually or summed by time step or location to meet differing policy objectives.


### 5.7.5 Increasing Final Storage Levels

When the hydrology of the current season evolves as wetter than first expected, the user may search for a release policy which is not only better for this season, in terms of irrigation and electrical benefits, but also for the next season. In tandem with PROJPLAN tests for the next seasons, the optional storage terms may be included in the objective function of PROJOP. The user may alternatively vary the target storage volumes, the $S_{n}$ bounds, to quantify the effect on this season's electrical and irrigation benefits, and, by using those volumes for PROJPLAN starting levels, to quantify the effect on the projected agricultural revenue from the Mahaweli Project during the next season.

### 5.7.6 Continual Updating of Adaptive Planning

The operating policy determined by the model is continually updated at each time step, allowing the model to respond quickly to both equipment maintenance scheduling and to less predictable hydrological occurrences. The short-term policy is determined by the model each week and is not a predetermined rule curve nor a weekly release rule. The actual current reservoir levels, revised streamflow predictions, and any revisions to the weekly crop water requirements, are likely to shift the policy from the anticipated policy of the quarter month before. The reservoir operator releases only the amount recommended by the model for the next time step. Subsequent runs are performed before determining the actual releases of future time steps. This allows the model to respond to updated current reservoir levels and streamflow forecasts.

While applicable for a short term of one time step, a quarter month, the reservoir release policies were derived from consideration of initial water levels, of deterministic forecasts of the streamflows available, and of water demands for an entire growing season, and even a year and a half ahead, because of the included storage targets from the planning model. As expectations of the hydrological conditions change throughout the season, the series of policies are based on a continually mutating set of
conditions. They do not result in the actual optimal policy. The operator is unable to change an earlier decision based on current knowledge of events in the immediate past, but is forced to make the best decision for the short-term based on current conditions, predictions for the future, and the storage goals of the irrigation planning step. The optimal policy determined with full hindsight or perfect foreknowledge will be better, but that knowledge does not occur in real life. The continually updated policy of the short-term operating model ensures that the operating policies are the best, based on the current state and the best estimates of future conditions for the objectives defined.

### 5.7.7 Use as a Regulatory Guideline

PROJOP finds an optimal release policy for the next quarter month for the regulation of the reservoir system as defined by the linear programming formulation. The objectives and the flow restrictions will have been chosen to reflect the goals of the regulating authority for that growing season. The model reduces the complex problem of reservoir regulation to simple linear equations; this entails simplifications and inaccurate estimates. The energy production the model has calculated from a release policy may be infeasible due to over-estimation or because of hourly operating constraints overlooked by the model. The quarter monthly delivery of water to a district may be impossible because of the hydraulic
constraints of reservoir levels. The Ceylon Electrical Board models would have to determine the daily and hourly release schedules based on the releases recomended by PROJOP.

While the policies of the continually updated solutions may be the best, given the known and expected hydrological conditions for the series of linear constraints of a linear programming formulation, they will not be optimal for the real life situation of the Mahaweli Project of Sri Lanka when too many simplifications and approximations of real parameters were necessary in the modelling. PROJOP locates the optimal peak of the operating surface defined by its parameters. If the model has realistic constants and accurate flow predictions, a simulation model, that includes all non-linear relationships and evaluates the cost and returns of water use in the irrigation and hydro-electric components of the project, may verify the feasibility and optimality of the release policy determined by PROJOP.

When the uncertainty of flow prediction is high, PROJOP may be executed with various streamflows to identify the penalties and benefits of other streamflow sequences. Trials with various streamflow, crop water requirements, and electrical demands may also be performed to evaluate the penalties and benefits associated with different probable scenarios and thus somewhat quantify the risks.

The optimal solution to the linear programming problem of PROJOP may serve as a base policy. A simulation model with optimizing features may then find a better solution to a more detailed formulation of the reservoir regulation, having been given a base policy close to the global optimum of the real life situation. The confidence of the operator in the release policy recommended by the short-term model increases when the results are verified by simulation.

### 5.8 SUMMARY

The PROJOP formulation maximizes the production of hydroelectricity subject to the irrigation demands of already planted crops and the target storages of the next growing season. Restrictions on the production of electricity may be necessary to balance the production throughout the growing season, while wetter conditions than forecast may make higher final reservoir storages desirable.

The electrical production function is linearized in such a way that the loss in accuracy is minimized and, more importantly, that possible beneficial policies are not overlooked. Reservoir storages losses and the penalties of irrigation losses may be also more accurately modelled with mixed integer linearization, although with a severe penalty in increased computing time.

The model requires updating every time step and its policies should be tested with a simulation model before their implementation. The formulation of PROJOP may be solved with the linear programming package SAS.OR. With the large number of reservoirs, irrigation districts and hydro-electric plants involved the datafile is large and unwieldy.

A program was written for an IBM PC to prepare the data necessary for a SAS.OR solution program. The next chapter details the data preparation programs for both PROJOP and PROJPLAN. Chapter 7 discusses applications of the models.

## CHAPTER 6 <br> THE IMPLEMENTATION OF THE MODEL BY COMPUTER

The solution of the two formulations in the model, each with hundreds of constraints and hundreds of variables, requires the use of a computer. A number of linear programming solution procedures are available commercially, most for use on a mainframe computer. The SAS.OR package [1986] from the SAS Institute was used to solve the linear programming formulations at the Ecole Polytechnique. The SAS.OR linear programming package has a special feature for the entry of sparse constraint sets, requiring only the entry of non-zero values. The other commonly known SAS features, such as combining, sorting, and statistical analysis of data files are supported.

A version for micro-computers is being developed, which may or may not be large enough to incorporate the large number of variables and constraints. The number of variables and constraints differ in PROJPLAN because the number of prospective crops and the number of critical sub-seasons may differ. PROJOP problems have continually less variables and less constraints as the number of time steps left in the growing season diminish. At the present time, the actual solution of the linear programming problem is done on an IBM mainframe computer.

The data file required by the SAS.OR package, while simpler than some, is lengthy and involved. To save mainframe computer costs, two interactive FORTRAN programs were written for use on an IBM compatible personal computer to prepare the PROJPLAN and PROJOP problems for solution. The data files, written to a floppy diskette, are transferred to the mainframe where the SAS.OR Linear Programming package solves the problem. Before submission, the user may wish to modify the data files with user-supplied constraints using the combining features available with SAS. The results of the SAS run are the final solution. The computer implementation entails firstly the preparation of a SAS.OR LP data file, performed interactively on a PC, and secondly the batch submission of the data file to the SAS.OR LP procedure on a mainframe computer.

### 6.1 THE PERSONAL COMPUTER FILES

All the micro-computer files are in ASCII format, sequentially accessed, and are referred to as OLD within the FORTRAN programs. To be opened, the file name of the file must already exist on the diskette. When reading files, this is certainly the case, if not the user has supplied the wrong diskette or the wrong name, the file may not be read in either case. When overwriting a previous file, such as after correcting or adding to the information stored, again the file
would be oLD. However, when creating a file, or saving a separate version, the user must request the data preparation program to write to a file that already exists on the diskette, if in name only. Before a run, the user should open a file with the desired name, save a blank file, verify that the name appears in the diskette directory, and then commence the preparation program.

Tables 6.1 and 6.2 list the files required by each formulation and approximate sizes (to the nearest 500 bytes) based on the files used in the test runs conducted. Where the name is given the file must appear in the drive specified and with that name. All the files may be corrected by the user with the interactive program before the data is used to prepare the SAS.OR data file. The data preparation programs are user-friendly, not only quick and easy to use, but also facilitating data corrections and corrective actions for false moves.

TABLE 6.1
Files required by PROJPLAN

|  |  |  |  | PREPARED |
| :---: | :---: | :---: | :---: | :---: |
| FILE |  |  | LIKELY |  |
|  |  | ADVANCES | INTER- | OBLIGATORY |
|  |  | ACTIVELY | $*$ | (BYIES) |


| 1 | $\begin{aligned} & \text { Crop } \\ & \text { and } \\ & \text { District } \end{aligned}$ | b: Crops | $Y$ | n | Y | 10 20 | $\begin{aligned} & 000 \\ & \text { to } \\ & 000 \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2 | Con-figuration | u-s | n | Y | Y | 1 | 000 |
| 3 | Inflows | u-s | \# | $y$ | Y | 2 | 000 |
| 4 | Crop Water Demands | $\mathbf{u - s}$ | Y | Y | n | 3 | 000 |
| 5 | Variations | u-s | $Y$ | Y | n | 2 | 500 |
| 6 | SAS <br> Data- <br> file | b:Plan.dat |  | Y | Y | 20 | 000 |

* The files are obligatory as their data is necessary. The user may enter data interactively, without saving it on a file, therefore the inflow and configuration files may be considered not strictly obligatory.
\# To be updated with new estimates each run
$u-s=$ user-specified drive and filename $y=$ yes $n=$ no

TABLE 6.2
Files required by PROJOP

|  | FILE | NAME | ADVANCES | PREPARED INTERACTIVELY | $\underset{*}{\text { OBLIGATOR }}$ | $\begin{aligned} & \text { LTKEIY } \\ & \text { Y SIZE } \\ & \text { (BYTES) } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Con-figurtion | u-s | n | Y | Y | 1500 |
| 2 | Power <br> plants | u-s | n | n | $Y$ | 1500 |
| 3 | Reser- <br> voirs | u-s | n | n | Y | 2500 |
| 4 | Irrigation Losses | u-s | n | n | Y | 1500 |
| 5 | Irrigation Demands | u-s | \# | n | Y | 2500 |
| 6 | Canal <br> Characteristics | u-s | n | Y | Y | 1500 |
| 7 | Variations | u-s | Y | Y | n | 10000 |
| 8 | Inflows | u-s | \# | n | Y | 25000 |
| 9 | Return Flows | u-s | n | Y | n | 1000 |
| 10 | SAS <br> Data- <br> file | $\mathrm{b}:$ Rel | dat | Y | Y | 20000 |

* The files are obligatory as their information is necessary. \# To be updated with new estimates each run
u-s $=$ user-specified drive and file name $y=$ yes $n=$ no


### 6.2 THE PREPARATION OF A PROJPLAN RUN

PROJPLAN looks at the water available in the next three growing seasons and determines a cropping pattern and an allocation of water on a seasonal or sub-seasonal basis to the irrigation fields, the reservoirs, and the canals. The formulation has variables for the regulated stream and canal releases, the reservoir storage volumes, and the crops, both definite and prospective. PROJPLAN needs to also define the constraints which will apply to the run, and include the proper variables in each. The quick entry of codes selecting the optional constraints is done interactively, as may be the entry of inflow and configuration data; however, files are used to enter more involved and permanent data.

### 6.2.1 District and Crop Data

The file B:Crops, which must be read from the B drive at the beginning of the data preparation program, is a lengthy file. It contains the crop and district details and any production minimum limits. First the number of crops and districts appearing in the file is given, and the constants for any desired restriction on interseasonal land utilization limits. Any minimum production limit and the growing season code are entered at the beginning of the crop information with the crop name. The information of the definite and prospective crops is entered by crop, by season and by district. The price for a crop may change from one season to
another; labour costs may vary from one district to another: the water use may differ for crops in the same district. For every planted and prospective crop, the per hectare price, yield, labour and fertilizer costs, and water use plus the limits on the land are entered on a line for every season and district. The seasonal water use includes the transportation losses incurred by transferring the water from the delivery node to the planted crop. The maximum suitable and any stipulated minimum amount of land for a crop or crop variety in a district is also given by crop, by season, and by district. Varieties of a crop within a district may be entered as separate crops when there are significant differences in the yield, costs, water uses, etc.

Note that if the maximum and minimum limits are identical, the crop is definitely planted, whether a perennial or user-selected crop or a crop in progress. For a crop, such as sugar cane, which grows for more than one or two monsoon seasons, a long-growing season code is assigned which applies in all districts. PROJPLAN is then restricted to a cropping pattern which allocates the same number of hectares to the crop in all subsequent seasons. The Crops file also lists the district information, the size of water delivery by district. The array used to combine certain crops to meet minimum production constraints appears at the end of the crops file.

The seasonal information in the file may be advanced one season forward by the data preparation file. Corrections or changes may also be performed and the new file saved, if desired, under an existing alternate file name. New districts or prospective crops may be added and others deleted with the interactive program, but for complete entry of the crop and district data, a text editor would be more efficient. The arrays for the combination of crop varieties, however, would be difficult to code by hand while quickly entered with the program once the crop and district data are correct.

### 6.2.2 Reservoir Network

The model requires minimum and maximum reservoir levels, and a listing of the reservoirs and tanks and how they are connected to the streams, diversions, and irrigation districts. The seasonal capacities and losses of the diversion canals are also entered. If a significant amount of return flows from irrigation in one district is later available to the system, the user may store the percentage of flow and the list of nodes whose irrigation diversion is expected to contribute later in the season. The file will also store minimum or maximum flow restrictions, where required. The information on the reservoir and irrigation network is easily entered directly to the PROJPLAN program by answering a series of questions as prompted. The information
may then be saved for the next time under a previously existing diskette file name.

### 6.2.3 Crop Water Demands and Inflow Forecasts

The seasonal or sub-seasonal crop water requirements and inflow forecasts may be entered interactively or by reading two prepared files. Both files must agree on the number of sub-seasons in each season with the numbers entered at the beginning of the data preparation program. When there are no sub-seasons identified, the seasonal water use per hectare given in the crops file will be used and the sub-seasonal data is unnecessary. The crop water requirement file lists by crop, by district, and then by sub-season the amount of irrigation water required per hectare by the crop. This amount should include the seepage and evaporation losses incurred in delivering the water to the fields where the crop would be planted. The crop water requirements file may be advanced one season by the program at the request of the user.

The forecast inflows may be entered from a file which has the same format for either seasonal or sub-seasonal entry. The node name is listed as a check, subsequently listed are the predicted inflows for that node. The inflows may be negative if expected losses are greater than the expected local inflows for the duration of the time step. The inflows may not be advanced by the program because one monsoon later,
new predictions are likely to be better and to differ from those previous.

### 6.2.4 The Variation File

The last PROJPLAN file is optional. The data preparation program does calculate the canal capacities and downstream flow restrictions from the number of days in a sub-season to find the maximum or minimum volume permitted. However, the user may wish to vary some limits. To avoid correcting the limits interactively a second time, the user may store any seasonal variations to the canal or reservoir capacities, diversion canal losses, the percent of irrigation flows returning in the same time step, and the restrictions on downstream flow in a pre-existing user-named file. The file may be advanced one monsoon season. The number of sub-seasons must agree with the number entered at the beginning of the data preparation program.

### 6.3 THE PREPARATION OF A PROJOP RUN

PROJOP maximizes the amount of electricity which may be generated in the rest of the monsoon season considering the irrigation requirement of already planted crops, the water supply forecast for the current season and the level of immediate irrigation necessary for the planned cropping
pattern of the next season. Each updating run has less time steps as the end of the growing season approaches.

The formulation uses the same flow and storage variables as PROJPLAN, replacing the downstream release variable of PROJPLAN with both a variable for water that is released through the turbines to generate electricity and one for the water that is released downstream, surplus to electrical demands at the power plant nodes. The power plants which divert turbine flows to another stream, such as PolgollaUkuwela, are identified interactively so that their turbine flow variable is included in the proper water balance equation. The formulation does not have a variable for the number of hectares cropped; the crop water demand for each time step is as constant for the run. There is another set of variables for the estimations of the energy produced at a power plant in one time step. As well, the mixed linearization procedures induce integer and other variables into the formulation. PROJOP must also define the constraints which will apply to the run, and include the proper variables in each.

The quick entry of codes selecting the optional constraints, of the price for electricity, of the current reservoir levels and of the target storage volumes for the end of the season, is done interactively, after the entry and updating of the file data. Data files are used to enter the
more involved and permanent data. After the entry, review and any necessary updating of the more permanent data, the user may vary some of the flow or reservoir capacities, loss or estimation constants according to the time step using the interactive program. These variations would reflect flood constraints or repairs to the various facilities which do not last the duration of a season. To minimize the entry time of these variations, the user should enter the constants which are in effect for the longest number of time steps in the permanent files correcting the others with the interactive program. The user-friendly interactive program for the operating step of the model, calling on previously prepared files when possible, easily prepares the SAS.OR date file for weekly trials of probable scenarios.

### 6.3.1 Calculation Interval

At the beginning of a growing season, the local inflow for each time step for every location has to be forecast for the entire season. The time steps later in the season, when future conditions are less certain, need not account for the transfer of water in as much detail and are a month long. The first few weeks of every PROJOP run has time steps of a quarter month until there are an integer number of months left in the growing season. Tables 6.3 and 6.4 list the total number of time steps, the number of monthly and the number of
quarter monthly time steps PROJOP requires for the first date of every time step in the year.

TABLE 6.3
Tabulation of the calculation interval of PROJOP;
MAHA SEASON

| DATE | QUARTER | QUARTER | NO. OF | PROJOP | QUANTITIES |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | MONTH IN | MONTHS LEFT | TIME | QUARTER | MONIH | LLY HALF |
|  | SEASON | IN SEASON | STEPS | MONTHLY |  | MONTH |
| 1/10 | 1 | 26 | 13 | 8 | 4 | 1 |
| 9/10 | 2 | 25 | 12 | 7 | 4 | 1 |
| 17/10 | 3 | 24 | 11 | 6 | 4 | 1 |
| 25/10 | 4 | 23 | 10 | 5 | 4 | 1 |
| 1/11 | 5 | 22 | 12 | 8 | 3 | 1 |
| 9/11 | 6 | 21 | 11 | 7 | 3 | 1 |
| 17/11 | 7 | 20 | 10 | 6 | 3 | 1 |
| 25/11 | 8 | 19 | 9 | 5 | 3 | 1 |
| 1/12 | 9 | 18 | 11 | 8 | 2 | 1 |
| 9/12 | 10 | 17 | 10 | 7 | 2 | 1 |
| 17/12 | 11 | 16 | 9 | 6 | 2 | 1 |
| 25/12 | 12 | 15 | 8 | 5 | 2 | 1 |
| 1/1 | 13 | 14 | 10 | 8 | 1 | 1 |
| 9/1 | 14 | 13 | 9 | 7 | 1 | 1 |
| 17/1 | 15 | 12 | 8 | 6 | 1 | 1 |
| 25/1 | 16 | 11 | 7 | 5 | 1 | 1 |
| 1/2 | 17 | 10 | 9 | 8 | 0 | 1 |
| 8/2 | 18 | 9 | 8 | 7 | 0 | 1 |
| 15/2 | 19 | 8 | 7 | 6 | 0 | 1 |
| 22/2 | 20 | 7 | 6 | 5 | 0 | 1 |
| 1/3 | 21 | 6 | 6 | 6 | 0 | 0 |
| 9/3 | 22 | 5 | 5 | 5 | 0 | 0 |
| 17/3 | 23 | 4 | 4 | 4 | 0 | 0 |
| 25/3 | 24 | 3 | 3 | 3 | 0 | 0 |
| 1/4 | 25 | 2 | 2 | 2 | 0 | 0 |
| 8/4 | 26 | 1 | 1 | 1 | 0 | 0 |

TABLE 6.4
Tabulation of the calculation interval of PROJOP;
YALE SEASON

|  | QUARTER | QUARTER | NO. OF | PROJOP | QUANTITIES |
| :--- | :---: | :---: | :---: | :---: | ---: |
| DATE | MONTH IN | MONTHS LEFT | TIME | QUARTER | MONTHLY HALF |
|  | SEASON | IN SEASON | STEPS | MONTHLY | MONTH |



Notice that as the season progresses, one time step covering a month, becomes four quarter month time steps, once the forecast range for that date comes within two months. This causes the total number of time steps in the run, listed in the fourth column, to momentarily increase. The Mana season has a half month time step to cover the first two weeks of April until that period may be forecast confidently as quarter month time steps.

Multivariate time-lagged regression models, developed from historic monthly and quarter monthly streamflows, may be used to assist in the prediction of inflows. The number of
time steps for which flows need to be predicted are at most the next eight quarter months and the four and a half subsequent months to the end of the Maha season. Any date falls in the same quarter month or month time step every year.
6.3.2 The Configuration File

This file is similar to the PROJPLAN file for the reservoir network, with significant differences. There is a vector for the nodes with power plants and the reservoir, canal, and irrigation return flow data are found on separate files. A different file must be used for each program. The information on this file is relatively permanent, while nodes may be added or deleted, or flow patterns changed, they will remain the same for the rest of the season modeled in the run. The file lists four character codes which match the power plant, reservoir, irrigation and inflow data to the correct node when the respective files are read. This checks that data for one node will not be mis-assigned to another after
insertion or deletion of nodes or re-arrangement of the files. The manual explains the file line by line and item by item. The user may create, amend or augment the network interactively, storing the data on the same file or under a different OLD file name.

### 6.3.3 The Power, Reservoir and Canal Files

Three files contain the information of a permanent nature that is too lengthy to include in the configuration file. The information in these files must follow the order in which the nodes are numbered. The power plant file contains the minimum and maximum releases, in $\mathrm{Mm}^{3}$, that are allowed through the turbines of each plant. The three constants necessary for estimating the energy produced are given in this file. The program may be used to calculate the average head constant, used for the energy estimation at every power plant from a head and turbine efficiency supplied interactively. These constants may then be stored in the file for subsequent use. Minus one $(-1.0)$ is used to indicate that a power plant does not have significant variations in the head to warrant using the correcting factor, nor the reference storage, in the formulation for that node. The reservoir file contains the minimum and maximum storage volumes in $\mathrm{Mm}^{3}$, the monthly reservoir loss coefficients and the constants for estimating the surface area from the reservoir storage volumes. The
canal file lists any minimum diversion flows and inter-basin diversion canal losses as a percent of flow. These files may be created interactively with the PROJOP preparation program; however, when many numbers are to be entered, the user would likely find using a text editor quicker, once the format of the file was known. A few numbers are quickly updated with the program.

### 6.3.4 The Irrigation Losses and Demand Files

The penalty cost functions associated with irrigation deficits and the times for which the functions apply throughout the growing season are likely to be permanent data for any given growing season. The irrigation demands of the crops planted in the current season, per district and per quarter month, are continually updated as future evaporation, precipitation and percolation estimates warrant. The two sets of data may be combined in one file. Because the estimates of the water demand, which include transportation and field losses, may be calculated by a separate program, the user may alternatively decide to keep a file with only the crop economic losses and another with only the current estimated crop water requirements for the entire growing season. The interactive program will even combine or split these files according to the directives of the user. While the program only uses the data for the time steps which are left, it will read data for an entire growing season. This allows for the
use of same data file for two or three consecutive quarter months, since blanks or numbers are included for the beginning time steps of a season even when the season is nearly over. The user may update or amend the information using the PROJOP data preparation program, especially the economic loss data, but complete full season data entry using the interactive program is not advised.

### 6.3.5 The Variations File

After the user has varied any of the seasonal constants to reflect weekly operating conditions or the difference in the correcting factor of the energy estimation function due to the longer duration of monthly time steps, the variations may be saved in a user-named file. In a subsequent run, this file may be read and the variations used as is, if the run is for the same quarter month, or they may be advanced one time step before continuing. When it is the first time step of a month, the program does not advance the data, the variations must be re-entered interactively. When a consistent formula is derived for decomposing all the monthly coefficients into quarter monthly, the user may re-write this subroutine to enable continuous use of this option. This file is most easily generated and corrected using the interactive preparation program.

### 6.3.6 The Inflow File

The inflow file contains the forecast local inflows for the remaining time steps in the monsoon season for the specified inflow nodes in the order that they are numbered in the configuration. The predicted inflows are updated every time step as the season progresses, enabling the operating tier of the model to respond to anticipated hydrological conditions as best as possible. The number of time steps left in the growing season, the number of quarter months, and the mnemonic code name assigned in the configuration, are used to ensure that the proper inflows are read for that evaluation. The inflow forecasts may be verified and corrected by the data file preparation program before the SAS.OR data file is written; however, the program does not save the inflow file, it is meant to be used only once.

### 6.3.7 The Irrigation Return Flow File

This file is not necessary when return flows are insignificant or to be ignored. The return flow file consists of a list of nodes which receive a known percentage of the irrigation diversion of other nodes with a lag period measured in quarter months. When the user includes the return flow option, the data preparation program will ask for the volume of irrigation water diverted in previous time steps according to the lag time duration. From these quantities the program calculates the amount of flow to add to the inflows of the
first few time steps. The percentages which return in a given quarter month may vary with the time of year, however the lag time is constant throughout the season. The file may be created using the data file preparation program, reviewed or amended, and saved for a later time.

### 6.4 THE DATAFILES FOR THE SAS.OR LP PROCEDURE

The linear programming formulations of the current model contain many sparse constraints. Many of the constraints are specific to one node and one time step, therefore, only the variables of that node or time step have non-zero coefficients. Other variables for far away nodes or distant time steps do not enter in the constraint. Instead of entering blanks for every zero coefficient, which might take many lines, the sparsedata option of the SAS.OR LP procedure allows for the entry by variables after the identification of all the constraints, whether equals, greater than, less than, etc. The variables are listed, giving the constraints in which they are non-zero and the coefficient that occurs. When there are constant known terms in a constraint, these are summed and located to the right hand side of the constraint. These non-zero values are listed as though they were coefficients to a variable named _RHS_ in the constraint.

Upper and lower bounds and the identification of integer variables are treated as though they were constraints with the bound being the coefficient. The LP procedure sparsedata option does not require the data file to be in any order. The manual in the appendices describes the SAS.OR files in more detail and describes how they may be combined. Figure 6.1 shows an abbreviated data file which has the many repetitive lines for each node removed, to show the typical form of PLAN.DAT. These files are created by the data preparation program according to the options selected for the formulation and the figures given for the coefficients. Figure 6.2 shows the typical form of RELEASE.DAT.

These files are created by the data preparation programs according to the options selected for the formulations and the values given for the constant parameters. The user is advised to check that no output fields are too small, resulting in asterisks, nor that any line continues past column 72. When the data file lists the problem to the user's satisfaction the file may be transferred to the mainframe for solution.

```
    INCLUDE SOUMET'A.OS
/U400S JOB (XXXXXX, XXXXXX),'FAVERI',MSGLEVEL=(1,1),
```



```
*JOBPARM L=5
*ROUTE PRINT MUSIC
/STEP EXEC PROC=SAS,OPTIONS='LS=80'
/SAS.SYSPRINT DD SYSOUT=A
/SYSIN DD *
    DATA PLANDATA;
    INPUT TYPE $ COL_ $ % COEF1_._ROW2_ $ _COEF2_ _ROW3_ $__COEF3_;
    CARDS; CNT1S13 1 CNT1S21 -1 UPPER 180.000
    . S3Sl1 LOWER 34.000
    FS5S3 CNT5S33 1
    QR6S31 
    QR6S31 
    . Q1S12 CNT1S12 1
    . Q1S12 CNT1S12 1
        Q17S13 CNT17S13 1
        QD10S13 CNT10S13 1
        QDl3S31 CNT13S31
    LE
    LE - LANDIOSI 
    GE . CCROPISI
GE
        LOWER
        CNT7S11
        WAT1BS32
        UPPER
        LG15K10 . LG25K10
        OBJ B8.66 LAND1S2 & I URPER 7000.00
    WAT7S21 0.005670
                            WAT7S21 0.005670
                            2.06
        CCROP1S2
                            OBJ
                            LG25K4
                            WAT13S31 0.002440
                            WAT13S33 0.010980
                            MNCRP5S3 53.90
\begin{tabular}{llcl} 
CNT1S21 & -1 & UPPER & 180.000 \\
UPPER & & 16.600 & LOWER \\
WAT6S31 & -1 & 0.000 \\
WAT12S32 & -1 & UPPER & 49.283 \\
CNT2S12 & -1 & UPPER & 36.806 \\
CNT7S21 & -1 & \(\cdot\) & \(\cdot\) \\
CNT7S13 & -1 & \(\cdot\) & \(\cdot\) \\
CNT13S13 & -0.9500 & UPPER & 499.392 \\
CNT14S31 & -0.9750 & UPPER & 91.066
\end{tabular}
```



```
    EQ - 
    UPPERBD
    LE 
    MAX I2JIKi OBJ
        I2JlK1
        I2JIK1
        I 2J1K1
        I 3J5K4
                                176.20
        I 3J5K4
                                -0.9750 UPPER
            CNTl3S31
            LAND10S2 . LANDIOS3
        FSisi CNTISI3 1
    QR6S31 
    . Q1S12 CNT1S12 1
            . . LANDIOS3 .
            -
            . - - - 
                                    -
                                    000
            UPPER - 16.600 L
```



```
            \square
                            N
```

```
INCLUDE SOUMET.A.OS
/U400S JOB (XXXXXX, XXXXXXX),'FAVERI',MSGLEVEL=(1,1),
    MSGCLASS=A,CLASS=2,TIME=2,REGION=2000K
*JOBPARM L=5
*ROUTE PRINT MUSIC
/STEP EXEC PROC=SAS,OPTIONS='LS=80'
/SAS.SYSPRINT DD SYSOUT=A
/SYSIN DD *
DATA RELEASE;
INPUT TYPE $ COL $
                                ROW1. $ _COEF1 ROW2 $ _COEF2__ROW3_ $ _COEF3_
CARDS:
MAX . OBJ
INTEGER . INT
LOWERBD . LOW
UPPERBD - UPB
. STI3N1 CNT13NI 1.001 UPB 180.0 LOW 22.2 OBJ 0.00
    . STINI CNTINI 1.000 CNT2N1 -1 UPB 180.0 LOW 22.2
```



```
                EPION4 0.354 EPI1N4 0.354 EPI2N4 0.354
EQ . EP8N5 . EP9N5 . EPION5 . EP11N5 . EP12N5 . EP13N5
    ENG3N9 OBJ 10.00 EP3N9 -1
    . ST4N9 EP4N9 0.001282 EP5N9 0.001282
                UPB 352.1 LOW 11.9 EP12N19 0.4490
    - QTBI3N19 CNTI3N19 1 CNTl3N20 -1
                UPB 176.0 LOW 5.9 EP13N19 0.4490 . .
    - QTBIN2O CNT1N2O I CNTIN21 -1
    . QDF7N6 IRR7N6 I OBJ -250.000
    QRBN6 IRR8N6 1 CNT8N6 1
    - QDFBN6 IRR8N6 1 OBJ -222.222
EQ - IRRIN6 - - iRRION6 i.7\dot{53}
    RHS_ IRRI3N6 0.626
    - QS4N1 CNT4NI 1 CNT4N2 -1
                            . . . . . .
    - QS5N1 CNT5N1 1 CNT5N2 -l
    QD5N6 CNT5N6 i CNT5Ni7 -1.000 UPB 42.2
    . Q2D8N14 CNT8N14 l CNT8N15 -1.000 UPB 22.4
    .Q2D9N14 CNT9N14 l CNT9N15 -1.000 UPB 89.6
EQ . CNT8N17. CNT9N17 . CNTION17 . CNT11N17 . CNT12N17. CNT13N17
EQ [ CNT1N20 CNT7N23 - 2.150
                        CNTION23 2.600 CNT11N23 2.40 CNT12N23 2.600
;
PROC LP SPARSEDATA TIME=1920 IMAXIT=5000 MAXITl=500 MAXIT2=500;
/*
```

Figure 6.2: A typical RELEASE.DAT data file

### 6.5 SOLUTIONS FROM SAS.OR

The solution takes less than one minute of CPU time, under 1000 iterations to find the first feasible solution, less under wet conditions, and under 500 iterations to the optimal feasible solution, producing output similar to that of Figures 6.3 when no mixed integer linearization is involved. That procedure, because of the branch and bound algorithm used to check the non-integer solutions, increases computer time immensely and produces a log of the integer search procedure in the output.

Following the integer solution log, the print-out, as shown in Figure 6.4, continues listing all the variables in alphabetical order. The actual solution values of the variables appear in the sixth column under the heading ACTIVITY. The last column indicates the sensitivity of the solution for the variable to the coefficients and prices given in the problem. Following the list of variables is a list of the constraints in the program, showing how well the solution was able to meet or surpass the right hand side constants for that constraint. More information on the print-out formats may be found in the appendices and in a SAS.OR manual.

Occasionally the problem as given will be infeasible, no combination of non-negative values could be applied to the variables to satisfy the constraints. The last pages of the
met and the values used for its variables. From there, the user may decide why the problem is infeasible: incorrect information in the data file, too stringent bounds, not enough water.

The following chapter describes the application of the two-part model to the Mahaweli Project in Sri Lanka and how any infeasible problems encountered were remedied.


Figure 6.3: The SAS.OR solution summary

VARIABLE SUMMARY

| VARIABLE |  |  |  |  | REDUCED |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| COL | NAME | STATUS | TYPE | PRICE | ACTIVITY | $\cos \mathrm{T}^{\circ}$ |
| 1 | FSisl | ALTER | UPLOWBD | 0 | 22.200000 | 0 |
| 2 | FS1S2 | AI,TER | UPLOWED | 0 | 22.200000 | 0 |
| 4 | FS12S1 | BASIC | UPLOWBD | 0 | 70.904869 | 0 |
| 19 | FSI8SI | HASIC | UPPERBD | 0 | 120.563 | 0 |
| 20 | FS18S2 | BASIC | UPPERED | 0 | 237.430 | 0 |
| 21 | FS18S3 | AL.TER | UPPERBD | 0 | 478.000 | 0 |
| 46 | I1J1K6 |  | UPPERBD | 79.66 | 0 | $-3.263833$ |
| 84 | 11J5K4 |  | UPPERED | 176.2 | 9900.000 | 77.727703 |
| 151 | 12, 6 K 10 |  | UPPERBD | 77.53 | 15800.000 | 24.988000 |
| 153 | I 2 J 6 K 3 | BASIC | UPPERBD | 79.65 | 5452.000 | 0 |
| 154 | I 2 J 6 K 4 |  | UPPERBD | 76.9 | 0 | -12.751196 |
| 171 | I 3J 2 K 10 | BASIC | UPPERBD | 84.29 | 5625.000 | 0 |
| 172 | 13J2K2 |  | UPPERBD | 93.01 | 0 | -16.36667 |
| 229 | QD11S12 | BASIC | UPPERBD | 0 | 21.669173 | 0 |
| 235 | QD11S33 | ALTER | UPPERED | 0 | 166.000 | 0 |
| 236 | QD13S11 | BASIC | UPPERBD | 0 | 73.950000 | 0 |
| 260 | QD2S11 |  | UPPERED | 0 | 152.700 | 4409.091 |
| 261 | QD2S12 | BASIC | UPPERBD | 0 | 134.180 | 0 |
| 270 | QD6S13 | BASIC | UPPERBD | 0 | 357.860 | 0 |
| 271 | QD6S21 | BASIC | UPPERBD | 0 | 63.750000 | 0 |
| 281 | QR10S31 | BASIC | UPPERBD | 0 | 11.550000 | 0 |
| 282 | QRIOS32 | BASIC | UPPERBD | 0 | 26.120000 | 0 |
| 328 | QR18S22 | BASIC | UPPERBD | 0 | 142.636 | 0 |
| 329 | QR18S31 | BASIC | UPPERBD | 0 | 38.900000 | 0 |
| 379 | Q11533 | BASIC | NON-NEG | 0 | 590.280 | 0 |
| 380 | 013511 |  | NON-NEG | 0 | 0 | -464.148 |
| 491 | S15S11 | BASIC | UPLOWBD | 0 | 45.646344 | 0 |
| 492 | S15S12 | BASIC | UPLOWBD | 0 | 38.706344 | 0 |
| 547 | LAND10S1 |  | SLACK | 0 | 0 | -8.894545 |
| 548 | LAND1052 | BASIC | SLACK | 0 | 3213.333 | 0 |

CONSTRAINT SUMMARY

| CONSTRAINT |  |  |  |  |  |  |  | S/S |  | DUAL |
| :--- | :--- | :--- | ---: | ---: | ---: | ---: | :---: | :---: | :---: | :---: |
| RUW | ID | TYPE | COL | RHS | ACTIVITY | ACTIVITY |  |  |  |  |

Figure 6.4: An abbreviated SAS.OR solution print out

## CHAPTER 7 <br> TEST APPLICATIONS OF THE MODEL

Several test applications of the computer programs were conducted. The trials described in this chapter used the set of reservoirs, irrigation districts and power plants as described in Chapter 2. The tests may be grouped into three categories, a year of average streamflows, a dry year, and a year of average streamflows with calibration of the correcting factor for the energy estimations.

### 7.1 PURPOSE

To verify that the programs and models worked as envisioned, a number of trial applications were conducted, even as the models were undergoing development. The description of the test trials in this chapter may serve to illustrate the approach of the models and their solutions. As well, any problems or malfunctions which were discovered have solutions discussed.

Although the models are to be run consecutively with updated flow forecasts and water levels at regular intervals, the test applications were run only once. The planning model, PROJPLAN, was evaluated once at the beginning of a Maha season, to provide target storage levels for the operating
model. The operating model, PROJOP, was tested at the beginning of the Maha season and at the beginning of a Yala. The flow forecasts were based on thirty-two years of reported streamflow given in the Mahaweli Authority - Acres International 1986 Report. In the year and a half of average streamflows, the historical mean monthly flow was used. In the dry year the worst streamflows in a consecutive year and a half, 1955-56, were used.

The anticipated use of the models requires continuous updating to correct for the uncertainty of future flows. The resilience of the cropping patterns and release policies selected by the models to varying flow forecasts is an interesting and important characteristic which should be determined before the models are implemented.

No operating conclusions should be made on the basis of the applications reported here until the user has supplied more realistic, up-to-date economic and technical data for trials of both steps of the model. The applications to the system in Sri Lanka are described here to aid the user in applying the model to actual conditions.

### 7.1.1 The Configuration of the Test Applications

In the process of development of the formulations and of the data preparation programs, numerous tests were conducted using mainly fabricated data and simple five node configurations. By the time the final versions of the two models were
ready, the Mahaweli Authority-Acres International Report [1986], which tables the inflow, crop water demand, reservoir and power plant data used in a 32-year simulation planning model, was available.

Recent tests, described in this chapter, used the data contained in that report, although the linear programming formulations of PROJPLAN and PROJOP are capable of modelling more reservoirs and canals than did the simulation model. Early full-scale tests, using streamflow estimated from yearly volumes at nearby gauge sites distributed weekly, included more nodes than shown on the diagram of Figure 2.2. As the more complete report data was only available for the nodes used in the simulation model, the recent application tests of the models were conducted on a less complex configuration. By using the same configuration of the Mahaweli System the results may be compared between PROJOP and PROJPLAN solutions and the various simulation models used previously. Therefore, the test applications apply to the 22 node system shown in Figure 2.2 which has 10 irrigation districts, 11 power plants, and 15 reservoirs. Two of the reservoirs and five of the power plants are not actually in the Mahaweli Basin but are included so that the electrical production will be maximized jointly. Total energy production figures may be compared directly with reported values.

### 7.1.2 Choice of the Average Water Year

The irrigation and electrical production which resulted from modelling a year and a half of average streamflows may be compared with traditional operations, to evaluate the PROJPLAN and PROJOP models. The mean annual monthly flows and the crop irrigation demands of the $30+$ year period simulated and reported in the Mahaweli Authority - Acres International Report [1986] were used to validate the functioning of the models. The results may be compared to the values reported from the simulation model and formed the basis of comparison for other tests of PROJOP and PROJPLAN with different hydrological inputs.

To accurately compare the electrical production during the average water year, PROJPLAN had a fixed cropping pattern utilizing all the land and consuming the historic mean water demand. It defined the end of season reservoir targets for PROJOP, which then distributed the mean monthly inflows to satisfy the irrigation demands and maximize the electrical production. The electrical production and canal diversions estimated by PROJOP were compared to reported mean and historic values to verif the models would determine realistic policies. The operating policies determined by PROJOP did not significantly differ from those implicit in the 1986 report.
7.1.3 Choice of the Dry Year

Lack of water causes planning dilemmas. The critical choices occur when a release policy does not satisfy everyone, the planner must offer justification to the unfortunate of the final choice of allocation. How the PROJPLAN and PROJOP models function under the conditions of scarce water is an important and interesting question. Thus the driest year and a half of record, 1955-56, was also modelled by the two programs. The results were compared to the base year, the average water year.

PROJPLAN was allowed to pick a cropping pattern from a list of possible crops, with fictitious prices and water demands based on available information. The irrigation schedule of crop water demands for PROJOP was based on the cropping pattern selected by PROJPLAN. The end of season reservoir levels of the PROJPLAN model were included as the target storage levels for the one season of the PROJOP model.

### 7.1.4 Calibration of the Correcting Factor

As mentioned in Chapter 5, the function for the production of hydroelectricity is not linear. The PROJOP model uses an approximation with three constants whose values are predetermined. The best value for the correcting factor, in particular, is determined according to the turbine release. A set of PROJOP trials were conducted which varied the value of the correcting factor according to the turbine release of


#### Abstract

a previous solution to investigate the influence of poor estimates on the release policy.

These trials were conducted with the average water year hydrological data. Crop water demands followed the mean annual schedule published in the Mahaweli Authority - Acres International 1986 Report. Firm energy limits were included in the PROJOP model.

\subsection*{7.2 DESCRIPTION OF SYSTEM DATA}

The Mahaweli Authority - Acres International 1986 Report listed the monthly inflows and crop water demands, canal and reservoir capacities. Other information required by the models was obtained from other sources. The system capacities, the inflows and the energy parameters and restrictions are three broad categories where the details of the values used in these test applications are explained.

\subsection*{7.2.1 System Capacities and Losses}

The ten irrigation districts, fifteen reservoirs, and eleven power plants listed in Tables 2.1 to 2.3 were modelled in the test applications. The reservoir losses, elevation storage curves, channel and reservoir capacities and the channel losses remained the same in all the test applications discussed here and were applied exactly as tabled by the Mahaweli Authority and Acres International Report.


The reservoir losses are applied as a percent of the reservoir storage at the end of the time step. The percent is determined from the loss reported in millimetres and the calculation of the surface area for that reservoir storage volume. The coefficient for determining the surface area from the storage volume was estimated from the elevation - storage table of the report. These coefficients are stored on the reservoir file. Note this linear approximation of the evaporation loss entails minor inaccuracies when the surface area is not a linear function of the storage volume.

The reservoir capacities included in all test applications discussed here are listed in Table 2.2 and follow those published in the 1986 report. The minimum reservoir levels were chosen as those associated with the minimum sill elevation, as in the case of the Ulhitiya reservoir which diverts water to Maduru when the elevation of the reservoir is above 100 m . When no minimum operating levels were mentioned, the reservoirs were allowed to empty completely. Reservoirs in the Mahaweli Project were started in the Maha season at their lowest permissible levels, those in the $K-M$ basin, where no irrigation is practised, arbitrarily started and ended full.

The channel capacities used in the applications were based on the flow rates listed in the report. Because the length of the sub-seasons in PROJPLAN vary and operation of
the canals may not be conducted at maximum levels twenty-four hours a day, seven days a week, the actual volume permitted in a time step was actually less. The channel losses listed in the report were used as given, with no seasonal variations made.

### 7.2.2 Inflow and Crop Adjustments

The models do not always use time steps of a month, which was how the data was available. The monthly data on the streamflows and irrigation requirements was divided by four to obtain the quarter monthly values and divided by two for the half month time step of April required by PROJOP. This is unrealistically regular, however no more realistic mechanism was available.

The crop water demands and the streamflows for the seasonal model were also adjusted for the irregular time steps of PROJPLAN. The values for the month of April were divided in two, including the first half in the Maha season and the second half in the Yala.

The time steps for the water allocation in PROJPLAN needed more refinement. According to the data available, the following sub-seasons were identified:

1. the month of October,
2. the month of November,
3. the rest of the Maha season,
4. the last half of April and the month of May,
5. and the last four months of the Yala season. These five sub-seasons isolated the times when the crops required proportionally more water and were the least likely to have the water available.

The Maha season in any one district has only two subseasons. However, the critical time was later in some districts than in others. The different timing resulted in three sub-seasons for calculations.

No irrigation return flows were included in the test applications of the model to the Mahaweli - K-M test data due to lack of informed sources.

### 7.2.3 Energy Parameters and Restrictions

The parameters used to evaluate the energy being produced by the releases at a power plant in a time step are given in Table 7.1.

A benefit of 10 Rs was assigned to every GW-hr of energy produced. The relative value of this benefit to the penalty assigned to irrigation deficits is important; the penalty due to irrigation deficits differed throughout the growing season and for different nodes. The value was typically 200 Rs, ranging from 190 to 250. These magnitudes do not permit irrigation deficits without true shortages of water. The option of assigning a benefit to surplus storage at the end of a PROJOP horizon was not included in these runs.

The annual firm power projected for both the $K-M$ and Mahaweli power plants was summed and the total distributed evenly throughout the year, which caused no problems in the average year. No other restriction was placed on the energy production.

TABLE 7.1
Energy Estimating Constants

| NODE | POWER <br> PLANT | MIDWAY <br> ELEVATION <br> m | HEAD <br> m | $\mathrm{h}_{\text {in }}$ <br> $\mathrm{GW}-\mathrm{hr} / \mathrm{Mm}^{3}$ | $\mathrm{sto}_{\text {in }}$ <br> $\mathrm{Mm}^{3}$ | $\mathrm{c}_{\text {in }} /$ Qo* |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | KOTMALE | 183 | 182.4 | 0.4222 | 85.0 | 0.0005634 |
| 2 | UKUWELA | - | 78.0 | 0.1800 | - | - |
| 3 | VICTORIA | 157 | 157.0 | 0.3625 | 275.0 | 0.0002202 |
| 4 | RANDENIGALA | 218 | 64.0 | 0.1477 | 600.0 | 0.0011800 |
| 5 | RANTEMBE | - | 31.5 | 0.0727 | - | - |
| 9 | BOWATENNE | 52 | 51.2 | 0.1182 | 33.2 | 0.0005130 |
| 19 | CANYON | 195 | 218.2 | 0.4490 | 66.0 | 0.0004228 |
| 20 | NEW LAXAPANA | - | 578.0 | 1.3343 | - | - |
| 21 | POLPITIYA | - | 259.0 | 0.5979 | - | - |
| 22 | WIMALASURENDRA | 219 | 194.5 | 0.5036 | 24.0 | 0.0011248 |
| 23 | OLD LAXAPANA | - | 449.0 | 1.0365 | - | - |

[^0]$C_{\text {in }}$ used in the dry and average year applications was the
Qo for the time step times the value shown in the table.

### 7.3 MEAN MONTHLY FLOW YEAR

The model was tested with the case of an average water year when all the Mahaweli basin reservoirs were empty. The streamflows were derived from the mean monthly flows of the 32-year reconstituted data in the simulation report apportioned to sub-seasonal or quarter monthly values as described above. The mean monthly crop water demands of the same 32 -year period for the "present irrigation practice" case were used. This meant that the PROJPLAN formulation had a completely fixed cropping pattern, one crop was entered which had a price of $100 \mathrm{Rs} /$ hectare, the seasonal water use/hectare as reported, and minimum and maximum land limits equal to the size of each district.

### 7.3.1 Discussion of the Test Application and Solution

The results of the application for average inflow and average crop water requirements show that the operating model was able to find a policy which met the irrigation demands and generated 3684 GW-hr, over one quarter more than the projected annual firm energy of 2711 GW-hr.

A cursory post-optimal analysis of the PROJOP printout was conducted. The reduced cost column across from the irrigation demand deficit variables, QDFin, indicate for which districts and time steps the forecasts of water shortages are
the most crucial. The reduced cost column is a reflection of the penalty costs the user has given to any irrigation demand deficits as well as the capability of the reservoirs and diversions to deliver timely water supplies.

The values in the dual variable column across from the irrigation constraints suggest that the irrigation of the H , $I$, and $M$ district, in particular, reduces the overall generation of electricity. This is a fact of the real-life water allocation problem which was not explicitly entered with the input data. That the model attests this conclusion promotes more confidence in the model's ability to mirror reality.

Nevertheless, operating decisions based on post-optimal analyses of the test application will not be valid because the parameters and weights used in the model have been arbitrarily chosen from limited knowledge of the Mahaweli system. The test applications show that the linear programming models will provide further insights on the functioning of the system.

The reservoir levels selected for the end of the PROJOP time steps by the model have been plotted to compare with rule curves or typical reservoir levels observed at the reservoirs. Note that the first eight time periods are quarter months, the next four are months, the thirteenth is a half month, the next six are again quarter months and the final four periods are months. Figures 7.1 to 7.5 show the storage levels for each
time step plotted for Victoria Reservoir, Randenigala Reservoir, the combined Minneriya-Giritale Reservoir, Ulhitiya Reservoir and Mousakelle Reservoirs. Reservoir levels fluctuate between the minimum and full supply levels in an expected and acceptable fashion.


Figure 7.1 Average water year: reservoir storage Victoria


Figure 7.2 Average water year: reservoir storage Randenigala



Figure 7.3 Average water year: reservoir storage Minneriya and Giritale

sum u! ounfon e60.sols

Figure 7.4 Average water year: reservoir storage Ulhitiya

¿UN u! aunion abosozs

Figure 7.5 Average water year: reservoir storage Mousakelle

Figures 7.6 to 7.8 show the diverted volumes from the Polgolla to Bowatenne Reservoirs, the Minipe Anicut to the Ulhitiya Reservoir, and from the Ulhitiya to Maduru Reservoirs. Neither the reservoir levels nor the diversion releases show any absurd or preposterous release policy. Figure 7.9 shows the total energy produced each time step.

sUAN U! EUMTOA UO!ssenta

Figure 7.6 Avg. water year: div. vol. - Polgolla



Figure 7.7 Average water year: diversion volumes - Minipe

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Figure 7．8 Average water year：diversion volumes－Ulhitiya


ли-MS U! Pełסлales K6aөuヨ

Figure 7.9 Energy production in the average water year

### 7.3.2 Problems Discovered during the Test Application

During the test applications of an average water year, a few problems arose. Because the cropping pattern is completely fixed, the SAS.OR solution for PROJPLAN produced warnings for each LAND constraint, which said that there was only the one variable. As well adjustments were required to ensure adequate water budgeting, both during the seasons and at the start.

Since the test application of the average water year used the average crop water demands for a completely fixed cropping pattern in PROJPLAN, the SAS.OR Linear Programming procedure warned that every season and every district had a superfluous LAND constraint because only one crop appeared in each. The removal of the LAND constraints from the SAS.OR data file by a text editor suppressed those warnings; although results would have been obtained with the LAND constraints and warnings intact.

More disquieting was that without any crops to select, the PROJPLAN formulation has no way of judging which feasible solution of the remaining water balance equations is better than another. With the surplus water of the average flow year, PROJPLAN suggested maintaining Victoria reservoir at higher than necessary levels at the end of the Yala season. However, the PROJOP run which had this target storage level was unable to fill the reservoir without incurring irrigation
deficits as water for power production was continually released due to the firm energy constraints.

To obtain a reservoir level that was equally feasible but more desirable operationally, a restriction on the minimum releases allowed from Victoria reservoir during each subseason was included in the PROJPLAN run. This solution recommended reservoir levels that were still adequate for the next season, yet were not operationally difficult to achieve. Whenever a completely fixed cropping pattern is entered, or whenever the predicted inflows allow for a cropping pattern which generates the most revenue possible (i.e. the available water is not limiting the solution) the user may find that PROJPLAN selects undesirable reservoir levels which are feasible within the sub-season time steps of that formulation but non-achievable with the additional goals and shorter time steps of the operating tier. Some adjustments to PROJPLAN, similar to the minimum reservoir release mentioned above, may thus be required.

Secondly, the first tests of this application were infeasible because the level of cropping in district $B$ was too high to be immediately serviced by the Maduru reservoir when it was empty. To maintain the cultivation at the average level for this district, the Maduru reservoir started the Maha season with $100 \mathrm{Mm}^{3}$ of storage.

Furthermore, early solutions were designated infeasible, without the usual page for the guilty constraint. Instead, only a storage value for the Mousakelle reservoir, slightly above full supply level, was starred and marked as infeasible. The solution kept this high reservoir level in the solution to attain the full supply level in the reservoir at the end of the season. Thus, to keep this reservoir from filling higher than capacity, it was allowed to finish one season at $5 \mathrm{Mm}^{3}$ less than full.

### 7.4 DRY YEAR APPLICATION

The model was also tested with the case of a very dry inflow year: the water year $1955-56$ with all the reservoirs empty at the start of the season. The streamflows used were derived from the reconstituted data in the simulation report as described above. To fully test its formulation, PROJPLAN selected the cropping pattern.

The final storages of the PROJPLAN seasonal allocation were supplied as target values to the PROJOP runs. The crop water demands were distributed through the year according to percentages mentioned below and the seasonal volumes used for PROJPLAN for the selected crops. The turbine data was the same as in the average year application.

### 7.4.1 Definition of PROJPLAN Input Data

Since no better crop statistical data was available, fictitious data was prepared. Table 7.2 shows the typical seasonal data used for each of the six fictitious prospective crops.

The data was permuted around these values for each district and each season in a random manner. The sub-seasonal crop water demands/hectare were proportioned according to the recorded present case monthly water use for the first three crops. The seasonal water demands of Crop 4 and Crop 6 were split $30 \%-30 \%-40 \%$ in the Maha seasons and $60 \%-40 \%$ in the Yala.

TABLE 7.2
Typical seasonal data used for crop selection

| DISTRICT: |  | 10 HIM |  | SEASON: |  | 2 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CROP |  | PRICE | YIELD | COSTS |  | IRR. SUITABLE |  |
|  |  |  |  | LABOUR | FERT. | DEMAND | LAND |
|  |  | Rs/ha |  | Rs/ha | Rs/ha | $1000 \mathrm{~m} 3 / \mathrm{h}$ | ha |
| CROP | 1 | 100.00 | 2.25 | 0.00 | 0.00 | 14.98 | 30800 |
| CROP | 2 | 110.00 | 2.47 | 0.00 | 0.00 | 15.98 | 30800 |
| CROP | 3 | 90.00 | 2.24 | 0.00 | 0.00 | 13.98 | 9800 |
| CROP | 4 | 45.00 | 7.50 | 0.00 | 0.00 | 4.98 | 30800 |
| CROP | 5 | 200.00 | 0.00 | 0.00 | 0.00 | 14.98 | 9800 |
| CROP | 6 | 88.00 | 5.90 | 0.00 | 0.00 | 6.98 | 15800 |

The water use of crop 5 was constant all year round and it was designated as a long growing season crop. The production of the first three crops combined had to be above a certain level, and the fifth crop had a production target applicable in the third season when it would be harvested. No restriction was placed on the amount of land uncultivated in a solution.
7.4.2 Results of the Dry Year Application

The results of this application to a dry year, specifically the water year $1955-56$, show that the operating model was able to find a policy which delayed the irrigation deficits to the end of the season where they would be less disastrous and that 2519 GW -hr of hydroelectric energy was generated by the hydroelectric plants that year. This production is nominally less than the projected annual firm energy of 2711 GW-hr.

Post optimal analyses of both the PROJPLAN and PROJOP printouts revealed districts which might benefit from more available cultivable land, which crops were more price sensitive, and less critical reservoirs. However, because the models were not using accurate prices, costs, nor other parameters, the particular conclusions are worthless. When the user supplies up-to-date, accurate information for these
parameters, the parametric analyses of the models will provide valuable planning information.

The overall irrigation deficit was less than $20 \mathrm{Mm}^{3}$ in that dry year, distributed over 5 districts and 8 time steps. The largest deficit in any time step for any district was 12 $\mathrm{Mm}^{3}$. To obtain these low deficits in the operating step, cultivation in district $B$ was severely restricted and partially restricted in districts $C$ and $H, I$, and $M$ by the seasonal planning step.

PROJPLAN selected fictitious crops according to their prices and water demands. Tables 7.3 to 7.5 show the cropping solution for the next three seasons and compare the estimated crop water requirements (CWR) for the cropping pattern selected with those listed per district for 1955-57 tabled in the simulation report for both the "present irrigation practice" and the more efficient irrigation practice, "improved", for which water demands were prepared.

It is significant to note that while the fabricated water consumption values compare favourably with actual practice, a large difference occurs in the three districts where the selected cropping pattern suggested partial cultivation of the available land. In district $B$, less than half the land is planted in irrigated crops in the first Maha season and slightly over a third in the Yala. Cultivation is also reduced in district $C$. Districts $H$, I and $M$ have slightly

TABLE 7.3
The first Maha Cropping Solution

| ```Season 1 DISTRICT Hectares``` | CROP |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 | 2 | 3 | 4 | 5 | 6 | Ha/dist | CWR/dist | 55-56 | Improved |
| 17000 |  | 3078.9 |  |  | 2000.0 | 1921.1 | 7000.0 | 93.7 | 74.1 | 56.8 |
| 239300 |  |  |  |  | 11300.0 | 5916.7 | 17216.7 | 216.2 | 614.6 | 475.4 |
| 322700 |  |  |  |  | 7700.0 | 9981.8 | 17681.8 | 179.6 | 290.1 | 186.5 |
| 411900 |  | 2000.0 |  |  | 9900.0 |  | 11900.0 | 184.7 | 114.5 | 115.4 |
| 54500 |  | 4000.0 |  |  | 500.0 |  | 4500.0 | 63.4 | 43.2 | 31.3 |
| 69300 |  | 9000.0 |  |  | 300.0 |  | 9300.0 | 135.3 | 213.4 | 63.1 |
| 710100 |  | 6004.8 |  |  | 500.0 | 3595.2 | 10100.0 | 119.6 | 97.3 | 100.6 |
| 86100 |  | 5300.0 |  |  | 800.0 |  | 6100.0 | 9.0 | 75.8 | 48.8 |
| 95400 |  | 4700.0 |  |  | 700.0 |  | 5400.0 | 88.7 | 51.5 | 36.1 |
| 1030800 |  | 5625.0 |  |  | 8800.0 | 15375.0 | 30800.0 | 349.3 | 473.4 | 420.8 |
| Total | 0.0 | 39708.7 | 0.0 | 0.0 | 43500.0 | 36789.8 | 119998.5 | 1439.5 | 2047.9 | 1534.8 |
| Yeild | 0.0 | 99395.1 | 0.0 | 0.0 | 2334000.0 | 217060 |  |  |  |  |
| Net Revenue |  | 3511010 |  |  | 7845054 | 2934420 | Crop Reve | nue Total | (Rs) : | 14290484 |

TABLE 7.4
The Yala Season Cropping Solution

| $\begin{gathered} \text { Season } 2 \\ \text { DISTRICT } \\ \text { Hectares } \end{gathered}$ |  |  |  | CROP |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 | 2 | 3 | 4 | 5 | 6 | Ha/dist | CWR/dist | 55-56 | Improved |
| 17000 |  | 3078.9 |  |  | 2000.0 |  | 7000.0 | 92.4 | 116.3 | 99.7 |
| 239300 |  |  |  |  | 11300.0 | 2187.5 | 13487.5 | 202.2 | 616.0 | 522.2 |
| 322700 |  |  |  |  | 7700.0 | 5452.0 | 13152.0 | 163.9 | 411.4 | 334.5 |
| 411900 |  | 2000.0 |  |  | 9900.0 |  | 11900.0 | 165.4 | 160.4 | 130.4 |
| 54500 |  | 4000.0 |  |  | 500.0 |  | 4500.0 | 53.3 | 60.7 | 53.1 |
| 69300 |  | 9000.0 |  |  | 300.0 |  | 9300.0 | 107.2 | 137.0 | 112.2 |
| 710100 |  | 9600.0 |  |  | 500.0 |  | 10100.0 | 113.1 | 132.9 | 116.8 |
| 86100 |  | 5300.0 |  |  | 800.0 |  | 6100.0 | 75.5 | 129.2 | 107.5 |
| 95400 |  | 4700.0 |  |  | 700.0 |  | 5400.0 | 63.9 | 87.9 | 75.4 |
| 1030800 |  |  |  | 1986.7 | 9800.0 | 15800.0 | 27586.7 | 266.9 | 543.0 | 465.8 |
| Total | 0.0 | 37678.9 | 0.0 | 1986.7 | 43500.0 | 23439.5 | 108526.2 | 1303.8 | 2394.8 | 2017.6 |
| Yeild | 0.0 | 95505.0 | 0.0 | 14900.0 | 0.0 | 138293 |  |  |  |  |
| Net Revenue |  | 3728357 |  | 74560 | 7839483 | 1837244 | Crop Rev | enue Total | (Rs) : | 13479644 |

TABLE 7.5
The final Maha Cropping Solution

over 10\% of their land uncultivated in the Yala season.
When real prices and realistic costs are used, the value of the objective function of the PROJPLAN formulation is the net revenue expected from the cropping pattern and the water allocation of the solution for the next three seasons. The revenue may be easily calculated for the second season to evaluate the irrigation benefits of meeting the current storage targets.

Figures 7.10 to 7.14 show the variations in reservoir level determined by the PROJOP model for the dry year hydrology and the crop water demands determined by the


#### Abstract

PROJPLAN cropping pattern. They are compared to the levels determined by the model for the average year application. As expected, reservoir levels are considerably lower in the dryer year. At Victoria, the storage volumes for the final time steps in the dry year are larger than for the mean flow year, likely because PROJPLAN set a higher storage target in the dry year than was arbitrarily set for the mean flow year.

Figures 7.15 to 7.17 show the canal diversions in the dry year compared to the average water year. Diversions in the three canals shown were severely less during the Maha season. Figure 7.18 presents the electrical production calculated from the average head compared to the linear programming estimates of the energy produced.




Figure 7.10 Dry year: reservoir storage - Victoria


Figure 7.11 Dry year: reservoir storage - Randenigala


ELuw $u$ ! ounfon ə60.sOts

Figure 7.12 Dry year: reservoir storage - Minneriya

surk u! aunfon a60.0ts

Figure 7.13 Dry year: reservoir storage - Ulhitiya

swh u! aumjon ebosots

Figure 7.14 Dry year: reservoir storage - Mousakelle



Figure 7.15 Dry year: diversion volumes - Polgolla

£UW U! eunion Uo!ssen!o

Figure 7.16 Dry year: diversion volumes - Minipe

sum u! əun!on vo!ssən!

Figure 7.17 Dry year: diversion volumes - Ulhitiya


14-MO U! pofosevag K6seU3

Figure 7.18 Energy production in the dry year
7.4.3 Problems Discovered in the Dry Year Applications The greatest difficulty was meeting the projected annual firm energy commitment. The trial with the streamflows for an average year had shown that the production of electricity was not evenly distributed through the year, but that more was produced in the Yala season, per month, than in the Maha.

Also, the dry conditions in the Mahaweli basin extended southwest across the divide and Kehelgamu-Maskeliya power plants there had considerable difficulties releasing the 4.5 $\mathrm{M}^{3} /$ quarter month arbitrarily set as a lower turbine limit.

The overall minimum energy limit by time step was relaxed by including new variables to the SAS.OR data file on the mainframe. One variable with a coefficient of plus one for every time step, SHORTi, was included in the POWi constraints.

where:

| SHORT $_{i}=$ | decision variable for the shortfall in |
| ---: | :--- |
|  | target energy (GW-hr) from total energy |
|  | supplied by all power plants in the time |
|  | step $i$ |
| $\operatorname{pmin}_{i} \quad=$ | Target total energy (GW-hr) desired from |
|  | all power plants in the time step $i$ |

These variables represented the shortfall in energy production per time step from the constant annual firm energy target. In the objective function, OBJ, the SHORTi variables appeared with coefficients of minus one hundred. Because of the high penalty they were given in the objective function, the optimal solution reduced the values of the shortfall variables to as little as possible. The penalty was not too high that irrigation deficits were incurred to produce more electricity. This provided a faster way of obtaining a feasible solution than to lower the production targets by trial and error until a feasible solution was found.

The minimization of the production difference between time steps, an option of this formulation, was used as an alternative way to determine a feasible energy target. However, the annual energy produced by the policy which minimized the difference in the overall energy being produced from one time step to another was considerably less than the annual energy produced by unrestricted production during favourable conditions and a high cost for production shortfalls during critical times. With the option of minimizing the production difference, the amount of energy produced during the critical period lowers the production during the more favourable times.

The minimum energy target for each time step was not the only impediment to a feasible solution for the operating
formulation. Although not the driest year on record in the Kehelgamu and Maskeliya River basin, 1955-56 was a dry year. This caused problems with the arbitrarily set operating targets. The power plants on the Maskeliya River were unable to release the minimum turbine release of $4.5 \mathrm{~m} 3 / \mathrm{s}$ early in the season, therefore, that minimum was reduced to $2.0 \mathrm{~m} 3 / \mathrm{s}$ for those particular time steps. The Castlereigh and Mousakelle reservoirs were unable to end the Maha season full, although they started full. Their target storages were reduced.

### 7.5 MODIFICATION OF THE ENERGY COEFFICIENTS

All the values for the annual energy produced by the release policies mentioned above are not the values which were estimated by the linear programming formulation. Instead, they have been calculated by multiplying the release in each time step by the head associated with the average storage volume of the time step, multiplied by a turbine efficiency of $85 \%$, multiplied by a specific weight for water of $9.777 \mathrm{kN} / \mathrm{m} 3$, divided by $3600 \mathrm{~s} / \mathrm{hr}$. As seen in section 5.5.1, the PROJOP model has to linearize the curvilinear function of power generation. Some of its calculations will be on the straight line of Figure 5.1 far from the actual power generation, even
when the slope of the straight line approximation is based on an accurate volume of water released in the time step.

The energy from the power plants with constant head was evaluated in a similar calculation, only the head never varied. The average head of the other power plants in a time step was found by interpolating the reported elevation storage curve and by considering that the rated head occurred at full supply level. These estimates of the energy produced at each power plant in each time step are still not what may actually be produced but are closer estimates than the straight line approximations of the linear programming formulation.

Over an entire monsoon season and for all the power plants, the calculations of the total production by the linear programming formulation are no more than $5 \%$ out. However, for a particular power plant and at a particular time step the difference between the two estimates may be considerable, since the large under-estimations are cancelled out by the large over-estimations in the totals. Also some of the large discrepancies in terms of percentages are due to the inaccurate modelling of the curved lower end of the energy production function. The linear programming calculation of the energy generated at a power plant for a time step may be $0.75 \mathrm{GW}-\mathrm{hr}$ while the more accurate average head estimate is 0.25 GW-hr. The estimates are only 0.5 GW -hr out in absolute
terms, while the percent difference is 300 times. The majority of the energy values per power plant per time step were only $3 \%$ out.

The accuracy of the energy estimated by the linear programming formulation, which was selecting the release policy of the solution based on these estimates, could be improved by better estimates of only three constants:
the average head factor, $h_{\text {in }}$,
the reference storage volume, sto in
or the correcting factor, $\mathrm{c}_{\mathrm{in}}$.
These three values were derived for the test applications from a graph of the head $\mathrm{v} / \mathrm{s}$ storage for the reservoir of each power plant. Figure 7.19 shows how $h_{i n}, s t o_{i n}$, and $c_{i n}$, were derived.

The average head factor, $h_{i n}$, was chosen at the midpoint of the operating range of water elevations. The reference storage volume, $s t o_{i n}$ was chosen at the midpoint elevation. The derivation of the trial values for these constants shows that the magnitude of the correcting factor increases with the turbine release. Prior knowledge of the relative magnitudes of the turbine releases or a few investigative iterative trial runs has to be used to quantify the correcting factor.

The accuracy of the linear programming solution to the value of the correcting factor is more significant in relative


Figure 7.19: Derivation of the Energy Constants terms than in absolute. A reference volume of $100 \mathrm{Mm}^{3}$ per time step gives an adequate estimate for releases from 45 $175 \mathrm{Mm}^{3}$, while a reference volume of $5 \mathrm{Mm}^{3}$ will give very inaccurate estimates when the release is just $20 \mathrm{~mm}^{3}$ /time step, as may be seen on Figure 5.1. Once the calculated release becomes about two or three times greater or lesser than the reference flow, the inaccuracies become high, depending on how far the average storage during the time step is from the reference storage level.

Another major inaccuracy results when the reservoir is low and the value of the correcting factor is high. The straight line estimate shown on Figure 5.1 becomes steeper than the line from a more accurate low correcting factor. When a release is small, the steep line crosses the reference storage at low energy production levels. Therefore, below certain reservoir levels, the estimate of energy produced is negative. As the estimate is a linear programming variable, the solution will not allow negative variables nor a small release when the reservoir is low. Not only does the mismatched value for the correcting factor result in inaccurate estimates of the energy produced, but it also disallows possible favourable release policies. Clearly, too low values for the correcting factor are preferable to too high.

While an inaccurate power coefficient, $h_{\text {in }}$ or representative storage volume, sto in will decrease the accuracy of the linear programming solution, only the effects of changing the reference flow were studied in the application of the model to the Mahaweli and $K-M$ systems. Better estimates and better policies may be possible from changing the other constants or from using a different formula for deriving the value of the correcting factor.

### 7.5.1 Changes to the Correcting Factor

The differences in the energy calculated by PROJOP with the correcting factor at $5 \mathrm{Mm}^{3} /$ quarter month and $100 \mathrm{Mm}^{3} / \mathrm{month}$ and the head-flow estimation factor were as great as $50 \%$ in a few cases for a few time steps. The energy estimates of the average water year were inaccurate when compared to the amount of energy calculated from the average storage volume and release during a time step. Therefore, the $c_{i n}$ of the power plants and time steps listed in Table 7.6 were revised in the RELEASE. DAT file to determine how the changes would improve the energy estimates.

TABLE 7.6
Adjustments to the correcting factors

| POWER | TIME <br> STEP | LAST | TURBINE <br> REIEASE | ENERGY <br> EST | ENERGY | NEW <br> REF |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| PLANT | STEP | REF. QO | RELEASE | EST. | CALC. | REF QO |
| NODE |  | $\mathrm{Mm}^{3}$ | $\mathrm{Mm}^{3}$ | GW-HR | GW-HR | $\mathrm{Mm}^{3}$ |
| 4 | 9 M | 100 | 11.9 | 0.538 | 1.674 | 40 |
| 19 | 10 M | 100 | 11.9 | 8.265 | 5.640 | 20 |
| 9 | 10 M | 100 | 19.7 | 3.702 | 2.545 | 20 |
| 19 | 11 M | 100 | 11.9 | 8.197 | 5.635 | 20 |
| 19 | 12 M | 100 | 11.9 | 8.104 | 5.628 | 20 |
| 19 | 13 M | 50 | 5.9 | 4.064 | 2.793 | 20 |
| 1 | 7 Y | 100 | 12.72 | 7.864 | 5.684 | 20 |
| 3 | 7 Y | 100 | 11.9 | 1.864 | 4.185 | 20 |
| 9 | 7 Y | 100 | 11.9 | 0.799 | 1.335 | 20 |
| 9 | 8 Y | 100 | 11.9 | 1.954 | 1.473 | 20 |
| 9 | 9 Y | 100 | 11.9 | 2.782 | 1.538 | 20 |

The values for $c_{i n} / 2$ multiplying the $S T_{\text {in }}$ and $S T_{(i+1) n}$ were changed in the file. In addition the values for the _RHS_ of the EPiNn, where $c_{i n}$ multiplies sto ${ }_{i n}$, were revised. The data file for the average year was used, and no other values were modified.

### 7.5.2 Results of Adjusted Correcting Factors

These adjustments to the correcting factors according to the turbine releases of a previous run did result in better overall accuracy, a slightly better policy in terms of annual energy production, and curious adjustments to the diversion release policy. Table 7.7 shows the improvement in the energy estimates with the adjusted correcting factors. Figure 7.20 shows the improvements to the estimates by comparing overall energy estimates of the adjusted $c_{\text {in }}$ to the overall energy calculated using an average head for the time step.

Comparisons of the release policy from the PROJOP run with adjusted $c_{i n}$ to that of the test application of the average water year from which the adjustments were made show very little differences in the reservoir levels. A curious difference in the diversion release policy seems to be due to the variation of the correcting factor by time step rather than to the actual magnitude of this constant.

## TABLE 7.7

The adjusted correcting factors

| POWER | TIME | REFERENCE |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| PLANT | STEP | FLOW, QO | RURBINE | ENELEASE | EST. | ENERGY |
| CALC. |  |  |  |  |  |  | | OLD |
| :---: |
| ESTIMATE |

$$
\mathrm{M}=\text { Maha season } \quad \mathrm{Y}=\text { Yala season }
$$



Figure 7.20 Energy production in the average water year with adjusted correcting factors

### 7.5.3 Problems in Calibrating the Correcting Factors

There is still some large discrepancies between the estimates of the energy produced and the energy calculated for a time step at a power plant. Some were of time steps and nodes whose correcting factors had remained unchanged, others were of time steps and nodes where the release policy had now changed to a value further from the reference flow.

In fact, some earlier tests had found a circular adjustment would occur. Subsequent runs would suggest releases near reference flows which had already been used. The iterations would not converge to a single policy with a highly accurate estimate of the energy produced. Instead, nearly identical global policies were being selected. The subsequent solution may have a better annual production and better total accuracy, but still with highly inaccurate estimates at some sites.

Revising the correcting factor at these locations and time steps would result in marginally better policies. Again in the subsequent runs, some sites would have releases differing from the last solution and their correcting factor, resulting in highly inaccurate energy estimates; the value of the release would be the same as a previous trial.

Obviously, the inaccurate assessment of the benefits from the varying release policies by the linear programming formulation is inadequate for PROJOP to find a better optimal
operating policy. The linear programing formulation has its limitations. A simulation model which would accurately estimate the energy production, the irrigation benefits, and evaluate other release policies somewhat the same as the final linear programming solution may be used to adjust the operating policy suggested by PROJOP.

It is up to the user to decide whether the increase in the accuracy of the total energy estimates of the formulation and the changes in the diversion release policy, warrant adjustments to the correcting factor or the other energy constants before investigating the policy with a simulation model.

Overall the PROJPLAN and PROJOP models function as intended. Storage targets are set by the irrigation component, PROJPLAN, and PROJOP is able to realistically model the power production such that the energy produced is a maximum value within the limits set by irrigation demands. The release policies are at a peak of the solution surface as broadly and globally defined by the linear programming data. A simulation model may then more accurately define the quartermonthly release policy.

## CHAPTER 8. <br> DISCUSSIONS

A two-tier model has been developed to assist in the choice of a short-term operating policy for the hydro-electric plants of the Mahaweli Project. The policy allocates water to irrigation as its first priority. To adequately consider the irrigation possibilities, a seasonal planning step determines the cropping pattern which maximizes the net revenue within the storage, delivery and expected hydrological constraints.

The second step identifies the operating policy of the next quarter month which will likely fulfill the irrigation commitments of the rest of the season, allow enough water to be ready for the start of irrigation next season, and will produce electricity as required, not only for the immediate time step, but for the rest of the season. The operating policy of subsequent time steps is revised before actual implementation by updating reservoir levels, inflow forecasts, and when necessary, revising the crop water requirements of the planted crops, or even adjusting the cropping levels of the next season with the concomitant effect of raising or lowering the reservoir storage targets for the end of the season.

Both steps of the model use linear programming formulations. All of the physical components of the project
may be included and the full range of possible policies are considered for selection. Only linear relationships may be used, which in the case of the estimation of the energy produced by a policy, introduces some inaccuracy.

### 8.1 INTELLIGENT APPRAISAL OF THE SOLUTION POLICIES

Sound, experienced engineering judgment must assess every linear programming solution, whether the policy is reasonable and why particular choices were made the way they were. Correctly applied, with constraints and objective functions which reflect real operating restrictions and policy goals, the model will produce reasonable operating policies.

### 8.1.1 PROJPLAN Final Seasonal Reservoir Levels

One case where the objective function of the seasonal planning step of the model is inadequate was mentioned already. When the cropping pattern is fixed, as was used in the case of the average year, the value of the objective function is also fixed. The allocation of water to the reservoirs, diversion canals, and irrigation districts does not enter the function to be maximized. Therefore, the first feasible solution found, out of the many possible, is the solution reported in the computer print-out.

This is not the case when there are a large number of hectares of prospective crops. In this case, as many high revenue earning crops will be planted as the land and production restrictions allow, to the limit of the water delivery system and the expected volumes of water. The SAS.OR solution procedure may try many water allocation policies before the one which generates the most revenue is found.

Because more revenue comes from more revenue producing crops, the least surplus of water will be used to irrigate in the Amban valley districts or in the lower Maduru basin: the water will not be stored unproductive in a reservoir. The applications reported in the last chapter have used a higher cost for the water delivered to the Amban valley districts to discourage the planting of crops high in water use there. More energy may be generated by water used to irrigate the lower Mahaweli basin.

As long as unused water from one feasible solution may be used productively than in another, the formulation should provide suitable seasonal target storages for the operating model. Again, in years when plenty of water is available and it is the land and production constraints which are driving the solution for the cultivation pattern, the feasible water allocation is not unique. Under these saturated conditions, the seasonal target storages are not expected to cause problems to the operating step, due to the abundance of water.

If there are problems, sound engineering judgment should suggest the corrective actions to take.

### 8.1.2 Simulation Tests of PROJOP Policy

A detailed, accurate simulation model should be used to confirm the release policy of PROJOP. The solution to the linear programming formulation for the operating step may suggest policies which are infeasible in real life.

A diversion at Minipe or a reservoir may not be possible hydraulically for the level of the river or reservoir. The turbine releases may not be conducted at the average head and the energy produced in the time step may be less than what the model estimated. The minimum electrical production for that time step may not be met.

Only by testing the solution policy by calculating the actual reservoir and river levels and the actual generation schedule in a simulation model, will the user discover beforehand that some adjustment to the coefficients in the model are necessary for it to advise a feasible policy.

A detailed, accurate simulation model is useful, as well, in selecting the optimal turbine release policy when the linear programming formulation has reached the limit of its accuracy in the estimation of the benefits due to the electrical production of a policy. As mentioned in the previous chapter, adjusting the correcting factor for the
magnitude of the release in the previous trial may result in a series of turbine policies which fluctuate, with little difference in the total energy production estimated.

A simulation model with a better ability to calculate the energy produced by a policy will assist in selecting which policy is actually producing the most electricity while still meeting the irrigation demands. The use of the two models is symbiotic, one finds probable good policies, the other accurately evaluates which is the best.

A detailed, accurate simulation model may also be used to investigate the consequences of executing a policy when the streamflows predicted for the reservoir system differ, either in magnitude or timing or both. The risks of the operation may be assessed and compared with traditional or rule curve operation. This type of test may be done weekly, comparing the consequence of releasing the suggested immediate volumes, or less often, using the anticipated releases as well as the immediate releases.

A simulation model may be expensive to run; the user may try many hydrological sequences with PROJOP, itself. Those sequences where there were differences in the solution policies are the most likely to have high risks if the original policy was executed under those conditions. The risks may then be assessed by the simulation model for those hydrological sequences.

### 8.1.3 Modifying the Formulations of the Model

The model may be improved without any changes to the computer coding of the data preparation programs, simply by inclusion or exclusion of the optional terms in the objective function and constraints, and by adjustment of the coefficients. The programs and the formulation were designed to reflect not only the changing nature of the reservoir configuration but also changing priorities.

The SAS.OR sparsedata format permits quick modifications to the model. Variables or constraints may be entered in any order. New variables or constraints may be listed at the end of the datafile, a previously defined variable may be repeated in a new constraint listed at the end. The user should avoid constraints with only one variable.

Modifications to the PROJPLAN-PROJOP model may add restrictions so that the solution policy will be feasible in the real life conditions of that particular period. Adjustments may be necessary so that the energy estimates are more accurate for a particular critical period. Other modifications may be used so that the feasible reservoir levels in PROJPLAN reflect the operational goals of electrical production on the Mahaweli River or so that the estimated energy production under good conditions is not greater than the transmission capacity. None of these changes should be undertaken lightly.

### 8.1.4 Dangers of Misrepresenting the Situation

Whenever the coefficients are entered for a variable in a constraint, or a particular option is selected over another, or any modifications are included to obtain a quick remedy to an initial infeasible solution, the user should beware. Thoughtful consideration should ensure that the constraints in the model truthfully represent reality and that their calculation will be as accurate as possible, given their linear nature.

The actual physical and operating conditions should define the limits of a diversion in a time step or the capacity of a reservoir. When a quick remedy is sought, one must determine what one variable is irregular and why, and apply a constraint which deals with that particular need. The objectives should reflect the desired goals of each step of the model.

Special care must be taken with the weighted objective function that the values chosen not leave only one feasible policy, pre-determined by the user. Models may be most valuable when they reveal a policy, which would otherwise be completely disregarded and discounted, as being optimal, or when the user discovers new relationships between the system's components which were never evident before.

The linear programming formulations, to be of any value, must be allowed to select, from a full range of possible
policies, the release policy which best satisfies the stated goals of the operation. They must not be unduly restricted to certain policies, nor unduly favour any. The objective function must mirror the stated goals of the operation, and be able to judge each policy on its merits alone.

### 8.2 FURTHER TESTING AND RESEARCH

To date the model has been applied to the simplified configuration of the Mahaweli Authority - Acres International 32-year simulation planning model using the information available in its report. Only static inflow sequences have been tried. Clearly, its performance and versatility have not yet been tested. As the model is used, gains acceptance, and is, perhaps, mis-applied, faults and omissions will come to light.

It is hoped that the engineers of the Mahaweli Authority will take such an opportunity to improve the conception of the formulations of the two steps of the model and not just discard the linear programming model. Before the model may be used in normal operation, further testing is required with accurate information.

### 8.2.1 Energy Constraints

The estimate of the energy produced selects one release policy as being better than another. Obviously, the more accurate the energy estimate by the linear constraint, for the conditions of the particular time step and power plant, the better the policy selection. Only the effects of the correcting factor on the accuracy of the estimate and the variations in the policy have been investigated.

It may well be that different reference storage volumes, shifting the constant for the head for different time steps, or that deriving the correcting factor directly from a plot of observed energy versus storage may produce better, more easily quantifiable constants with more accurate energy estimates. Further tests should confirm or improve the derivation of the values for these constants.

### 8.2.2 Sensitivity to Inflows

The model utilizes continuously revised, deterministic predicted inflows. Predictions, especially of the weather, often prove erroneous. A model which selects the same or nearly the same course of action for a wide variation of predictions provides very safe, sound policies unless the model is overlooking, to some degree, the considerable gains or risks associated with the hydrological conditions of some of those predictions.

None of the recent trials attempted to investigate the response of the model to streamflows differing from those predicted. How conservative are its policies? How easily is the release policy influenced by possible gains from estimated flows higher than eventual streamflows? These questions need to be answered before giving the last word on the model.

The Mahaweli Authority in Sri Lanka may use a simulation model to translate the policies of the model into reservoir levels, irrigation deliveries, electrical production, etc. for different predicted streamflow sequences.

They know the accuracy rate of streamflow predictions, and how extremely the conditions might vary. They have the experience and data to assess whether a multi-variate lag regression model may predict future streamflows based on past already observed flows. They may evaluate how well long-range weather forecasts may revise flows estimated by regression and the reliability of those predictions for generating quarter monthly local inflows for a full season ahead, or for the subseasons of three PROJPLAN seasons.

This type of knowledge is required for an adequate investigation of the effect of misjudging the anticipated hydrology and of the tolerance of the linear programming solution to deviations in the predicted inflows. Due to the familiarity of local conditions required, this research has been left to the user.

### 8.3 CONCLUDING REMARK8

PROJPLAN may be a powerful planning tool for the Mahaweli Authority who may use it to consider three seasons into the future, to determine a beneficial cropping pattern for the current season, and to set reservoir storage targets for the beginning of the next season. As forecasts of available water become more definite, and at the beginning of each new monsoon season, PROJPLAN will be re-run, to revise the current cropping and storage target plans.

While the estimates of water available in the future or crop prices may be inaccurate, it is not advisable to regulate the reservoirs with a myopic vision of only one season. An optimizing model with no consideration for the future is likely to advise immediate total consumption, a policy which may leave the next season dry and totally unproductive. Used judiciously, PROJPLAN may quantify the irrigation returns of water policies and assist in finding the policy which maximizes irrigation returns.

PROJOP may prove a quick and efficient method for determining a weekly base release policy which may be tested and improved by a more accurate simulation model. The linear programming formulation ensures that the solution is obtained from the entire range of possible policies. The linearization of the energy function retains the influence of variable
reservoir levels, minimizes the inaccuracies of the estimation (which may result in a non-optimal solution for the real conditions) and may be quickly and efficiently solved by the computer solution procedure.

Due to its computer speed and ease of application, the formulation and data preparation program may be used to find a series of policies for any number of inflow, operating, and demand conditions. Repetitive updating with current reservoir levels and the latest streamflow and crop water demand forecasts may adapt the operating policy to changing future conditions.

By choosing the appropriate penalty and benefit weights, including the applicable terms and constraints available in PROJOP, and by confirming the solutions with a simulation model, the Mahaweli Authority would be assured that the quarter monthly solutions are the best given the current reservoir levels, the irrigation and electrical demands, the projected inflows and the projected water needs of the next season.

Both steps have easy to follow data preparation programs which write the datafiles of the formulations for solution by the LP procedure of SAS.OR. The expansion of irrigation districts, the construction of new reservoirs and the variations with time of any operating characteristics pose no problems.

Not only are the data preparation programs flexible and easy to use, allowing correction of data, additions and deletions, variations over time and the selection of optional constraints and terms in the objective function, but also the sparsedata format of the solution package allows for the inclusion of new variables in existing constraints and the addition of completely new constraints.

The result is a flexible and computer-efficient model, applicable to a number of situations and goals. After the actual restrictions and goals of an optimal release policy for the year ahead have been identified, quantified, and incorporated into both steps of the model, the user may be satisfied that the results are not only optimal for the formulation used, but also applicable to the operation of the Mahaweli Project for irrigation and hydro-electric purposes in the near future.

A practical, simple-to-use hierarchial computer model has been developed to assist in the selection of a short-term operating policy for irrigation and power reservoirs according to selected objectives, current conditions and forecast hydrology.

## CHAPTER 9.

CONCLUSIONS

The performance objectives of a regulation model for the specific application to the irrigation and hydro-electric reservoir system in Sri Lanka are explained at the end of chapter two. The model was to:

1) recognize the importance of irrigation use over hydro-electric generation,
2) permit the allocation of water to occur at different times of the year,
3) include new power plants, reservoirs, and irrigation districts once they become operational,
4) allow for seasonal and periodic variations in capacities due to flood control restrictions, maintenance schedules or seasonal conditions,
5) be simple to use yet still comprehensive in scope
6) reflect the uncertainty associated with the streamflows in the monsoon climate.

The model has been examined for its attainment of these objectives during its application to the two test years and the previous tests with alternate configurations.

### 9.1 THE DUAL PURPOSES

The reservoir regulation model developed was required to optimize the weekly turbine releases while satisfying crop water requirements for irrigation water. For rice cultivation in the monsoon climate of Sri Lanka, the seasonal irrigation allotment effectively occurs when the crops are planted. This creates a dual decision timeframe in addition to the dual purpose of the reservoir operations.

For social and political reasons, the benefits from irrigation are paramount. The desired model needed to place more priority on the agricultural benefits, and needed to consider the allocation of water for irrigation before the short term benefits of generating more electricity. The twotier structure of PROJPLAN and PROJOP, where the weighted objective function of the operating step is restricted by the target storages and irrigation demands from crops selected by the planning step, ensures that this occurs.

### 9.2 SIMPLE AND FLEXIBLE SOLUTION TECHNIQUES

Many reservoirs, tanks, irrigation districts and power plants comprise the Mahaweli Project. Not all of these may need to be considered as some are not yet constructed nor fully planned and some have fallen into disuse. The varying and large quantity of structural components require optimizing
techniques which are flexible and effective for large systems. The linear programming algorithm regards the entire feasible operating range of a large number of components.

The solution package chosen, the sparsedata option of SAS.OR, permits quick and efficient consideration of numerous varying coefficients. The data preparation programs further assist in the easy application of the model. Due to the high degree of flexibility included, the model is not limited to use by the Mahaweli Authority, but may be used for any reservoir system which has irrigation uses of greater importance than the generation of electrical power.

The linear programming algorithm requires sacrificing some accuracy when estimating the amount of energy produced at a site where the head varies considerably with the storage. Non-optimal solutions may occur when the constants used to linearize the energy function are selected too high and possible policies are disregarded as infeasible due to the estimation error. Iterations may be used in PROJOP to improve the energy estimates, however a detailed simulation model with nonlinearized functions will eventually be necessary to confidently assess the optimal weekly policy.

### 9.3 UNCERTAINTY

The monsoon climate of Sri Lanka is erratic and difficult to predict. The uncertain environment requires continual update and revisions of forecasts, crop water requirements, crop prices, and reservoir levels. The model has been designed to provide an operating policy for the immediate time step while looking ahead into the future. Before the next time step, the model is updated, and another solution found. This adaptive, repetitive technique allows the model to respond to previously unexpected hydrological or operational conditions as rapidly as they become known.

The response of the model to varying hydrological conditions as the season progresses has not been tested. The user may gain more confidence in a final operating policy after testing various streamflow predictions. PROJPLAN and PROJOP may be submitted differing predicted streamflow sequences; a comparison of the resulting solutions may suggest a least risk policy. Alternatively, policies found by the model may be tested with a simulation model under various flow conditions to evaluate the release policy with the most benefits and least risks.

### 9.4 RESULTS OF THE APPLICATIONS TO TEST YEARS

The tests of the model done using perfectly predicted forecasts of a year of monthly average inflows and the year 1955-56, show that the model performs satisfactorily. One third more of the annual firm energy, 2711 GW-hr, was produced by the policy selected and no irrigation deficits occurred during the average year.

During the expected dry year, the worst on record, less land was cropped, little irrigation deficits occurred, and the annual energy produced was 2519 GW-hr. During these and previous tests on different configurations, the model provided the desired planning and operating policies once the proper constants and constraints were included for the modelling conditions.

### 9.5 CONCLUDING APPRAISAL

The two step planning and operating model has fulfilled the objective of comprehensive, flexible, and easy use. It maintains the relative ranking of its dual purposes. With practice in the selection of the energy constants, the user may become adept at identifying those which produce truly optimal policies for the actual and predicted conditions.

The model should be tested under various predicted streamflows and crop requirements with the release policies evaluated by an accurate simulation of the benefits and losses from agricultural and electrical returns. Research into the performance of the model under various hydrological conditions and predictions, accurately quantified by a simulation model, is required. Further research may decide how reliable the adaptive, repetitive technique proves to be in choosing the optimal policy in uncertain climates.

PROJPLAN and PROJOP combined provide the user with a computer tool which determines the most hydro-electricity which may be generated in the week, while satisfying the irrigation demands of currently planted crops and those of future seasons, according to the latest forecasts of water supply and demand.

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## APPENDIX A

## A. 1 THE DATA PREPARATION PROGRAMS PROJPLAN AND PROJOP

The two FORTRAN programs, which have been written to prepare the data files required by SAS.OR for the formulation of PROJPLAN or PROJOP, are explained here. A separate section will explain in detail the format requirements of the files used by the interactive programs to prepare the SAS.OR data files, another section will list possible error messages and what they mean, and the final section explains the format of the SAS.OR data files and their use. A complete listing of the two FORTRAN programs and explanations of every variable term used are included in a second appendix. It is hoped that the user will feel confident to amend or revise the formulations and the FORTRAN programs as necessary.

## A.1.1 How to start

Both personal computer programs are interactive. The user selects actions from menus and responds to prompts to review, update, and write the data as desired. Both have a similar structure and appearance. Every attempt has been made to have the programs user-friendly and self-explanatory, however, a few words of caution should be heeded.

To run the programs, which are compiled into executable files ending with .EXE and are in illegible binary code, the user simply types PROJPLAN or PROJOP at the DOS prompt and strikes the RETURN
to enter in the message. A brief description of the program's function will then appear on the screen, and the user may then follow the programs through, answering every question as it appears on the screen, selecting data files on diskettes, the next desired action, an option in the formulation or directly entering numbers and names.

There is a main menu in each program to which control returns, until the user signifies that all the data has been corrected. After that point, there is no turning back until after the SAS.OR data file has been written on the diskette. At any time the user may depress CTRL-BREAK to end the program and return to DOS, losing any data corrections that were not saved.

The programs also terminate abruptly, with no recourse, if there is no file on the diskette in the specified drive of the correct name, including the extension. PROJPLAN always looks for CROPS in the $B:$ drive at the beginning of a run, PLAN. DAT or RELEASE.DAT are always written to the drive B: at the end of a successful run. At the start of a PROJPLAN or PROJOP run, these files may be empty, but their names, at least, must be on the specified diskette in the $B$ : drive or the run will abruptly terminate.

The other files have user specified names and may be elsewhere than the B: drive. After starting either program, the program diskette may be removed and the drive used for a file diskette. Files may also be placed on the program
diskette if there is sufficient space.
When specifying a file name the user is limited to 10 characters, including the extension and the period, and to save a file the name must also already appear on the diskette. The new file may be empty, but the name must be OLD.

Another abrupt termination will occur if the user has typed in an alphabetical character for the response to a question requiring a number. Even answering a number with $a$ decimal point when an integer number was expected will cause a sudden end to the session.

Other abrupt terminations occur when a file entered has numbers or letters in the wrong place, or there is a problem with a write format not matching the data type of the output. The user should not encounter the latter difficulties until revising the FORTRAN programs.

## A1. 2 Default Actions

To speed the session, the user may take advantage of the built-in default responses to the questions. Some questions do indeed require a user-specified reply, but many more were felt to have a likely response which was set as the default value. For these questions, whenever the user does not respond with the letter requested in the question line, the opposite action occurs. For example, if the question is:

Do you wish to correct the values? Answer $y$ to do so The program will allow for corrections if the user answered

Y or y , but will continue if the user answered anything else or nothing before depressing the RETURN.

Questions requiring number answers, for example the possible responses listed in a menu, also have default actions which occur if the user answers 0 (zero) or nothing before the RETURN. The response listed in a menu for zero is the default action. Often answering a number greater than any listed in a menu will cause the default action to occur.

Other questions requiring number answers may be replied to with nothing entered before the RETURN. A value of zero will be assigned to the quantity requested. This response is useful when the user is asked for the column or line number of an incorrect number when no corrections are desired. The zero column or zero line will be revised and not any in use. Whenever the default value for a null response is not to assign zero, the default value is mentioned in the question.

The entry of an entirely new configuration is the default response to a prompt in each program. The user may therefore arrive in this subroutine unintentionally. Not to panic, the beginning question allows the user to backtrack by replying N . It is advisable that a new user try all the default reactions of each program to discover the consequences and to gain familiarity and ease with the program.

## A1. 3 Correcting Data

The primary purpose of the personal computer programs are
to review the data from the last time, updating and correcting where required. There are a number of tables to display the data found by the user selecting the appropriate item on a menu. Most tables are corrected item by item, whereas some, such as the crop data, may be corrected row by row, a crop at a time, or some by column.

A special table, used more or less the same way in both programs, is the review table of the nodes as listed in the current configuration. Please refer to Fig. Al.l for an example. This table is displayed one node at a time, with the possibility for correction of only the last displayed node. After six nodes are displayed on the screen, the user may request the program to display the nodes from the beginning again.

To correct any of the information shown for that node, the user answers the number at the top of the column with the wrong value. Column one lists the node's name; answering 1

| RANDENI | RANT | ---- | 0.000 |  | 0 | ---- | 0 . | 990. | 303. |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| RANTEMBE | MINI |  | 0.000 |  | 0 |  | 0. | 17. | 0. |  |
| MINIPE | MANN | ULHI | 64.000 |  | 8 | E | 18. | 0. | 0. |  |
| Do you wish to see the nodes again? Answer $Y$ to review the nodes already displayed. $N$ or blank for default action |  |  |  |  |  |  |  |  |  |  |
| If the current line in the table has any incorrect entries, enter the INTEGER above one column which is not correct. Enter 0 or nothing before the RETURN to continue to the next node. <br> Enter 99 if you wish to store what you have updated so far. |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |
| 1. | 2. | 3. | 4 | 5. | 6. | 7. | 8. | 9. | 10. |  |
| THE | DOWN |  | DIVERSION |  | IRRIGATION |  |  | RESERVOIR |  |  |
| NODE S | STREAM | TO: | CAPACITY | FROM | DIS | RICT | CAP. | MAX MCM ${ }_{\text {MIN }}$ |  |  |
|  | NODE |  | m3/s |  | No | NAME | $\mathrm{m} 3 / \mathrm{s}$ |  |  |  |
| MANNAMPITIYA | SEA |  | 0.000 |  |  | A | 10. | 0. | 0. | ? |
| SEA |  |  | 0.000 | - | 0 | - |  | 999. | 0. | ? |
| BOWATENNE | ELAH | ---- | 0.000 | POLG | 10 | HIM | 28. | 60. | 15. | ? |

allows for the correction of spelling errors or the removal of the node from the configuration. Column two lists the downstream node, either one on the same stream or one on another stream. Four dashes imply that the node has no spills. When the user wishes to delete or insert nodes on the same stream, the user replies 2 . One may also revise the downstream node.

Columns three, four and five list the inter-basin diversions, the node to which the flow goes, the capacity in $\mathrm{m}^{3} / \mathrm{s}$, and for the nodes which receive inter-basin transfers, the node whence the water came. Columns six, seven and eight list the details of irrigation diversions. Columns nine and ten list reservoir capacities in PROJPLAN and columns eight, nine and ten list the code names for the reservoir, power plant and inflow files in PROJOP.

Two or more corrections may be made on one line. Changing data in one column sometimes results in changes to the others. Before attempting to correct these apparent mistakes, the user should review the nodes from the beginning to verify there really is an error. Answering 99 to the column error prompt allows the user to save the configuration to the diskette. Answering any other number or nothing results in the default, another line in the table is displayed.

To enter new nodes which are not to be inserted between existing nodes, the user would answer Y to the question at the
bottom of the review table, asking if more nodes need to be entered. To check or revise what one has entered, one uses the correcting procedure of the REVIEW TABLE. Once the configuration of canals, reservoirs, power plants and irrigation districts have been entered and saved in a data file on a diskette, few future changes are expected.

## A1. 4 Specifying the Diversion of Turbined Flows

The procedure for entering the reservoirs and canals was not made specific to the Mahaweli Project although all features of the Sri Lankan river system were incorporated. One of those features, is that the water which has generated electricity at Polgolla does not flow downstream, but is diverted to the Sudu River. Another power plant in the $K-M$ complex also diverts turbine flows, and possibly other power plants to be built will as well.

PROJOP considers this possibility after the entry of the current and target reservoir levels and the prices and options for the generation of electrical power. The power plants which also occur at inter-basin diversions are listed before the data file is written. The user is asked to count how many of the power plants divert the turbine flow. A vector will then be created to list the power plants with those diverting their turbine flow first in the list. PROJOP uses this list to write the SAS.OR data file so that the spills from these nodes go downstream and the turbine flows go to the diversion
node.
When the list of power plants appears on the screen, the user first finds the power plant or plants which divert turbine flow and asks PROJOP to place these first in the list, by replying with the numbers to the left of their node names. The adjusted list of power plants will again appear, if all the diverting power plants are at the beginning, the user may then reply 0 and PROJOP will write the data file.

Before running PROJPLAN, the user should prepare a Crops file on the diskette for the B: drive. Inflows and Crop Water Demands files may also be prepared. The following section describes in detail the three files which are easier to prepare with a text editor program and not with PROJPLAN. A configuration file may be prepared using PROJPLAN and saved for future use, a previously prepared configuration file may be updated. The Variations file saves the current crop data to be used one monsoon season later, it is not an obligatory file.

After the section on PROJPLAN files, the PROJOP files which are most easily prepared by a text editor are described in detail. The Power Plant, Reservoir and Irrigation Loss files are similar. The Inflows and Irrigation Demands files are the last files described.

## A2.1 THE INPUT FILES OF PROJPLAN

There are five input files of PROJPLAN; two are best
prepared by the program. Although Crops is a lengthy file when there are many crops and many districts, the user is advised to prepare it without the inserting routines of PROJPLAN. The following section details the information needed in the file and in which column and in which line it should be placed.

The optional file for storing the net inflows is much shorter, a second section describes the file. The final section explains the file listing the crop water requirements by sub-season in detail.

## A2.2.1 The Crops File

The crop information required by PROJPLAN is stored in a file called CROPS. The first line of the file has a title card, 80 characters of the user's choice. The first four characters may be used to identify the beginning monsoon season. When written in uppercase characters, the program will modify the title after it has advanced the values by one season.

The second line starts with two I5 fields for the number of districts and the number of crop varieties. The three F12.0 fields which end the line contain the penalty cost or the values for the minimization of land differences. The first number is the penalty cost or the maximum limit of differences in idle land between the first two seasons, the second between the last two seasons, and the third between the
first and last season.
The next block of lines are organized by crop. The first line of each block has an A8 field for the crop name starting in column 2. The growing season code (1 for more than one season) is an integer value in column 12. Three F10.0 fields store any minimum production targets required from all the districts, one for each season.

The following data line is repeated for each season three times before being repeated for the next district. The order of the districts follows the numbering given to the configuration and is used consistently throughout this file. F8.O fields are used to store the price, the yield, the cost of labour, fertilizer costs and seasonal crop irrigation water requirements per hectare of crop planted in that district and in that season. The seasonal crop water requirement is entered in $1000 \mathrm{~m}^{3}$. Also in the line, in F8.0 fields, are the limits of suitable land for the crop and any minimum production level expressed as a minimum number of hectares for the district.

The values in these repeated lines may vary according to the season and district, however the format is identical. Blocks of these lines follow for each crop variety to be planted or to be possibly planted.

After the crop specific data has been entered, the district delivery costs are listed, again in F8.0 fields. The water delivery costs of all the districts in the first season
appear before the others. Continuing on the same line (unless there are exactly 10 districts, in which case, on the next line), the delivery costs in the second season are listed, then the third.

An identical format is used for the available land in each district in each season: the values for all the districts for the first season, followed by those of the second and third with no blanks until the last line. The last set of lines store the combinations of crops which are expected to meet a target production level.

Even when no crops are combined, blank lines must appear, two more than three times the number of crop varieties. The user may supply blank lines and follow the interactive routines in PROJPLAN to store the combinations correctly for subsequent runs, or may successfully complete the lines following these requirements:

Three I3 fields in one line list the number of groups of crops which may be combined to meet a production target, one for each season. The next line has F8.0 fields for the target values, in tonnes or whatever unit is consistent with the yield given in the crop blocks. The target values are listed by season, ten per line with no blanks until the end of the third season. Finally, there are lines for every crop variety, comprised of 10 I3 fields.

They form three tables, one for each season, one after the other. The tables have zero values except for crops which
appear in a combination to meet a production target. The integer value is the group number for that season, and will show up in the first non-zero column from the left. When a crop variety is included in more than one group. more than one column will be non-zero, however the integer values will always be different, and increasing from left to right.

The following example file shows the data arranged for two districts and three crops. Column counting lines have been inserted, they should not appear on files for submission to PROJPLAN. The underlines show the blank spaces and would not appear in an actual data file. The second season has nominally less land suitable than the other Maha seasons. Two crops are combined in one group in the first season, two others in the second, and all three in the third. As well, the third season has a second group of two crops which must meet a combined production target. The example file is set up to quickly illustrate the information which belongs in a given field; it may not provide a feasible linear programming problem.


$$
\begin{aligned}
& \begin{array}{l}
\text { - } 421.00-0.87-0.36-0.85-6.6738000 .00-350.00 \\
-421.00-0.87-0.36-0.85-6.6740000 .00-350.00 \\
-421.00-0.87-0.35_{-}^{-}-0.85-6.67 \_4000.00-350.00 \\
-421.00-0.87-0.35_{-}-0.85-6.67-4000.00-350.00 \\
-421.00-0.87--0.3 \sigma_{-}^{-}-0.85-6.67_{-}^{-} 4000.00-350.00
\end{array} \\
& \text {-MILLET-- } 0
\end{aligned}
$$

$$
\begin{aligned}
& \begin{array}{l}
-221.00^{-}-0.61_{-}^{-}-0.67^{-}-1.00^{-}-2.3334000 .00^{-}-0.00 \\
-221.00^{-}-0.61^{-}-0.67-1.00-2.335000 .00^{-}-0.00
\end{array}
\end{aligned}
$$

$$
\begin{aligned}
& \overline{4} 5 \overline{2} 00.00-5 \overline{4} 00.00 \overline{4} 5 \overline{0} 00.00-5 \overline{3} 00.00 \overline{4} 5 \overline{2} 00.00-5 \overline{4} 00.00 \\
& \begin{array}{lllll}
-{ }_{5}^{1} \overline{0} 0 . \overline{1} 0^{2} & 200.00 & 450.00 & 200.00
\end{array}
\end{aligned}
$$

These lines are repeated for every node in the order the nodes are given in the configuration file. The net inflows may equal zero, or be negative, but enough lines should appear for every node.

The following example is for a three node configuration, with one sub-season in the Maha season and two in the Yala; the solution will be starting in the Maha season. The last field is shown one column short to fit the page. The files on the supplied diskettes show eight sub-seasons, the fields for the final two sub-seasons starting in the first column of the next line. The column counting lines do not occur in the file. The underlines show the blank spaces and would not appear in an actual data file.

```
1234567890__ +_ - 2 _ + +_ - 3 _ + +_ + 4_ _ +_ _ 5_ _ +
    2_l_1MAHA Sample Net Inflow File 1\/87
    _sample_FIRST_NODE_ _ _ 89.550_ _ 95.220_ _712.485_ _ _ 84.55
_sample SEA 
1234567890_ _ +_ _ 2_ _ +_ _ 3_ _ +_ _ 4_ _ +_ _ 5_ _ +
```


## A2.2.3 The Crop Water Demand File

The sub-seasonal crop water demands are entered in a user-named file by crop. The first line is similar to that of the net inflow file: three 12 fields for the number of subseasons in each season, an A4 character field for the name of the starting monsoon season in upper case letters, and the remainder of the line character fields for a user supplied
title.
The block of lines which follow give the expected water demands per sub-season from every district for the first crop. The first line of the block is the name of the crop, two spaces followed by an A8 field. The next lines have one blank space, an A4 character field for a district identifier, then fifteen $F 5.0$ real number fields for the sub-seasonal crop water consumption in thousands of cubic metre per hectare, listed in the order they occur. A line for every district is included in the block in the order the districts are listed in the Crops file. The blocks for each crop are in the order that the crops appear in the Crops file.

The sample file shown is for a three crop, two district problem with one sub-season in the Maha season and two in the Yala. The run starts in a Maha season. Every hectare of rice in district $A$ is expected to require $4550 \mathrm{~m}^{3}$ in the second sub-season of the Yala season. The column counting line does not appear in the file. The underlines show the blank spaces and would not appear in an actual data file.


$-\bar{A}-$ RICE
A- $-13.08 .454 .55 \quad 13.0$

- B- - 13.0-7.79_5.21-13.0
_ C_ - 13.0_6.82_6.18_13.0
- _ MAIZE
- $\bar{A} \_\overline{6} .67 \_3.33 \_3.34 \_6.67$
- B_6.67-3.33-3.34_6.67
$-\mathrm{C}^{-} 6.67^{-} 3.33^{-1} 3.34^{-6.67}$
123 $25678 \overline{9} 0_{-}+_{-} \mathbf{2}_{-}+_{-}{ }^{3} Z_{-}+_{-} 4_{-}^{4}+_{-} 5_{-}+$
- $\bar{A}$ _2.33_1.33_1.00_2.33
- B_2.33_1.57_0.76_2.33

```
\
```


## A2.3 INPUT FIELDS OF PROJOP FILES

The input files for PROJOP are smaller and simpler, they are to be used at least four times a month. Many will not require frequent revisions. The user is advised to enter the data for the configuration and canal characteristics files by the interactive subroutines of PROJOP. The file storing the time-dependent variations is also most easily revised with PROJOP. The five remaining files are more easily prepared with a text editor, or in the case of the expected crop water requirements and the expected streamflow files, by another computer program.

The format of the power coefficient file is explained first, the reservoir data file second. The quarter monthly crop water requirements may be included at the end of the economic loss file or be contained in a file all of their own. The third section explains the single format that is used for both cases. The fourth section describes the inflow file and the fifth the optional irrigation return flow file.

## A2.3.1 The Power Plant File

For each power plant, this file stores the minimum and maximum turbine flow, and the three constants used to linearize the energy function when the head is not constant.

The first line starts with an $I 4$ field showing the number of power plants in the configuration. This amount must agree with the number in the configuration file. The remaining 76 columns are character values; the user may supply an identifying title.

The rest of the file is in sets of four lines, one for each power plant. The first of the set has a blank space, then an A4 field for the character code assigned to the power plant in the configuration file. The codes for each power plant must agree with those in the configuration file and they must appear in the same order. This ensures that the coefficients are being applied to the proper node.

On the same line as the character code for the power plant, there are two F10.0 real number fields for the minimum and maximum releases allowed through the turbines, expressed in $\mathrm{m}^{3} / \mathrm{s}$. Any releases above the maximum from the node are spills; they do not generate electricity.

The next three lines store the values for the linearization of the energy function in F9.0 fields preceded by one blank. The first line contains the reference storage level in $\mathrm{Mm}^{3}$. The second has the correcting factor, the $\mathrm{c}_{\text {in }}$ which will be used for most of the time steps in the run. The variation file will store the correcting factors by time step, allowing for adjustments. The final line of the set has the power coefficients, $\mathrm{h}_{\mathrm{in}}$.

When reservoir storage has little effect on the turbine
production and the energy is a linear function of the release, the correcting factor is entered as -1.0 , the reference storage is ignored, and the energy is estimated with only the first term of equation 5.5 using the power coefficient in the final line. The four lines are repeated for every power plant in the configuration.

The following example file is for two power plants, one without any reservoir storage. The column counting lines do not occur in the file. The underlines show the blank spaces and would not appear in an actual data file.
 - $\mathrm{RES}^{2} \quad$ Example power pla
${ }_{-}-0.0025632$
-0.6799000

$-1.0 \overline{0000} \overline{0}$


## A2.3.2 The Reservoir File

The reservoir file contains information on the maximum and minimum permitted storage levels, the expected net evaporation and seepage losses and the values which estimate the surface area from the storage volume. The first line starts with an I4 field for the number of storage reservoirs and tanks in the configuration. This amount must agree with the number in the configuration file. The remaining 76 columns may be used to write a descriptive title.

There are four lines for each storage node. The first
line has a blank space, then an A4 field for the character code of the reservoir. The code must be the same as used in the configuration file and follow the order established there. Continuing that line are two F10.0 real number fields for the minimum and maximum storage levels of the reservoir in $\mathrm{Mm}^{3}$. The variation subroutine of PROJOP will allow the user to vary these values for a given time step; any adjusted values may be stored on a variation file. The final item on the line, in an 13 field, is the number of linearization intervals for the surface area - storage level curve. This number will usually be 1; because when mixed integers are used to linearize the curve, the more accurate estimation requires so much more computer time for so little difference, that in the case of most surface area estimates, a single linearization interval suffices.

The second line is a listing of the monthly loss coefficients for the reservoir in mm . They include both expected seepage and evaporation losses and are applied to the surface area of the reservoir or tank. There is a blank space in the first column of the line, then twelve F6.0 fields. The final two lines list the linearization constants. There is one blank, then nine 56.0 fields in each line. the third line of the set for each reservoir lists the storage levels, in $\mathrm{Mm}^{3}$, which fall at the end of each linearization interval. The last line lists the surface area, in $\mathrm{km}^{2}$, at the end of each interval.

When there is only one interval, any two storage and surface areas which have the ratio desired for approximating the whole range of storage and surface area values may be listed in the first F6.0 field. The underlines show the blank spaces and would not appear in an actual data file.
 - ${ }^{\text {FATT }} \overline{0}-15.0-7{ }^{0} 1300.0{ }^{3}$
 - - 50.0 _ $349.7 \overline{1} 300.0$

-     - 2.0_ 20.0_178.5
- $\overline{\mathrm{B} O X}$ - $-15.0 \_$_ $890.0 \_1$
- $14.0^{-} \overline{3} 8.0_{-} \overline{41.0 \_110.0-184.0 \_148.0 \_48.0 \_61.0 \_14.0 \_2}$
1.0


The example file is for two reservoirs, one with three linearization intervals and one with a constant ratio. The column counting lines are not included in an actual file. Note that two, and most of a third, seepage and evaporation monthly loss fields are not shown due to the width of the page.

## A2.3 The Irrigation File

The irrigation economic loss data and the estimated crop water requirements may follow each other in the same file or be split into two files. The format is exactly the same, instead of following the last line of economic loss data, the first line of the crop water demand file appears at the beginning of its own file.

The economic loss data quantifies the penalty assigned to any irrigation deficit occurring in that time step, at a constant rate for any magnitude of loss, or, using the mixed linearization procedures, varying the loss with the magnitude of the deficit. The penalty may be more severe during critical periods of the growing season than during other times. Time is measured in units of quarter months of the entire growing season, from start to finish, for both the economic loss data and the estimated irrigation demands.

The first line of the economic loss file has an I4 field listing the number of irrigation districts in the configuration. A descriptive title may be written in the 76 character columns which follow. The next set of three lines are repeated for each irrigation district in the order the irrigation districts appear in the configuration of nodes, i.e. by node number of the delivery node.

The character code of the irrigation district is entered in an A4 field after an initial blank. An I4 field follows with the integer number of penalty curves which occur that season. Twelve I4 fields may be used to enter the last quarter month that a penalty rate applies and how many linearization intervals are used. The irrigation loss penalty rates must be entered in chronological order. The rate or curve which applies until the fifth quarter month would come before the rate or curve which applies from the fifth to fifteenth quarter month.

The final two lines of each three line set express the economic loss for each rate or curve in as many F7.0 fields as necessary. The first character of each line is a blank. When the sum of the linearization intervals for the number of curves to apply in a growing season is more than 11, each line will continue into the immediately following line.

The second line is the irrigation deficit upper bound of a linearization interval for each curve which applies during the season, while the third line is the penalty cost for a deficit of that magnitude, for each interval of each curve. Normally, the mixed linearization intervals would not be used as too much computer time is required for a solution.

Therefore, a constant rate, independent of the size of the irrigation deficit, but which varies according to the critical periods of the crops in each district, is entered in these two lines for each period. Any deficit, in $\mathrm{Mm}^{3}$, and any penalty cost which has the required ratio is entered in the F7. 0 fields.

The estimated crop water requirements may follow the above information, or may be stored in an independent file, when their revisions occur more frequently than the updating of the economic losses. The first line of the expected crop irrigation demands gives the number of irrigation districts in an I4 field. A title may be written in the 76 column character field which remains. The next set of four lines are used for every district in the configuration in the order in
which the districts appear there.
PROJOP initially reads only the first five columns in an A5 field, matching the characters with those from the configuration file, to check that the proper district is being entered. The three lines which follow list the quarter monthly anticipated district irrigation demands, in $\mathrm{Mm}^{3}$, in F7.0 fields, 11 per line. Twenty six values must be entered even in the Yala season; when less quarter months remain in the growing season, blanks or values may be used to fill the spaces of the quarter months already past.

The following example file is for a two district configuration, with ten quarter months left of a Yala reason. The most critical period is past for the first district, where mixed integer linearization was used to describe the losses as a function of the magnitude of the deficit during the first ten quarter months. Note that the final rate or curve must apply to the end of the growing season, quarter month 22 in the Yala season. In district A, the penalty which would occur from any irrigation deficit would be 41.667 ( 250/6) for any time step from quarter month 10 to quarter month 15.

Three fields have been dropped from the irrigation demand lines to fit the page. The actual file would not have the column counting lines and would have 80 columns. The underlines show the blank spaces and would not appear in an actual data file.



$-\overline{1} 500.0^{-} 2 \overline{0} 00.0^{-} 9000.0^{-} 2 \overline{5} 0.00^{-} 5 \overline{7} 0.00$


- $1500.0^{-} 2000.0^{-1} 1900.0$
- _2 Example Irrigation File Yala 11/87 Crop Water Req - A Any value used for unnecessary quarter months

 $-0.0 \_0.0-0.0 \_-0.0$


$1234567890_{-}+_{-} 2_{-}+_{-}{ }^{3} Z_{-}+_{-} 4_{-}^{4}+_{-} 5_{-}+$


### 22.3.3 The Inflow File

The most frequently revised file stores the predicted streamflows for the inflow nodes of the configuration. The values are in $\mathrm{Mm}^{3}$ a time step, for whatever duration of time step. Tables 5.1 and 5.2 may be used to identify how many time steps and their duration are required for any data. The file starts with a title line. This first line has an I4 field listing the number of nodes for which inflows are supplied; this number must be that given in the configuration file. The remaining 76 columns are character fields for an identifying title.

The next two or three lines are repeated for every inflow node in the order the nodes appear in the configuration. The first line of the set has an A5 field for the character code of the configuration file. Two I4 fields follow listing the first the number of quarter months and then the total number
of time steps of the run. PROJOP may verify that the predicted inflows are indeed for the current run. The next line lists the expected inflows for each time step in chronological order, using twelve F6.0 fields a line as many lines as necessary.

The sample inflow file is for three nodes, with 10 quarter months left of a Yala season. The column counting line does not appear in the actual file. The underlines show the blank spaces and would not appear in an actual data file.

```
1234567890 \
_NOD1_ _6_ _7 Anything may be written here
_12.57_12.57_12.57_ 13.0_ 13.0_ 13.0_ 73.0_ 92.5_ 87.9_ 77.2
NOD2_-6_ - }\overline{7}\mathrm{ Anȳthing may be writ̄en here
42.97_52.97_48.97_42.67_ 32.8_ 43.6_133.8_142.5_135.7_132.4
NOD3_ _6_ _7 Anything may be written here
_21.33_27.67_22.47_16.87_17.45_21.45_90.45_20.45_ 38.8_ 13.0
1234567890_ _ +_ _ 2_ _ +_ _ 3_ _ +_ _ 4_ _ +_ _ 5_ _ 
```


## A2.3.4 The Optional Irrigation Return Flow File

When there are significant irrigation return flows which are quantifiable and reliable, the information required to include the flows in the continuity equations may be entered and stored on a diskette file. The node numbers of the locations which receive the return flow, whence the irrigation deliveries are made, the time in quarter months the flows take to return, and the estimated percentages returning are stored in a single optional file.

The first line of the file uses an 15 field for the number of locations where irrigation return flows occur. The
remaining 75 columns are character fields for an identifying title. The next line has I4 fields in sets of three for each occurrence of return flow. The integer in the first field of the set is the number of the node whose partial irrigation deliveries return to the node numbered in the second field. The third integer in the set is the number of quarter months required for the percentage of irrigation delivery to appear in the continuity equations of the second node. The sets are repeated sequentially for every location.

When seven or more locations are listed, the I4 fields will continue another line. The final lines list the percentage of irrigation which returns for each quarter month of the season, from the first to the last quarter month in F10 fields. The values for one location follow in the same line as the preceding if there are empty fields. The percentages are given in the order the locations are given in the integer lines.

The following example file has two instances of return flow, from the node numbered 3 to the node numbered 7, and from the node numbered 8 to the node numbered 7. The percentage which returns did not vary in either case, though the lag times differed. A tenth of the irrigation turn out from node 3 arrives at the node 7 in 2 quarter months, the return flows from 8 arrive in the same quarter month that they are delivered. Only 6 real number fields of the eight per line are shown as there are only 59 columns printed on the
page. The column counting lines are not included in the file entered to PROJOP. The underlines show the blank spaces and would not appear in an actual data file.




-     -         - $0.100^{-}$- $-0.100^{-}-{ }^{-0.100^{-}--0.100^{-}--0.100^{-}--0.10}$

-     -         - $0.126_{-}^{-}$- - $0.126_{-}^{-}$- - $0.126_{-}^{-}$- - $0.126_{-}^{-}$- - $0.126_{-}^{-}$- - 0.12




## A3.1 The Meaning of Run Time Error Messages

During the execution of the data preparation programs an abrupt termination may occur giving an error message number. When the current drive has the FORTRAN compiler error message file, an explanation of the error also follows. A few error message numbers which may possibly occur and the likely corrective action are listed below for users who may not have the error message file.
-1 Add blank lines to the length of the file.
1236 Reduce the size of an array, perhaps the number of crops, or of districts, or perhaps of nodes.

2015 Check that the filename is spelled correctly, that the correct diskette is in the specified drive, that the filename is listed in the diskette directory.

2514 Verify that the integers in the file being read when the error occurred are correctly placed in the fields.

2519 Verify that the real numbers in the file being read when the error occurred are correctly placed in the fields.

3000 Increase the working space on DOS memory, or reduce the size of the problem.

4001 Connect a math coprocessor to the personal computer.
4002 Upgrade your DOS version to 2.1 or later.

Any other error message requires correction to the FORTRAN code and recompilation.

## A4.1 Running the SAS.OR Sparsedata LP Package

The sparsedata LP package available with the SAS.OR computer code for mainframes was used to solve the datasets generated by the interactive micro-computer programs for the PROJPLAN and PROJOP formulations. A certain format for the entry of the data must be followed as defined, however, there is considerable flexibility within those limits.

Data may be entered in any order, separated into incomplete datasets which may then be combined into various full sets, and the combined data set printed if desired. All of the SAS facilities for datasets are available to the user.

While the interactive programs developed for the personal computer may be used to generate a completely new data file, for quick changes of certain constants, some familiarity with the SAS data files would be useful. When the time has come to add new constraints or revise existing ones, the programmer will need to know what are the items in the SAS.OR data files.

The following section describes the data files in detail. If multiple runs are to be done with mostly the same constants, but with inflows or prices varied, the data set may be divided into two, one part that doesn't change and the other with one set of variable data. Additional datasets need only contain the variable data. At run time the user may ask SAS to combine the desired data and to perform the LP solutions to the combined datasets sequentially. This procedure is described in the last section.

## A4.2 Description of Data Files

The sample datasets shown in Figures 6.1 and 6.2 are from actual data files generated by PROJPLAN and PROJOP. The length of the data files has been shortened, as it was unnecessary to show the same format repeated many times for each time step, reservoir or district.

Before the dataset may be solved by SAS.OR it needs a header in job control language which will execute the SAS job on a mainframe. Figures 6.1 and 6.2 show these five lines as they were used at the Ecole Polytechnique. It is up to the user to determine how to run the SAS job on the computer available and to type in the necessary job control lines.

Every variable has been given a name of eight characters or less, identifying to which time step, district or node the variable belongs. The constraints, objective function, upper and lower bound constraints have also been identified with names of eight characters or less.

Longer names are permitted, however SAS.OR does not distinguish between two names which differ in the ninth or more characters. ANYNAME123 would be considered the same as ANYNAME199. The names are not allowed to start with a number, but must start with a letter from $A$ to $Z$.

The output file generated by SAS.OR lists the variables in alphabetical order with any numbers in the name appearing after Z. The constraints are also listed in the output file in the same alphabetical order. This results in a numbered
name such as FS12S12 coming before FS9S12.
The SAS.OR data file begins with information identifying the data and telling how to interpret the datalines. The first line of a data file gives the dataset name, which may be eight or less significant characters long, followed by a semicolon. The semi-colon is used to terminate a SAS command and must not be neglected when required nor inserted when not.

The second line defines how the data will be read: the identity, the order, and the number of data units which will appear on a line. The third line announces the actual data lines, it is the last to terminate with a semi-colon until the semi-colon at the end of all the data lines in the data set. The data lines differ between PROJPLAN and PROJOP because only three pairs of data units were used per line in PROJPLAN and six per line are used in PROJOP. This was to reduce the number of lines in PROJOP, as more variables do appear in more than three constraints.

Lines which start with a period in column two give the name of the variable which appears in the subsequent constraints listed on that line, and the coefficient assigned to that variable in that constraint. The identification of constraints is done in the lines which start with keywords in column two. Note that the objective function, upper and lower bounds and the identification of a variable as an integer are treated as though they were constraints. Table A4.1 lists the acceptable keywords and their significance.

TABLE A4.1
Acceptable keywords for SAS.OR PROC LP

MAX - | the constraint is the objective function to be |
| :--- |
| maximized. |

MIN -
the constraint is the objective function to be

minimized. $\quad$| the sum of the variables times their coefficients |
| :--- |
| must be equal to zero or the value of the _RHS_ |
| variable for the constraint. |

The known terms of a constraint, manipulated mathematically to appear on the right hand side of the inequality or equation, are listed in the lines which have a period in column two and the special keyword _RHS_ in the column which would otherwise be used for the variable name. The names of each non-zero constraint with the calculated value follows on these lines.

Each line follows the format specified in the INPUT line at the beginning of the dataset, using periods to fill the line with either eight or fourteen datapoints. A space must appear between names and between the names and the coefficients which may take as much space as required.

No specific order for the lines within a dataset is necessary. The file writing subroutines of the data file preparation programs naturally batch the lines for defining variables, constraints, and the non-zero _RHS_ constants together as they go through the lists for each node and time step. To modify a constraint or add new ones, the SAS.OR data lines may be added anywhere after the line "CARDS;" and before the next ";", anywhere in the dataset.

SAS.OR reads only seventy-two characters per card line. If the eight or fourteen datapoints it expects to read per line have not yet appeared, it will continue to the next card line, reading the data there as though they were appended to the card above. Thus two card lines may be used to enter one line of data, and the periods marking empty datapoints must not be forgotten.

At the end of all the data is a semi-colon signifying that all that preceded is a part of the dataset mentioned in the first line. Following is a command line asking for the linear programming procedure, PROC LP SPARSEDATA, terminating with a semi-colon.

For problems which will take more time or more iterations
than the default values, there are optional parameters which may also be included to request for more time and iterations. The error messages of the SAS.OR package explain when and how to use them when they are required. Some other commands which may be used are explained in the section on combining datasets.

## A4.3 The SAS.OR Solution Format

Figure 6.3 shows an example of the SAS.OR output for a PROJPLAN run. There is a small table listing the size of the problem, the number of constraints, the number of variables, another table lists the length of time it took to find a solution, how many iterations, etc. Figure 6.4 shows a typical solution, with columns identifying the variables by number, name, type, and what role they played in the linear programming solution.

Under the heading, "ACTIVITY", is listed the optimal value for that variable found in that solution. The final column lists the dual values of the variables, their reduced cost, a measure of how much their price in the objective function would have to change before the basis of the linear programming solution would exchange them.

An attempt has been made to have the variables of most interest printed out first, by judicious choice of their initial letter and the placement of the numbers designating the time step and the node within the name. The user may
change the order by renaming the variables.
The final pages of the print out list the constraints and how well the solution was able to meet equations or exceed non-equalities. If a non-feasible solution occurs, when no set of values were able to satisfy all the constraints, the last pages will list the constraint or constraints it was unable to meet and the values assigned for the variables within that constraint. This allows the user to decide why the problem given had no solution.

## A4.4 Combination of Data files

The combination of data files is most useful when the user wishes to test the response of the formulation to various streamflow forecasts, differing crop water requirements, differing power estimation constants, or any other set of constants. Instead of repeating the whole data file for each trial in the series, only the part of the data file which will change is repeated for each trial. The whole series of trials are submitted at one time in one run.

Combination entails isolating the major part of the data file which will remain unchanged during the series of trials; this subset is placed in its own dataset, with its own name, input, cards and semi-colon line at the end. When naming datasets, remember that only the first eight characters are significant, the characters after eight will not distinguish new datasets.

The lines of the data file which contain the information that will be changed a number of times come before or after the large invariate subset. These lines must also be written in their very own dataset, with their own unique name, input, and cards lines at the start and semi-colon line at the end.

The second smaller subset is repeated for as many times as there are variations in the series of trials, with each new subset given a new name and the new coefficients. All the subsets appear in the same data file to be submitted to SAS.OR.

```
/SYSIN DD *
    DATA BASEDATA;
    INPUT TYPE $ COL_$
        ROW1_ $__COEF1_ _ROW2_ $ _COEF2_ _ROW3_ $ _COEF3_;
    CARDS:
    . VAR1 CNT1 1 1 CNT2 -1 
```



```
    UPPERBD . UPPER . . . . . 
    EQ . CNT1 . CNT2 . . .
    MAX . OBJ . . . . 
;
    DATA FLOIDATA;
    INPUT TYPE_$_COL_$
        ROW\overline{1_ $ __COEF1_ __ROW2_ $__COEF2___ROW3_ $__COEF3_i}
    CARDS;
    . _ RHS _}\begin{array}{c}{\mathrm{ CNT1 109.700 }}\\{.}
    ;
    DATA FLO2DATA;
    INPUT __TYPE_ $ _COL_ $
        ROW1_ $__COEF1___ROW2_ $ _COEF2_ _ROW3_ $ _COEF3_;
    CARDS;
```



```
    ;
    DATA COMBIDAT;
    SET BASEDATA FLO1DATA;
    PROC LP SPARSEDATA MAXIT1=500 MAXIT2=500
    DATA COMB2DAT;
        SET BASEDATA FLO2DATA;
    PROC LP SPARSEDATA MAXIT1=500 MAXIT2=500
/*
```

Figure A4.1: Sample dataset combination

The example in Fig.A4.1 shows two small datasets to be combined into one before the solution by the linear programming procedure. The final three lines above "/*" would be repeated for each trial in the actual series. The first line of these final three, names the combined data set. This name may be the same for each trial. The second line lists the datasets to be combined. They may be in any order, and will be the names given to the major subset and to each trial
dataset. The last line of each triplet is the same last line of the data file seen in Figures 6.1 or 6.2 , asking for a linear programming solution to the above defined combined dataset. At the end of all the triplets for each trial in the series would come the "/*", end of file mark.

When numerous trials are to be conducted in one series, the user may place the triplet of the combining commands immediately after each trial dataset. The user may then use the same name for each trial dataset because the linear programming solution is performed before the creation of the next trial dataset. This would save runtime file space.

To verify the combination of a dataset, the user may request SAS.OR to print out the dataset. This command must occur before any re-definition of the dataset name, either before or after the linear programming solution. The PROC PRINT command, written in the same fashion as PROC LP, also specifies the dataset, using DATA=datasetname with a semicolon at the end of the line. Other SAS commands may be used, the interested reader may refer to SAS manuals to learn the commands for sorting datasets, isolating lines with particular variables, and creating specific datasets as desired.

## APPENDIX B

This appendix lists the FORTRAN data preparation programs, line by line. The appendix has two portions, one for each data preparation program. The SAS.OR data file written by each program is similar, however PLAN.DATA is written with three pairs of a constraint and its coefficient per line and RELEASE.DATA with six. This means that every line has three or six pairs, using dots to represent blank quantities. Different format lines are required depending on the number of actual values which will appear on a data file line and the number of dots.

The two data preparation programs use two different methods of writing the necessary format lines. PROJPLAN stores the format lines in a character array; the write subroutines select the correct line to use before writing the variable, constraints and coefficients onto the diskette. PROJOP builds the format line in a concatenation of character strings, using considerably less computer memory and FORTRAN code. Both methods are retained in case another compiler does not support character string concatenation in the same fashion.

## APPENDIX B1

The data preparation program for PROJPLAN reads the Crops file, the configuration file, if one has been prepared, the inflow and crop water requirements files, and a variation file if the user so wishes. The information from these files are displayed so that the user may correct or update any value.

The user selects the information to review from an initial menu. Once the updating and saving of revised files has been done, PROJPLAN writes the SAS.OR datafile, PLAN.DATA. There is a subroutine for each type of line in the file. Table B1.1 shows the structure of PROJPLAN.

TABLE B1.1
The programming structure of PROJPLAN
PROJPLAN
calls from the menu:

CONFIG CORRIG CHANGE CHANJ3 COMCRP VARDATA
which may call
DELETE

CHANG2
ADD
LOOPMK

GCHANJ
COSTS CROPTB
which calls CHANJ1
once all the input data is updated, PROJPLAN calls:

CNT
DATALN
CHOICE RHS

The following table describes in which FORTRAN file each program unit is stored, and its function.

TABLE B1. 2
Location and function of FORTRAN program units

| UNIT NAME | IN FILE | FUNCTION |
| :---: | :---: | :---: |
| PROJPLAN | Projplan.for | Main program, calls others, writes updated files |
| CONFIG | Hscheme.for | Enters new configuration nodes |
| CORRIG | Hscheme.for | Corrects configuration nodes |
| DELETE | Hscheme.for | Deletes nodes from configuration |
| ADD | Hscheme.for | Inserts nodes between existing nodes |
| LOOPMK | Hscheme.for | Prepares configuration vectors for changes |
| CHANGE | Hchange. for | Reviews the data on b:CROPS |
| Costs | Hccost.for | Reviews and corrects idle land costs |
| CHANG2 | Hchange.for | Corrects district data |
| CROPTB | Hchange. for | Displays crop data in district tables |
| CHANGJ 1 | Hchange. for | Corrects crop data in distri tables |
| CHANGJ3 | Projplan.for | Corrects minimum crop production targets |
| COMCRP | Hcomerp.for | Groups crops under common production target |
| GCHANJ | Hcomcrp.for | Changes the crop groupings |
| VARDATA | Vardata.for | Adjusts data for sub-seasonal durations |
| CNT | Hent.for | Writes the continuity variables to the datafile, b:PLAN.DATA |
| DATALN | Hdatn.for | Writes the constraint names b: PLAN. DATA |
| CHOICE | Hcoen. for | Writes the crop variables |
| RHS | Hrhn.for | Writes the RHS constants of the |

Before showing a complete FORTRAN listing, the common block arrays used in the data preparation program will be explained. Definitions of other variables, arrays, or
subroutine arguments appear in the program listing. There are 12 common blocks used by one or another of the subroutines. The SHR common block contains the crop data arrays for every season, every crop and every district. The array names are listed below with a short description.

| $P(3,50,20)$ | is the array of prices per hectare. |
| :--- | :--- |
| $Y(3,50,20)$ | is the array of yields per hectare. |
| $C L(3,50,20)$ | is the array of labour costs per hectare. |
| $F(3,50,20)$ | is the array of fertilizer costs per hectare. |
| $U(3,50,20)$ | is the array of expected seasonal water |
| $T(3,50,20)$ | is the array of maximum suitable land. |
| $B(3,50,20)$ | is the array of minimum cultivated land. |
| $Q(3,50,20)$ | is an array of the net return per hectare, |

The NEW1 common block contains seasonal arrays, some crop group arrays and the long growing season code vector:

NG(3) is the number of groups combining each season to meet a production target.

WD(3) is the penalty cost or limit on idle land each season.
$\operatorname{JCROP}(3,50,10)$ is the array listing to which group, if any, a crop belongs.

```
PCROP(3,25) is the array of common production targets.
    LNGTH(50) is the code for the length of the growing
```

    season, 0 means one season.
    The PROD common block contains the arrays for minimum production targets by crop variety.

| YMIN $(3,50)$ | is an array of minimum production targets. |
| :--- | :--- |
| NMINJ (50) | is an array of crop numbers of the crops with |
|  | production targets. |
| NMINI (50) | is an array of season numbers associated with |
|  | production targets. |

The CROP common block is a character block.
NAME (50) is a vector of crop variety names.

The DELTN common block contains the array for changes in the number of crops.

IX(50) is a vector of crops which were deleted.

The SHC common block stores a few of the configuration vectors.

JIRR(21) is the vector of nodes which irrigate.
JRES(25) is the vector of nodes with reservoirs or tanks.

JNOSPL(20) is the vector of nodes which do not send water to the node numbered one higher.
$\operatorname{JDIV}(2,15)$ is the array of nodes which divert water. The first number of the pair diverts, the second receives.

The SHP common block has more configuration vectors.
JTRB $(2,10)$ is the array of nodes which are tributaries. The first number of the pair releases its water to the second node.

SLO (25) is the vector of minimum storage levels in $\mathrm{Mm}^{3}$. SUP(25) is the vector of maximum storage levels in $\mathrm{Mm}^{3}$. J1 $(2,10)$ is an array of nodes involved with irrigation return flow. A percentage of the turnout from the first node is received by the second.

C1(10) is a vector of the percentage of irrigation turnouts which return.

The CAP common block lists the capacities of the various components of the configuration.

KIRR(21) is a vector of the districts irrigated by the irrigation nodes.

CCAPI(21) is a vector of the irrigation diversion capacities, $\mathrm{m}^{3} / \mathrm{s}$.

CCAPD(15) is a vector of the diversion capacities, $\mathrm{m}^{3} / \mathrm{s}$. CRHS $(3,35,5)$ is an array of net sub-seasonal inflows, $\mathrm{Mm}^{3}$.

CLOSS (15) is a vector of channel losses in percent.

The NOM common block is a character block for the names
in the configuration file.
NNAME (40) is a vector of node names.
IDNAME (21) is a vector of irrigation district names.

The FLO common block has the arrays necessary to define downstream flow restrictions.

NLIM(21) is the vector of nodes with downstream flow restrictions.

NSS (3) is a vector of the number of sub-seasons in each season.

FLOMIN(20) is a vector of the minimum downstream releases in $\mathrm{m}^{3} / \mathrm{s}$.

The common block, VAR, has the arrays of values which change by sub-season. FLMIN ( $3,5,20$ ) is an array of minimum flow restrictions, Mm3. FLMAX $(3,5,20)$ is an array of maximum flow restrictions, Mm3. CHCPI $(3,5,21)$ is an array of irrigation canal capacities, Mm3.

P1 $(3,5,10)$ is an array of percent return flow. $\operatorname{CHCPD}(3,5,15)$ is an array of diversion canal capacities, $\mathrm{Mm}^{3}$. CHLSS $(3,5,15)$ is an array of canal losses, percent. $\operatorname{SMAX}(3,5,25)$ is an array of maximum storage levels, $\mathrm{Mm}^{3}$. $\operatorname{SMIN}(3,5,25)$ is an array of minimum storage levels, $\mathrm{Mm}^{3}$.

The SUB common block stores the sub-seasonal crop water
demands.
WCOEF $(3,50,20,5)$ is an array of expected sub-seasonal crop water requirements, by crop and by district.



```
    READ ( 9,9011 ) (JTRB(1,K), JTRB(2,K), K=1,JO )
    READ (9,9014 ) (NNAME(K), K=1,NN )
    READ ( 9,9015 ) (NLIM(K+1),FLOMIN(K),FLOMAXM)., K=1,NLIM(1)-1) )
    READ (9,9011 ) ( J1(1,K), J1(2,K), K=1,IRI)
    READ ( 9,9013 ) ( C1(K), K=1,IRT) )
    Close (9)
    GO TO 20
c Enter new configuration
10 CALL CONFIG ( 1, JI, JR, JS, JO, JT, JN )
c 1 = starting afresh
c Jt = number of irrigation nodes plus 2
c JR = number of reservoir nodes plus 2
c JS = number of nodes not spilling to node numbered one higher plus 2
c JD = number of diversions plus 2
c JT = number of tributaries plus 2
c JN = total number of nodes
C Definition of the problem, constraints, objective function, number
C of sub-seasons
c MINCRP is an integer code for the method of assuring production
c of certain crops, FORMAT 1004 explains the code
c LANDIF is an integer code for the method of decreasing idle land
c FORMAT 1005 explains the code
20 WRITE ( *. 1004 )
    READ ( *, 9002 ) MINCRP
    WRITE ( *,1005 )
    READ ( *.9002 ) LANDIF
21 DO 22 I=1,3
            WRITE (*.1006 ) 1
            READ ( *,9002 ) NSS(0)
            IF (NSS(I) EQ. 0 ) NSS(1) = 1
2 2 ~ C O N T I N U E ~
C Permission to change the definition of the problem
        WRITE (*,1007 ) MINCRP, LANDF, (NSS(0, I=1,3)
        READ (*,9001) ANS
        IF ( ANS .EQ. 'r OR. ANS .EQ. 'Y' ) GO TO 20
C Choose nexd course of action
25 WFITE (*,7002) 
        READ (*.9002 ) KCHOMX
        GO TO (80, 100, 7, 300, 600, 400, 500, 20, 700, 1CHOLX
C Review irrigation return flows
30 WRITE (*,7003 )
        WRITE (*,7004 ) (K,C1(K),NMAME (1)(1,K),NNAME (1)(2,K)), K=1,1RT)
        WRITE (*,7005 )
        READ { *,9001 ) ANS
        IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'Y' ) GO TO 25
C Additions, deletions or corrections are required to the irrigation
C district flows
31 WRITE (*.7006 )
    READ ( *,9002 ) ICH
        GO TO (40, 50, 60 } ICH
        GO TO }3
C Add more Turnouts which have return flows
```

```
40 WRITE ( *.7007 )
        READ (*,9002 ) NX
        IF (NX LE. 0 ) GO TO 30
        WRITE (*,9007 ) (N. NNAME(N). N=1,NN )
            DO 42 NN=1,NX
            WRITE ( *,7008 ) NN
            READ (*,9002 ) d!(t,IRT+NN)
            WRITE (*,7009 )
            READ (**,9002 ) JI(2,IRT+NN)
            WRITE ( *,7010 )
                READ ( *,9003 ) C1(RT+NM)
            IRT = IRT + NX
            go ro 30
C Deletions
50 WRITE (*,7011 )
        READ ( *,9002 ) NX
            IF ( NX .LE. 0 ) GO TO 30
            DO }52 NN=1,N
            WRITE (*,7012 )
            READ (*,9002 ) KX
                DO 52 N1=KX,RT
                        IP1 = 1 + N1
            J1(2,Nt)=J1(2,IP)
            J1(1,N1) = J1(1,P1)
                        C1(N1) = C1(P1)
            IRT = IRT - 1
            GO TO 30
C Corrections
60 WAITE (*,7020 )
    READ ( *,9002 ) NX
        IF ( NX .LE. D ) GO TO 30
            DO 69 NN=1,NX
                WRITE ( *.7021 )
                    READ ( *.9002 ) IC
                    WRIIE ( *,7022 )
                    READ (*,9002 ) KX
                    GO TO (66, 64, 65 ) K
                        GO TO 30
C Node of lurnout number wrong
64 WRITE (*,9007 ) & N, NNAME(N). N=1,JN (% )
        READ (*,9002 ) J1(1,K@)
            GO TO 69
C Node of retum wrong
65 WRITE (*,9007 ) ( N, NNAME(N). N=1,JN )
        WRITE (*.7024 ) KX C1(KX), NNAME($1(1,KX))
        READ (*,9002 ) J1(2,K)
            GO TO 69
C Percentage of irrigation wrong
66 WRITE ( *.7025 ) NNAME (J1(1,KO)). NNAME(J1(2,KX)), KX
        READ (*,9003 ) C1(KX)
69 CONTINUE
```



```
C The INFLOW file called is in correct, IND = 3
C The CWR file called is incorrect, IND = 4
C The CONFIGURATION file called is incorrect, IND=2
301 CLOSE (9)
    GO TO ( 3. 7. 405, 662 ) IND
C The datafile does not have the same number of sub-seasons
        WRITE (*,4010) ( NSS(0,\=1,3 ). IS1,IS2,IS3, (TITLE3(M), M=1,18)
        GO TO 21
    C Display the nodes and characleristics of the current configuration
c 6 lines at a time
100
    NBEG = 1
    JTIMES = JN/% + 1
    DO 205 L=1,JTIMES
        WRIIE (*.8000 )
        NEND = 5 + NBEG
        IF (NEND .GT. JN ) NEND = JN
        DO 200 I=NBEG, NEND
    c Define values for each column in the REVEW table
    105 NAME1 = NNAME()
        DO 111 IM = 2, (UDV(1,1)+1)
        IF ( JDN(2,M) .EQ. 1) GO TO 12
    111 CONTNNE
                NAME4=---'
        GO TO 14
    NAME4 = NNAME( JDNV(1,IM) )
    DO 15 | = 2, (IDN(1,1)+1)
        IF (JDN(1,1) .EQ. i) GO TO 1B
    15 CONTINUE
        NAME3='--'
        CAP1= 0.0
        GO TO 121
        NAME3 = NNAME(NON(2,11)
        CAP1 = CCAPD(I)
            IF ( 1 EQ. JNOSPLIS) ) GO TO 125
            NAME2 = NNAME(1+1)
                GO TO '131
            NS=IS + I
        IF ( JTRB(1,I) .EQ 1) GO TO 27
        NAME2 = '---'
            GO TO 131
            NAME2 = NNAME( JTRB(2,IT) )
            IT = T + 1
            MRRD = 0
        NAME5 = '...'
        CAP2 = 0.0
        IF ( JIRR(GG) .EQ. I) GO TO 35
```

```
            GO TO 141
35
\(38 \quad\) IG \(=I G+1\)
141 CAP3 \(=0.00\)
            CAP4 \(=0.00\)
        IF ( JRES(IR) EQ. i) GO to 45
            GO TO 150
            CAP3 \(=\) SUP(RI
            CAP4 \(=\) SLOAR
                \(\mathrm{R}=\mathbb{R}+\mathbf{1}\)
150 WRITE \((*, 3000)\) NAME1, NAME2, NAME3, CAP1, NAME4, IRRD, NAME5,
    1 CAP2. CAP3. CAP4
    READ ( \(*, 9002\) ) INT
    IF ( INT .LE. 0 ) GO TO 200
    IF ( INT .GE. 99 ) GO TO 210
c Amend a value in the current line
    CALL CORRIG (INT,IN,IC,IM, II, IS, IG, IR, IT, NAME3, NAME4)
c \(\operatorname{INT}=\) integer of incorrect column
c \(1=\) node number of current line
c \(\mathrm{JN}=\) total number of nodes
c \(\mathrm{IC}=\) code to skip replacement
c \(1 M=\) diversion TO number of current line
c II = diversion FROM number of current line
c iS \(=\) nospill number of current line
c IG \(=\) irigation number of current line
c IA \(=\) reservoir number of current line
c \(I T=\) tributary number of current line
NAME3, NAME4 \(=\) column names which may be redefined by CORRIG directly
        WRITE ( *,8000 )
c Rewrite REVEW table, changing the column to new value, if possible
        GO TO ( \(110,120,130,140,150,160,165,170,180,190)\) INT
        GO TO 150
110 NAME1 \(=\) NNAME ( 1 )
        GO TO 150
120 NAME2 \(=\) 'PASS'
        GO TO 150
130 CAP1 \(=\operatorname{CCAPD}(J D N(1,1+1))\)
        GO TO 150
            CAP1 \(=\) CCAPD(II)
        GO TO 150
160 IF (IC .EQ. 2 ) GO TO 200
        \(\operatorname{IRRD}=\operatorname{KIRR}(\mathrm{G}-1)\)
        NAME5 \(=\) IDNAME(IG-1)
        CAP2 \(=\) CCAPI(IG-1)
        GO TO 150
165 NAME5 \(=\) LOMAME\{GG-1)
```



```
        CAP3 \(=\operatorname{SUP}(\mathbb{R}-1)\)
        CAP4 \(=\operatorname{SLO}(\mathbb{R}-1)\)
    GO TO 150
190 CAP4 \(=\) SLO(R-1)
    GO TO 150
200 CONTINUE
c Start REVEW table again, if user so desires
    WRITE ( *.3001 )
    READ ( *,9001 ) ANS
    IF ( ANS EQ. \(r\) 'OR. ANS EQ. ' \(y\) ) GO TO 100
    NBEG \(=\) NEND +1
205 CONTINUE
c Amend total values after corrections
\(210 \quad \mathrm{Jl}=1+\mathrm{JlRR}(\mathrm{t})\)
                                    JR \(=1+\) JRES(1)
                                    \(\mathrm{JS}=1+\mathrm{JNOSPL}(1)\)
                                    \(\mathrm{JD}=1+\operatorname{JDIV}(1,1)\)
                                    \(\mathrm{JT}=1+\mathrm{JTRB}(1,1)\)
c Does the user wish to store the new configuration?
330 WRITE (*.3003)
    READ (*.9001) ANS
    IF (ANS EQ \(r\) OR. ANS EQ. ' \(\mathbf{Y}\) ) GO TO 215
        GO TO 220
215 WRITE ( *,3004 ) FNAME
    READ ( \(\mathbf{*}, 9000\) ) NAME1
    IF ( NAME1 EQ. ' ') GO TO 216
        FNAME \(=\) NAME 1
216 OPEN ( 10,FILE=FNAME, STATUS \(={ }^{\circ}\) OLD)
    WRITE ( \({ }^{*}, 1002\) ) ( TTHLE2(M). \(\quad M=1,18\) )
    READ (*, 1 104) ( DUMMYT(M). \(M=1,18\) )
        IF ( DUMMYT(1) EQ. ' , GO TO 218
            DO \(217 \quad M=1,18\)
                        TILEZ(M) \(=\) DUMMYT(M)
217
218 WRITE ( 10,1104 ) ( TITEZ \((M), \quad M=1,18\) )
    WFITE ( 10,9009 ) JI, JR, JS, JD, JT, IRT, JN, NLIM(1)
```



```
    WRITE ( 10,9015 ) ( \(\operatorname{JRES}(K) . \operatorname{SLO}(K) . \operatorname{SUP}(\mathrm{K}) . \quad K=1, \mathrm{lR})\) )
    WRITE ( 10,9011 ) ( JNOSPL(K), \(K=1, \mathrm{JS})\)
    WRITE ( 10,9011 ) ( \(\operatorname{JDV}(1, \mathrm{~K}), \operatorname{JDN}(2, K), K=1, \mathrm{JD})\)
    WRITE ( 10,9023 ) ( \(\operatorname{CCAPD}(\mathrm{K})\), \(K=1, \sqrt{1 D})\)
    WFITE ( 10,9023 ) ( CLOSS \((K)\). \(K=1, \mathrm{JD})\)
    WAITE ( 10,9011 ) ( JTRB( \(1, \mathrm{~K}\) ). JTRB( \(2, K\) ). \(K=1, \mathrm{JT}\) )
    WRITE ( 10,9014 ) ( \(\operatorname{NNAME}(\mathrm{K}), \quad K=1, \mathrm{JN})\)
    WRITE ( 10,9015 ) ( \(\operatorname{NLIM(K+1),FLOMIN(K),FLOMAX(K).~K=1,NLM(1)-1)~}\)
    WFITE ( 10,9011 ) ( \(\mathrm{J} 1(1, \mathrm{~K}) . \mathrm{J}(2, \mathrm{~K}), \mathrm{K}=1\), RT \()\)
    WRITE ( 10,9022 ) ( \(\mathrm{Cl}_{1} \mathrm{~K}\) ). \(\mathrm{K}=1\), IRT) )
        CLOSE ( 10 )
c Does the user winh to append nodes to the configuration
```




```
            DO 444 NN=1,NX
            WFITE (*.4004 )
            READ { *,9002 ) NWRONG
            WRITE (*.4005 ) NNAMEINWRONG)
            READ (*.9002 ) WRRONG
            WRITE (*.4006 ) NNAMENWRONG), WRONG
                READ (*,9003 ) CRHS(N,NWRONG,WRONG)
            GO TO 443
445 CONTINUE
447
C If
4 5 5
    OPEN ( 9,FILE=FNAME, STATUS='OLD)
    WFITE (*,1002) ( TTLE3(M), M=1,18 )
    READ (*,104) (DUMMYT(M), M=1,18 )
        IF (DUMMYT(t) EQ. ' , ) GO TO }46
            DO 460 M=1,18
                TTLE3(M) = DUMMYT(M
463 WRITE ( 9,9104 ) NSS(t). NSS(2). NSS(3), ( TTTLE3(M), M=1,18)
        DO 464 N=1,NN
464 WRITE ( 9,9031 ) NNAME(N),C (CRHS(N,N,IS),IS=1,NSS(I), I= 1,3 )
        CLOSE (9)
            GO TO 25
C Caiculate and enter the RHS constants interactively
465 DO 479 N=1,JN
    WRITE (*,4009 )
        DO 479 I=1,3
        DO 479 IS=1,NSS(I)
470 WRTTE (*.4020 ) I. NNAME(N). IS
            READ (*.9003 ) DINF
            WRITE (*,4025 ) 1, NNAME(N), IS
            READ (*,9003 ) EVAP
            WRITE (*,4026 ) NNAME(N). IS, I, DINF, EVAP
            READ ( *.9002 ) INT
                GO TO ( 470, 475 ) INT
                IF ( INT .GT. 2),GO TO 470
                    479 CRHS(I,N,IS) = DINF - EVAP
            GO TO 462
C Review or amend restriclions to the regulated downstream releases
80 WRITE (*.1803 )
    WRITE ( *,1804 ) (K, NNAME(NLIM(K+1)). FLOMIN(K). FLOMAX(K).
1 K=1,NLIM(t)-1 ,
WRITE ( *,1805 )
READ { *.9002 ) ICH
```

```
        GO TO (810, 820, 830, 215 ) ICH
        GO TO 25
C Additions, deletions, or changes are required to NLIM, FLOMAX, and FLOMIN
810 WRITE ( *, 1806)
    READ ( \(* .9002\) ) NX
        IF ( NX .LE. O) GO TO 80
        WRITE ( *, 1807 ) ( \(N\), NNAME(N), \(N=1, \mathrm{NN}\) )
        DO \(812 \quad \mathrm{~N}=1, \mathrm{NX}\)
            WRITE ( *, 1808 ) N
            READ ( *,9002 ) NNEW
            WRITE ( *. 1809 ) NNAME(NNEW)
            READ (*,9003 ) FLOMIN(NLIM(1))
            WRITE (*. 1810 ) NNAME(NNEW)
            READ ( \({ }^{*}, 9003\) ) FLOMAX(NLIM(1))
                IF ( \(\operatorname{FLOMAX}(\operatorname{NLIM}(1)) \quad\) LE 0.05\() \operatorname{FLOMAX}(\mathrm{NLIM}\) (1) \()=99999\)
            \(\operatorname{NLIM}(1)=\operatorname{NLIM}(1)+1\)
\(812 \operatorname{NLIM}(\mathrm{NLIM}(1))=\) NNEW
            GO TO 80
C Deletions
820 WRITE (*,1811 )
        READ ( *,9002 ) NX
        IF (NX .LE. 0 ) GO TO 80
            DO \(826 \quad N=1, N X\)
                WRIIE ( \(* .1812) N\)
                READ (*,9002) KX
                DO \(824 \quad M=1 \propto, N L I M(1)-2\)
                    \(\operatorname{FLOMAX}(M) \quad=\operatorname{FLOMAX}(M+1)\)
                    \(\operatorname{FLOMIN}(M) \quad=\operatorname{FLOMIN}(\mathrm{M}+1)\)
                    \(\operatorname{NLM}(M+1) \quad=\operatorname{NLM}(M+2)\)
            \(\mathrm{NLIM}(1)=\operatorname{NLIM}(1)-1\)
            GO TO 80
C Corrections
830 WFITE (*,1813)
        READ ( \(*, 9002)\) NX
            IF \{ NX .LE. 0) GO TO 80
            DO \(8335 \quad \mathrm{~N}=1\),NX
                WRITE (*.1815 )
                    READ (*,9002) \(10 X\)
                        WRIIE (*,1816) KX
                        READ (*,9000 ) NAMEI
                        IF ( NAME1 EQ. . ') GO TO 833
C The correct min/max flow values were assigned to the wrong node
C. Find the node number of correct node
        DO \(855 \quad K=1, \mathrm{JN}\)
            IF \{ NNAME(K) .EQ. NAME1 ) GO TO 858
855 CONTINUE
    WRITE (*,1814) NAME1
        GO TO 832
\(C\) Replace the node number, NLIM(K). with the correct number, K
\(858 \quad \operatorname{NLM}(K X+1)=K\)
833 WRITE ( *,1817) NNAME(NLIM(KX+1))
    READ ( *.9003 ) DUMMY
```

| IF ( OUMMY | .GT. | 0.005 | ) | FLOMIN(1) | - DUMMY |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| WRITE ( *.1818 | ) NNAME(NLIM(KX +1$)$ ) |  |  |  |  |  |
| READ ( *.9003 | ) DUMmy |  |  |  |  |  |
| if ( DUMMY | .GT. | 0.005 | 1 | FLOMAX (KX) |  | DUMMY |

835 CONTINUE
GO TO $\quad 80$
C Entry of sub-seasonal crop water requirements
600 WRITE (*,6000)
READ ( $*, 9001)$ ANS
IF ( ANS .EQ. ' $Y$ 'OR. ANS .EQ. $\boldsymbol{Y}$ ' ) GO TO 605
GO TO 662
C Calculate the constant water demand U(i,j,k)NSS(i)
605 DO $610 \quad J=1, ~ h J$
DO $610 \mathrm{~K}=1, \mathrm{KK}$
DO $610 \quad i=1,3$
WCONST $=U(1, \mathrm{~K})$ NSS $(0)$
DO 610 IS=1,NSS()
610 WCOEF $(1, d, K, I S)=$ WCONST

C Display the constant water demand of each crop each season, paged
C by district
615 WRITE (*,6010)
READ (*,9002) FCROP
IF ( ICROP .LE. 0 ) GO TO 655
DO $625 \quad L=1,4$
$J=\mathbf{L}$
C Allow only specific crops to be reviewed
IF ( KCROP .LT. 99 ) $\mathrm{J}=$ ICROP
NTIMES $=$ KK/15 +1
NBEG $=1$
DO $645 \quad \mathrm{~L}=1$, NTIMES
DO $645 \quad I=1,3$
WRITE ( $*, 6002$ ) $\operatorname{NAME}(\mathrm{N}), \quad$ I
NEND $=15+$ NBEG
IF ( NEND .GT. KK ) NEND = KK
WRITE ( ${ }^{*}, 6021$ ) (IS, IS=1,NSS(1) )
643 DO 646 K=NBEG, NEND
$C$ Find the district name to match the district
006465 KLOOK $=1, \mathrm{JRR}(1)+1$
IF ( KIRR(KLOOK) .EQ. K ) GO TO 646
6465 CONTINUE
646 WRITE ( $*, 6022$ ) K IDNAME(KLOOK), KNAME(K),
1 ( WCOEF( $1, \mathrm{~J}, \mathrm{~K}, \mathrm{IS}) . \quad \mathrm{IS}=1, \mathrm{NSS}(0)$ )
WRIIE (*,6003 )
READ ( *,9002 ) NX
IF (NX .LE O) GO TO 645
C. Check if the wrong file read

WRITE ( $\quad, 6005$
READ $\{*, 9001) \quad$ ANS
IF ( ANS .EQ. 'y' .OR. ANS .EQ. $r$ ) GO TO 662
C Determine il a whole row or whote column will be changed
WRITE (*,6020)
READ ( *,9002 ) ICHOIX



```
500 DO 550 I=1,3
    DO 550 IS=1,NSS(I)
            WRITE ( *,5000 ) IS, I
            READ {*,9003 ) DURATN(I,IS)
C Check that the duration is correct before continuing
            WRITE ( *,5001 ) DURATN(I,IS), I, IS
            READ (*.9001 ) ANS
                IF ( ANS .EQ. "Y OR. ANS .EQ. 'Y ) GO TO 501
C Calculate flow restrictions from the DURATN in days of the sub-season
            DO 505 N=1,NLIM(1)
                FLMIN(I,IS,N) = FLOMIN(N) * DURATN(I,IS) * 0.0864
                FLMAX(0,IS,N) = 99999
            IF ( FLOMAX(N) .LT. 99999 )
                FLMAX(O,IS,N) = FLOMAX(N) * DURATN(IS) * 0.0864
505 CONTINUE
C Calculate isrigation channel capacities from the DURATN in days
            DO 510 N=1, |lRR(1)
                CHCP(I,IS,N) = 99999
            IF ( CCAPI(N+1) .LT. 99999 )
    1 CHCP(I,IS,N ) = CCAPI(N+1) * DURATN(I,IS) * 0.0864
5 1 0 ~ C O N T I N U E
C Calculate the diversion channel capacities from the DURATN in days
C and 'set channel losses constant
            DO 515 N=1,NDIV(1,1)
            CHCPD(I,IS,N) = 99999
            IF ( CCAPD(N+1) .LT. 99999 )
    1 CHCPO(IIS,N ) = CCGAPD(N+1) * DURATN(I,IS) * 0.0864
515 CHLSS(IS,N) = CLOSS(N+1)
C Set reservoir limits constant
            DO 520 N=1,NRES(1)
                SMIN(I,IS,N) = SLO(N+1)
                520 SMAX(,IS,N) = SUP(N+1)
                    C If there are irrigation retum Hlows, set the percentage constant
            IF ( IRT .LE. 0 ), GO TO 550
            DO 525 N=1,IRT
525 P1(I,IS,N) = C1(N)
5 5 0 ~ C O N T I N U E
C For the review, entry or saving of variable constants, use the
C VARDATA subroutine
    CALL VARDATA (.JN. IRT )
c JN = lotal number of nodes
c IRT = number of instances of irrigation return flows
        NALLO2 = 1
        GO TO 25
C All the values have now been updaled. The file b:PLAN.OATA will be
C prepared for inclusion as a sparsedata SAS.OR datafile.
c
C Check that INFLOWS have been entered
700 IF (NALLOW GT. O ) GO TO 701
    WRITE (*,7100 )
        GO To 400
c Check that CWR have been entered
```

```
701 IF ( NA\amalgO1 .GT. O ) GO TO 702
    WRITE (*,7101 )
    GO TO 600
C Check that the duration of the subseasons has been entered
702 NSSUM = NSS(1) + NSS(2) +NSS(3)
    IF (NSSUM .LE. 3 .OR. NALLO2 .GT. O ) GO TO 705
    WRITE (*,7102 )
    GO TO 500
C Convert CWR to Mm3
705 DO 715 I=1,3
    DO 715 J=1,N
    DO }715\textrm{K}=1,\textrm{KK
    DO 715 IS=1,NSS(0)
715 WCOEF(I,J,K,IS) = WCOEF(I,J,K,IS) / 1000
C Convert percent values for inclusion in LP calculations
        DO }750\quadI=1,
        DO 750 IS=1,NSS()
        DO 740 N=1,JDN(1,1)
            CHLSS(I,IS,N) = CHLSS(I,IS,N) / 100
        DO 745 N=1,IRT
            P1(I,IS,N) = P1(I,S,N) / 100
            CONTINUE
C Ask that the PLAN.DATA diskette be inserted
        WRITE (*.1010)
        READ (*,9001 ) ANS
        OPEN (8, FILE='B:PLAN.DATA', STATUS='OLD')
        WRITE (8,2000 )
C
C Alt the values for the sparsedata file have been defined for the run.
C The variables of the continuity constraint will be written
    CALL CNT (JN, IRT )
c JN = total number of nodes
c IRT = number of instances of irrigation return flows
    CALL DATALN ( JJ, KK, MINCRP, LANDIF, NMAX, NREM, JN )
c JJ = number of crop varieties
c KK = number of irrigation districts
c NMAX = total number of production targets by season and crop
c NREM = number of targels to be written on last line
c JN = total number of nodes
c
C OBJECTIVE FUNCTION
        DO 755 I=1,3
        DO 755 J=1,NJ
        DO 755 K=1,KK
755 Q(1,J,K)=P(1,J,K)-F(1,J,K) - CL(1,J,K) - U(1,J,K)WW(1,K)
C Now the lijjkk variables will be written.
        DO 760, K=1,KK
        0O 760, J=1,MJ
        DO 760, I=1,3
            IF (TlN,@ LE. 0.0 ) GO TO 760
                CALL CHOICE ( l, J, K MINCRP, LANDIF)
c I = season index
```









```
C Find the non-zero elements of YMIN and fill NMINU(ji) and NMINI(j),
C records of the crop and season numbers with non-zero min.prodquotas.
                J1 = 0
        DO 60 I = 1,3
        DO 50 J=1,2J
            IF ( YMIN (1,&) LE. 0.0 ) GO TO 50
                    = Jt + 1
                NMINJ(J1) = J
                NMINI(J1) = 1
            CONTINUE
        CONTINUE
C Assign the values of number of cards with three full values, NMAX, and
C the number of non-zero min.prod.quotas left over, NREM, = 1 or 2.
                    NMAX = J1/3 * 3
                    NREM = J1 - NMAX
c
C Debug of mincrp = 1 functions
C write \(\quad(*, 900) \quad\) J, \(j 1, \quad\) nmax, nrem
\begin{tabular}{|c|c|}
\hline \multicolumn{2}{|l|}{\multirow[t]{2}{*}{C}} \\
\hline & \\
\hline
\end{tabular}
C 1(j+2),nmini(j+2), j=1,1,3 )
C900 format (4i5)
C950 format (6i5 )
1000 FORMAT (' For the crop', A10,' in season',13,' from now, what is
```




```
1003 FORMAT ( These are the minimum required production entered. if )
        1you wish to combine some crops under one production quola, you can
        2 do so tater (providing you typed 2 or 3 to answer the very first
    3question). Note the crop number, the inleger to the left of the c
    4rop name, of the crops you will wanl to combine.'f Do you wish to
    5 make corrections to this table? Answer 0 or nothing for none
    Grequired, or the number of wrong entries: 7
1004 FORMAT ( ' What is the integer to the left of an incorrecl entry?
    1 What is the season7/f Enter a number for the integer, a space, a
    2nd a number for the season: ?
2000 FORMAT ( F9.0 )
2001 FORMAT ( 212 )
C
        RETURN
        END
~Z
        SUBROUTINE CONFIG (NADD, JI, JR, JS, JD. JT, J )
c NADD = initialization code, 1= starting afresh
c \ll number of irrigation nodes plus 2
c JR = number of reservir nodes plus 2
c JS = number of nodes not spilling to node numbered one higher plus 2
c JD = number of diversions plus 2
c JT = number of tributaries plus 2
c J = tolal number of nodes
```

```
c This subroutine defines the configuration of the system, the
C reservoirs, irrigation districts, hydroelectric plants etc.
            COMMON/SHC/ JIRR(21), JRES(25). JNOSPL(20), JDN(2,15)
        COMMONSHP/ JTRB(2,10), SLO(25), SUP(25), J1(2,10), C1(10)
        COMMON/CAPI KIRR(21),CCAPI(21), CCAPD(15),CRHS(3,35,5), CLOSS(15)
        COMMON/FLO/ NLIM(21). NSS(3). FLOMIN(20), FLOMAX(20)
        COMMONNOM/ JNAME(40), IDNAME(21)
        DIMENSЮN KIR(5)
c KIR is a temporary vector of all the irrigation districls which are
c served by one node
        CHARACIER * }12\mathrm{ JNAME, fNAME
        Character * 4 IDNAME
        CHARACTER * 2 ANS
c
        WRITE (*,1000 )
        READ (*,9001) ) ANS
        IF ( ANS .EQ. 'N' OR. ANS .EQ. ' }n\mathrm{ ' ) GO TO 110
C To add (continue from 80) or start from scratch:
        IF ( NADD .GT. 1 ) GO TO so
            Jl=2
            JR = 2
            JS = 2
            JD = 2
            JT = 2
            J = 1
        CCAPD(1) =0
        CCAPD(1) = 0
        CLOSS(1)}=
            SLO(1)}=
            SUP(1) = 0
            KIRR(1) = 0
C First of new configuration:
        WRITE ( *.1001 )
        READ (*.9000 ) JNAME(J)
C Common set of entry questions:
10 WFITE (*,2002 ) JNAME(N)
        READ ( *,9001 ) ANS
        IF ( ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 305
                    JRES(JR) = J
            WRITE (*,8001 ) JNAME(\)
            READ (*,9003 ) SUP(UR)
            WRITE ( *,8003 ) JNAME(\)
            READ ( *,9003 ) SLON(N)
                    JR = JR + 1
            WRITE (*,3015 ) JNAME(S)
        READ (*,9001 ) ANS
            IF ( ANS .EQ. r' .OR. ANS .EQ ''' ) GO TO 306
            GO TO 30
C Any limits to minimum or maximum downstream releases
306 WFITE (*,3016 ) JNAME(J)
    READ (*.9003 ) FLOMIN(NLIM(1))
    WRITE ( *,3017 ) JNAME(J)
```





## END

c



```
298 CONTINUE
            GO TO 1001
\(299 \quad 00202 \quad K K=K 1, J T R B(1,1)\)
            KPLUS \(=K K+1\)
        \(\operatorname{JTRB}(1, K K)=J T R B(1, K P L U S)\)
\(202 \operatorname{JTRB}(2, \mathrm{KK})=\mathrm{JTRB}(2, \mathrm{KPLUS})\)
        \(\operatorname{JTRE}(1,1)=\operatorname{JTRB}(1,1) \quad-1\)
                \(I T=I T-1\)
            GO TO 1001
C. The node is a new tributary
64 WRITE (*,4001)
        WRIIE ( *,9004 ) ( \(K\), JNAME(K), \(K=1\), (JN) )
        WRITE ( *,3001 ) JNAME (I)
        READ ( *,9002 ) JDUMMY
        IF ( JDUMMY LE. 0) GO TO 200
            \(\operatorname{JTRB}(1,1)=\operatorname{JTRB}(1,1)+1\)
            DO 165 JT \(=2, \mathrm{JTRB}(1,1)\)
            IF (JTRB(1,J) .GT. 1) GO TO 166
165 CONTINUE
166 CALL LOOPMK \{ JTRB(1,1), 1, JT, KTOP, KOLD,KSTOP )
JTRB(1.t) \(=\) number of tributary nodes
            \(1=\) number of nodes to be added
            \(\mathrm{JI}=\) place in vector after which a node will be added
        KTOP \(=\) new final number of nodes in the vector, a number to be
            calculated
        KOLD \(=\) old final number of nodes in the vector, a number to be
                    calculated
        KSTOP \(=\) the number of times nodes in the vector need to be shifted to
            make space for the new nodes, a number to be calculated
        DO \(167 \mathrm{~K}=1, \mathrm{KSTOP}\)
            \(\operatorname{JTRB}(1, \mathrm{KTOP}-\mathrm{K})=\mathrm{JTRB}(1, \mathrm{KOLO}-\mathrm{K})\)
            \(\mathrm{JTRB}(2, \mathrm{KTOP}-K)=\mathrm{JTRB}(2, \mathrm{KOLO-K})\)
                \(\operatorname{JTRB}(1, J)=1\)
                \(\operatorname{JTRB}(2, \mathrm{~J}) \quad=\mathrm{JDUMMY}\)
                        \(\mathrm{IT}=\mathrm{II}+1\)
            GO TO 1001
C The node was already defined as a tributary flow but to the wrong
C. node
65 WRITE (*,4001)
    WRITE (*,9004 ) (K, JNAME(K), \(K=1, \quad\) (UN) )
    WRITE ( *,3001 ) JNAME ( 1
    READ ( *,9002 ) JDUMMY
    IF ( JOUMMY .LE. 0 ) GO TO 200
                \(\operatorname{JTRB}(1, I T-1)=1\)
                \(\operatorname{JTRB}(2, I T-1)=J D U M M Y\)
            GO TO 1001
C There is a mistake in saying JNAME() diverts
C - it does divert but is not listed
C - it doesnt divert at all
C - it diverts to a different node from the one listed
300 WRITE (*,3000) JNAME (l)
    READ \(\left({ }^{*}, 9000\right)\) FNAME
```



```
        IF ( ANS .EQ. 'N' .OR. ANS .EQ. ' }n\mathrm{ ' ) GO TO 558
C A new diversion has been entered
    JDN(2,JDN (1,1)+2) = 1
    JDIV(1,JDN(1,1)+2) =
    WRITE ( *,4000 )
    READ (*,9003 ) CCAPD(NDIV(1,1)+2)
    JDN(1,1)=\operatorname{JDN}(1,1)}+
    NAME4 = JNAME(K)
    GO TO 1001
C Only the node from which water is diverted has changed
558 JDFV{1,IM} = K
        NAME4 = JNAME(K)
        GO TO 1001
C The node does not even divent waler to any other node.
560 WRITE (*,3004 ) JNAME(l)
        READ ( *.9001 ) ANS
        NAME4 =
        IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'Y' ) GO TO 1001
            JDIV(1, ) = JDIV (1,1) - 1
            DO 565 K=IM,JDN(1,1)
                KPLUS =K + 1
            CCAPD(K) = CCAPD(KPLUS)
            JDN(1,K) = JDN(1,KPLUS)
565 JDN(2,K) = JDNV(2,KPLUS)
        NAME4 = '-..
                GO TO 1001
C There was an error in the irrigation node or file
600 WFITE (*.6000) JNAME(l)
        READ (*,9002) DX
        GO TO (625, 650, 675 ) \X
        GO TO 1001
C Ther was an error in the name of the irrigation district
        READ (*,9000) FNAME
            IF ( FNAME EO. . , ) GO TO 1001
                IDNAME(IG-1) = FNAME
        GO TO 1001
C The INTEGER of the district needs changing
625 WRITE (*,6001) JNAME{0)
    READ (*,9005) ( KIR(N), N=1,5 )
    If ( KIR(1) LE. 0 ) GO TO 650
        KIRR(GG-1) = KIR(1)
        WRITE (*,6002) KIRR(IG-1)
        READ (*,9006) IDNAME(IG-1)
        DO 630 L=2,5
            IF ( KIR(L) LE. 0 ) GO TO 1001
C Open up KIRR, JIRR, IDNAME and CCAPI vectors
            CALL LOOPMK (JIRR(1), 1, KG, KTOP. KOLD, KSTOP )
        JIRR(1) = number of irrigation nodes
            1= number of nodes to be added
            IG = place in vector after which a node will be added
            KTOP - mew final number of nodes in the vector, a number to be
```



```
\begin{tabular}{llll} 
WRITE & \(\left({ }^{*}, 6002\right)\) & KIRR(IG) \\
READ & \(\left({ }^{*}, 9006\right)\) & IDNAME(IG) \\
& IG \(=1 G\) & +1
\end{tabular}
            DO 39 L=2,5
            IF ( KIR(L) .LE. 0 ) GO TO 1001
C Open up KIRR, JIRR, and CCAPI vectors
            CALL LOOPMK (JIRR(1), 1, GG, KTOP, KOLD, KSTOP )
            JIRR(1) = number of irrigation nodes
                1 = number of nodes to be added
            IG = place in vector after which a node will be added
        KTOP = new final number of nodes in the vector, a number to be
                calculated
        KOLD = old final number of nodes in the vector, a number to be
                calculated
        KSTOP = the number of times nodes in the vector need to be shifled to
            make space for the added node, a number to be calculated
                DO 38 K=1,KSTOP
                    \IRR(KTOP-K) = UIRR(KOLD-K)
                    MIRR(KTOP-K) 
                CCAPIKTOP-K) = CCAPIKOLD-K
                    KIRR(GG) = KIR(L)
                    MIRR(GG)}=
                    CCAPI(IG) =0
                    WRITE (*,6002) KIRR(GG)
                    READ (*,9006) IDNAME(GG)
                    IG=K}+
        GO TO 1001
            C There was an error in the irrigation capacity
700 WRITE (*,4000)
        REAO (*,9003) CCAP(IG-1)
            GO TO 1001
C There was an error in the reservoir capacities at this node
800 WRITE (*,8000) JNAME(0)
        READ (*,9002) DX
        GO IO (825, 850, 875 ) X
        GO TO 1001
C There was an error in the capacity
825 WRITE (*,8001 ) JNAME(I)
        READ (*,9003 ) SUP(PR-1)
        GO TO 1001
C There really is no reservoir at this node, delete from JRES and EVAP
C SLO and SUP
850 DO 865 K=(1R-1),NRES(1)+1
            KPLUSS = K + 1
            SUP(K) = SUP(KPLUS)
            SLO(K) = SLO(KPLUS)
                        JRES(K) = JRES(KPLUS)
            JRES(1) = JRES(1) - 1
                |R=|R - 1
                GO TO 1001
C There really is a reservoir at this node
```




```
c JP = number of nodes to be added
c K = place in veclor after which a node will be added
c KT = new final number of nodes in the vector, a number to be
    kO = calculated final number of nodes in the vecior, a number to be
    KO = old final number of nodes in the vector, a number to be
    calculated
c KS = the number of times nodes in the vector need to be shifled to
c make space for the added nodes, a number to be cakculated
c This function subroutine defines three variables used to open up
c vectors so that new nodes will be entered in ascending order in the
c vector
    KT = J + 2
    KO = KT | JP
    KS = KO -K
        RETURN
        END
c
subroutine delete (i. JN)
c I = node number of the current line
c JN = total number of nodes
c
c This subroutines deletes the node(s) downstream of the node listed in
c the curent line of the REVIEW table
        COMMON/SHC/ JIRR(21). JRES(25). JNOSPL(20). JJNV(2,15)
        COMMON/SHP/ JTRB(2,10), SLO(25), SUP(25), J1(2,10), C1(10)
        COMMON/CAP/ KIRR(21),CCAP1(21). }\operatorname{CCAPD(15),CRHS(3,35,5), CLOSS(5)
        COMMONFLO/ NUM(21), NSS(3), FLOMIN(20), FLOMAX(20)
        COMMON/NOM/ JNAME(40), IDNAME(21)
        CHARACIER * }12\mathrm{ JNAME, FNAME
        CHAPACTER * 4 IDNAME
        Character * 2 ans
c
c Determine IPY = 1 + 1t the downstream node has flow restrictions
        DO 203 K=2,NLIM(1)
            IF (NLIM(K) .EQ. IPI ) GO To 205
203 CONTINUE
            GO TO 207
c it does, remove from those vectors
205 DO 206 KK=K,NLIM(1)
            FLOMIN(K@) = FLOMIN(KK+1)
            FLOMAX(K@) = FLOMAX(KK+1)
                        NLM(K@) = NLMM(KK+1)
                NLIM(1) = NUM(1) - 1
c Determine if the downstream node has irrigation deliveries
207 DO 208 K=2,|IRR(1)
            IF (JIRR(K) .EQ. (P1) ) GO TO 310
zOB CONTINUE
            GO TO 313
c It does, remove from those vectors
310 DO 312 KK=KN|RR(1)
```







332 CONTINUE
DO $333 \quad K=2$,(JRES(1) +1 ) IF ( JRES $(K) \quad$ GT. 1$) \operatorname{JRES}(K) \quad=\operatorname{JRES}(K) \quad+\mathrm{JPLUS}$
333 CONTINUE
DO $334 \mathrm{~K}=2$,(JNOSPL(1) $\quad+1$ ) IF ( JNOSPL(K) GT. I) JNOSPL(K) $=$ JNOSPL(K) + JPLUS
334 CONTINUE
DO $335 \mathrm{~K}=2,(\operatorname{JDIV}(1,1) \quad+1)$

| IF $(\operatorname{JDN}(1, K)$ | GI. 1$) \operatorname{JDIV}(1, K)$ | $=\operatorname{JDIV}(1, K)$ | $+\operatorname{JPLUS}$ |
| :--- | :--- | :--- | :--- | :--- |
| IF $(\operatorname{JDV}(2, K)$ | GI. 1$) \operatorname{JDIV}(2, K)$ | $=\operatorname{JDV}(2, K)$ | $+\operatorname{JPLUS}$ | CONTINUE

DO $336 \quad \mathrm{~K}=2$, (NLIM $(1) \quad+1)$ IF ( NLIM(K) GI. I ) NLIM(K) $=$ NLIM(K) + NPLUS

336 CONTINUE
CALL LOOPMK( (JN-1), JPLUS, (1+1), KTOP, KOLD, KSTOP )
$\mathrm{JN}-1=$ number of nodes
JPLUS $=$ number of nodes to be added
$1+1=$ place in vector after which a node will be added
KTOP $=$ new final number of nodes in the vector, a number to be
calculated
KOLD $=$ old final number of nodes in the vector, a number to be catculated

KSTOP $=$ the number of times nodes in the vector need to be shifted to
make space for the now nodes, a number to be calculated
DO $337 \mathrm{~K}=1, \mathrm{KSTOP}$
JNAME(KTOP-K) $\quad$ JNAME(KOLD-Ю
C If the upstream node was at the end of the stream, the JNOSPL vector
C will contain the latest new downstream node ICOMPR $=1+$ JPLUS

ISMN $=$ IS -1
IF ( JNOSPL(ISMN) IEQ. ICOMPR $\quad$ ) JNOSPL(ISMN) ICOMPR + JPLUS
C
C Second the various components for each new node will be entered
DO $500 \quad \mathrm{~N}=1, \mathrm{JPL}$ US
$C$ The names of the nodes
$340 \quad 1=1+1$
WRITE ( *,3010 ) JNAME(I-1)
READ ( *,9000) ) JNAME ( )
WRITE ( *,3015 ) JNAME()
READ ( *.9001) ANS
IF (ANS .EQ. ' $Y$ ' OR. ANS .EQ. ' $Y$ ' ) GO TO 3405 GO $\quad$ TO $\quad 3406$
C Any limits to minimum or maximum downstream releases
3405 WRITE ( *, 3016 ) JNAME()
READ ( *.9003 ) FLOMIN(NLIM(1))

```
        WRITE ( *,3017 ) JNAME{\
        READ ( *,9003 ) FLOMAX(NLIM(1))
        IF ( FLOMAX(NLIM(1)) .LE. 0 ) FLOMAX(NLIM(1)) = 99999
        NLM(1) = NLIM(1) + +1
        NLMM(NUM(1))}=
    C Any diversions
3406 WRITE ( *,4000 ) JNAME(0
        READ (*.9001 ) ANS
        IF ( ANS .EQ. 'r .OR. ANS .EQ. 'Y' ) GO TO 341
            GO TO 20
        WRITE (*,4001 )
        WRITE (*,4002 ) JNAME(0)
        READ (*,9002 ) JDUMMM
        IF (JDUMMY .LE. 0 ) GO TO 20
            JDN(1,1) = JDNV(1,1) + 1
            JDN(1,(JDIV (1,1)+1) = JDUMMM
            \operatorname{Jiv}(2,4\operatorname{UNV}(1,1)+1))}=
            WRITE ( *,3032 )
            READ (*,9003 ) CCAPD(flDVV(1,1)+1))
            WRITE ( *,3035 )
            READ (*.9003 ) CLOSS(NDN(1.1)+1))
20 WFITE (*,2002 ) JNAME(0)
        READ (*,9001 ) ANS
        IF (ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 30
        JRES(1) = JRES(1) + 1
        DO 353 KK=2,NRES(1)
        IF { JRES(K@ .GT. 1) GO TO 355
        continue
        CALL LOOPMK( JRES(1), t, KK, KTOP. KOW, KSTOP )
    JRES(t) = number of nodes
        1 = number of nodes to be added
        KK = place in vector after which a node will be added
        KTOP = new final number of nodes in the vector, a number to be
            calculated
        KOLD = old final number of nodes in the vector, a number to be
        calculated
        KSTOP = the number of times nodes in the vector need to be shifted to
            make space for the new nodes, a number to be calculated
        DO 356 K=1,KSTOP
            SLO(KTOP-K) = SLO(KOLO-K)
            SUP(KTOP-K) = SUP(KOLD-K
            JRES(KTOP-K) = JRES_KOLO-K)
        WRITE ( *,8001 ) JNAME(0
        READ ( *.9003 ) SUP(K$)
        WRITE ( *,8003 ) JNAME(|)
        READ ( *,9003 ) SLO(KK)
            JRES(K1) = 1
                        IR = \mathbb{R + P}
C Any irrigation district
30 WFHTE (*2003 ) JNAME()
```

```
        \(\operatorname{READ}\left({ }^{*}, 9005\right.\) ) \(\operatorname{KIR}(1), \operatorname{KIR}(2), \operatorname{KIR}(3), \quad \operatorname{KIR}(4), \quad \operatorname{KIR}(5)\)
            If ( KIR(1) .LE. 0 ) GO TO 500
                \(\operatorname{JIRR}(1)=\operatorname{JRRR}(1)+1\)
                DO 363 KK \(=2\) JIRR(1)
                IF ( JIRR(KK) GT. 1) GO TO 364
            CONTINUE
                CALL LOOPMK( JIRR(1), 1, KK KTOP. KOLD, KSTOP )
\(\operatorname{JiRR}(1)=\) number of nodes
            \(1=\) number of nodes to be added
            KK \(=\) place in vector after which a node will be added
        KTOP \(=\) new final number of nodes in the vector, a number to be
                calculated
        KOLD \(=\) otd linat number of nodes in the vector, a number to be
                calculated
    KSTOP \(=\) the number of times nodes in the vector need to be shifted to
                make space for the new nodes, a number to be calculated
        DO \(366 \mathrm{~K}=1\),KSTOP
            KIRR(KTOP-K) \(\quad=\) KIRR(KOLD-K)
            CCAPI(KTOP-K) \(=\) CCAPI(KOLD-K
        IDNAME(KTOP-K) \(\quad=\) IDNAME(KOLD-K)
            \(\operatorname{JIRR(KTOP-K)}=\operatorname{JIRR}(K O L O-K)\)
                \(\operatorname{JIRR(K)}=1\)
                \(\operatorname{KIRR(KK)}=\operatorname{KIR}(1)\)
            WRITE ( *,3032 )
            READ ( *.9003 ) CCAPI(KK)
            WRITE ( *,2034 ) KIRR(KK)
            READ ( \(* .9006\) ) IDNAME(KK)
                IG \(=1 G+1\)
            DO \(39 \quad \mathrm{~L}=2,5\)
            IF ( KIR(L) LE. O ) GO TO 500
                \(\operatorname{JiRR}(1)=\operatorname{JIRR}(1)+1\)
                DO \(393 \quad K K=2, \mathrm{JlRR}(1)\)
                    IF ( JIRR(KK) .GT. I) GO TO 394
                        continue
                CALL LOOPMK JIRR(1), 1, KK KTOP. KOLD, KSTOP )
JIRR(1) \(=\) number of nodes
            \(1=\) number of nodes to be added
            KK = place in vector after which a node will be added
            KTOP \(=\) new final number of nodes in the vector, a number to be
                calculated
            KOLD \(=\) old linal number of nodes in the vector, a number to be
                calculated
    KSTOP \(=\) the number of times nodes in the vector need to be shitted 10
                        make space for the now nodes, a number to calculated
        DO \(396 \mathrm{~K}=1, \mathrm{KSTOP}\)
            KIRR(KTOP-K) \(=\) KIRR(KOLD-K)
            CCAPI(KTOP-K) \(=\) CCAPI(KOLD-k)
        IDNAME(KTOP-K) \(\quad=\) IDNAME(KOLO-K)
            \(\operatorname{JRR}\) (KTOP-以) \(\quad=\quad\) JIRR(KOL-к)
                \(\operatorname{JIRR}\) (K \()^{=}=1\)
                KIRR(KKA \(=\) KIR(L)
                WRITE ( *,2034 ) KIRR(KK)
```



```
9006 FOPMAT (A4 )
C
1001 CONTINUE
        RETURN
        END
n
    SUBROUTINE CHANGE (w, KK, W, HH, MINCRP. LANDIF, NX, IFS, NOGO
)
c This subroutine reviews the information in b:CROPS, amending where
c required
    DIMENSION W(3,20), HH(3,20)
    150,20),
    COMMON NEW1/ WD(3), NG(3), JCROP(3,50,10), PCROP(3,25), LNGTH(50)
    COMMON /PROD/ YMIN(3,50), NMINN(50). NMINI(3)
    COMMON KROP/ NAME(50)
    COMMON DDELTN/ [X(50)
    COMMON NOM/ JNAME(40), IDNAME(21)
    COMMON KCAP/ KIRR(21)
C
        CHARACTER - }12\mathrm{ JNAME
        CHARACTER * & NAME
        CHARACTER * 4 IDNAME
        CHARACTER * 2 ANS
            NOGO =0
c
C Determine what needs reviewing or changes. After looking at one set
C of data, the program returns for another choice.
100 IF (LANDF GT. 0 ) GO TO 110
            WRITE (*.1001 )
            GO TO 130
110 WFITE (*,1000)
130 READ (*,2000) FCHOMX
        GO TO (40, 10, 30, 50, 60, 70, 20 ) KHOMX
            GO TO 80
        CONTINUE
C All the season district - crops tables will need revision.
C
C. TABLES BY DISTRICT OF VALUES FOR UPDATE
        DO 25 1 = 1,3
        DO 25 K = 1,KK
            CALL CROPTB ( I, K, J, MINCRP, KK, NOGO )
                IF ( NOGO .EQ. 99 ) GO TO 80
25 CONTINUE
        GO TO 100
C Review costs or limits of disparate amounts of idle land in the
C objective function.
20 CAlL COSTS ( w, KK, LANDIF )
    GO TO 100
C
C TABLE OF WATER PRICES ANO TOTAL ARABLE LAND BY DISTRICT
C Water costs and land available table needs revision.
```



```
                    WO(1) = WO(2)
            W(2,\)}=W(3,k
            HH(2,4) = HH(3,K)
                WD(2) = WO(3)
            w(3,1)}=W(1,K
            HH(3,K) = HH(1,K)
                WD(3) = WO(1)
        DO 65 J=t,N
C First to be assigned are the data which appear in all formulations:
C Reassign season 1 data equal to last times season 2
            P(1,N,K)}=P(2,N,W
            Y(1,N,K) = Y(2N,M)
            F(1N,K) = F(2,N,G)
            CL{N,K) = CL{N,W)
            U(1,N,K)}=|(2,N,k
            T(1,N,K)=T(S,N,K)
C Reassign season 2 data equal to last times season 3
            P({,N,W)}=\mp@subsup{P}{(3,N,W)}{
            Y(2,N,N) = Y(3,N,\
            F(2,N,K)=F(3,N,K)
            CL(2,N,K)}=\textrm{CL}(3,N,W
            U(2,N,W)}=|(3,N,W
            T(2,N,W) = T(3,N,4)
C Reassign season 3 data equal to new season 1 data
            P(3,N,K) = P(1,K)
            Y(3,N,K)}=Y(1,N,K
            F(3,N,G) = F(1,N,G)
            CL(3,NK) = CL(1,NK)
            U(3,NM)}=\textrm{U}(1,\textrm{N},\textrm{K}
            T(3,N,W)}=T(1,N,6
C Now assign the values which are specifich to this run.
            IF ( MINCRP GE. 1 AND. MINCRP LT. 3 ) GO TO 62
            B(1,J,K)=B(2,J,K)
            B(2,J,K) = B(3,J,K)
            B(3,J,G)=B(1,J,M)
            IF ( MINCRP .LT. 1 ) GO TO 65
            YMIN(1,N) = YMIN(2,N)
            YMIN(2,N) = YMIN (3,N)
            YMIN(3,J) = YMIN(1,N)
            IF { MINCRP .LT, 2 } GO TO 65
                NG(1)}=NG(2
                NG(2) = NG(3)
                NG(3) = NG(1)
            PCROP(1,N) = PCROP(2, )
            PCROP(2,J) = PCROP (3,N)
            PCROP}(3,\sqrt{}{\prime})=\operatorname{PCROP}(1,N
            DO 64 N=1,10
                JCROP(1,N,N) = JCROP(2, N,N)
                JCROP}(2,J,N)=JCROP(3,J,N
                    JCROP(3,N,N)=JCROP(1,N,N)
    65 CONTANLE
                        IFS = WFS + 1
```



```
C A district is to be deleted
            NTIMES \(=0-\) NTIMES
    DO 75 NX=1,NTIMES
            WRITE (*,107i) NX
            READ ( *.2000 ) K
C Find district name
    DO \(170 \quad K 1=2, K K+1+N T I M E S\)
            IF ( \(\operatorname{KIRR}\left(\mathrm{K}_{1}\right) \quad\) EO. K ) GO TO 72
170 CONTINUE
C No district \(K\) in configuration, return to 70
    WRITE \((*, 4004) \quad K\)
        GO \(\quad 10 \quad 70\)
72 WRITE ( *, 1072 ) K IDNAME(K1)
            READ ( *.2002 ) ANS
                IF ( ANS .EQ. \(\gamma\) 'OR. ANS .EO. \(Y\) ) GO TO 73
                    GO TO 71
            DO \(75 \mathrm{KD}=\mathrm{K}, \mathrm{KK}\) + NTIMES 1
                    \(K P=K D+1\)
            DO \(75 \quad 1=1,3\)
                \(W(1, K D)=W(1, K P)\)
                \(\mathrm{HH}(1, \mathrm{KD})=\mathrm{HH}(1, \mathrm{KP})\)
            DO \(75 \quad J=1, k\)
            \(P(0, J, K D) \quad=P(1, J, K P)\)
            \(Y(1, J, K D)=Y(1, J, K P)\)
            \(F(N, K O)=F(N, N, K P)\)
            \(C L(1, J, K D)=C L(I N, K P)\)
            \(U(1, J, K D)=U(1, J, K P)\)
            \(T(1, J, K D)=T(1, J, K P)\)
            \(B(1, J, K D)=B(N, K, K P)\)
        GO TO 100
\(77 \quad\) DO \(79 \quad \mathrm{I}=1,3\)
        DO 79 K=KK-NTIMES + 1,KK
            CALL CROPTB ( \(\mathrm{I}, \mathrm{k}, \mathrm{w}, \mathrm{MINCRP}, \mathrm{KK}\) NOGO)
            IF ( NOGO EQ. 99 ) GO TO 80
79 CONTINUE
        GO TO 100
C
1000 FORMAT ( ' How much would you like to review or correct?'/ Enter
        17 - Only the cosis of disparate amounts of idle land in one season
        2.' IX'6 - Only add or delete one or more districts'/7X, '5 - Ont
        3y have the current season 1 and season 3 data replaced with season
        4/12X,'2 and season 2 data with the previous season \(3^{\prime} / 7 \times, 4\) - Onl
        5y the length of the growing season.'/7X,'3 - Only the district dat
        6a lable showing land available and water costs. \(/ 7 \mathrm{X},{ }^{\prime} 2\) - All the c
```



```
    like to change? ]
5004 FORMAT (' What is the correct code for the crop '.A10,'? )
6000 FORMAT ( ' If allowed the data will be assigned one season ahead,
    if ie. season 1 = season 2 of last run'
    2f season 2 = season 3 of last run'
    3r season 3 = newly delined season 1.'f Answer }\gamma\mathrm{ if
    4 this is what you want to do. ')
C
80 CONTINUE
    RETURN
    END
c
    SUBROUTINE CHANJT (NCHANJ, J, K, I, MINCRP, NEND, NX, KK )
c. This subrouline corrects items in the CROPS table
    COMMON SHR/ P(3,50,20), Y(3,50,20), CL(3,50,20), F(3,50,20), U(3,
    150,20), T(3,50,20), B(3,50,20), Q(3,50,20
    COMMON CROP/ NAME(50)
    COMMON DELIN/ DX(50)
    COMMON NOMI JNAME(40). IDNAME(21)
    COMMON CAP/ KIRR(21)
    CHARACIER * 4 IDNAME
    CHARACIER * 12 JNAME
    Character * 8 NAME
    character * 2 ans
C
    WRIIE (*. 1000)
    READ (*. 1001) ICHONX
    GO TO (100, 200, 300, 400 ) КCHOX
        DO 2O M=1, NCHANI
            WRITE (*.4001)
            READ (*.1001) J
            WRITE (*. 4004)
            READ (*), 1001) NCOL
            IF ( NCOL .GT. 6 ) GO To 29
            IF ( NCOL .GE. 4 ),GO TO 25
                IF (NCOL - 2) 21, 22, 23
21
                WRITE (*,1002)
                GO TO 20
22 WRITE(*,1003) NAME(J), K
                READ (*,2002) P(0,J,K)
                GO TO 20
                    WRITE (*,1004) NAME(J). K
                READ (*,2002) Y(N,J,K)
                GO TO 20
```



```
                        READ (*,2002) CL(N,N,K)
                GO TO 20
27
                        WRITE (*,1006) NAME(J), K
                        READ (*,2002) F(N,N,K)
                        GO TO 20
```

```
28 WRITE \((*, 1007)\) NAME( \((\mathrm{J}) \quad K\)
                READ (*,2002) U(N,K)
                GO TO 20
                    IF ( NCOL .GT. 7 ) GOTO 30
                            WRITE (*,1008) NAME( f\()\), K
                            READ (*,2002) T(0,J,K)
                            GO TO 20
                    WRITE (*.1009) NAME( () . K
                            READ (*,2002) B[i, , K)
                CONTINUE
            GO 10999
C ADD A CROP, IE \(\omega=\|+\omega\)
100 WRITE (*.4002)
    READ (*,1001) II
                IPLUS1 \(=\omega+1\)
            IPLUS \(=\omega+\|\)
                DO \(101 \mathrm{~J}=\) IPLUS \(1, \quad\) IPLUS
                    WRITE ( \(*\).1002)
                        \(\begin{array}{ll}\text { READ (*,2001) } & \text { NAME(J) } \\ \text { WRIIE }(*, 1003) & \text { NAME ( }) \text {, K }\end{array}\)
                        \(\begin{array}{llll}\text { READ } & (*, 2002) & \text { P(ll,K,K) } & \\ \text { WRITE } & (*, 1004) & \text { NAME }() . & K\end{array}\)
                                \(\begin{array}{llll}\text { READ } & (*, 2002) & \text { Y(l, J, K) } & \\ \text { WRITE } & (*, 1005) & \text { NAME }(), & K\end{array}\)
                                \(\begin{array}{lll}\text { READ } & (*, 2002) & \text { CL(N,K) } \\ (*, 1006) & \text { NAME }\end{array}\)
                            \(\begin{array}{llll}\text { READ } & (*, 2002) & \text { F(N, K }) \\ \text { WRITE } & (*, 1007 & \text { NAME( }) & K\end{array}\)
                            \(\begin{array}{llll}\text { READ } & (*, 2002) & \text { U(N.N.Q } & \\ \text { WRITE } & (*, 1008) & \text { NAME (J). } & K\end{array}\)
                READ (*,2002) T(IN,19)
                    IF ( MINCAP .GE. 1 AND. MINCRP .LT. 3 ) GO TO 101
                        WRITE (*.1009) NAME( \((\) ) \() K\)
                        READ (*;2002) B( \((1, \mathrm{~J}, \mathrm{~K})\)
101 CONTINUE
                \(\omega=\operatorname{IPLUS}\)
            NEND \(=\) NEND \(+\|\)
        GO TO 999
    C DELETE A CROP, IE \(\mu=\lambda-1\). AND THE CROP NOT WANTED DELETED
200 WFITE (*.4003)
            READ (*.1001) NX
            DO \(202 \quad \mathrm{~L}=\mathrm{I}, \mathrm{NX}\)
            WHITE (*, 4005)
            READ ( \({ }^{*}, 1001\) ) (XX)
            WFITE (*,2003) ( IX(L). L=1,NX )
            WRITE \(\quad(*, 4007)\)
```



```
                NEND = NEND - NX
                \(\omega=\omega \cdot N X\)
                JSUB \(=\omega\)
                    \(\mathrm{L}=1\)
```

```
        DO 208 J=1,N
            IF ( J .LT. DX(L) ) GO TO 208
C Determine which crop to substitute in
203 JSUB = JSUB + 1
        DO 204 M=1,NX
        IF ( (USUB) .EQ DX(M) ) GO TO 203
204 CONTINUE
            NAME(|) = NAME(USUB)
            DO 205 HHERE=1,3
            DO 205 KHERE=1,KK
                P(HERE,J,KHERE) = P(HERENSUB,KHERE)
                Y(HERE,J,KHERE) = YIHERENSUB,KHERE)
                F(HERE,J,KHERE) = F(HERE,ISUB,KHERE)
                CL(HERE,J,KHERE) =CL(HERE,JSUB,KHERE)
                U(HERE,J,KHERE) = U(HERE,NSUB,KHERE)
                            TIHERE,J,KHERE) = T&HERE,NSUB,KHERE)
            IF ( MINCRP GE. 1 AND. MINCRP LT. 3 ) GO TO 207
            DO 206 I=1,3
            DO 206 K=1,KK
                B(IHEREN,KHERE) = B(HERE,NSUB,KHERE)
                    L = L + 1
            IF ( L .GT. NX ) GO TO 999
    208 CONTINUE
            GO TO 999
c CHANGE AN ENTRE ROW
300 WFITE (*,4006)
    READ (*. 1001) J
                    WRITE (*,1002)
                    READ (*2001) NAME(f)
                WHITE(*.1003) NAME(\). K
                    READ (*,2002) Pr(J,K) 
                    READ (*,2002) % Y(N,@\emptyset 
                            READ (*,2002) CL(N,NM)
                                READ (*.2002) F(IN,\\)
                                WRITE (*.1007) NAME (J). K
                                    READ (*,2002) U(N,N,K)
                                    WFITE (*.1008) NAME (b). K
                                    READ (*.2002) T(N,K)
                    IF ( MINCRP .GE. 1 AND. MINCRP .LT. 3 ) GO TO 999
                    WRITE (*,1009) NAME (\mu), K
                READ (*2002) B(N,N,1)
            GO TO 999
C change an entire column
400 WFITE (*.4004)
    READ (*,1001) NCOL
            IF ( NCOL .GI. 6 ) GO TO 49
            IF ( NCOL .GE. 4 ) GO TO 45
                IF ( NCOL - 2 ) 41, 42, 43
41 DO 409 J=1, لJ
```



```
1008 FORMAT ( "What is the total amount of hectares suitable for', A10
    1plable amount of', A9,' crop in districl ',12,'? ')
2001 FORMAT (AB )
2002 FORMAT (F8.0 )
2003 FORMAT ( 1017 )
2004 FORMAT (A2 )
4001 FORMAT (' Find a row you want to change. Enter its number ')
4002 FORMAT ('How many crops do you wish to add to those aiready ther
    1e? ')
4003 FORMAT ('How many crops do you wish to delete from those already
    1 there? They will disap-pear from all districls and seasons. I
4004 FORMAT (. What column do you wish to change? Enter the number .
    1,'beside the title. ')
4005 FORMAT ( ' What is the integer beside the crop you wish to delete?
    1 Give the kowest integers lirst, one at a time. ')
4006 FORIMAT (. What is the integer beside the crop you want to replace
    17 ?
4007 FORMAT ( ' These are the integer(s) of the crops that will be dele
    1ted. If they are nol in ascending order or you wish to delete oth
    2ers, Enter Y to re-enter correctly. ?
    CONTINUE
        RETURN
        END
c
    SUBROUTINE CHANJ2 (NCHANJ, J. KK. W.HH )
c This subroutine corrects items in the district table
    DIMENSION W(3,20), HH(3,20)
C
        WRITE (*, 1000)
        READ (*, 1001) ICHOIX
        IF (ICHODX .GE. %) GO TO 200
        IF (ICHOIX .GE. 1) GO TO 100
                DO 20 M=1, NCHANJ
                WRITE }\quad(*,4006
                READ (*,1001) K
                WRITE (*. 4004)
                READ (*, 1001) NCOL
                IF (NCOL GT. 3) GO TO }2
                IF (NCOL - 2) 21, 22, 23
                            WPITE (*,1010) K
                        READ (*,2002) W (1,K)
                        GO TO 20
                        WRITE(*,1011) K
                        READ (*,2002) W (2,K)
                        GO TO 20
                        WRITE (*.1012) K
                        READ (*,2002) W (3,\
                        GO TO 20
                IF (NCOL - 5 ) 25, 26, 27
                    WFITE (*,1013) K
```

```
\begin{tabular}{llrl} 
READ & \(\left({ }^{*}, 2002\right)\) & HH & \((1, K)\) \\
GO TO & 20 & & \\
WRITE & \((*, 1014)\) & K & \\
READ \(\left.\quad{ }^{*}, 2002\right)\) & HH & \((2, K)\) \\
GO TO & 20 & & \\
WRITE & \((*, 1015)\) & K & \\
READ & \((*, 2002)\) & HH & \((3, K)\) \\
GO TO 20 & &
\end{tabular}
        continue
        GO TO 999
    C
100
    AEAD (*, 1001) K
                            WRITE (*,1010) K
                READ (*,2002) W(1,k)
                    WFITE(*,1011) K
                    READ (*,2002) W(2,@)
                            WRITE (*,1012) K
                            READ (*,2002) W(3,1)
                            WFITE (*,1013) K
                            READ (*,2002) HH(1,K)
                            WRITE (*,1014) K
                            READ (*,2002) HH(2,K)
                            WFITE (*.1015) K
                            READ (*,2002) HH(3,K
        GO TO 999
c CHANGE AN ENTIRE COLUMN
200
        WRITE (**4004)
        READ {*,1001) NCOL
            IF ( NCOL .GT. 3 ) GO TO 49
            IF (NCOL - 2 ) 46. 47, 48
        DO 403 K=1,KK
                WRITE (*.1010) K
                    READ (*,2002) W(1,K)
                GO TO 999
            DO 404 K=1,KK
                WRITE (*.1011) K
                    READ (*,2002) W(2,K)
                GO TO 999
            DO 405 K=1,KK
                WRIIE (*,1012) K
                    READ (*,2002) W(3,K)
                GO TO 999
                    4 9
            IF ( NCOL - 5 ) 51, 52, 53
                        DO 406 K=1,KK
                WFITE (*.1013) K
                    GEAD (*,2002) HH(1,K)
                GO TO 999
                    S2
                        DO 416 K=1,KK
                                WRITE (*.1014) K
4 1 6
                                    READ (*,2002) HH(2,K)
                                    GO TO 999
```

```
\begin{tabular}{lclll}
53 & DO & 426 \(\quad \mathrm{K}=1, \mathrm{KK}\) & \\
& WRITE & \((*, 1015)\) & K \\
426 & & READ & \((*, 2002)\) & HH \((3, \mathrm{~K})\) \\
& GO TO & 999 &
\end{tabular}
c
1000 FORMAT { What kind of changes do you wish to make? .
    1/ Answer 1 to change an enlire row'/
    2' Answer 2 to change the whote column'f If you answer 0 or noth
    4ing. you can make changes item by item. .)
1001 FORMAT (IS)
1010 FORMAT ( What is the cost of irrigation water delivered to distr
    lict', 14, ' in season 17 )
1011 FORMAT (' What is the cost of irrigation water delivered to distr
    1ict'. 14, ' in season 2? )
1012 FORMAT (' What is the cost of irigation waler delivered to dists
    1icl'. 14, ' in season 3? )
1013 FORMAT ( ' What is the total number of hectares available for cult
    livation in district',15,' during season 1? ')
1014 FORMAT (' What is the total number of hectares available for cult
    livation in district', 15, ' during season 27 ')
1015 FORMAT {' What is the total number of nectares available for cult
    livation in district', 15, ', during season 37 ')
2002 FORMAT (F.0)
4004 FORMAT & 'What column do you wish to change? Enter the number .
    1,'above the tille. ?
4006 FORMAT (' What is the integer for the district whose values need
    1replacing? ")
999 CONTINUE
    RETURN
    END
c
    SUBROUTINE CPOPTB ( l, K, J, MINCRP, KK, NOGO )
c This subroutine displays the crop data in a table for each district
c and each season
    COMMON SHHR/ P(3,50,20), Y(3,50,20), CL(3,50,20), F(3,50,20), U(3,
    150,20), T(3,50,20), B(3,50,20), Q(3,50,20
    COMMON RCROP/ NAME(50)
    COMMON DELTN/ DX(50)
    COMMON NOM/ JNAME(40). IDNAME(21)
    COMMON KCAP/ KIRR(21)
c
    CHARACTER * 12 JNAME
    CHARACTER * 8 NAME
    CHARACTER * }4\mathrm{ IDNAME
    CHARACTER * 2 ANS
C Find district name
    DO 33 K1=2,KK+1
        IF ( KIRR(K1) .EQ. K ) GO TO 35
33 CONTINUE
C No district K in configuration, return to main change menu
    WRITE (*,4004) K
        NOGO = 99
```

```
    GO TO 100
c Display 15 crops at a time in a table by district and by season
35 NBEG =
            JTIMES = N/15 + 1
            DO 9 UL = 1, JTIMES
            NEND = 14 + NBEG
            IF ( NEND .GT. JJ ) NEND = w
            WRITE (*.3000) K, IDNAME(K1), I
            WRITE [*,3001)
                        IF ( MINCRP .GE. 1 AND. MINCRP .LT. 3 ) GO TO 6
```



```
            1 F(N,NK, U(l,N), T(N),K), B(N,J,K), J=NBEG, NENO )
                GO TO 8
            WRITE (*,3022) ( J. NAME(G). P(N,N), Y(I,J,K), CL(N,J,K),
            F(l,J,K), U(N,K). T{l,N,K), J=NBEG, NEND )
            WRIIE (*,3003)
            READ (*,4000) NCHANJ
            IF ( NCHANJ .LE. 0 ) GO TO 9
                CALL CHANJI (NCHANJ. J. K. i, MINCRP, NEND, NX, KK )
c NCHANJ = number of items to change in the table
                go ro 5
9 NBEG = NEND + 1
c
100 CONtINue
3000 FORMAT ( ' For districl', 13,1X,A4,' and season',14,' the values
    1 are as shown: )
3001 FORMAT | 7H 1.CROP,5X,7H2.PRICE,3X,8H3. YIELD,9X,5HCOSTS,4X,7H6.
I
            1RR.,2X,22H7. SUITABLE %.MINIMUM/31X,19H4.labour ma,
            3ha,4X,2Hha,0X,2Hha )
3002 FORMAT ( 13,1X,AB,F7,2,6F102 )
3022 FORMAT ( 13,1X,AB,F7,2,5F 10.2,6X,'N / A ?
3003 FORMAT (' How many items do you wish to change in this table?'/'
            1 Answer with an integer number or you may hit the RETURN to contin
            2ue on to the next.)
4000 FORMAT (15 )
4004 FORMAT ( ' No district ', '3,' has boen found in the configuration
    1to match that district in CROPS. .,
        RETURN
        END
nZ
```



```
c restricted limit. The seasonal
C values are saved on the diskelte file b:CROPS3 for the next run.
        COMMON NEW1/ NG(3), WD(3), JCROP(3,50,10), PCROP(3,25). LNGTH(50)
        COMMON RCROP/ NAME(50)
        CHARACTER * 8 NamE
        Character * 2 ans
C
c Determine if idfe land penalized or restricted
```



```
50 WRITE ( *, 1003 )
            READ ( *,2002 ) ANS
            IF ( ANS .EQ. 'N' .OR. ANS .EQ. ' \(n\) ' ) GO TO 10
            WRITE ( *.1004) I
            READ ( *,2000 ) NG(1)
            DO 12, \(J=1,2 J\)
                L1(J) \(=0\)
            DO 12, \(\quad N J=1,10\)
                JCROP (IN,NJ) \(=0\)
            DO 61, \(N=1, N G(I)\)
                ISTART \(=100\)
            CALL GCHANJ ( I, N, N, ISTART, L1 )
c \(\quad 1=\) season index
    \(\omega \mathrm{J}=\) total number of crops
c \(N=\) group number in question
c ISTART \(=\) code for complete revision, \(\operatorname{sinTART}>0\). ISTART \(=0\) create
            additional groups
        L1 = vector of the last group number for each crop
            CONTINUE
                GO TO 10
                    C
100 WRITE ( *, 1100 )
\(C\) Delete groups of crops
        READ (*,2000) NX
        IF ( NX .EQ. 0 ) GO TO 10
        DO \(110 \quad L=1, N X\)
            WRITE (*,1101)
                READ (*, 2000) 11X(1)
            WRITE (*,1102) (ITXRL. \(L=1, N X)\)
            WRITE ( \({ }^{*}, 1103\) )
            READ (*2002) ANS
            IF (ANS .EQ. 'r .OR ANS EQ. 'Y' ) GO TO 115
                GO \(\quad 10 \quad 100\)
                    \(\mathrm{NG}(1)=\mathrm{NG}(1)-N X\)
                    NSUB \(=\operatorname{NG}(1)\)
                        \(L=1\)
        DO \(190 \quad \mathrm{~N}=1, \mathrm{NG}(1)\)
            IF ( \(N\).LT. \(11 \times(\) L \()\) GO TO 190
C Determine which crop to substitute in
120 NSUB \(=\) NSUB +1
        DO \(\quad 130 \quad M=1, N X\)
        IF ( (NSUB) .EQ. \(11 \times(M)\) ) GO TO 120
130
                        CONTINUE
            \(\operatorname{PCROP}(1, N)=\operatorname{PCROP}(1, N S U B)\)
            DO \(170 \quad J=1, ل \downarrow\)
                \(\mathrm{NJ}=1\)
                    140
150
                                    \(\operatorname{JCROP}(1,1, N) \quad=\operatorname{JCROP}(1, \mathrm{~N}, \mathrm{NJ}+1)\)
                                    \(\mathrm{NJ}=\mathrm{NJ}+1\)
                                    IF (JCROP \((\mathbb{N}, \mathrm{N})\).LE. 0 ) GO TO 170
                                    GO \(10 \quad 150\)
160
                \(\mathrm{NJ}=\mathrm{NJ}+1\)
```

If (JCROP(IJ,NJ) LE. 0) GO TO ..... 170

```GO TO 140
```

170

```
        CONTINUE
            DO 180 J=1, لN
            DO 180 NJ=1,10
                IF ( JCROP(l,N,N) .EQ. NSUB ) JCROP(l,J,NJ) = N
180 CONTINUE
            L}=L+
            IF (L .GT. NX ) GO TO 10
190 CONTINUE
C Delete groups that are greater than NG(l):
        DO 195 J=1, N
        DO 195 NL=1,10
        IF (JCROP(IN,NW) GT. NG(l) ) JCROP(l,J,NJ) =0
195 CONTINUE
            GO TO 10
200 WRITE { *.1200 )
C Add groups of crops
        READ (*,2000 ) IPLUS
        ISTART = 10
        DO 250, K=1,IPLUS
            CALL GCHANJ (I, W. NG(I)+K, ISTART, L1 )
c lloseason index 
c NG(I)+K= group number in question
c ISTART = code for complele revision, ISTART > 0. ISTART =0 create
c additional groups
c L1 = vector of the last group number for each crop
250 CONTINUE
        NG(1) = NG(0) + IPLUS
        GO TO 10
C Change the crop combinations
300 DO 350, N=1,NG(1)
            CALL GCHANJ (I, W, N, ISTART. L1 )
c lloseseason index 
c N = group number in question
c ISTART = code for complete revision, ISTART > 0. ISTART = 0 create
                additional groups
c L1 = vector of the last group number for each crop
350 CONTINUE
                GO TO 10
400 WRITE ( *,1400 )
C Change the minimum crop production figures
        READ ( *,2000 ) NX
        DO 450, L=1,NX
            WRITE (*.1401 ) L
            READ ( *,2000 ) IX
            WRITE (*,1402 ) \X
                                    READ (*,2001 ) PCROP(1,X)
                GO TO 10
600 CONTINUE
```

C

c


```
        IF ( ISTART .GT. 2 ) GO TO 15
C Write out PCROP(IN) and the list of crops in the group and ask for
C corrections
25 WRITE (*.1010 ) N. I, PCROP(I,N)
                        \(\mathrm{L}=1\)
        \(00 \quad 30, \quad J=1, \mathrm{JJ}\)
        DO \(30 \mathrm{NJ}=1, L 1(\mathrm{~N})\)
            IF ( JCROP(N,N) .NE. N ) GO TO 30
                NAMES (L) \(=\) NAME(N)
                J1 (L) = J
                \(\mathrm{N} 1 \mathrm{~L}=\mathrm{NJ}\)
                    \(L=L+1\)
30 CONTINUE
        NC \(=\) L - 1
```



```
        WRITE ( *. 1012 )
        READ ( *,2002 ) ANS
        IF ( ANS .EQ. ' \(N\) ' OR. ANS .EQ. ' \(n\) ' ) GO TO 35
                        GO TO 61
c Determine if corrections required
35 WRITE (*, 1013 )
        READ ( *,2002 ) ANS
        IF ( ANS .EQ. 'r' OR. ANS .EQ. ' \(Y\) ') GO TO 50
            WRITE ( *. 1014 )
            READ (*,2000) NX
                IF ( \(N X\).LE. 0 ) GO TO 55
                    DO \(40, \quad M=1, N X\)
                            WRITE (*,1015 ) M
                            READ (*,2000 ) JX
                    DO \(42, \quad J=1, N C\)
                        IF ( J1(J) .EQ. JX ) GO TO 45
                        continue
                    WRITE ( *,1016 ) \(J X\)
                                GO TO 32
                        \(\operatorname{JCROP(NX,N1(N)} \quad=J C R O P(1 / J X, L 1(N X))\)
                            \(\operatorname{JCROP}(1, J X, L 1(J X)=0\)
                            \(\mathrm{L} 1(\mathrm{JX})=\mathrm{L} 1(\mathrm{JX})-1\)
                            WRITE (*. 1017 ) N
                            READ (*,2000) NC
                            IF ( JC .LE. 0 ) NC = NC -1
                            \(\mathrm{L}(\mathrm{JC})=\mathrm{L}\) (JC) +1
                JCROP(NCLL1 (NC) \(=\mathrm{N}\)
                GO TO 25
            WRITE ( *. 1004 ) N. I
            READ ( *,2001 ) PCROP(IN)
            GO TO 25
        DO 58, J=1,NC
                JCROP( \((\mathrm{N} 1(\mathrm{~J}), \mathrm{N} 1(\mathrm{~J}))=\mathrm{JCROP}(\mathrm{N})(\mathrm{J}), \mathrm{L} 1(\mathrm{~J} 1(\mathrm{~J}))\)
            \(\operatorname{JCROP}(1, J 1(\Omega), L 1(1 / 4 \Omega))=0\)
                        \(\operatorname{L1}(11(\mathrm{Al})=\mathrm{L1}(\mathrm{H} 1(\mathrm{f}) \mathrm{D})-1\)
        continue
        WRITE ( *. 1002 ) N. I
```



```
c
C Ask if user wishes to enter saved variations,
C review any catagory of data
C or to save corrected data on a file
10 WRITE (*.1000 )
    READ (*.9001 ) IND
    IF (IND .LE. 1 ) GO TO 100
    IF (IND .GT. 7 ) GO TO 800
    WFITE ( *,1001 ) (J, NNAME(\Omega, J=1,N )
20 WRITE (*,1002 ) CHARIND-1)
    READ (*,9001 ) INODE
    IF ( INODE .LE. 0 ) GO TO 10
    GO TO ( 100, 200, 300, 400, 500, 600, 700, 800 ) IND
    GO TO 999
C Save the file
100 IF ( IND .LE. 0 ) GO TO 999
        WRITE ( *,1008 ) FNAME
        READ (*,9005 ) NAME1
            IF ( NAME1 .EQ. . ') GO TO 159
                FNAME = NAME1
159 OPEN ( 9,FILE=FNAME. STATUS='OLD')
    WRITE (*.1006) ( ITTLE(M), M=1,18 )
        READ (*,9004) (DUMMYT(M). M=1,18 )
        IF ( DUMMYT(1) EO. . . ) GO TO 163
            DO 160 M=1,18
                    TITLE(M) = DUMMMT(M)
        WRITE (9,9100 ) NSS(1). NSS(2). NSS(3), JN, (TILE(M), M=1,18 )
        DO 164 N=1,IRT
164 WRITE (9,9101 ) ( (P1(I,IS,N). IS=1,NSS(I)). I= 1,3 )
        DO 165 N=1,NLMM(1)-1
165 WRITE (9,9101 ) (FLMIN(,IS,N),FLMAX(I,IS,N),IS=1,NSS(I), I=1,3)
        DO 166 N=1,JIRR(1)
        WRITE (9,9101 ) ( (CHCP(0,IS,N), SS=1,NSS(I)), I=1,3 )
        DO 167 N=1,NDN(1,1)
167 WFITE (9,9101 ) ((CHCPD(,IS,N),CHLSS(O,IS,N),IS=1,NSS(0), I= =1,3)
    DO 168 N=1,\RES(1)
168 WRITE (9,9101 ) (SSMIN(N,IS,N),SMAX(,IS,N), IS=1,NSS(i), I=1,3)
        CLOSE (9)
        GO TO 10
C Review percent of irrigation turnout which returns
200 DO 299 J1=1,IRT
                J = Jt
    IF ( INODE .GE. 99 ) GO TO 230
    DO 225 J=1,1RT
        IF { JPIF(1,N) .EO INODE ) GO TO 230
225 CONTINUE
C No RETURN FLOW was found at the node requested, iry again
    WRITE (*.1003 ) CHAR(IND-1), NNAME(INODE), INODE
        go to 20
230 WRITE (*,2000 ) NNAME(JPTF(1,N)), NNAME(JRTF(2,N)
    DO 231 l=1,3
```

```
W\mp@code{WRITE (*,9006 ) 1 }
    WFITE (*,2002 )
    READ (*,9001 ) ITIMES
    IF ( ITMMES .LE. 0 ) GO TO 250
C Determine if a whole row or whote column will be changed
                WRITE (*,1004 )
        FREAD ( *,9002 ) ANS
        IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'Y' ) GO TO 245
    C Corrections performed one at a time
        DO 244 NN=1,ITIMES
            WHAIE (*,2005 ) NNAME(JPTF(1.J))
            READ ( *,9001 ) DX
            WRITE ( *,2006 ) DX
            READ (*,9001 ) ISX
            WRITE (*,2007 ) NNAME(JRTF(1,N)), ISX, IX
            READ (*,9003 ) DUMMY
                IF ( DUMMY .LE. 0 ) GO TO 244
                    P1( IX ISX, J ) = DUMMY
244 CONTINUE
GO TO 230
C Corrections performed for an individual season
245 WRITE (**2005 ) NNAME(JRTF(1,f))
    READ (*,0001 ) NX
        DO 232 TS=1,NSS(1)
            WRITE (*:2007 ) NNAME(NRIF(1,J)), IS, }
            READ (**9003 ) DUMMMY
            IF ( DUMMY .LE. 0 ) GO TO 232
                P1( DX, IS, J ) = DUMMY
232 CONTINUE
        GO TO 230
250 IF ( INODE .LT. 99 ) GO TO 20
299 CONTINUE
        GO TO 10
    C Review sub-seasonal downstream flow restrictions
000 DO 399 J1=1,NLIM(1)-1
                J = J1
        IF (INODE .GE. 99 ) GO TO 330
        DO 325 J=1,NLIM(1)-1
        IF (NLIM(|+1) EQ. INODE,) GO TO 330
325 CONTINUE
C No RESTRICTION was found at the node requested, iry again
        WRITE (*,1003 ) CHAR(IND-1), NNAME(INODE), INODE
        GO TO 20
330 WFITE ( *,3000 ) NNAME(NLM(J+1))
        DO 331 I=1,3
            WRITE { *, 9007 } 1
331 WRITE (*, 9009 ) (IS,FLMAX(0,IS,J),FLMIN(0,IS,J)., IS=1,NSS(1),
        WRITE (*,3002 )
        READ (**,9001 ) ITIMES
        IF ( ITIMES .LE. 0 ) GO TO 350
C Determine if a whole row or whole column will be changed
```

```
        WRITE ( :,004 )
        READ ( *,9002 ) ANS
        IF ( ANS .EQ. 'Y' OR. ANS .EQ. ' }y\mathrm{ ' ) GO TO 345
    C Corrections
        DO 344 NN=1,ITIMES
            WRITE ( *,3005 ) NNAME(NLMM (j+ 1))
            READ (*,9001 ) DX
            WRITE (*,3006 ) X, NNAME(NLIM(J+1))
            fEAD (*,9001 ) ISX
            WRITE (*,3007 ) NNAME(NLMM(J+1)), ISX, IX
            READ (*,9003 ) DUMMY
            IF ( DUmmy .le. 0 ) GO to 3445
                FLMAX( DX, ISX, J) = DUMMY
            WRITE ( *.3008 ) NNAME(NLIM(N+1)), ISX, DX
            READ (*,9003 ) DUMMY
            IF ( DUMMY .LE. 0 ) GO TO 344
                        FLMIN( & ISX, J) = DUMMY
                            continue
            TO }33
    C Corrections periormed for an individual season
    345 WRITE ( *,3005 ) NNAME(NUM(J+1))
        READ (*.9001 ) IX
            DO 332 IS=1,NSS(X)
            WRITE (*,3007 ) NNAME(NLMM4+1)). IS, DX
            READ ( *,9003 ) DUMMM
            IF (DUMMY .LE. 0 ) GO TO 333
                FLMAX( DX, IS, J) = DUMMM
                    WFITE (*.3008 ) NNAMENUM(J+1)), IS, IX
            READ (*,9003 ) DUMMY
            IF ( DUMMY .LE 0 ) GO TO 332
                        FLMIN( [X, IS, J) = DUMMY
    332 CONTINUE
        GO TO 330
    350 IF ( INODE .LT. 99 ) GO TO 20
    399 CONTINUE
        GO TO 10
    C Review irrigation canal sub-seasonal capacities
    400 DO 499 Jt=1,NIRR(1)
                        J = J1
        IF ( INODE .GE. 99 ) GO TO 430
        DO 425 J=1,JIRR(1)
            IF (JIRR(J+1) .EQ INODE ) GO TO 430
425 CONTINUE
C No IRRIGAIION was found at the node requested, iny again
        WRITE (*,1003 ) CHAR(ND-1), NNAME(INODE), INODE
            GO TO 20
430 WRITE (*,4000 ) NNAME(UIRR(J+1))
    DO 431 l=1,3
            WRITE ( *. 9006 ) 1
431 WRITE ( *. 9008 ) (IS,CHCP(I,ISN). IS=1,NSS(0) )
    WRITE (*,4002 )
    READ (*.9001 ) ITIMES
```

```
    IF ( ITIMES LE. 0 ) GO TO 450
C Determine if a whole row or whole column will be changed
        WRITE ( *,1004 )
        PEAD ( \(*, 9002)\) ANS
        IF ( ANS .EQ. ' \(r\) ' OR. ANS .EQ. 'y' ) GO TO 445
C Corrections performed one al a time
        DO \(444 \quad\) NN = 1,ITIMES
            WRITE ( *,4005 ) NNAME \(\langle\operatorname{liRR}(J+1)\}\)
            READ ( *,9001 ) DX
            WRITE ( *,4006 ) |X
            READ ( \(* .9001\) ) ISX
            WRITE \((*, 4007)\) NNAME \((J I R R(J+1))\), ISX. \(X\)
            READ ( *,9003 ) DUMMY
            IF ( DUMMY LE. 0 ) GO TO 444
                    CHCPI( \(D X, I S X, J\) ) \(=\) DUMMY
                        CONTINUE
            GO TO 430
    C Corrections performed for an individual season
445 WFITE ( *.4005 ) NNAME \(\langle\) IRR \(\downarrow+1\) )
        READ ( *,9001 ) DX
            DO \(432 \quad\) IS \(=1\),NSS(IX)
            WRITE ( *,4007 ) J, IS, DX
            READ ( *,9003 ) DUMMY
            IF ( DUMMY .LE. 0 ) GO TO 432
                CHCPI \(\quad \mathrm{X}\), IS, \(\quad \mathrm{I},=\) DUMMY
432 CONTINUE
        GO TO 430
450 IF ( INODE LT. 99 ) GO TO 20
499 CONTINUE
        GO TO 10
C Review diversion canal sub-seasonal capacities
500 DO \(599 \quad \mathrm{~J} 1=1, \mathrm{JDV}(1,1)\)
                \(J=\mathrm{J} 1\)
        IF ( INODE .GE. 99 ) GO TO \(\mathbf{5 3 0}\)
        DO \(525 \quad \mathrm{~J}=1, \operatorname{IDN}(1,1)\)
            IF ( \(\operatorname{JDIV}(1,(J+1))\).EQ. INODE ) GO TO 530
525 CONTINUE
C No DIVERSION was found at the node requested, ity again
        WRITE (*.1003 ) CHAR(IND-1), NNAME(INODE). INODE
            GO TO 20
530 WRITE ( *,5000 ) NNAME(JDN( \(1, \not(1+1))\) ), \(\quad\) NNAME(JDN( \(2, j+1)\) )
        DO \(531 \quad I=1,3\)
            WRITE ( *, 9006 ) I
531 WFITE (*, 9008) (IS,CHCPD(1,IS, J). IS=1,NSS(1) )
        WRUTE ( *.5002 )
        READ ( *,9001 ) ITIMES
        IF ( ITIMES .LE. 0 ) GO TO 550
C Determine if a whole row or whole column will be changed
                        WRITE ( *,1004 )
                        READ ( *,9002 ) ANS
        IF ( ANS .EQ. \(\boldsymbol{r}\) 'OR. ANS .EQ. ' \(y\) ') GO TO 545
    C Corrections performed one at a lime
```



```
    WFITE ( *,6007 ) NNAMENDNV(1,(\Omega+1)), ISX, IX
            READ ( *,9003 ) OUMMY
            IF ( DUMMY .LE. 0 ) GO TO 644
                        CHLSS( IX, ISX, J) = DUMMY
                        continue
        GO TO 630
    C Corrections performed for an individual season
    645 WRITE (*,6005 ) NNAME(JDIV(1,(J+1)))
        READ (*.9001 ) DX
            DO 632 IS=1,NSS(IX)
            WRIIE (*,6007 ) NNAME(JDN(1,(J+1))), IS, DX
            READ (*,9003 ) DUMMY
            IF ( DUMMY .LE. 0 ) GO TO 632
                CHLSS( 
            continue
        GO TO 630
650 IF ( INODE .LT. 99 ) GO TO 20
699 CONTINUE
        GO TO 10
C Review reservoir storage limits for each sub-season
700 DO 799 Jt=1, JRES(1)
                J = \1
        IF. ( INODE GE. .99 ) GO TO 730
        DO 725 J=1,NRES(1)
            IF ( JRES(J+1) EQ. INODE ) GO TO 730
725 CONTINUE
C No RESERVOIR was found at the node requested, ty again
        WFITE (*,1003 ) CHAR(NDD-1), NNAMEINODE. INODE
        GO TO 20
730 WRITE (*,7000 ) NNAME(JRES(j+1))
        DO 731 l=1,3
            WRITE ( *. 9007 ) I
731 WRITE (*, 9009 ) (IS,SMAX(0,IS,N).SMIN(1,IS_), IS=1,NSS(I) )
    WRITE ( *,7002 )
    READ ( *,9001 ) ITMMES
    IF ( ITMES .LE. 0 ) GO TO 750
C Determine if a whote row or whole column will be changed
                WRITE (*.1004 )
                READ (*.9002 ) ANS
                IF (ANS .EQ. r' OR. ANS EQ. 'y' ) GO TO 745
C Corrections performed one at a time
                DO 744 NN=1,ITIMES
                WFITE (*,7005 ) NNAME(JRES(J+1))
                READ (*.9001 ) IX
                WRITE (*,7006 ) DX, NNAME(URES(J+1)
                READ ( *,9001 ) ISX
                WRITE (*,7007 ) NNAME(JRES ( }\textrm{J}+1)\mathrm{ ), ISX, & 
                READ (*.9003 ) DUMMM
                IF ( DUMMY .LE. 0 ) GO TO }74
                SMAX( [X, ISX, J) = DUMMM
            WRITE (*.700s ) NNAME(JRES ( }|+1)\mathrm{ ). ISX, IX
        READ (*,9003 ) DUMMY
```



```
851 P(I,IS,N) = P1(I+1,IS,N)
        DO }852\textrm{N}=1,\textrm{NLIM(1)-1
            FLMIN(|,IS,N) = FLMIN(I+1,IS,N)
            FLMAX(I,IS,N) = FLMAX(I+1,IS,N 
            DO }853 N=1,NIRR(1
            CHCP((,IS,N) = CHCP( }(+1,1,1S,N
            DO 854 N=1,JDIV (1,1)
            CHCPD(IIS,N) = CHCPD(I+1,IS,N)
            CHLSS(I,IS,N) = CHLSS(1+1,IS,N)
            DO 855 N=1.JRES(1)
                SMIN(I,IS,N) = SMIN(I+1,IS,N)
            SMAX(I,IS,N)= SMAX(I+1,IS,N)
            continue
Set last season's values equal to first
        DO 865 IS=1,NSS(3)
            DO 861 N=1,IRT
            P1(3,IS,N) = P1(1,IS,N)
            DO }862 N=1,NLMM(1)-1
            FLMIN(3,IS,N) = FLMIN(1,IS,N)
            FLMAX(3,IS,N) = FLMAX(1,SS,N)
            DO 863 N=1/|IRR(1)
            CHCP1(3,IS,N) = CHCP(1,IS,N)
            DO 864 N=1,NDN(1,1)
                CHCPD(3,IS,N) = CHCPD(1,IS,N)
                    CHLSS(3,IS,N) = CHLSS(1,IS,N)
            DO 865 N=1,JRES(1)
                SMIN(3,IS,N) = SMIN(1,IS,N)
                    SMAX{3,IS,N = SMAX(1,IS,N)
            continue
865
    C Change season on file's fitlecard
        IF ( TITLE(1) .EQ. 'MAHA', NAME1 = YALA'
        IF ( TITLE(1) .EQ. YALA' ) NAME1 = 'MAHA'
            MILE(1) = NAMEI
            GO IO 10
C The number of sub-seasons on file do not agree with the current values
888 WFITE (*,1010 ) N1, NSS(1). N2, NSS(2), N3, NSS(3)
        GO TO 999
C The number of nodes on file is not the same as the current number
889 WRITE ( *,1011 ) NN, JN
    GO TO 999
999 CONTINUE
c
1000 FORMAT ( ' Do the system constants CHANGEP'r Enter 8 to enter the
    1 file containing any changes'/7X,'7 to review reservoir storage is
    2mits// TX'6 to review diversion canal losses as a percent of flow
    3'f 7X,'5 to review diversion canal sub-seasonal capacities'/ 7X,'4
    4 to review irrigation canal sub-seasonal capacities'/ 7X,3 to rev
    Siew the sub-seasonal downstream flow restrictions'/ 7X,2 to revie
    6w the percent of irrigation deliveries which relurns elsewhere//
    77X,'t to save any changes on an existing file'/ 7X,'0 or nothing t
```






```
                \mathbb{N}=\mathbb{N}+1
            GO TO 4
                L = 1 + L
    continue
    C Write variables and equalions for nodes with resemoirs
        DO 20 L=1,JRES(1)
            N= JRES(L+1)
C Write FSnSi, storage volume variable, in the UPB, LOW, CNInSi,nss(i) and
C CNTnSi+1,1 constraints
    IF (SUP(L+1) GE. 99999 ) GO TO 15
    IF (N .GT. 9 ) GO TO 13
C The node number lakes one digit to write
    WFITE (8,1001 ) (N,I,N,I,NSS(1). N,(I+1),SMAX(I,NSS(I),L),
    1 N,l, SMIN(1,NSS(l).L., l=1,2 )
    WRITE (8,1003 )N,N,NSS(3), SMAX(1,NSS(3),L), SMIN(1,NSS(3),L)
C Write SnSi,is, the sub-seasonal storage variable in the same constraints
            DO 12 I= 1,3
            DO 12 IS=1,( NSS(1)-1 )
                ISP = IS + 1
12 WRITE ( 8,1002 ) N,I,IS, N,I,IS, N,I,ISP, SMAX(I,IS,L).
    GO TO 20
C The node number takes two digits to write
13 WRITE ( 8,1005) ( N,I,N,I,NSSS(1). N,(1+1),SMAX(1,NSS(0,L).
    1
                            N,1, SMIN(,NSS(1),L), }\quad=1,2
    WRITE ( 8,1007 ) N, N,NSS(3), SMAX0,NSS(3),L). SMIN(1,NSS(3),L)
C Write SnSi,is, the sub-seasonal storage variable in the same constraints
            DO 132 I=1,3
            DO 132 iS=1.( NSS(0-1 )
            ISP = NS + 1
132 WRITE ( 8,1006 ) N,I,IS, N,I,IS, N,I,ISP, SMAX(0,IS,L),
    I N,I,IS, SMIN(1,SS,L)
        GO 1O 20
C The storage volurne is unbounded ABOVE and the node number may be
G writlen in one digit
15 IF (N.GT. 9) GO TO 18
    WRITE (8,1004) ( N,I,N,I,NSS(0,N,(1+1),SMIN(1,NSS(0,L),I=1,2 )
    WRITE (8,1008) N, N,NSS(3). SMIN(1,NSS(3),L)
C Write SnSi,is, the sub-seasonal storage variable in the same constraints
            DO 152 I= 1,3
            DO 152 IS=1,NSS(l)-1
                ISP = NS + 1
152 WRITE ( 8,1009 ) N,I,IS, N,I,IS, N,I,LSP. SMNN(I,IS,L)
    GO IO 20
C The node number takes two digits to write
18 WRITE (8,1011) ( N,I,N,I,NSS(l),N,(0+1),SMIN(I,NSS(0,L),I=1,2 )
    WRITE (8,1012) N, N,NSS(3), SMIN(I,NSS(3),L)
C Write SnSi,is. the sub-seasonal storage variable in the same constrainls
        DO 182 I=1,3
        DO 182 IS=1,NSS(l)-1
            ISP = IS + 1
182 WRITE (8,1013) N,I,IS, N,I,IS, N,I,ISP. SMIN(I,IS,L)
```

```
20 CONTINUE
C Write variables and equations of the nodes with irrigation diversion
C Here also the equations defining the seasonal irrigation demand are
c written to the diskette, and any return flows.
        DO 31 L = 1, \lRR(1)
            N= JIRR(L+1)
        IF ( N EQ. JIRR(L-1) ) GO TO 31
        DO 30 1 = 1,3
        DO 30 IS =1,NSS(1)
        IF ( CHCPM(IS,L) GE. 99999 ) GO TO 25
            IF (N .GT. 9 ) GO TO 23
        WHITE {0,2001} N,I,IS, N,I,IS, N,I,IS, CHCPI(1,IS,L)
        GO TO 30
        WRITE (8,2005) N,I,IS, N,I,IS, N,I,IS, CHICPI(I,IS,L)
        GO TO 30
C There is unlimiled irrigation canal capacity
25 IF (N .GT. 9) GO TO 28
        WRITE (8,2002) N,1,IS, N,I,IS, N,I,IS
        GO TO 30
28 WRITE ( 0,2006) N,I,IS, N,I,IS, N,I,IS
30 CONTINUE
31 CONTINUE
c Write the flow varialbes when there are irrigation retum flows in
c the water balance equations
        IF (IRT .LE. 0 ) GO TO 33
        DO 32 L=1,IRT
        DO 32 I=1,3
        DO 32 IS=1,NSS(1)
            NDD = 13
            IF (J1(1,L) .GT. 9) IND = 15
            IF (J1(2,L) .GT. 9 ) IND = IND + 1
                LF = LFD(ND)
32 WRITE ( 8,LF ) J1(1,L),I,IS, J1(2,L),I,IS, -P1(I,IS,L)
C Write the variables representing natural flows belween nodes
33 DO 40 L = 1. IN-I
        DO 40 I=1,3
        DO 40 IS = 1,NSS(1)
                N = FLOW(L)
        IF (NLIM(1) LE. 0 ) GO TO 37
C Check if there are flow restrictions at this node
        DO 35 NN = 2,NLIM(1)
            IF ( NLM(NN) .EQ. N ) GO TO 39
35 CONTINUE
C There are no flow restrictions at the node N
37 IND = 1
        IF (N GT. 9) IND = 3
        IF (N+1 .GT. 9) IND = IND + 1
            LF = LFO(IND)
        WFITE ( 8,LF ) N,I,IS, N,I,IS. N+1,I,IS
            GO TO 40
C There are flow restrictions at this node
39 MO = 1
```






```
    4,8X,1H.6X,1H. )/
LFD = array of format lines for wriling the constraints grouping some
    crops under a common production target, CCROPnjSi,
    according to the magnitude of the group number
    DATA LFD/\ 3H GE,7X,1H.,7X,5HCCROP,11,1HS,11,5X,1H.4X,5HCCROP,11
    1,1HS,11,3X,1H.4X,5HCCROP, 11,1HS,11,3X,1H.
                                    !.
    2 '( 3H GE,7X,1H.,7X,5HCCROP,12,1HS,11,4X,1H.4X,5HCGROP,11
    2,1HS,I1,3X,1H.,4X,5HCCROP, 11,1HS, 11,3X,1H.
                                    I',
    3 '( 3H GE,7X,1H..7X.5HCCROP,11,1HS,11,5X,1H.4X,5HCCROP.12
    3,1HS,11,2X,1H,4X,5HCCROP,I1,1HS,11,3X,1H.
        r,
    4 '( 3H GE,7X,1H.,7X,5HCCROP,12,1HS,11,4X,1H.4X,5HCCROP,12
    4,1HS,11,2X,1H.4X,5HCCROP,11,1HS, 11,3X,1H.
                r,
    5 '( 3H GE,7X,1H.,7X,5HCGROP,It,1HS,11,5X,1H.4X,5HCCROP,11
    5,1HS,11,3X,1H.,4X,5HCCROP,12,1HS,11,2X,1H.
        )
    6 '( 3H GE,7X,1H.,7X,5HCCROP,12,1HS,1t,4X,1H.4X,5HCCROP,I1
    6,1HS,11,3X,1H.4X,5HCCROP,12,1HS,11,2X,1H.
        l:
    7 '( 3H GE,7X,1H.,7X,5HCCROP,11,1HS,11,5X,1H.4X,5HCCROP,12
    7,1HS,11,2X,1H.,4X,5HCCROP,12,1HS,11,2X,1H. 
    8 '( 3H GE,7X,1H..7X,5HCCROP,12,1HS,1T,4X,1H.4X,5HCCROP,12
    8,1HS,11,2X,1H.,4X,5HCCROP,12,1HS,11,2X,1H. )',
    9 '( 3H GE.7X,1H.,7X,5HCCROP,I1,1HS,11,5X,1H.,7X,1H.,7X,1H.
    9,6X,1H.,6X,1H. J.
    1 '( 3H GE,7X,1H.,7X,5HCCROP,12,1HS,11,4X,1H.,7X,1H,7X,1H.
    1,6X,1H.,6X,1H. )'
    1 (% зH GE,7X,1H.,7X,5HCCROP,11,1HS,11,5X,1H.,4X,5HCCROP,11
    1,1HS,11,3X,1H.,6X,1H.8X,1H. J',
    2 '( ЗH GE,7X,1H.,7X,5HOCROP,12,1HS,11,4X,1H.,4X,5HCCROP,11
    2,1HS,11,3X,1H..6X,1H.8X, 1H. I',
    3) ( अH GE,7X,1H.,7X,5HOCROP,I1,4HS,11,5X,1H.,4X,5HCCROP,I2
    3.1HS,11,2X,1H.,6X,1H.,8X,1H. )",
    4 (% 3H GE,7X,1H.,7X,5HCCROP,12,1HS,11,4X,1H.,4X,5HCCROP,12
    4,1HS,11,2X,1H.,6X,1H.,8X,1H. I%
c LFL = array of format lines for wriling the long growing season
c constrainls, LG1jkk and LG2jkk, according to the magnitude of
c the crop or district number
    DATA LFLO( 3H LE,7X,TH.,7X, 3HLG1,11,1HK,11,6X,1H.,4X, 3HLG2,11,1
    1HK,11,3X,1H.66, 1H.,8X,1H. )',
    2 '( 3H LE,7X,1H.,7X अHLG1,11,1HK,12,5X,1H.,4X, 3HLG2,17,1
    2HK,12,3X,1H.,6X,1H.,8X,1H. )',
    3 '( 3H LE,7X,1H.,7X, 3HLG1,12,1HK,11,6X,1H,4X, 3HLG2,12,1
    3HK,11,3X,1H..6X,1H.,8X,1H. ):
```



```
    4HK,12,3X,1H.,6X,1H..8X,1H. )/
c LFW = array of formal lines for wriling the constrainls defining the
c. water demand at each irrigation node for each sub-season, WATnSiT,
according to the magnitude of the node numbers
    DATA LFW/\ 3H EQ,7X,1H,7X,3HWAT,11,1HS,211,5X,1H.,7X,1H.,7X,1H.,
    18X,1H.,6X,1H. i,
    2 { 3H EQ,7X,1H..7X,3HWAT,12,1HS,211,5X,1H.,7X,1H.,7X,1H.,
    28X,1H.6X,1H. J',
    3 '( 3H EQ,7X,1H.,7X,3HWAT,11,1HS,211,5X,1H.,4X,4H WAT,11,1
    3HS,211,4X,1H.,8X,1H.,6X,1H. )',
```

```
    4 '( 3H EQ,7X,1H.,7X,3HWAT,11,1HS,211,5X,1H.,4X,4H WAT,12,1
    4HS,211,4X,1H.,8X,1H.,6X,1H. )',
    5 if 3H EQ,7X,1H,,7X,3HWAT,12,1HS,211,5X,1H.4X,4H WAT,11,1
    5HS,211,4X,1H.8X,1H.6X,1H. I',
    6 '( 3H EO,7X,1H.,7X,3HWAT,12,1HS,211,5X,1H.,4X,4H WAT,12,1
    6HS,211,4X,1H.,8X,1H.,6X,1H. I
    7 '( 3H EQ,7X,1H.,7X,3HWAT,11,1HS,211,6X,1H.,4X,4H WAT,II,1
    7HS,211,4X,1H.,3X,4H WAT,11,1HS,211,5X,1H. J'
    8 '( 3H EQ,7X,1H.,7X,3HWAT,12,1HS,211,6X,1H.4X,4H WAT,11,1
    8HS,211,4X,1H.,3X,4H WAT,11,1HS,211,5\,1H. 1',
    9 '( 3H EQ,7X,1H.,7X,3HWAT,11,1HS,211,6X,1H.4X,4H WAT,L2,1
    9HS,211,4X,1H.,3X,4H WAT,11,1HS,211,5X,1H. )',
    1 '( 3H EQ,7X,1H.,7X,3HWAT,12,1HS,211,6X,1H.,4X,4H WAT,12,1
    1HS,211,4X,1H.3X,4H WAT,11,1HS,211,5X,1H. )'
    1 ( 3H EQ,7X,1H.,7X,3HWAT,12,1HS,211,6X,1H.,4X,4H WAT,11,1
    1HS,211,4X,1H,3X,4H WAT,L2,1HS,21, 5X,1H. )'.
    2 (% 3H EQ,7X,1H.,7X,3HWAT,11,1HS,211,6X,1H.,4X,4H WAT,11,1
    2HS,211,4X,1H,3X,4H WAT,12,1HS,211,5X,1H. )
    3 ' 3H EQ.7X,1H.,7X,3HWAT,11,1HS,211,6X,1H.,4X,4H WAT,12,1
    3HS,211,4X,1H.,3X,4H WAT, 12,1HS,211,5X,1H. r.
    4 % 3H EQ,7X,1H.,7X,3HWAT,12,1HS,211,6X,1H.,4X,4H WAT,12,1
    4HS,211,4X,1H.3X,4H WAT,12,1HS,211,5X,1H. I'
c
c Determine if idle land enters the formulation
    IF ( LANDIF .GT. 0 ) WRITE ( 8,1022 )
c Define the suitable land constraints for each district and season
    DO 10, K=1,KK
            IF (K .GT. 9) GO TO в
            WRITE (8,1001 ) K K K
            GO TO 10
            WFITE (8,1011 ) К, К, K
10 CONTINUE
C
c Dolermine if the crop production has targets, if so, how many
            IF ( MINCRP .LE. 0 ) GO TO 20
                IF (NMAX .LT. 3 ) GO TO 58
                DO 25, JC = 1,NMMAX 3
                    IND = 1
                    J1 = NMINU(JC)
                    IS1 = NMINI(JC)
                        J2 = NMINu(JC+1)
                    IS2 = NMINN|SC+1)
                        33=NMNL(4C+2)
                            IS3 = NMIN|(NC+2)
C All the values which will be printed on one line have been defined,
C next the format will be assigned according to the size, one space or
C two, of the crop number:
                IF ( J1 .GT. 9 ) GO TO 40
                IF ( J2 .GT. 9 ) GO TO 50
        |F ( J3 .GT. 9 ) IND = IND + 6
            GO TO 55
40 HF (J2 .GT. 9 ) GO TO 45
```

```
        IF ( J3 .GT. 9 ) IND = IND + 6
            IND = IND + 1
            GO TO 55
45 IF (J3 .GT. 9 ) IND = IND + 1
            IND = IND + 2
            GO TO 55
            IF ( J3 .GT. 9 ) IND = IND + 1
                \mathbb{ND}=\mathbb{ND}+4
                    LF = LFR (ND)
            WFITE (.8,LF ) J1. IS1. J2, IS2, J3, IS3
                CONTINUE
C The last line of MNCRP values will be printed according to whether
C there is one or two more than a mulliple of three non-zero values:
C If there is a multiple of three non-zero values no more
C lines will be printed.
58 GO TO (65, 60 ) NREM
                GO TO 70
60 J1 = NMINU( NMAX+1 )
        IS1 = NMINI( NMAX +1 )
        J2 = NMINJ( NMAX+2 )
        IS2 = NMINI( NMAX+2 )
            IND = 9
        IF ( J1 .GT. 9 ) IND = IND + 2
        IF ( J2 .GT. 9 ) IND = IND + 1
            LF = LFA (IND)
        WRITE (8,LF ) J1. IS1. J2, IS2
            GO TO 70
65 IND = 13
        IF (NMINU(NMAX+1) .GT. 9 ) IND = IND + 1
                LF = LFR (ND)
    WRITE ( 8,LF ) NMINS (NMAX+1). NMINI (NMAX+1)
70 IF ( MINCRP .LT. 2 ) GO TO 20
C If MINCRP = 1 or 2, all the names of the constraints guaranteeing
C minimum production of a crop have boen written to the disk. Now the
C names of the constraints guarantering the minimum production of groups
C of crops will be written to the diskfile b:PLAN.DATA
        DO 100, 1 = 1,3
            K=1
        DO 110, J = 1,NG(I)
        IND = 1
        \omega(K)=J
        ISS(k)}=
            k=k+1
        IF (K .GT. 3),GO TO 105
            GO TO 110
                K = 1
        IF (W(1) .GT. 9 ) IND = IND + 1
        IF ( W(2) .GT. 9 ) IND = IND + 2
        IF (Ll(3) .GT. 9) IND = IND + 4
            LF = LFD (IND)
        WRITE ( 8. LF ) ( U(L). ISS(L). L=1,3 )
110
        continue
```

$$
\begin{aligned}
& \operatorname{IND}=9 \\
& \text { GO TO (100, 120, } 150 \text { ) K } \\
& \text { IF ( Ji(1) .GT. } 9 \text { ) } \mathbb{N D}=\mathbb{N D}+1 \\
& \mathrm{LF}=\mathrm{LFD} \text { (ND) } \\
& \text { WRITE ( } 8 . \operatorname{LF} \text { ) 山(1). ISS(1) } \\
& \text { GO TO } 100 \\
& \mathbb{F}(\omega(t) \quad \text { GT. } 9) \operatorname{IND}=\mathbb{N D}+1 \\
& \text { IF ( du(z) GT. } 9 \text { ) } \operatorname{IND}=\operatorname{IND}+2 \\
& \mathbb{N D D}=\mathbb{N D}+2 \\
& \mathrm{LF}=\mathrm{LFD} \text { (ND) }
\end{aligned}
$$

150

WRITE ( 8. LF ) $\boldsymbol{N ( 1 ) . ~ I S S ( 1 ) , ~} \omega(2), \quad$ ISS(2)
100 CONTINUE
20 WRITE ( 8,1003 )
C Next the constrains of continuity
$N=1$
$1=1$
is $=1$
C Find one line of three sub-seasonal continuity equations at a time
9 NRMDER $=0$
11 NRMDER $=1+$ NRMDER
IF ( NRMDER .GT. 3 ) GO TO 15
U(NRMDER) $\quad=\mathbf{N}$
$\|$ (NRMDER) $=1$
ISS(NRMDERP) $=$ IS
is $=1+$ is
IF ( is .LE. NSS(G) ) GO TO 11
C Next season

$$
s=1
$$

$1=1+1$
IF ( 1 LE. 3 ) GO TO 11
C Next node
$=1$
$N=1+N$
IF ( N LE. JN ) GO TO 11
C The last line of CNT values will be printed according to whether
$C$ there is one, two, or three three sub-seasonal values more to go
GO TO (17, 16, 15 ) NRMDER
GO TO 180
C All the values which will be printed on one line have been defined,
$C$ next the format according to the size, one space or two, of the NODE
C number will be assigned:
15

$$
\mathbb{I N D}=7
$$

IF ( $\mathrm{N}(1)$.GT. 9 ) $\operatorname{IND}=\operatorname{IND}+1$
IF ( JU(Z) .GT. 9 ) $\operatorname{IND}=\mathbb{N D}+2$ IF ( $\mathrm{LJ}(3)$ GT. 9 ) $\operatorname{IND}=\operatorname{IND}+4$
$L F=L F B$ (IND)
WRITE ( $8, \mathrm{LF}$ ) ( $\omega(\mathrm{M}), \mathrm{H}(\mathrm{M}), \operatorname{ISS}(\mathrm{M}) . \quad \mathrm{M}=1,3)$
IF ( $N$.LE. JN ) GO TO 9
GO TO 180
16
$\operatorname{IND}=3$
IF ( $\mu(1) \quad$ GT. 9$)$ IND $=\operatorname{IND}+2$
IF (LJ(2) GT. 9 ) $\operatorname{IND}=\mathbb{N D}+1$

```
        EF = LFB (IND)
            GO TO 180
17 IND = 1
    IF (N(1) .GT. 9) IND = IND + 1
        LF = LFB (ND)
        WRIIE ( 8,LF ) w(1), Il(1), ISS(1)
C Now the WAT equations for each node with irrigation:
180
                        N=2
                        1=1
                        is = 1
C Find one line of three sub-seasonal WAT equations at a time
189 NRMDER =0
181 NRMDER = 1 + NRMDER
    IF ( NRMDER .GT. 3 ) GO TO 185
    U(NRMDER) = JIRR(N)
            M(NRMDER) = 1
            ISS(NRMDER) = IS
                IS = 1 + IS
            IF ( IS .LE. NSS() ) GO TO 181
C Next season
            is = 1
                    1=1+1
            IF ( I .LE. 3 ) GO TO 181
C Next node
            I=1
                        N}=1+
C There is one WAT equation for each node delivering irrigation water,
C even where more than one district is serviced from one node.
C Since up to five districts may be serviced from one mode, check at
C most four times, that there are no more districts serviced from the
C same node.
    DO 183 NLOOP = 1,4
        IF ( JIRR(N) EO. JIRR(N-1) ) GO TO 182
            GO TO 184
182 N = N+1
183 CONTINUE
184 IF (N .LE. JIRR(1)+1 ) GO TO 181
C The last line of WAT values will be printed according to whether
C there is one, two, or three three sub-seasonal values more to go
        GO TO (187, 186, 185 ) NRMDER
            GO TO 125
C All the values which will be prinled on one line have been defined,
C next the lormal according to the size, one space or lwo, of the NODE
C number will be assigned:
185
                                    NND = 7
            IF (N(1) .GT. 9) NNO = NND + 1
            IF (N(2) .GT. 9) IND = IND + 2
            IF (LU(3) .GT. 9) IND = IND + 4
                    LF = LFW (IND)
        WRITE ( }8,LF) (J(M),H(M),ISS(M). M=1,3 )
            IF ( N .LE. JIRR(1)+1 ) GO TO 189
```


$\mathrm{LF}=\mathrm{LFW}$ (IND)
WRITE ( $8, L \mathcal{L})(\omega(M), \|(M), \operatorname{ISS}(M), \quad M=1,2)$ )
GO TO 125
187
$\mathbb{N D}=1$
IF ( $\mathcal{L}(1)$.GT. 9 ) $\mathbb{N N D}=\mathbb{N D}+1$
$L F=L F W$ (IND)
WRITE ( $8, L F)$ ) $\mathrm{JJ}(\mathbf{1}), \quad \mathrm{H}(1), \quad$ ISS( 1 )
C Now that the constraints for the formulation selected have been
C written to the diskette, the upperbound constraint will be listed.
125 WRITE (8,1005)
C The LNG1jDk ath LNG2jDk constraints for crops of tong growing season
C will be written:
DO $130 \quad J=1, \mathrm{dal}$
IF (LNGTH(1) .LT. 1 ) GO TO 130
DO $129 \quad \mathrm{~K}=1, \mathrm{KK}$
$\operatorname{NDD}=1$
IF (K.GT. 9 ) $\mathbb{N D}=\mathbb{N D}+1$
IF (J.GT. 9 ) $\operatorname{IND}=\operatorname{IND}+2$
$\mathrm{LF}=\mathrm{LEL}(\mathrm{ND})$
WRITE ( $8, L F)$ J. K. J. $K$
129 CONTINUE
130 CONTNUE
WFiTE ( 8, 1009 )
C The land utilization variables Dn will be written if necessary
IF ( LANDF LT. 1 ) GO TO 140
WRITE (8, 1006 )
IF ( LANDF , LT. 2 ) GO TO 135
WRIIE (B, 1007 ) $-W D(1), \quad-W D(2), \quad-W D(3)$
GO TO 140
135 WRITE ( 8, 1008 ) WD(1). WD(2). WD(3)
140 CONTNUE
C
C3H LE, $7 \mathrm{X}, 1 \mathrm{H} ., 7 \mathrm{X}, 6 \mathrm{HWATER} 1,7 \mathrm{X}, 1 \mathrm{H}, 5 \mathrm{X}, 6 \mathrm{HWATER} 2,4 \mathrm{X}, 1 \mathrm{H} .5 \mathrm{X}, 6 \mathrm{HWATER} 3,4 \mathrm{X}, 1 \mathrm{H}$.
)
1022 FORMAT ( 3 H EQ, $7 \mathrm{X}, 1 \mathrm{H}, 7 \mathrm{XX}, 5 \mathrm{HDPFF} 1,8 \mathrm{X}, 1 \mathrm{H} ., 5 \mathrm{X}, 5 \mathrm{HDIFF} 2,5 \mathrm{X}, 1 \mathrm{H} ., 6 \mathrm{X}, 5 \mathrm{HDIF}$
1F3, $4 \mathrm{X}, 1 \mathrm{H}, 3 \mathrm{H}$ EQ, $7 \mathrm{X}, 1 \mathrm{H}, 7 \mathrm{X}, 5 \mathrm{HDEFD} \ddagger, 8 \mathrm{X}, 1 \mathrm{H}, 5 \mathrm{X}, 5 \mathrm{HDEFD} 2,5 \mathrm{X}, 1 \mathrm{H}, 6 \mathrm{X}, 5 \mathrm{HDE}$
IFD $3,4 \mathrm{X}, 1 \mathrm{H}$. )
1001 FORMAT ( $3 H$ LE, $7 \mathrm{X}, 1 \mathrm{H} .7 \mathrm{7}, 4 \mathrm{HLAND}, 11,2 H S 1,6 \mathrm{X}, 1 \mathrm{H}, 4 \mathrm{X}, 4 \mathrm{HLAND}, 11,2 \mathrm{HS} 2,4$
$1 \mathrm{X}, 1 \mathrm{H}, 3 \mathrm{X}, 4 \mathrm{H}$ IAND, $11,2 \mathrm{HS} 3,5 \mathrm{~K}, 1 \mathrm{H}$.
)
1011 FORMAT ( $3 H$ LE, $7 \mathrm{X}, 1 \mathrm{H} .7 \mathrm{TX}, 4 \mathrm{HLAND}, 12,2 \mathrm{HS} 1,5 \mathrm{X}, 1 \mathrm{H} .4 \mathrm{X}, 4 \mathrm{H}$ LAND,12,2HS2,3
$1 \mathrm{X}, 1 \mathrm{H}, 3 \mathrm{X}, 4 \mathrm{HLAND}, 12,2 \mathrm{HS} 3,4 \mathrm{X}, 1 \mathrm{H} . \quad)$
1003 FORMAT ( 8 H LOWERBD, $3 \mathrm{X}, 1 \mathrm{H} ., 6 \mathrm{X}, 5 \mathrm{HLOWER}, \mathrm{T} 32,1 \mathrm{H}, \mathrm{T} 40,1 \mathrm{H}, \mathrm{T} 48,1 \mathrm{H}, \mathrm{T} 57$.
11H.,6X,1H. )
1004 FORMAT ( 3 H EQ, $7 \mathrm{X}, 1 \mathrm{H}, 7 \mathrm{X}, 3 \mathrm{HWAT}, 11,2 \mathrm{HS} 1,6 \mathrm{X}, 1 \mathrm{H}, 4 \mathrm{X}, 4 \mathrm{H} \quad$ WAT,11,2HS2,4X
$1,1 \mathrm{H}, 3 \mathrm{X}, 4 \mathrm{H}$ WAT, $11,2 \mathrm{HS} 3,5 \mathrm{X}, 1 \mathrm{H}$.
1044 FORMAT ( 3 H EQ, $7 \mathrm{X}, 1 \mathrm{H}, 7 \mathrm{X}, 3 \mathrm{HWAT}, 12,2 \mathrm{HS} 1,5 \mathrm{X}, 1 \mathrm{H}, 4 \mathrm{X}, 4 \mathrm{H}$ WAT,12,2HS2,3X
$1,1 \mathrm{H}, 3 \mathrm{X}, 4 \mathrm{H}$ WAT,12,2HS3,4X,1H.)
1005 FORMAT ( 8 H UPPERBD, $3 \mathrm{X}, 1 \mathrm{H}, 6 \mathrm{X}, 5 \mathrm{H}$ UPPER,T32,1H.,T40, $1 \mathrm{H}, \mathrm{T} 48,1 \mathrm{H} ., \mathrm{T} 57$,



```
LFM = array of formal lines for writing crop variables in the
MNCRP constraints on production targets for individual crop
    varieties according to the magnitudes of the crop and distric!
    numbers
    DATA LFMP( 5H - 2H 1,11,1H,11,1HK 11,T18,5HMNCRP,11,1HS,11,F
    19.2, T40,1H.,T49,1H.,T56,1H.T64,1H. ) ',
    2 ( 4H . 2H 1,11,1H,12,1HK, [1,T18,5HMNCRP,11,1HS,11,F9
    2.2,T40,1H.,T49,1H.,T56,1H.,T64,1H. ) '
    3 ' 4H . .2H 1,11,1H,11,1HK, 12,T18,5HMNCRP,11,1HS,11,F9
    3.2,T40,1H.,T49,1H.,T56,1H.,T64,1H. )',
    4 '( 3H . 2H 1,11,1HJ,12,1HK L2,T18,5HMNCRP,I1,1HS,11,F9.
    42,T40,1H.,T49,1H.,556,1H.,T64,1H. ) :
5 '( 5H . 2H I,11,1HJ,I1,1HK, IT,T18,5HMNCRP,I2,1HS,I1,F
59.2,T40,1H.,T49,1H.,T56,1H.,T64,1H. ) :
6 '( 4H . 2H l,I1,1HN,L2,1HK 11,T18,5HMNCRP,12,1HS,11,F9
6.2,T40,1H.,T49,1H.,T56,1H.,T64,1H. )
7 '( 4H . 2H 1,12,1H,11,1HK, 12,18,5HMNCRP,12,1HS,11,F9
7.2,T40,1H.,T49,1H.,T56,1H.,T64,1H.
8 '( 3H . ,2H {,11,1HL,2,1HK
) :
12,T18,5HMNCRP,I2,1HS,11,F9.
82,T40,1H.,T49,1H.,T56,1H.,T64,1H. ) '/
LFW = array of format lines for wriling crop variables in the WATnSit
    constraints defining the sub-seasonal water demand
    according to the magnitudes of the crop, district and node numbers
    DATA LFW/ 5H . ,2H 1,11,1HJ,11,1HK, IT,T18,3HWAT,11,1HS,211,F1
    11.6,T40,1H.,T49,1H.,T56,1H.,T64,1H.)
    2 ( 4H . ,2H 1,11,1H,12,1HK, I1,518,3HWAT,11,1HS,211,F11
2.6,T40,1H.,T49,1H.,T56,1H.,T64,1H.)
3 ( 4H . 2H 1,11,1HN,11,1HK, 12,18,3HWAT,11,1HS,211,F11
3.6,T40,1H.,T49, 1H.,T56,1H.,T64,1H.)
4 (% 3H . ,2H 1,11,1H,12,1HK,
    R,T18,3HWAT,I1,1HS,211,F11.
46,T40,1H.,T49,1H.,T56,1H.,T64,1H.) :
5 (% 5H . ,2H I,11,1HW,11,1HK. I1,T18,3HWAT,12,1HS,211,F1
51.6,T40,1H.,T49,1H.,T56,1H.,T64,1H.)
6 '( 4H . 2H 1,11,1HJ,12,1HK,
    I1,T18,3HWAT,I2,1HS,211,F11
6.6,T40,1H.,T49,1H.,T56,1H.,T64,1H.)
7 '% 4H . ,2H 1,11,1H,11,1HK 12,T18,3HWAT,12,1HS,211,F11
7.6,T40,1H.,T49,1H.,T56,1H.,T64,1H.)
8 ( 3H . 2H 1,11,1H,12,1HK, 12,T18,3HWAT,12,1HS,211,F11.
86,T40,1H., T49,1H.,T56, 1H.,T64,1H.)
%
LFD = array of formal lines for writing the crop variables, in the
    DiFFi constrainls, defining the difference between seasons in
    the amounts of idle land according to the magnitudes of the
    crop and district numbers
    DATA LFD'( 5H . 2H 1,11,1H,11,1HK I1,T18,5HDIFF1, F9,2,T37,
    15HDHFF3,T48,2H-1,T56,1H.,T64,1H.J'.
2 % 4H . ,2H 1,1t,1HW,12,1HK, 11,T18,5HOMFF1, F9.2,T37,5
```



```
5 'f 4H . .2H 1,11,1H,11,1HK, 12,T18, 3HLG1,12,1HK,12,6X,
51H1,T40,1H.T49,1H.,T56,1H.T64,7H.)',
6 ( 3H . 2H 1,11,1HW,12,1HK 12,T18, 3HLG1,12,1HK,12,6X,1
6H1,T40,1H.,T49,1H.,T56, 1H.,T64,1H.)/
LFL2 = array of format lines for wriling the crop variables in the
    long growing season constraints according to the magnitudes of
    the crop and district numbers.
    DATA LFLOR 5H . 2H 1,11,1H,11,THK, 11,T18, 3HLG1,1t,1HK,11,6
    1X,2H-1,T37, 3HLG2,11,1HK,11,6X,1H1,T56,1H.,T64,1H.)',
    2 ( 4H . 2H 1,11,1H,12,1HK I,T18, 3HLG1,11,1HK,11,6X,
    2,2H-1,T37. 3HLG2,11,1HK,11,6X,1H1,T56,1H.,T64,1H.).'
    3 % 4H . 2H 1,11,1H,11,1HK, 12,T18, 3HLG1,11,1HK,11,6X,
    3,2H-1,T37. 3HLG2,11,1HK,11,6X,1H1,T56,1H.,T64,1H.).'
    4 (% 3H . 2H 1,1,1H,12,1HK, [2,T18, 3HLG1,11,1HK11,6X,2
    4H-1,T37, 3HLG2,I1,1HK,11,6X,1H1,T56,1H.,T64,1H.)',
    5 (% 5H . 2H 1,11,THL,11,1HK, 11,T18, अHLG1,12,1HK,I1,6X
    5,2H-1,Tэ7. \quad %HLG2,12,1HK,11,6X,1H1,156,1H.,T64,1H.)',
    6 % % % ,2H 1,11,1HL,12,1HK, 11,T18, 3HLG1,12,1HK,11,6X,
    62H-1,T37. 3HLG2,12,1HK,11,6X,1H1,T56,1H.,T64,1H.)':
    7 '% 4H . 2H 1,11,1H,11,1HK, 12,T18, अHLG1,12,1HK,11,6X,
    72H-1,T37, 3HLG2,12,1HK,11,6X,1H1,T56,1H.,T64,1H.)',
    8 '( 3H . 2H 1,11,1H,12,1HK, 12,T18, 3HLG1,12,1HK,11,6X,2
    8H-1,T37, 3HLG2,12,1HK,11,6X,1H1,T56,1H.,T64,1H.)',
    9 (% 5H . 2H 1,11,1H,11,1HK 11,T18, 3HLG1,11,1HK,12,6X
    9,2H-1,T37. 3HLG2,11,THK,12,6X,1H1,T56,1H.,T64,1H.).'
    | ( 4H . 2H 1,11,1H,12,1HK, 11,T18, 3HLG1,11,1HK,12,6X,
    12H-1,137. 3HLG2,11,1HK,12,6X,1H1, 156,1H.,T64,1H.)',
    1 '( 4H . 2H 1,11,1H,11,1HK, 22,T18, 3HLG1,11,1HK,12,6X,
    12H-1,T37. 3HLG2,1t,1HK,12,6X, 1H1,T56, IH.,T64,1H.)',
    2 '( 3H . 2H 1,11,1H,12,1HK I2,T18, 3HLG1,11,1HK,12,6X,2
    2H-1,T37, 3HLG2,11,1HK,12,6X,1H1,T56,1H.,T64,1H.};
    3 'f 5H . ,2H 1,11,1H,1t,1HK, 11,T18, अLG1,12,1HK,12,6X
    3,2H-1,T37, 3HLG2,12,1HK,12,6X,1H1,T56,1H.,T64,1H.)',
    4 (% 4H . 2H 1,11,1H,12,1HK 11,T18, 3HLG1,12,1HK,12,6X,
    42H-1,T37, 3HLG2,12,1HK,12,6X,1H1,T56,1H.,T64,1H.)',
    5 (% 4H . 2H 1,11,1H,11,1HK, 12,T18, 3HLG1,12,1HK,12,6x,
    52H-1,137, 3HLG2,12,1HK,12,6X,1H1,156,1H.,T64,1H.)',
    6 % 3H . 2H 1,11,1%W,12,1HK 12,T18, 3HLG1,12,1HK,12,6X,2
    6H-1,T37. 3HLG2,L2,1HK,12,6X,1H1,T56,1H.,T64,1H.)'/
LFL3 = array of format lines for writing the crop variables in the 
    the crop and district numbers.
    DATA LFL3/( 5H . ,2H 1,11,1H,11,1HK. 11,T18, 3HLG2,11,1HK,11,6
    1X,2H-1,T40,1H.,T49, 1H.,T56, 1H.,T64,1H.)',
    2 { 4H . 2H 1,11,1H,12,1HK, 11,T18, 3HLG2,11,1HK,11,6X,
    22H-1, T40,1H., T49,1H.,T56,1H.,T64,1H.)',
    3 '( 4H . .2H 1,11,1H,1,1,1HK, 12,T18, 3HLG2,11,1HK,11,6X,
    32H-1,T40,1H.,T49,1H.,T56,1H.,T64,1H.)',
    4 '( 3H . ,2H 1,11,1H,12,1HK
    12,T18, 3HLG2,I1,1HK,11,6X,2
    4H-1,T40,1H.,T49,1H.,T56,1H.,T64,1H.)',
    5 ( 5H . .2H 1,1,1H,11,1HK, 14,T18, 3HLG2,12,1HK,11,6X
    5,2H-1,T40,1H.,T49,1H.,T56,1H.,T64,1H.);,
```



```
    4 ( 3H . ,2H 1,11,1HL,12,1HK 12,T18,5HCCROP,11,1HS,11,F9.
    42,T37,5HCCROP,11,1HS,11,F8.2,T54,5HCCROP,11,1HS,11,F9.2
    5 (% 5H . .2H 1,11,1H,11,1HK, 11,T18,5HCCROP,12.1HS,11,F
    59.2,T37,5HCCROP,IT,1HS,11,F8.2,T54,5HCCROP,I1,1HS,11,F9.2
    6 '( 4H . ,2H I,11,1H,I2,1HK, IT,T18,5HCCROP,I2,1HS,11,F9
    6.2,737,5HCCROP,11,1HS,11,F8.2,T54,5HCCROP,11,1HS,11,F9.2
    7 ( 4H . ,2H 1,11,1H,11,1HK, 12,T18,5HCCROP,12,1HS,11,F9
    7.2,T37,5HCCROP,11,1HS,11,F8.2,T54,5HCCROP,11,1HS,11,F9.2
    8 '( 3H . 2H 1,11,1H,L2,1HK, 12,T18,5HCCROP,L,1HS,11,F9.
    82,T37,5HCCROP,11,1HS,11,F8.2,T54,5HCCROP,11,1HS,11,F9.2
    9 '( 5H . .2H 1,11,1H,11,1HK, 11,T18,5HCCROP,11,1HS,11,F
    99.2,137,5HCCROP,12,1HS,.11,F8.2,T54,5HCCROP,11,1HS,11,F9.2
    1 ( 4H . 2H 1,11,1H,12,1HK, IT,T18,5HCCROP,IT,1HS,I1,F9
    1.2,T37,5HCCROP,12,1HS,11,F8,2,T54,5H+C.ROP,11,1HS,11,F9.2
    1 'f 4H . .2H 1,11,1H,11,1HK [2,T18,5HCCROP,11,1HS,11,F9
    1.2,T37,5HCCROP,12,1HS,11,F8,2,T54,5HCCROP,11,1HS,11,F9.2
    2 '( 3H . 2H 1,11,1HN,12,1HK, 12,118,5HCCROP,11,1HS,11,F9.
    22,137,5HCCROP,12,1HS,11,F8.2,154,5HCCROP,11,1HS,11,F9.2
    3 '( 5H . .2H 1,11,1H,11,1HK, 11,T18,5HCCROP,12,1HS,11,F
    39.2,T37,5HCCROP,I2,1HS,11,F8,2,T54,5HCCROP,11,1HS,11,F9.2
    4 (% 4H . 2H 1,11,1H,12,1HK, 11,T18,5HCCROP,22,1HS,11,F9
    4.2,T37,5HCCFOP,12,1HS,11,F8,2,154,5HCCROP,11,1HS,11,F9.2
    5 '( 4H . .2H 1,11,1HW,11,1HK, 12,T18,5HCCROP,12,1HS,11,F9
    5.2,T37,5HCCROP,12,1HS,11,F82,T54,5HCCHOP,11,1HS,11,F9.2
    6 '( 3H . 2H 1,11,1H,12,1HK, 12,T18,5HCCROP,12,1HS,11,F9
    62,T37,5HCCAOP,12,1HS,11,F8,2,T54,5HCCROP,11,1HS,11,F9.2
LFC2 = array of format lines for writing the crop variables in the
    constraints grouping crop varieties under common production
        largets according to the magnitudes of
        the crop and district numbers.
    DATA LFG2PS SH . ,2H 1,11,1HW,11,1HK II,T18,5HCCROP,11,1HS,11,
7F9.2,T37,5HCCROP,11, 1HS,11,F8,2,T54,5HOCROP,12,1HS,11,F9.2
8 ( 4H . ,2H 1,11,1H,12,1HK , 11,T18,5HCCROP,11,1HS,I1,F9
8.2.T37,5HCCROP,11,1HS,11,F8.2,T54,5HCCROP,12,1HS,11,F9.2
9 % 4H . ,2H 1,11,1H,11,1HK [2,T18,5HCCROP,11,1HS,11,F9
9.2,T37,5HCCROP,11,1HS,11,F8,2,T54,5HCCROP,12,1HS,11,F9.2
2 % 3H . ,2H 1,11,1H,12,1HK, 12,T18,5HCCROP,11,1HS,11,F9.
22,T37,5HCCROP,11,1HS,11,F8.2,T54,5HCCROP,12,1HS,11,F9.2
    1 i 5H . 2H 1,11,1H,11,1HK 11,T18,5HCCROP,12,1HS,11,F
    19.2,137,5HCCROP,11,1HS,I1,F8.2,154,5HCCROP,12,1HS,11,F9.2
2 '( 4H . .2H 1,11,1H山,2,1HK, 11,T18,5HCCROP,12,1HS,11,F9
22,T37,5НССROP,11,1HS,11,F8,2,154,5HCCROP,12,1HS,17,F9.2
    3 ' 4H . .2H 1,11,1H,11,1HK [2,T18,5HCCROP,I2,1HS,11,F9
    3.2,137,5HCCROP,11,1HS,11,F8.2,154,5HCCROP,12,1HS,11,F9.2
    4 '( 3H . ,2H 1,11,1H0,12,1HK, 12,T18,5HCCROP,12,1HS,11,F9.
    42,T37,5HCCROP,11,1HS,11,F8.2,T54,5HCCROP,12,1HS,11,F9.2
    5 '{ 5H . ,2H 1,11,1H,1t,1HK, 11,T18,5HCCPOP,11,1HS,I1,F
    59.2,T37,5HCCROP,12,1HS,11,F8.2,T54,5HCCROP,12,1HS,I1,F9.2
    6 % 4H . 2H 1,11,1H,12,1HK, 11,T18,5HCCROP,11,1HS,11,F9
    6.2,T37,5HCCPOP,12,1HS,11,F8,2,T54,5HCCROP,12,1HS,11,F9,2
    7 '/ 4H . 2H 1,11,1H,11,1HK 12,T18,5HCCROP,11,1HS,11,F9
    7.2,T37,5HCCROP,12,1HS,11,F8.2,T54,5HCCROP,12,1HS,11,F9.2
```

1. 

J',

J'.
j:

J':
):

J':
P.

1 :
l'.
)



```
C If there is minimum production required of a crop, it will be written:
                IND = MIND
        IF (J.GT. 9) IND = IND + 4
                        LF = LFM(ND)
9 WRITE (8, LF ) I, J, K, J, l, Y(N,\)
    IF ( MINCRP .LE. t) GO TO 100
50 IF ( JCROP(IN,1) .LE. O ) GO TO 100
C Crops are grouped, write the coefficients for the CCROP constraint:
                        L = 1
                        N=1
105 IF ( JCROP(N,L) .LE. 0 ) GO TO 200
            IND = MIND
            JC(N) = ICROP(N,L)
            IS(N)}=
                N=N+1
                    L}=\mathbf{L}+
            IF (N .GT. 3),GO TO 110
            GO TO }10
                    GO TO (100, 120, 150 ) N
                        N}=
        IF (JC(1) .GT. 9 ) IND = IND + 4
        IF (JC(2) .GT. 9) IND = IND + 8
        IF ( JC(3) .GT. 9 ) GO TO 115
            LF3 = LFCI (ND)
            GO TO }11
115 LF3 = LFC2 (iND) 
            GO 10 105
                IF (JC(1) .GT. 9 ) IND = IND + 4
                    LF = LFC (ND)
    WRITE ( 8, LF ) I, J, K. NC(1). IS(t). Y(0,J,K)
                go to }10
150 IF ( JC(1) .GI. 9) IND = NND +4
        IF (JC(2) GT. 9) IND = NND + 8
            LF3 = LFC3 (ND)
    WRITE (8,LF3) L,J,K, JC(1),IS(1),Y(1,S,W, JC(2),IS(2),Y(N,J,K)
c
100 CONTINGE
t000 FORMAT & There is no point listed in the configuration as servin
    ig the ',13,'th district. ')
        RETURN
            END
~
SUBROUTINE RHS ( 山, KK, HH, MINCRP. LANDIF. NMAX, NREM. JN )
C This subroutine writes the _RHS_ values in the SAS sparsedata format
C to the file b:PLAN.DATA
        COMMON PRROD/ YMIN(3,50). NMINN(50), NMINL(50)
        COMMON NEW1/ NG(3), WD(3), JCROP(3,50,10). PCROP(3,25). LNGTH(50)
        COMMONKAP/ KIRR(21), CCAP1(21). }\operatorname{CCAPD(15), CRHS(3,35,5)
        COMMONFLO/ NLIM(21). NSS(3)
        DIMENSION SUM(3), JK(3), ISS(3), R(3), HH(3,20), |(3)
        CHARACTER * 100 LFR(10), LFB(14), LFW(6), LFC(14), LF
```




C


C Next season

$$
\begin{aligned}
I S & =1 \\
1 & =1+1
\end{aligned}
$$

IF ( ) .LE. 3 ) GO TO 11
C Next node

$$
\begin{aligned}
& \mathbf{I}=1 \\
& N=1+N \\
& \text { IF ( } N \text {.LE. JN ) GO TO } 11
\end{aligned}
$$

C The last line of CNT values will be printed according to whether
C there is one, two or three non-zero values to go GO TO ( $17,16,15$ ) NRMDER-1

GO TO $\quad 18$
C All the values which will be printed on one line have been defined,
$C$ next the formal according to the size, one space or fwo of the NODE
C number will be assigned:
15
IND $=7$
IF ( $\operatorname{JK}(2) \quad . \mathrm{GT} .9) \mathbb{N D}=\mathbb{N D}+1$
IF (JK(3) .GT. 9 ) WD $=$ IND +2 IF ( $\mathrm{JK}(4) \quad . \mathrm{GT} .9$ ) $\operatorname{IND}=\operatorname{IND}+4$
$L F=L F B$ (IND)
WRITE ( $8, L F)(\mathrm{JK}(\mathrm{M}), \mathrm{H}(\mathrm{M}), \mathrm{ISS}(\mathrm{M}), \mathrm{R}(\mathrm{M}) . \quad \mathrm{M}=2,4)$
IF \{N.LE. JN $\rangle$ GO TO 9 GO TO $\quad 18$

16
IND $=3$
IF (JK(2) .GT. 9 ) $\operatorname{IND}=\mathbb{N D}+2$
IF (JK(3) .GT. 9 ) $\mathbb{N D}=\mathbb{N D}+1$
$\mathrm{LF}=\mathrm{LFB}$ (iND)
WRITE ( $8, \mathrm{LF})(\mathrm{JK}(\mathrm{M}), \mathrm{H}(\mathrm{M}), \mathrm{LSS}(\mathrm{M}), \mathrm{R}(\mathrm{M}), \quad \mathrm{M}=2,3 \quad$ )
GO TO 18
17 HND $=1$
IF ( JK(2) .GT. 9 ) IND $=\operatorname{IND}+1$ $L F=L F B$ (ND)
WRITE ( 8,LF ) JK(2), H(2), ISS(2), R(2)
18 IF (LANDIF .LT. 1 ) GO TO 8
$C$ The seasonal differences between the amounts of idle land are calculated


```
            WRITE ( 8,LF ) J1, IS1, Y1, J2, IS2, Y2, J3, IS3, in'
65 CONTINUE
C The last line of MNCRP values will be printed according to whether
C there is one or two more than a mulliple of three non-zero values:
C If there is a multiple of three non-zero MNCRP values no more
C lines will be primled.
158 GO TO ( 165, 160 ) NREM
                    GO TO 170
160 J1 = NMINJ( NMAX+1 )
            IS1 = NMINI( NMAX+1 )
                Y1 = YMMN( IS1,N1 )
            J2 = NMINL( NMAX+2 )
            IS2 = NMINI( NMAX+2 )
            Y2 = YMIN ( IS2, \2 )
                    \mathbb{NO}=1
        IF (J1 GT. 9) IND = IND + 2
        IF ( J2 .GT. 9) IND = IND + 1
                LF = LFW (IND)
        WFITE ( B,LF ) J1, IS1, Y1, J2, IS2, Y2
            GO TO 170
165
                IND = 5
            IF (NMINJ(NMAXX+1) .GT. 9) IND = IND + 1
                    LF = LFW (ND)
            WRITE ( 8,LF ) NMINJ (NMAX+1), NMINI (NMAX+1),
                    YMIN(NMINI(NMAX+1), NMIN(NMAXX 1))
170
C Now the RHS constants of the constraints guaranteeing the minimum
C production of groups of crops will be written to the diskfile
C B:Crop3.data
            DO 100, I = 1,3
                    K = 1
        DO 110, J = 1,NG(0
                IND = 1
            JK(M) = J
            ISS(K) = 1
                R(K) = PCROP(N)
                    K=K + 1
        IF (K .GT. 3 ) GO TO 105
            go to 110
                    K = 1
        IF (JK(1) .GT. 9) IND = \mathbb{ND + 1}
        IF (JK(2) .GT. 9) IND = \mathbb{ND + 2}
        IF ( JK(3) .GT. 9 ) IND = INO + 4
            LF = LFC (IND)
        WRITE ( 8. LF ) { JK(L. ISS(L). R(L). L= 1,3 )
        continue
                                    IND = 9
            GO TO (100, 120, 150 ) K
120 IF (JK() GT. 9) IND = IND + 1
                LF = LFC (NND)
        WRITE ( 8, LF ) JK(1), ISS(1), R(1)
            GO TO 100
```

```
150 IF (JK(1) .GT. 9 ) IND = NND + 1
    IF (JK(2) .GT. 9 ) IND = IND + 2
                IND = IND + 2
                LF = LFC (IND)
    WRITE ( 8, UF ) JK(1), ISS(1). R(1), JK(2), ISS(2), R(2)
100 CONTINUE
C Finally, the last line of the dataset, the proc ip sparsedala line is
C written.
70 WRITE (8,1004)
c
1000 FORMAT ( 2H .,T6,11H_RHS_ LAND,11,1HS,11,F9.0,6H LHN,11,1HS,
    #11,F9.0,6H LAND,11,1HS,I1,F9.0 )
1001 FORMAT ( 2H .,T6,11H_RHS_LAND,12,1HS,I1,F8.0,6H LAND,12,1HS,
    2H,F8.0,6H LAND,12,1HS,11,F8.0 )
1002 FORMAT ( 2H .,15H _RHS_ DFFF1,F11.2,7H DIFF2,F18.2,7H DIFF3,F
1004 FORMAT ( \(2 \mathrm{H}: / 41 \mathrm{HPROC} \quad \mathrm{LP}\) SPARSEDATA MAXIT1=500 MAXIT2=500; \(2 \mathrm{H} / *\)
)
    RETURN
    END
~2
```


## APPENDIX B2

The data preparation program for PROJOP reads any configuration file prepared, or enters a new configuration. Subsequently, it reads the power, reservoir, irrigation and canal files as desired by the user. Once the time independent data has been entered, the date of the current run may be given interactively. If any of the coefficients are to vary over time, the user may adjust the values interactively, or they may be retrieved from a file stored on diskette from a previous run. The file of predicted inflows for the current run is read.

The user will find it useful to save any revisions or adjustments as they are made in case the run must be restarted. The user may re-enter data from the main menu or choose a different order than that presented by the menu. The program verifies that it has the necessary information before continuing. The user may include irrigation return flows in the continuity equations, that option is entered after the predicted inflows.

After the current reservoir levels and target storages are entered interactively, the program is ready to write RELEASE. DATA to the diskette. The data preparation file for PROJOP writes the datalines by reservoirs, power plants, irrigation delivery nodes, and downstream and diverted flows. Table B2.1 shows the structure of PROJOP.

TABLE B2.1
The programming structure of PROJOP


The following table describes in which FORTRAN file each
program unit is stored, and the function of the subroutine.
TABLE B2. 2
Location and function of FORTRAN program units
UNIT NAME IN FILE

| PROJOP | Projop. for |
| :--- | :--- |
| CONFIG | Dscheme. for |
| CORRIG | Dscheme. for |
| DELETE | Dscheme. for |
| ADD | Dscheme. for |
| LOOPMK | Dscheme.for |


| DPOWER | Readin.for |
| :--- | :--- |
| CALC | Readin. for |
| DRES | Readin.for |
| DIRR | Readin.for |
| DCANAL | Readin.for |
| PERIOD | Dperiod.for |
|  |  |
| DINFLO | Dinflo.for |
| RETQR | Retqr.for |
| DWRITE | Write.for |


| WPOWER | Wlin.for | Writes power plant variables and <br> constraints |
| :--- | :--- | :--- |
| WRES | Wlin.for | Writes reservoir variables and <br> constraints |
| LFII | Wlf.for | Writes specific format lines |
| LFTYPE | Wlf.for | Writes format lines for constraint <br> type lines |
| LFRHS | Wlf.for | Writes format lines for RHS constant <br> term lines |

Before showing a complete FORTRAN listing, the common block arrays used in the data preparation program will be explained. Definitions of other variables, arrays, or subroutine arguments appear in the program listing. There are

13 common blocks used by one or another of the subroutines. The SHR common block contains configuration vectors of the nodes with common characteristics.

NPOWER(15) is the vector of nodes which have power plants.

NIRR(21) is the vector of nodes which have irrigation canals.

NRES(25) is the vector of nodes which have storage.
NNOSPL(20) is the vector of nodes which do not spill to the node numbered one higher.
$\operatorname{NDIV}(2,15)$ is the array of nodes where there are diversions. The first number of the pair diverts water to the second node.

The SHP common block stores a few more of the configuration vectors.

NINFLO(30) is the vector of nodes for which predicted inflows are prepared on file.

NLIM(30) is the vector of nodes which have restrictions on their downstream releases.
$\operatorname{NTRB}(2,10)$ is the array of nodes which are tributaries. The first number of the pair releases its water to the second node.
$\operatorname{NRF}(3,10) \quad$ is the array of node numbers and lag times for irrigation return flows. The first number of the triplet is the node where the irrigation
flows are diverted. The second number is the node where some of the flows are included in the continuity equation. The final number is the time in quarter months the flows take to return.
$C 1(26,10)$ is the array of the percentage of irrigation delivery which returns every quarter month for each instance of return flow. The same array is used to store the values per time step.

The NEW common block has the arrays and vectors restricting the downstream releases to minimum or maximum limits.

FLOMIN(30) is the vector of minimum downstream releases in $\mathrm{m}^{3} / \mathrm{s}$ at every restricted node.

FLOMAX(30) is the vector of maximum downstream releases in $\mathrm{m}^{3} / \mathrm{s}$ at every restricted node.

FMX $(14,30)$ is the array of maximum flow releases per time step in $\mathrm{Mm}^{3}$ at every restricted node.

FMN $(14,30) \quad$ is the array of minimum flow releases per time step in $\mathrm{Mm}^{3}$ at every restricted node.

The common block CAN stores the vectors of canal characteristics.
$\operatorname{CCAPI}(21)$ is the vector of the maximum capacities of the
irrigation canals in $\mathrm{m}^{3} / \mathrm{s}$.
CCAPD(15) is the vector of the maximum capacities of the diversion canals in $\mathrm{m}^{3} / \mathrm{s}$.

CMINI(21) is the vector of the minimum capacities of the irrigation canals in $\mathrm{m}^{3} / \mathrm{s}$.

CMIND(15) is the vector of the minimum capacities of the diversion canals in $\mathrm{m}^{3} / \mathrm{s}$.

CHLSS(15) is the vector of the diversion canal channel losses as a percent of flow.

The CAP common block lists the vectors of constant turbine and reservoir storage restrictions.
$\operatorname{TMAX}(15)$ is the vector of maximum turbine releases in $\mathrm{m}^{3} / \mathrm{s}$. TMIN (15) is the vector of minimum turbine releases in $\mathrm{m}^{3} / \mathrm{s}$. $\operatorname{SUP}(25)$ is the vector of maximum storage levels in $\mathrm{Mm}^{3}$. SLO (25) is the vector of minimum storage levels in $\mathrm{Mm}^{3}$.

The VAR common block has the arrays of coefficients varied by time step.

VLS $(14,25)$ is the array of minimum desired reservoir storage levels in $\mathrm{Mm}^{3}$ per time step.

VMS $(14,25)$ is the array of maximum desired reservoir storage levels in $\mathrm{Mm}^{3}$ per time step.

CIX $(14,21)$ is the array of maximum desired irrigation canal flow in $\mathrm{Mm}^{3}$ per time step.

| $\operatorname{CIN}(14,21)$ | is the array of minimum desired irrigation canal flow in $\mathrm{Mm}^{3}$ per time step. |
| :---: | :---: |
| TMX ( 14,15 ) | is the array of maximum desired turbine |
|  | release in $\mathrm{Mm}^{3}$ per time step. |
| TMN ( 14,15 ) | is the array of minimum desired turbine |
|  | release in $\mathrm{Mm}^{3}$ per time step. |
| $\operatorname{CDX}(14,15)$ | is the array of maximum desired diversion |
|  | canal flow in $\mathrm{Mm}^{3}$ per time step. |
| $\operatorname{CDN}(14,15)$ | is the array of minimum desired diversion |
|  | canal flow in $\mathrm{Mm}^{3}$ per time step. |
| VL( 14,15 ) | is the array of channel loss as a percent of |
|  | flow for each time step. |

The STG common block has the vectors whose values are entered interactively after everything else has been entered. STO(40) is the vector of current reservoir storage levels in $\mathrm{Mm}^{3}$.

ST12(40) is the vector of target reservoir storage levels in $\mathrm{Mm}^{3}$.

APOW(14) is a vector of minimum electrical production per time step in $G W-h r$ or a vector of maximum energy difference allowed per time step.

ERHS (14) is the vector of the RHS constant terms of the linearized energy production equations for each time step. The same vector is used for the

$$
\begin{aligned}
& \text { linearized equations of every power plant, one at a } \\
& \text { time. }
\end{aligned}
$$

The common block POW has the arrays of power plant coefficients.
$H(14,15)$ is the array of power coefficients based on the effective head of each power plant for each time step.
$C(14,15) \quad$ is the array of corrector-multipliers for each power plant and for each time step. When equal to -1 , the energy is calculated as the release multiplied by the head, there is no other term adjusting for the reservoir storage level.
$S T O(14,15) \quad$ is the array of reference storage levels used to adjust the energy calculated for the reservoir storage level for each reservoir and each time step.

The common block RES has the arrays of reservoir coefficients.

GAMMA $(25,9)$ is the array of storage volumes at the upper limit of each linearization interval for each reservoir.

DELTA $(25,9)$ is the array of ratios of area to volume for each linearization interval at each reservoir. EPSI $(25,9)$ is the array of surface areas at the upper limit of each linearization interval for each reservoir.

KIN(25) is the vector of the number of linearization intervals used at each reservoir.

DGAMA $(25,9)$ is the array of incremental storage volumes between the limits of each linearization interval for each reservoir.

CLOSS $(14,25)$ is the array of losses due to seepage and evaporation for every time step and every reservoir.

The common block IRR stores the arrays of irrigation coefficients.

THETA $(6,21,9)$ is an array of irrigation deficits values at the upper limit of each linearization interval for each irrigation node and for every curve of the season.

OMEGA $(6,21,9)$ is an array of the ratios of penalty costs to deficits for each linearization interval for each irrigation node and for every curve of the season.

PHI $(6,21,9)$ is an array of the penalty costs values at the
upper limit of each linearization interval for each irrigation node and for every curve of the season.

ID $(6,21)$ is the array of last quarter months that $a$ penalty cost ratio or curve applies for an irrigation node.
$\operatorname{KINI}(6,21)$ is the array of the number of linearization intervals used for each penalty cost curve for every irrigation node.

DTHET $(6,21,9)$ is the array of the incremental irrigation deficits between the limits of each linearization interval for each irrigation node and for every curve of the season.

IC(21) is the vector of the number of curves or single ratios used at an irrigation node for each season.
$\operatorname{CWR}(26,21)$ is the array of estimated crop water demands for every quarter month of the season from every irrigation node. The same array is used for the irrigation requirements by time step.

IID $(14,21)$ is the array of which single penalty ratio or curve to use for every time step at every irrigation node.

The common block INF has a sole array.

FLOW $(26,40)$ is an array of the predicted inflows at every node in the configuration and for every time step.

The RSC common block contains the costs used in the objective function of the linear programming formulation.

R01 is the relative price assigned to every GW-hr of energy produced.

R02 may be used for the relative weight of irrigation penalties. It is not presently used in PROJOP.

R03(40) is a vector of the relative benefit to assign to the storage volume of reservoirs fuller than the end of season target. The default value is 1 or the value of the preceding reservoir.

RO is the penalty cost of a difference in energy production from one time step to another.

The final common block, called NOM, has character vectors.

NNAME (40) is the vector of the names of all the nodes in the configuration.

WREQ(21) is the vector of the mnenomic character codes which verify the data entered is assigned to the correct irrigation node.

EVAP(25) is the vector of the mnenomic character codes
which verify the data entered is assigned to the correct reservoir node.

INFLOW(30) is the vector of the mnenomic character codes which verify the inflow data entered is for the correct node.

POWER(21) is the vector of the mnenomic character codes which verify the data entered is assigned to the correct power plant node.

C
C This FORTRAN programme asks for the necessary data to write a SAS.OR c linear programming data file, RELEASE.DATA in drive B:, which may be c solved to find the optimal release schedule for hydro-electric power c generation, yet still satisfy the irrigation requirements of the c current season's crops and anticipated needs of later seasons. It is c dimensioned for 15 power plants and 20 irrigation districts in a c system with 40 or less nodes, 25 which may have storage facilities c and 15 which may divert water from one basin to another.
c A weighted objective function is used to evaluate the returns from c energy production without unduly penalizing irrigation in the current c and future seasons. An optional term may be used in the objective c function to reduce fluctuations in the amount of energy generated from c one time step to the next.
c The formulation is subject to the continuity equations of the water c allocation among the nodes for every time step in the season. Time c steps of a quarter month are used for the immediate two months or until c there are an integer number of months left in the season. Month or half c month time steps are used for the remaining time. The solution is c updated every quarter month to reflect actual reservoir levels, revised c flow forecasts, and operational schedules.
c PC files may be used to store the various information required each c run. The program may be used interactively to update and vary the c information for each time. Checking procedures verify that the correct c file is being entered and that all the information necessary has been c entered.

COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15)
COMMON/SHP/ NINFLO(30), NLM $(31), \operatorname{NTRB}(2,10), \operatorname{NRF}(3,10), \mathrm{C} 1(26,10)$
COMMON/NEW/ FLOMIN(30), $\operatorname{FLOMAX}(30), \operatorname{FMX}(14,30), \operatorname{FMN}(14,30)$
COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15)
COMMON/CAP/ TMAX(15), TMIN(15), SUP(25), SLO(25)
COMMONNAR/ VLS $(14,25)$, VMS $(14,25), \operatorname{CIX}(14,21), \operatorname{CIN}(14,21)$,
$1 \operatorname{TMX}(14,15), \operatorname{TMN}(14,15), \operatorname{CDX}(14,15), \operatorname{CDN}(14,15), \operatorname{VL}(14,15)$
COMMON/STG/ STO(40), ST12(40), APOW(14), ERHS(14)
СОMMON/POW/H( 14,15 ), C( 14,15 ), STO $(14,15)$
COMMON/RES/ GAMMA $(25,9), \operatorname{DELTA}(25,9), \operatorname{EPSI}(25,9), \operatorname{KIN}(25)$,
$1 \operatorname{DGAMA}(25,9), \operatorname{CLOSS}(14,25)$
COMMON/RR/ THETA( $6,21,9)$, OMEGA( $6,21,9), \operatorname{PH}(6,21,9)$, ID( 6,21 ),
$1 \operatorname{KINI}(6,21), \operatorname{DTHET}(6,21,9), \operatorname{IC}(21), \operatorname{CWR}(26,21), \operatorname{IID}(14,21)$
COMMON/INF/ FLOW $(26,40)$
COMMON/RSC/ RO1, RO2, RO3(40), RO4
COMMON/NOM/ NNAME(40), WREQ(21), EVAP(25), INFLOW(30), POWER(15)
C
INTEGER CT1, CT2, CT3, CT4, CT5, CT6, CT7
CHARACTER * 47 CHAR(2)
CHARACTER * 12 NAME1, NNAME, WREQ, EVAP, FNAME, INFLOW, POWER,

1 FIRST(6), FNAME1, FNAME2, FNAME3, FNAME4<br>CHARACTER * 4 NAME2, NAME3, NAME4<br>CHARACTER * 4 NAME5, NAME6, NAME7, NAME8

```
    CHARACTER * 2 ANS
C
    DATA CT1/0/,CT2/0/,CT3/0/,CT4/0/,CT5/0/,CT6/0/,CT7/0/,CT8/0/
    DATA CHAR/' minimum power production per period (GW-hr ) ',
    1 'maximum power difference per period (GW-hr ) '/
C
1 WRITE (*,1000)
    READ ( *,9000) FNAME1
    IF ( FNAME1 .EQ. ' ') GO TO 2
C Read in the configuration file
    OPEN (9,FILE=FNAME1, STATUS='OLD')
    READ (9,9100) ( FIRST(M), M=1,6 )
    READ (9,9009) NI, NP, NR, NS, ND, NF, NT, NLM(1), NN
    READ (9,9010) ( NIRR(K), CCAPI(K), WREQ(K), K=1,NI )
    READ ( 9,9012) (NPOWER(K), POWER(K), K=1,NP )
    READ (9,9012) (NRES(K), EVAP(K),K=1,NR )
    READ (9,9011) ( NNOSPL(K), K=1,NS )
    READ ( 9,9011) (NDIV(1,K),NDIV(2,K),K=1,ND )
    READ ( 9,9013) ( CCAPD(K), K=1,ND )
    READ ( 9,9012 ) (NINFLO(K), INFLOW(K),K=1,NF )
    READ (9,9011) (NTRB(1,K), NTRB(2,K),K=1,NT )
    READ (9,9012) ( K, NNAME(K), K=1,NN )
    READ ( 9,9014 ) ( NLM(K+1),FLOMIN(K),FLOMAX(K), K=1,NLIM(1)-1 )
    WRITE ( *,3006 ) FNAME1, ( FIRST(K), K=1,6 )
    CLOSE (9)
    CT1 = 1
    GO TO 3
C Enter new configuration
2 CAL CONFIG(1,NI,NP,NR,NS,ND,NF,NT,NN)
c 1 = code for initial entry of a configuration
c Nl = two more than the number of irrigation nodes
c NP = two more than the number of nodes with power plants
c NR = two more than the number of nodes with reservoirs
c NS = two more than the number of nodes which do not release to the
c node numbered one higher
c ND = two more than the number of nodes with diversions
c NF = two more than the number of nodes with downstream flow
c restrictions
c NT = two more than the number of nodes which are tributaries to
c other nodes in the configuration
c NN = the number of nodes in the configuration
    CT1 = 1
C Display main menu, progressing as the files are read
3 MINCT = CT1 + CT2 + CT3 + CT4 + CT5 + CT6 + CT7
    WRITE (*,1002) ( I+1,I = 1,MINCT+1)
    READ (*,9002) ICHOIS
    GO TO (809, 101, 202, 303, 404, 505, 606, 707, 808, 909) ICHOIS
    IF (ICHOIS .GT. 10) GO TO 3
    GO TO 1
c Display configuration data and verify its accuracy:
101 IS =2
IG = 2
```

$$
\begin{aligned}
& \mathbb{R}=2 \\
& \mathbb{P}=2 \\
& \mathbb{L}=2 \\
& \mathbb{T}=2
\end{aligned}
$$

c Display REVIEW table, 6 lines at a time NBEG = 1
NTIMES $=$ NN $/ 6+1$
DO 205 L=1,NTIMES
WRITE ( *,2000)
NEND $=5+$ NBEG
IF (NEND .GT. NN ) NEND = NN
DO 200 I=NBEG, NEND
c Assign values for each column
$5 \quad$ NAME1 $=$ NNAME ( 1$)$
DO $10 \mathrm{IM}=2,(\operatorname{NDIV}(1,1)+1)$
IF ( NDIV(2,IM) .EQ. I ) GO TO 12
CONTINUE
NAME4='--'
GO TO 14
NAME4 $=\operatorname{NNAME}(\operatorname{NDN}(1,1 M))$
14 DO 15 II $=2,(\operatorname{NDIV}(1,1)+1)$
IF ( NDV(1,II) .EQ. I) GO TO 18
15 CONTINUE
NAME3='-,'
CAP1 $=0.0$
GO TO 20
NAME3 $=\operatorname{NNAME(NDIV}(2,1 l))$
CAP1 = CCAPD (II)
20 IF (I.EQ. NNOSPL(IS) ) GO TO 25
$23 \quad$ NAME2 $=\operatorname{NNAME}(1+1)$
GO TO 30
IS $=$ IS +1
IF ( NTRB(1,T) .EQ. I ) GO TO 27 NAME2 = '-
GO TO 30
27 NAME2 $=\operatorname{NNAME}(\operatorname{NTRB}(2, T))$
$\Pi=\pi+1$
30 NAME5 = '- '
CAP2 $=0.0$
IF ( NIRR(IG) .EQ. I ) GO TO 35 GO TO 40
35 NAME5 = WREQ(IG)
$\mathrm{CAP} 2=\mathrm{CCAPI}(\mathrm{IG})$
$I G=I G+1$
40 NAME6 = '-
IF ( NRES(IR) .EQ. I ) GO TO 45 GO TO 50
NAME6 = EVAP(IR)
$\mathrm{IR}=\mathrm{IR}+1$
50 NAME7 $=$, - ,
IF ( NPOWER(IP) .EQ. I ) GO TO 55 GO TO 60

NAME7 = POWER(IP)
$\mathrm{IP}=\mathrm{IP}+1$
NAME8 = ' $-\ldots$ -
IF (NINFLO(IL) .EQ. 1) GO TO 65 GO TO 100
$65 \quad$ NAME8 $=$ INFLOW(IL)
$\mathrm{IL}=\mathrm{L}+1$
c Display table to determine if corrections are required

NAME1,NAME2,NAME3,CAP1,NAME4,NAME5,CAP2,NAME6,NAME7
1 ,NAME8
READ ( ${ }^{*}, 9002$ ) INT
IF (INT .LE. 0) GO TO 200
IF (INT .GE. 99) GO TO 210
c Correction to a column required
CALL CORRIG (INT,I,NN,IX,IM,II,IS, IG, IR, IP, IL, IT,NAME3,NAME4)
c $\mathbb{N T}=$ number of incorrect column
c I = node number of current line
c $\mathrm{NN}=$ total number of nodes
c $I X=$ code to skip replacement
c $\quad \mathbb{M}=$ diversion $T O$ number of current line
c $\| I=$ diversion $F R O M$ number of current line
c $I S=$ nospill number of current line
c $I G=$ irrigation number of current line
c $\quad \mathbb{R}=$ reservoir number of current line
c $\mathbb{P}=$ power plant number of current line
c IL = local inflow number of current line
c $I T=$ tributary number of current line
c NAME3, NAME4 = column names which may be redefined by CORRIG directly WRITE ( *,2000)
GO TO ( $110,120,130,140,100,160,170,180,190$ ) INT
C The local inflow has been corrected
NAME8 $=$ INFLOW(IL-1)
GO TO 100
110 NAME1 = NNAME (I)
IF (IX.LT. 9) GO TO 100
GO TO 200
120 NAME2 = 'PASS'
GO TO 100
$130 \operatorname{CAP} 1=\operatorname{CCAPD}(\operatorname{NDIV}(1,1+1))$
GO TO 100
$140 \quad$ CAP1 $=$ CCAPD (II)
GO TO 100
160 NAME5 $=$ WREQ(IG-1)
CAP2 $=$ CCAPI(IG-1)
GO TO 100
$170 \quad \mathrm{CAP} 2=\mathrm{CCAPI}(\mathrm{IG}-1)$
GO TO 100
180 NAME6 $=\operatorname{EVAP}(\operatorname{RR}-1)$
GO TO 100
190 NAME7 $=$ POWER(IP-1)
GO TO 100

```
200 CONTINUE
    WRIE ( *,3001)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 101
    NBEG = NEND + 1
205 CONTINUE
c Amend total values in case there were changes
210
NI = 1 + NIRR(1)
NP = 1 + NPOWER(1)
NR = 1 + NRES(1)
NS = 1 + NNOSPL(1)
ND = 1 + NDIV(1,1)
NT = 1 + NTRB(1,1)
NF = 1 + NINFLO(1)
    WRITE (*,3003)
    READ (*,9001) ANS
    IF (ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 215
        GO TO 220
C Write updated version of the configuration to the diskette
215 WRITE (*,3004) FNAME1
    READ ( *,9000) NAME1
    IF (NAME1 .EQ.' ') GO TO 216
        FNAME1 = NAME1
        WRITE ( *,3005) FNAME1
        READ ( *,9100) ( FIRST(M), M=1,6 )
216 OPEN (10,FILE=FNAME1, STATUS='OLD')
    WRITE ( 10,9100 ) ( FIRST(M), M=1,6 )
    WRITE (10,9009 ) NI, NP, NR, NS, ND, NF, NT, NLM(1), NN
    WRITE ( 10,9010) ( NIRR(K), CCAPI(K), WREQ(K), K=1,NI )
    WRITE ( 10,9012 ) ( NPOWER(K), POWER(K), K=1,NP )
    WRITE (10,9012) ( NRES(K), EVAP(K), K=1,NR )
    WRITE (10,9011) ( NNOSPL(K), K=1,NS )
    WRITE (10,9011) (NDN(1,K), NDN(2,K), K=1,ND )
    WRITE ( 10,9013 ) ( CCAPD(K), K=1,ND )
    WRITE ( 10,9012 ) ( NINFLO(K), INFLOW(K),K=1,NF )
    WRTTE ( 10,9011 ) ( NTRB(1,K), NTRB(2,K),K=1,NT )
    WRITE ( 10,9012) ( K, NNAME(K), K=1,NN )
    WRIE ( 10,9014) (NLM(K+1),FLOMIN(K),FLOMAX(K), K=1,NLM(1)-1 )
    CLOSE (10)
220 WRITE (*,3002)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'Y'.OR. ANS .EQ. 'y' ) CALL CONFIG (2, NI, NP, NR,
    1 NS, ND, NF, NT, NN )
c 2 = code for adding to an existing configuration
c NI = two more than the number of irrigation nodes
c NP = two more than the number of nodes with power plants
c NR = two more than the number of nodes with reservoirs
c NS = two more than the number of nodes which do not release to the
c node numbered one higher
c ND = two more than the number of nodes with diversions
c NF = two more than the number of nodes with downstream flow
C restrictions
```

c NT = two more than the number of nodes which are tributaries to
c other nodes in the configuration
c $N N=$ the number of nodes in the configuration
GO TO 3
300 CONTINUE
C Read in Power coefficients and verify their accuracy
202 CALL DPOWER (CT2)
c $\mathrm{CT} 2=$ integer code ( 1 or 0 ) indicating entry of power constants
c complete
GO TO 3
C Read the reservoir data and verify that it is up to date
303 CAL DRES (CT3)
c CT3 $=$ integer code ( 1 or 0 ) indicating entry of reservoir data
c complete
GO TO 3
C Read the irrigation data and verify that it is up to date
404 CALL DIRR ( CT4, KVAR )
c CT4 = integer code ( 1 or 0 ) indicating entry of irrigation data
c complete
c KVAR = integer code ( 1 or 0 ) indicating whether irrigation arrays have already been adjusted for current time steps GO TO 3
C Enter canal data and verify that it is up to date
505 CALL DCANAL (ND, NI, CT5)
c $N D=$ number of inter-basin diversions
c $\mathrm{NI}=$ number of irrigation diversions
c $\mathrm{CT} 5=$ integer code ( 1 or 0 ) indicating entry of canal constants
c complete
GO TO 3
C Enter starting date, but only if all constant data entered
606 IF (MINCT .LT. 5) GO TO 3 CAL PERIOD ( NN, 14, II, IDATE, CT6, KVAR )
c $\mathrm{NN}=$ total number of nodes
c $\quad 14=$ number of time steps of a quarter month in the current run
c II = total number of time steps in the current run
c IDATE $=$ the order that the first quarter month of the current run is
c in the season
c $\mathrm{CT} 6=$ integer code ( 1 or 0 ) indicating entry of starting date and
c conversions of flow rates to flow volumes is complete
c $K V A R=$ integer code ( 1 or 0 ) indicating that irrigation arrays have
c already been adjusted for current time steps GO TO 3
C Read the inflow data
707 IF (CT7 .GT. 0) GO TO 710 DO $705 \mathrm{I}=1,11$ DO $705 \mathrm{~N}=1$, NN
$705 \quad \operatorname{FLOW}(\mathrm{l}, \mathrm{N})=0.0$
710 CAL DINFLO ( 14, II, NN, CT7 )
c $\quad 14=$ number of time steps of a quarter month in the current run
c $\quad \|=$ total number of time steps in the current run
c $\mathrm{NN}=$ total number of nodes
c $\quad$ CT7 $=$ integer code ( 1 or 0 ) indicating entry of inflow data is

C
complete
GO TO 3
C Read the irrigation retum flow data
808 CAL RETQR (NN, 14, II, NNN, IDATE )
c $\mathrm{NN}=$ total number of nodes
c $\quad 14=$ number of time steps of a quarter month in the current run
c \|I = total number of time steps in the current run
c $\mathrm{NNN}=$ number of instances of retum flow
c IDATE $=$ the order that the first quarter month of the current run is
c in the season
GO TO 3
C Review or amend restrictions to the regulated downstream releases
809 WRTTE (*,1003)
WRITE ( *, 1004) (K, NNAME(NLM(K+1)), FLOMIN(K), FLOMAX(K), $1 \quad K=1, N L M(1)-1)$
WRITE (*,1005)
READ (*,9002) ICH
GO TO ( $810,820,830,215$ ) ICH
GO TO 3
C Additions, deletions, or changes are required to NLIM, FLOMAX, and FLOMIN
810 WRITE (*,1006)
READ (*,9002) NX
IF (NX .LE. 0) GO TO 80
WRTTE ( *, 1007) ( $\mathrm{N}, \operatorname{NNAME(N),N=1,NN)~}$
DO $812 \mathrm{~N}=1, \mathrm{NX}$
WRITE (*,1008) N
READ ( *,9002) NNEW
WRITE ( *, 1009) NNAME(NNEW)
READ ( *,9003 ) FLOMIN(NLM(1))
WRITE ( *, 1010) NNAME(NNEW)
READ (*,9003) FLOMAX(NLM(1))
IF ( FLOMAX(NLM(1)) .LE. 0.05 ) FLOMAX(NLM(1)) 99999
$\operatorname{NLM}(1)=\operatorname{NLM}(1)+1$
$812 \operatorname{NLM}(\operatorname{NLM}(1))=$ NNEW
GO TO 80

## C Deletions

820 WRITE (*,1011)
READ ( *,9002) NX IF (NX LE. O) GO TO 80 DO $826 \mathrm{~N}=1, \mathrm{NX}$

WRTE ( *, 1012) N
READ ( *,9002) KX
DO $824 \mathrm{M}=\mathrm{KX}, \mathrm{NLM}(1)-2$
$\operatorname{FLOMAX}(\mathrm{M})=\operatorname{FLOMAX}(\mathrm{M}+1)$
$\operatorname{FLOMIN}(M)=\operatorname{FLOMIN}(M+1)$
$824 \quad \operatorname{NUM}(M+1)=\operatorname{NLM}(M+2)$
$826 \operatorname{NLM}(1)=\operatorname{NLM}(1)-1$
GO TO 80
C Corrections
830 WRITE ( *, 1013 )
READ ( *,9002) NX
IF ( NX .LE. 0) GO TO 80

```
    DO 835 N=1,NX
    WRTE (*,1015)
    READ (*,9002) KX
832
    WRITE (*,1016 ) KX
    READ (*,9000) NAME1
    IF ( NAME1 .EQ.' ') GO TO }83
C The correct min/max flow values were assigned to the wrong node
C Find the node number of correct node
    DO 855 K=1,NN
        IF ( NNAME(K) .EQ. NAME1 ) GO TO }85
855 CONTINUE
    WRITE (*,1014) NAME1
    GO TO }83
C Replace the node number, NL|M(KX), with the correct number, K
858 NLMM(KX+1) = K
833 WRITE (*,1017 ) NNAME(NLM(KX+1))
    READ ( *,9003 ) DUMMY
                            IF (DUMMY .GT. 0.005 ) FLOMIN(KX) = DUMMY
            WRITE (*,1018) NNAME(NLM(KX+1))
            READ (*,9003) DUMMY
                            IF ( DUMMY .GT. 0.005 ) FLOMAX(KX) = DUMMY
835 CONTINUE
    GO TO 80
C Verify all data has been read and reviewed from the files
909 IF ( MINCT .LT. 7) GO TO 3
C RELEASE.DATA is written to the diskette only once everything is
C read in and II known.
C Enter current reservoir storage levels interactively
    WRTE (*,4000)
    DO 910 N=2,NR
        WRITE ( *,9004 ) NNAME(NRES(N))
        READ ( *,9003 ) STO(NRES(N))
        IF ( STO(NRES(N)).LE. 0 ) STO(NRES(N)) = SLO(N-1)
910 CONTINUE
913 WRITE (*,4005)
    WRITE ( *,4001 ) ( N, NNAME(NRES(N+1)), STO(NRES(N+1)),
    1
                                    N=1,NRES(1) )
    WRITE (*,4002)
    READ (*,9001) ANS
C If any corrections are needed, correct
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 917
        GO TO 918
917 WRITE (*,4003)
    READ (*,9002) NX
        NX = NX+1
    WRTTE ( *,4004 ) NNAME(NRES(NX))
    READ (*,9003 ) STO(NRES(NX))
    IF ( STO(NRES(NX)) .LE. 0 ) STO(NRES(NX)) = SLO(NX-1)
        GO TO 913
C Add the current reservoir storage to the inflow in the first period
918 DO }919\mathrm{ N=2,NR
919 FLOW(1,NRES(N)) = FLOW(1,NRES(N)) + STO(NRES(N))
```

```
C Enter final storage targets interactively
920 WRITE (*,4010)
    DO 922 N=2,NR
        WRTTE ( *,9004 ) NNAME(NRES(N))
        READ ( *,9003 ) ST12(NRES(N))
        IF ( ST12(NRES(N)).LE. 0 ) ST12(NRES(N)) = SLO(N-1)
922 CONTINUE
925 WRITE (*,4011)
    WRITE ( *,4001 ) ( N, NNAME(NRES(N+1)), ST12(NRES(N+1)),
    1 N=1,NRES(1))
    WRITE (*,4002)
    READ (*,9001) ANS
C If any corrections are needed, correct
    IF ( ANS .EQ. 'r' .OR. ANS .EQ. 'y' ) GO TO 927
        GO TO 930
927 WRITE (*,4013)
    READ (*,9002) NX
        NX = NX + 1
    WRTTE (*,4014 ) NNAME(NRES(NX))
    READ (*,9003) ST12(NRES(NX))
    IF (ST12(NRES(NX)).LE. 0) ST12(NRES(NX)) = SLO(NX-1)
        GO TO 925
C Ask for cost to assign benefits of extra storage, RO3
930 WRITE (*,4020)
        RO3(NRES(1)) = 1
    DO 932 N=2,NR
        WRITE ( *,9004 ) NNAME(NRES(N))
        READ ( *,9003 ) RO3(NRES(N))
        IF ( RO3(NRES(N)).LE. 0) RO3(NRES(N)) = RO3(NRES(N-1))
932 CONTNUE
935 WRITE (*,4021)
    WRTE ( *,4001 ) ( N, NNAME(NRES(N+1)), RO3(NRES(N+1)),
    1 N=1,NRES(1) )
    WRITE (*,4002)
    READ (*,9001) ANS
C If any corrections are needed, correct
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y') GO TO 937
        GO TO 940
937 WRIE (*,4023)
    READ (*,9002) NX
        NX = NX + 1
    WRITE ( *,4024 ) NNAME(NRES(NX))
    READ ( *,9003) RO3(NRES(NX))
    IF ( RO3(NRES(NX)).LE. 0 ) RO3(NRES(NX)) = RO3(NRES(NX-1))
        GO TO 935
C Enter RO1, RO2, RO4 and MINPOW interactively
940 WRITE (*,4040)
    READ (*,9003) RO1
    WRTE (*,4041)
    READ (*,9002) MINPOW
    IF (MINPOW .LT. 3 ) GO TO 950
        WRITE ( *,4045)
```

READ ( *,9003) RO4
C Verify values entered correctly
950 WRITE ( *,4050) RO1, MINPOW, RO4
READ (*,9001) ANS
IF ( ANS .EQ. ' $Y$ ' .OR. ANS .EQ. ' $y$ ' ) GO TO 940
C If MINPOW > 0 and $<3$ enter APOW
IF ( MINPOW .LE. O .OR. MINPOW .GT. 2 ) GO TO 999
WRITE ( *,4060) CHAR(MINPOW), 14
DO 960 I=1, 11
WRITE ( *,9005) I
960 READ ( *,9003) APOW(I)
963 WRITE ( *,4062) CHAR(MINPOW)
WRITE ( *,4061) (I, APOW(I), I=1,II)
WRITE ( *,4002)
READ ( *,9001) ANS
IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 967
GO TO 999
967 WRITE (*,4063)
READ ( ${ }^{*}, 9002$ ) NX
WRITE ( *,4064) CHAR(MINPOW), NX
READ (*,9003) APOW(NX)
GO TO 963
C All set to write to b:RELEASE.DATA
999 CALL DWRITE (NN, II, I4, NNN, MINPOW)
c $\quad \mathrm{NN}=$ total number of nodes
c II = total number of time steps in the current run
c $\quad 14=$ number of time steps of a quarter month in the current run
c MINPOW = integer code for the variation of the formulation desired
c ( 0 - allow large fluctuations
C $\quad 1$-meet minimum energy targets each time step
c $\quad 2$ - limit the fluctuation to a maximum value

C

1000 FORMAT ('This program reads the datadisks and calls other subrou 1tines to prepare the fileb:RELEASE.DATA containing the SAS.OR spa 2rsedata file for a linear programming solution of the weekly res 3ervoir releases which will maximize electrical production.'/ 4' What is the name of the file containing the configuration?
5 Enter b:FNAME, where FNAME is the name in 10 or less letters. '
6/ ' If you do not enter a name before RETURN you may enter an enti 7rely new'/' configuration. ')
1002 FORMAT ( ' What would you like to do?'/' Answer 0 or nothing to RE 1-ENTER the current configuration. '/ 8 X, ' 1 to review or amend rest 2rictions to regulated downstream releases'/ $6 \mathrm{X}, 13$,' to REVIEW the 3current configuration, including updating or storing'/ 6X,I3,' t 30 enter or amend the file of power data'/ $6 \mathrm{X}, 13$,' to enter or amen 40 the file of reservoir data'/ $6 \mathrm{X}, 13$,' to enter or amend the file 5 of irrigation data'/ $6 \mathrm{X}, 13$, ' to enter or amend the file of canal 6 data '/ 6X,13,' to enter the starting date'/ 6X, 33 ,' to enter o $7 r$ amend the file of inflow data'/ $6 X, 13$,' to enter or amend the $f$ 8ile of irrigation return flow data'/8X,' 10 when all datafiles hav
$9 e$ been entered and corrected. ')
1003 FORMAT (' The following nodes have these restrictions on their'/'
1 regulated downstream releases:'/' 99999.0 is for unlimited flow'
2/15X,4HNAME, $9 \mathrm{X}, 9 \mathrm{HM}$ MIN. FLOW, $3 \mathrm{X}, 9 \mathrm{HMAX}$. FLOW/30X, $4 \mathrm{Hm3} / \mathrm{s}, 8 \mathrm{X}, 4 \mathrm{Hm} 3 / \mathrm{s} /$ )
1004 FORMAT ( $13,9 \mathrm{X}, \mathrm{A} 12,2 \mathrm{X}, \mathrm{F} 8.2, \mathrm{~F} 13.1$ )
1005 FORMAT ( $/$ Is this table correct? Enter the code for the error:'
1/' 0 or nothing to continue with these values'/
2' 1 to add more nodes to the list'/
3 ' 2 to remove some nodes from the list'/
4' 3 to correct a value listed'/ 4 to save any corrections ')
1006 FORMAT (' How many more nodes do you wish to add? Enter an INTEG 1ER value.' )
1007 FORMAT ( I3,2X,A12, I3,2X,A12, IB,2X,A12, I3,2X,A12 )
1008 FORMAT (' What is the number of the 'I2,'st node which now has $r$ 1estrictions to the regulated releases? Enter an INTEGER value ')
1009 FORMAT ('What is the minimum flow in $\mathrm{m} 3 / \mathrm{s}$ above which the regula 1ted downstream releases of ',A15,' must be? ')
1010 FORMAT ('What is the maximum flow in m3/s below which the regula 1ted downstream releases of ',A15,' must be?')
1011 FORMAT ( ' How many nodes do you wish to remove? Enter an INTEGER 1 number.' )
1012 FORMAT (' What is the number to the left of the node to be remove 1d the ',l2,'st time? Enter the latter numbers BEFORE the first $n$ 2umbers when deleting more than one node.'/' Enter an INTEGER numbe 3r.')
1013 FORMAT (' How many nodes do you wish to correct? ')
1014 FORMAT ( ' No node of the name ',A15, ' was found. Is it correct 2ly spelt in full? ')
1015 FORMAT (' What is the number to the left of the line in which an 1error occurs? Enter an INTEGER number.' )
1016 FORMAT ( ' Enter the correct name for the node in line ',I3,'. If 1 the name is correct, enter nothing before RETURN. ' )
1017 FORMAT (' What is the correct minimum flow in m3/s above which th 1e regulated downstream' $/$ ' releases of ',A15,' must be?' $/$ If the $v$ 2alue listed was correct, enter nothing before the RETURN. ')
1018 FORMAT (' What is the correct maximum flow in $\mathrm{m} 3 / \mathrm{s}$ below which th 1e regulated downstream'/ releases of ',A15,' must be?'/ If the v Zalue listed was correct, enter nothing before the RETURN. ')
2000 FORMAT (' If the current line in the table has any incorrect e 1ntries, enter the INTEGERabove one column which is not correct. E 2nter 0 or nothing before the RETURN to continue to the next node.'
3/' Enter 99 if you wish to store what you have updated so far.'//
$45 \mathrm{X}, 2 \mathrm{H} 1 ., 9 \mathrm{X}, 2 \mathrm{H} 2$,
54X,2H3.,6X,2H4.,6X,2H5.,4X,2H6.,8X,2H7.,6X,2H8.,4X,2H9.,4X,3H10. $6 / 4 \mathrm{X}, 3 \mathrm{HTHE}, 8 \mathrm{X}, 4 \mathrm{HDOWN}, 3 \mathrm{X}, 13 \mathrm{HDI}$ - DIVERSION, $3 \mathrm{X}, 41 \mathrm{HRE}$ - IRR. IRRIGAT $7 I O N$ RES. POWER LOCAL/3X,5H NODE,5X,34HSTREAM VERTS CAPACITY
CE
8IVES REQ.,4X,28HCAPACTY NAME COEF. INFLOW/14X,5H NODE, $3 \mathrm{X}, 3 \mathrm{HTO}:$, 95X,4Hm3/s,3X,10HFROM NAME,7X,4Hm3/s,9X,10HNAME NAME,/ )
3000 FORMAT ( 1X,A12,2X,A4,2X,A4,F10.3,2X,A4,2X,A4,2X,F10.3,2X,A4,2X,A4 1,2X,A4,2H ?)
3001 FORMAT (' Do you wish to see the nodes again? Answer $Y$ to revie

1w the nodes already dis-played. ')
3002 FORMAT (' Do you wish to add nodes to the configuration? Answe ir $Y$ if you do. ')
3003 FORMAT ( ' Do you wish to store the updated version? Answer Y if tyou do: ')
3004 FORMAT (' Do you wish to save the configuration under ',A12, 1 '? You may change the diskette in drive b: before entering.' 2/ ' Enter b:FNAME, where FNAME is the name of an existing file in 310 or less letters to change the name.'/' If you enter nothing be 4fore RETURN, the name will stay the same.'/)
3005 FORMAT ( ' Enter a title for the configuration file,',A12,', in 72 1 characters or less'/ )
3006 FORMAT( ' The configuration file,',A12,' has the title:'/ 1X,6A12)
4000 FORMAT (' Please enter the CURRENT RESERVOIR STORAGE LEVELS (
MC
1 M ) for each reservoir as prompted. The minimum reservoir level i 2s assigned by default' )
4001 FORMAT ( $13,2 X, A 12, F 7.3,4 X, 13,2 X, A 12, F 7.3,4 X, I 3,2 X, A 12, F 7.3$ )
4002 FORMAT (' Do you wish to change any value shown above? Answer $Y$ 1to correct a value ')
4003 FORMAT (' What is the number to the left of the reservoir whose $c$ 1urrent storage level is incorrect? Enter an INTEGER')
4004 FORMAT (' What is the correct volume currently in the reservoir a 1t ',A12 ${ }^{\prime \prime}$ in MCM ${ }^{\prime}$ ')
4005 FORMAT (' These are the current reservoir storage volumes in each 1 reservoir. ')
4011 FORMAT (' These are the target storage volumes desired in each re 1servoir at the end of theseason. ')
4021 FORMAT (' These are the benefits (Rs/MCM ) to assign to each res 1ervoir with extra water stored at the end of the season. ')
4062 FORMAT (' These are the ',A47)
4010 FORMAT (' Please enter the TARGET STORAGE VOLUMES desired at the 1end of the growing seasonThe minimum reservoir level is assigned $b$ $2 y$ default. ')
4013 FORMAT (' What is the number to the left of the reservoir whose $t$ 1arget volume is incorrect? Enter an INTEGER ')
4014 FORMAT (' What is the correct target volume for the reservoir at 1the node ',A12,' in MCM? ' )
4020 FORMAT ( ' Please enter the BENEFITS to assign to extra reservoir 1storage volume ( $\mathrm{Rs} / \mathrm{MCM}$ ) as prompted. The value of the preceeding 2 reservoir is assigned by defaut'/' ( $1 \mathrm{Rs} / \mathrm{MCM}$ for the first ).')
4023 FORMAT (' What is the number to the left of the reservoir whose $b$ lenefits are incorrect? Enter an INTEGER ')
4024 FORMAT (' What are the correct benefits to assign to extra storag 1e at the ',A12/' resenvoir? ' )
4040 FORMAT (' Please enter the price ( $\mathrm{Rs} / \mathrm{GW}-\mathrm{hr}$ ) to assign to the po 1wer generated by power plants in the project ')
4041 FORMAT (' Please enter the code for minimizing the differences in 1 weekly power production. Enter 0 if you wish to ignore this constr 2aint completely'/7X,' 1 if you wish to enter minimum power producti 3on per period $/ 7 X$,' 2 if you wish to limit the difference between $p$ 4 eriods' $/ 7 \mathrm{x}$, ' 3 if you wish to minimize the occurence of any differe

```
    5nce in power '/ production from one period and the next ')
4045 FORMAT (' Please enter the penalty cost (Rs/GW-hr ) to assign th
    1e difference in weekly power production. ')
4050 FORMAT ('These are the values you have entered:'/' PRICE OF POWE
    1R: ',5X,F10.2/ 10X,' CODE:',5X,I8/ 6X,' PENALTY COST:',2X,F10.2,2X
    2,'( used when code = 3 )'r Are any of the values incorrect? Answ
    3er Y to re-enter. ')
4060 FORMAT (' Please enter the ',A47,' as prompted.'/' Note that the
    4first', I3,' periods are one fourth as long as the others and in t
    2he Maha season the last period is a halt-month long. ')
4061 FORMAT ( I3,2X,F10.3,2X,13,2X,F10.3,2X,I3,2X,F10.3,2X,I3,2X,F10.3)
4063 FORMAT ('What is the number to the left of the incorrect value?
    1 Enter an INTEGER ')
4064 FORMAT ('What is the correct ',A47,' for the',13,'th period? ')
9000 FORMAT ( A12)
9001 FORMAT ( A2)
9002 FORMAT ( 15 )
9003 FORMAT (F10.0)
9004 FORMAT ( 1X, A12,1X)
9005 FORMAT ( 15,3X )
9009 FORMAT ( 914)
9010 FORMAT ( I5,F10.2,A15 )
9011 FORMAT (2014 )
9012 FORMAT ( I5, A15, 15, A15, 15, A15, 15, A15)
9013 FORMAT ( 8F10.3)
9014 FORMAT ( }15,2\textrm{F}12.2,1X,15,2F12.2
9100 FORMAT (6A12)
9101 FORMAT ( 1X,A4,2F10.0,13 )
9102 FORMAT (1X,12F6.0)
9103 FORMAT ( 1X,A4,1814)
    STOP
        END
^Z
    SUBROUTINE CORRIG ( NX, I, NL, IX, IM, II, IS, IG, IR, IP, IL, IT,
    N NAME3, NAME4 )
c NX = number of incorrect column
c I= node number of current line
c NL = total number of nodes
c IX = code to skip replacement
c }\mathbb{M}=\mathrm{ diversion TO number of current line
c |l = diversion FROM number of current line
c IS = nospill number of current line
c IG = irrigation number of current line
c IR = reservoir number of current line
c IP = power plant number of current line
c IL = local inflow number of current line
c IT = tributary number of current line
c NAME3, NAME4 = column names which may be redefined by CORRIG directly
c
C This subroutine corrects the entries in the REVIEW table, calling
C other subroutines as required
    COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20),NDIN(2,15)
```

COMMON/SHP/ NINFLO(30), NLM(31), NTRB(2,10), NRF(3,10)
COMMON/NEW/ FLOMIN(30), FLOMAX(30)
COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15)
COMMON/NOM/ NNAME(40), WREQ(21), EVAP(25), INFLOW(30), POWER(15)
CHARACTER * 12 NNAME, WREQ, EVAP, FNAME, INFLOW, POWER
CHARACTER * 4 NAME3, NAME4
CHARACTER * 2 ANS
C
GO TO ( $100,200,300,400,500,600,700,800,900,1010$ ) NX
GO TO 1001
C There was an error in the name of the node or the user wishes to
C delete this node entirely
100 WRITE (*,1002) NNAME(l)
READ $\left({ }^{*}, 9001\right)$ ANS
IF ( ANS .EQ. ' Y ' .OR. ANS .EQ. 'y' ) GO TO 105
WRITE (*,1000)
READ ( ${ }^{*}, 9000$ ) NNAME ( 1 )

$$
\mathrm{IX}=0
$$

GO TO 1001
C Delete the node from all vectors
$105 \quad \mathrm{I}=1$ - 1
CALL DELETE (I, NL)
IX $=10$
GO TO 1001
C There was an error in the downstream node
200 WRTE ( ${ }^{*}, 2000$ ) NNAME $(1+1)$
READ (*,9002) IX
GO TO (201, 230, 250, 290, 65 ) IX
GO TO 1001
C Delete the downstream node
201 CAL DELETE (I, NL) GO TO 1001
C Insert downstream nodes
230 CALL ADD (I,NL,IM,III,IS,IG,IR,IP,IL,IT )
GO TO 1001
C Remove this node from the NNOSPL vector, first checking that it does not
$C$ already flow to a node on another stream.
250 DO $260 \mathrm{~K}=2$, $\operatorname{NTRB}(1,1)+1$
IF (NTRB(1,K) .EQ. I ) GO TO 265
260 CONTINUE
GO TO 275
265 WRITE ( *,2003 ) NNAME( $)$, NNAME(NTRB( $2, \mathrm{~K})$ ), NNAME( $)$, NNAME $(1+1)$
READ ( ${ }^{*}, 9001$ ) ANS
IF ( ANS .EQ. ' $\gamma$. OR. ANS .EQ. ' $y$ ' ) GO TO 200
C A tributary did exist at this node and is now deleted
DO 270 KK=K,NTRB(1,1)
KPLUS $=K K+1$
$\operatorname{NTRB}(1, \mathrm{KK})=\operatorname{NTRB}(1, \mathrm{KPLUS})$
270 NTRB $(2, \mathrm{KK})=\mathrm{NTRB}(2, \mathrm{KPLUS})$ $\operatorname{NTRB}(1,1)=\operatorname{NTRB}(1,1)-1$
$C$ The node now flows to the node numbered one higher
275 DO $280 \mathrm{~K}=$ (IS-1),NNOSPL(1)
$\operatorname{NNOSPL}(K)=\operatorname{NNOSPL}(K+1)$
NNOSPL(1) $=$ NNOSPL(1) -1
$\pi=\pi+1$
GO TO 1001
C The node belongs in the NOSPL vector and is not, or is, but has no
C trib node listed which it should
290 IF (NNOSPL(IS-1) .EQ. I ) GO TO 297
NNOSPL(1) $=$ NNOSPL(1) +1
DO 293 KK=2,NNOSPL(1)
IF (NNOSPL(KK) .GT. I) GO TO 294
293 CONTINUE
294 CALL LOOPMK( NNOSPL(1), 1, KK, KTOP, KOLD, KSTOP )
DO 296 K=1,KSTOP
296 NNOSPL(KTOP-K) $=$ NNOSPL(KOLD-K)
NNOSPL(KK) $=1$
IS $=i S+1$

C Check to see if the node, which does not flow to a node numbered
C one higher, may still flow to another node
C If it does not flow to another node, remove that tributary
297 WRITE ( *,2001) NNAME()
READ ( $*, 9001$ ) ANS
IF ( ANS .EQ. ' $Y$ ' .OR. ANS .EQ. ' $y$ ' ) GO TO 64
DO 298 K1 $=2$,NTRB $(1,1)+1$
IF (NTRB(1,K1) .EQ. I ) GO TO 299
298 CONTINUE
GO TO 1001
299 DO 202 KK=K1,NTRB(1,1)
$K$ KLUS $=K K+1$
$\operatorname{NTRB}(1, \mathrm{KK})=\operatorname{NTRB}(1, \mathrm{KPLUS})$
$202 \operatorname{NTRB}(2, \mathrm{KK})=\operatorname{NTRB}(2, \mathrm{KPLUS})$
$\operatorname{NTRB}(1,1)=\operatorname{NTRB}(1,1)-1$
$\Pi=I T-1$
GO TO 1001
$C$ The node is a new tributary
64 WRITE ( ${ }^{*}, 2002$ )
WRITE ( *,2004 ) ( $\mathrm{K}, \operatorname{NNAME(K),~K=1,~NL~)~}$
WRITE ( *,3001) NNAME(I)
READ ( *,9002) JDUMMY
IF (JDUMMY .LE. 0) GO TO 200
$\operatorname{NTRB}(1,1)=\operatorname{NTRB}(1,1)+1$
DO $165 \mathrm{JT}=2, \operatorname{NTRB}(1,1)$
IF ( NTRB(1,JT) .GT. I ) GO TO 166
165 CONTINUE
166 CAL LOOPMK (NTRB(1,1), 1, JT, KTOP, KOLD,KSTOP )
DO $167 \mathrm{~K}=1$,KSTOP
NTRB $(1, K T O P-K)=$ NTRB $(1, K O L D-K)$
NTRB $(2, \mathrm{KTOP}-\mathrm{K})=$ NTRB $(2, \mathrm{KOLD}-K)$
$\operatorname{NTRB}(1, J T)=1$
$\operatorname{NTRB}(2, J)=$ JDUMMY
$\Pi=\pi+1$
GO TO 1001

C The node was already defined as a tributary flow but to the wrong

```
C node
C Check that there already is a tributary flow from the node I
65 IF (I .EQ. NTRB(1,\Pi-1) ) GO TO 651
        WRITE ( *,2005 ) NNAME(l)
        GO TO 200
651 WRITE (*,2002)
    WRTTE ( *,2004 ) ( K, NNAME(K), K=1, NL )
    WRITE (*,3001) NNAME(l)
    READ (*,9002) JDUMMY
    IF ( JDUMMY .LE. 0 ) GO TO 200
                NTRB(1,T-1) = I
                NTRB(2,T-1) = JDUMMY
            GO TO 1001
C There is a mistake in saying NNAME(l) diverts
C - it does divert but is not listed
C - it doesnt divert at all
C - it diverts to a different node from the one listed
300 WRITE (*,3000) NNAME(l)
    READ (*,9000) FNAME
    IF ( FNAME .EQ. 'none' .OR. FNAME .EQ. 'NONE' ) GO TO 360
    DO 355 K=1,NL
        IF (NNAME(K).EQ. FNAME ) GO TO 358
355 CONTINUE
    WRITE (*,3002) FNAME
    GO TO 300
358 WRITE (*,3003)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 359
C Diverts in a new diversion
    NDIV(1,NDIV(1,1)+2) = I
    NDIV(2,NDIV(1,1)+2) = K
    WRITE (*,4000)
    READ (*,9003 ) CCAPD(NDIV(1,1)+2)
    NDIV(1,1)=NDIV(1,1) + 1
    NAME3 = NNAME(K)
    GO TO 1001
C Only diverts to a different node
359 NDIV(2,II) = K
            NAME3 = NNAME(K)
        GO TO 1001
C The node does not even divert water to any other node.
360 WRITE (*,3004) NNAME(l)
    READ (*,9001) ANS
        NAME3 =
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y') GO TO 1001
        NDIV(1,1) = NDIV(1,1)-1
        DO 365 K=|l,NDIV(1,1)
            KPLUS =K + 1
        CCAPD(K) = CCAPD(KPLUS)
        NDIV(1,K) = NDIV(1,KPLUS)
365
        NDIV(2,K) = NDIV(2,KPLUS)
        NAME3 = '_-'
```

GO TO 1001
C There was an error in the diversion capacity.
400 WRITE $(*, 4000)$
READ ( ${ }^{\star}, 9003$ ) CCAPD(II)
GO TO 1001
C There is a mistake in saying NNAME(l) receives offstream water
C $\quad$ - it does receive but is not listed
C $\quad$ - it doesnt receive at all
C - it receives from a different node than the one listed
500 WRITE $(*, 5000)$ NNAME ( 1 )
READ ( ${ }^{*}, 9000$ ) FNAME
IF ( FNAME .EQ. 'none' .OR. FNAME .EQ. 'NONE') GO TO 560
DO $553 \mathrm{~K}=1$, NL
IF (NNAME(K) .EQ. FNAME ) GO TO 555
553 CONTINUE
WRITE $\left({ }^{*}, 3002\right)$ FNAME
GO TO 500
555 WRITE $(*, 3003)$
READ (*,9001) ANS
IF (ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 558
C A new diversion has been entered
$\operatorname{NDIV}(2, \operatorname{NDIV}(1,1)+2)=1$
$\operatorname{NDIV}(1, \operatorname{NDIV}(1,1)+2)=K$
WRITE ( *,4000)
READ ( $*, 9003$ ) CCAPD(NDIV(1,1)+2)
$\operatorname{NDIV}(1,1)=\operatorname{NDIV}(1,1)+1$
NAME4 $=$ NNAME $(K)$
GO TO 1001
C Only the node from which water is diverted has changed
$558 \operatorname{NDIV}(1, \mathrm{IM})=\mathrm{K}$
NAME4 = NNAME (K)
GO TO 1001
C The node does not even divert water to any other node.
560 WRITE ( *,3004 ) NNAME(l)
READ ( *,9001) ANS
NAME4 = '
IF ( ANS .EQ. ' $Y$ ' .OR. ANS .EQ. ' $y$ ' ) GO TO 1001
$\operatorname{NDIV}(1,1)=\operatorname{NDIV}(1,1)-1$
DO $565 \mathrm{~K}=\operatorname{MM}, \operatorname{NDIV}(1,1)$
KPLUS $=\mathrm{K}+1$
$\operatorname{CCAPD}(K)=$ CCAPD(KPLUS)
$\operatorname{NDIV}(1, K)=\operatorname{NDIV}(1, K P L U S)$
$565 \operatorname{NDN}(2, K)=\operatorname{NDIV}(2, K P L U S)$
NAME4 = '-'
GO TO 1001
C There was an error in the irrigation node or file
600 WRITE ( $\left.{ }^{\star}, 6000\right)$ NNAME ( $)$
READ ( $\left.{ }^{*}, 9002\right)$ IX
GO TO $(625,650,675)$ IX
GO TO 1001
C The name on the file needs changing
625 WRITE $(*, 6001)$ NNAME(l)

READ (*,9000) WREQ(IG-1)
GO TO 1001
C There really is no irrigation at this node, delete from NIRR and WREQ
C and CCAPI
650 DO $665 \mathrm{~K}=(\mathrm{IG}-1), \mathrm{NIRR}(1)$

$$
\text { KPLUS }=K+1
$$

$\operatorname{CCAPI}(\mathrm{K})=\operatorname{CCAPI}(\mathrm{KPLUS})$
WREQ $(K)=W R E Q(K P L U S)$
665
$\operatorname{NIRR}(\mathrm{K})=\operatorname{NIRR}(\mathrm{KPLUS})$
$\operatorname{NIRR}(1)=\operatorname{NIRR}(1)-1$
$I G=I G-1$
GO TO 1001
C There really IS irrigation at this node
$675 \quad \operatorname{NIRR}(1)=\operatorname{NIRR}(1)+1$
CALL LOOPMK( NIRR(1), 1, (IG-1), KTOP, KOLD, KSTOP )
DO 676 K=1,KSTOP
WREQ(KTOP-K) = WREQ(KOLD-K)
CCAPI(KTOP-K) = CCAPI(KOLD-K)
676 NIRR(KTOP-K) $=$ NIRR(KOLD-K) NIRR(IG) $=1$
WRTE ( ${ }^{*}, 6002$ ) NNAME ( 1 )
READ ( ${ }^{*}, 9000$ ) WREQ(IG)
WRITE ( *,4000)
READ ( ${ }^{*}, 9003$ ) CCAPI(IG)
$I G=I G+1$
GO TO 1001
C There was an error in the irrigation capacity
700 WRITE $(*, 4000)$
READ ( ${ }^{*}, 9003$ ) CCAPI(IG-1)
GO TO 1001
C There was an error in the reservoir file
800 WRITE $(*, 8000)$ NNAME( $)$
READ $(*, 9002)$ IX
GO TO ( $825,850,875$ ) IX
GO TO 1001
C The name on the file needs changing
825 WRITE $(*, 8001)$ NNAME ( 1$)$
READ ( ${ }^{*}, 9000$ ) EVAP(IR-1)
GO TO 1001
C There really is no reservoir at this node, delete from NRES and EVAP
850 DO $865 \mathrm{~K}=$ (IR-1),NRES(1)
KPLUS $=K+1$
$\operatorname{EVAP}(K)=\operatorname{EVAP}(K P L U S)$
865 NRES $(\mathrm{K})=$ NRES(KPLUS $)$
$\operatorname{NRES}(1)=\operatorname{NRES}(1)-1$
$\mathrm{IR}=\mathrm{IR}-1$
GO TO 1001
C There really IS a reservoir at this node
$875 \operatorname{NRES}(1)=\operatorname{NRES}(1)+1$
CALL LOOPMK (NRES(1), 1, (IR-1), KTOP, KOLD, KSTOP )
DO 876 K=1,KSTOP
$\operatorname{EVAP}($ KTOP-K $)=\operatorname{EVAP}($ KOLD-K $)$
NRES(KTOP-K) $=$ NRES(KOLD-K)
NRES(IR) $=1$
WRITE ( *,8002)
READ ( *,9000) EVAP(IR)
$\mathrm{IR}=\mathbb{R}+1$
GO TO 1001
C There was an error in the power coefficient file
900 WRITE (*,9900) NNAME(I)
READ (*,9002) IX
GO TO (925, 950, 975) IX
GO TO 1001
C The file name needs changing
925 WRITE (*,9901) NNAME(l)
READ ( ${ }^{*}, 9000$ ) POWER(IP-1)
GO TO 1001
C There really is no power plant at this node, delete from NPOWER and
c POWER
950 DO $965 \mathrm{~K}=(\mathrm{IP}-1)$, NPOWER(1)
KPLUS $=K+1$
POWER(K) = POWER(KPLUS)
NPOWER(K) = NPOWER(KPLUS)
$\operatorname{NPOWER}(1)=\operatorname{NPOWER}(1)-1$
$\mathbb{P}=\mathrm{IP}-1$
GO TO 1001
C There really IS a power plant here
975 NPOWER(1) = NPOWER(1) +1
CAL LOOPMK( NPOWER(1), 1, (IP-1), KTOP, KOLD, KSTOP )
DO 976 K=1,KSTOP
POWER(KTOP-K) $=$ POWER(KOLD-K)
976 NPOWER(KTOP-K) $=$ NPOWER(KOLD-K)
NPOWER(IP) $=1$
WRITE ( *,9901) NNAME(l)
READ ( $*, 9000$ ) POWER(IP)
$\mathbb{P}=\mathbb{P}+1$
GO TO 1001
C There was an error in the local inflow file
1010 WRITE $(*, 1111)$ NNAME ( $)$
READ $(*, 9002)$ IX
GO TO $(1125,1150,1175)$ IX
GO TO 1001
C The name on the local inflow file is wrong
1125 WRITE $(*, 1101)$ NNAME (I)
READ (*,9000) INFLOW(IL-1)
GO TO 1001
C There really is no local inflow at this node, delete from NINFLO and
c INFLOW
$1150 \mathrm{IL}=\mathrm{IL}-1$
DO $1165 \mathrm{~K}=$ ILNINFLO(1)
KPLUS $=K+1$
$\operatorname{INFLOW}(\mathrm{K})=$ INFLOW(KPLUS)
NINFLO $(K)=$ NINFLO(KPLUS)
$\mathrm{NINFLO}(1)=\mathrm{NINFLO}(1)-1$

## GO TO 1001

C There really IS local inflow to this node
$1175 \operatorname{NINFLO}(1)=\operatorname{NINFLO}(1)+1$
CAL LOOPMK (NINFLO(1), 1, (IL-1), KTOP, KOLD, KSTOP )
DO 1176 K=1,KSTOP
INFLOW(KTOP-K) $=$ INFLOW (KOLD-K)
1176 NINFLO(KTOP-K) $=$ NINFLO(KOLD-K)
NiNFLO(IL) $=1$
WRITE ( *,1101) NNAME (I)
READ ( *,9000) INFLOW(IL)
$\mathrm{IL}=\mathrm{IL}+1$
GO TO 1001
C
1000 FORMAT (' What is the correct name for the last node? Enter a n 1ame of 12 or less letters ')
1002 FORMAT ( ' Do you wish to delete the node ',A12,' from the configu 1ration or rename it? To remove the node completely, answer $Y^{\prime}$ ')
2000 FORMAT ('Enter the code for the correction required: '/' 1 - de 2lete the downstream node'/' 2 - insert one or more nodes between 3this node and the next previously entered'/ downstream node'/ ' 3 4 - list the flows from this node as flowing to node',A15/ 4 - lis $5 t$ this node as the last on a stream. You may also indicate any no 6de to' $/$ which its flows may naturally spill'/' 5 - list the tribu 7tary flows from this node as spilling to not the node listed, but 8to another'/ 0 or nothing will return to the next line of the RE 9VIEW table. ')
2001 FORMAT (' Do the spills or discharges from ',A15,' naturally flow 1 to another node? Enter $Y$ to specify the node which receives any 2such flows ')
2002 FORMAT (' Here are the nodes previously entered in the configurat 1ion: ')
2003 FORMAT ( ' There is a tributary flowing from ',A15,' to ',A15,' .
1 Answer $Y$ to keep the tributary flow and retum to the last menu.
2 Otherwise ',A15,' will be considered as flowing to ',A15)
2004 FORMAT ( $13,2 \mathrm{X}, \mathrm{A} 15,13,2 \mathrm{X}, \mathrm{A} 15,|3,2 \mathrm{X}, \mathrm{A} 15| 3,,2 \mathrm{X}, \mathrm{A} 15$ )
2005 FORMAT ('The flows from ', A15,' do not spill to another stream 1in the current'/' configuration. Use option 4 to enter new tribut 2ary flows. '/)
3000 FORMAT (' What is the name of the node to which ',A15,' does div 1ert water? If it does not actually divert water, nor enter anothe Zr stream, or the node to which it diverts water has not yet been 3entered, Answer NONE. ')
3001 FORMAT ('Enter the INTEGER for the node to which the spills,
1 turbine discharges, or return flows from ',A15,' naturally flow.
2 ' $\boldsymbol{\prime}$ If you enter 0 , you will return to the last menu where you may
3 enter 4 to delete this node from the list of last nodes on a tr
4ibutary or 0 to continue without any changes. ')
3002 FORMAT (' No node of the name ',A15, ' was found. Is it correct 2ly spelt in full? ')
3003 FORMAT (' Was a diversion listed in the table? Answer $Y$ to redir 3ect the'f diversion: ')
3004 FORMAT (' Answer $Y$ if there is a diversion at ',A15,' otherwise

1the diversion at this node will be deleted! ')
4000 FORMAT ( ' Enter the correct value for the channel capacity 'f (
199999 is for unlimited capacity ) ')
5000 FORMAT (' What is the name of the node which diverts water to $1^{\prime}, \mathrm{A} 15$, ' ? If the node which diverts to it has not yet be entere 3d, Answer NONE. ' )
6000 FORMAT ('Enter the code for the correction required: ' $/$ ' 1 - cha 1nge the name on the file of estimated crop water requirements $\%$ ' 22 - delete ',A15, ' from the list of irrigation nodes '/' 3 - a 3dd this node to the list of irrigation nodes. 0 or nothing will 4return to the next line of the REVIEW table. ')
6001 FORMAT (' What is the name on the file of crop water requirements
1 for the district served by ',A15, '? Enter a unique name of 4 or 2 less letters. ')
6002 FORMAT (' What is the name on the file of the weekly water requir 1ements of the crops ser- viced by ',A15, ' ? ')
8000 FORMAT (' Enter the code for the correction required: ' $/$ ' 1 - cha 1nge the file name '/' 2 - delete ',A15,' from the list of nodes 2with reservoirs '/' 3 -add this node to the list of nodes wit 3h resevoirs.'/ 0 or nothing will return to the next line of the 4 REVIEW table. ')
8001 FORMAT (' What is the name on the reservoir file for ',A15,' Ent 1er a unique name of 4 or less letters. ')
8002 FORMAT (' What is the name on the file of weekly evaporation esti 1mated and storage eleva tion table for the reservoir? Enter a na 2me of 4 or less letters. ')
9900 FORMAT ('Enter the code for the correction required: '/' 1 - ch 1ange the file name ' $/$ ' 2 - delete ',A15;' from the list of nodes 2with power plants '/' 3 - add this node to the list of nodes wi 3th power plants. 0 or nothing will return to the next line of th 4e REVIEW table. ')
9901 FORMAT (' What is the name on the power coefficients file for the 1 power plant at ',A15,' Enter a unique name of 4 or less letters. 2')
1111 FORMAT ('Enter the code for the correction required: '/' 1 - ch 1ange the file name '/ ' 2 - delete ',A15,' from the list of nodes 2 with local inflow estimates '/' 3 -add this node to the list 0 3f nodes with local inflow '/ ' 0 or nothing will return to the 4 next line of the REVIEW table. ')
1101 FORMAT (' What is the name on the file of local inflow estimated
1for ',A15,' Enter a unique name of 4 or less letters. ')
1102 FORMAT (' Is there signigicant unregulated inflow into ',A15, 's 1uch that the weekly local inflow to the node has been estimated o 2n a file stored on disk? Answer $\mathrm{Y} / \mathrm{N}^{\prime}$ )
9000 FORMAT (A12)
9001 FORMAT (A2)
9002 FORMAT ( 15 )
9003 FORMAT (F10.0)
C
1001 CONTINUE RETURN
END

## C

SUBROUTINE LOOPMK ( N, NP, K, KT, KO, KS )
c $\quad \mathrm{N}=$ number of nodes in the vector where some nodes are to be added
c $\mathrm{NP}=$ number of nodes to be added
c $K=$ place in vector after which a node will be added
c $K T=$ new final number of nodes in the vector, a number to be
c calculated
$K O=$ old final number of nodes in the vector, a number to be calculated
c KS = the number of times nodes in the vector need to be shifted to
c make space for the added nodes, a number to be calculated
C
c This function subroutine defines three variables used to open up
c vectors so that new nodes will be entered in ascending order in the
c vector

$$
\begin{aligned}
& \mathrm{KT}=\mathrm{N}+2 \\
& \mathrm{KO}=\mathrm{KT}-\mathrm{NP} \\
& \mathrm{KS}=\mathrm{KO}-\mathrm{K}
\end{aligned}
$$

RETURN
END
C
SUBROUTINE ADD (I,NL,IM,II,IS,IG,IR,IP,IL,IT )
c $1=$ node number of current line
c $\mathrm{NL}=$ total number of nodes
c $\mathbb{I M}=$ diversion TO number of current line
c II = diversion FROM number of current line
c $I S=$ nospill number of current line
c $I G=$ irrigation number of current line
c $\mathbb{R}=$ reservoir number of current line
c $\mathbb{P}=$ power plant number of current line
c $\mathrm{IL}=$ local inflow number of current line
c $\pi=$ tributary number of current line

## C

C This subroutine inserts downstream nodes after the current node and
c before previously downstream nodes
COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15),
COMMON/SHP/ NINFLO(30), NLM $(31), \operatorname{NTRB}(2,10), \operatorname{NRF}(3,10)$
COMMON/NEW/ FLOMIN(30), FLOMAX(30)
COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15)
COMMON/NOM/ NNAME(40), WREQ(21), EVAP(25), INFLOW(30), POWER(15)
CHARACTER * 12 NNAME, WREQ, EVAP, FNAME, INFLOW, POWER
CHARACTER * 2 ANS
C
330 WRITE $\left({ }^{*}, 3001\right)$ NNAME $(1)$, NNAME $(1+1)$
READ (*,9002) NPLUS
NL $=$ NL + NPLUS
C First all nodes will be renumbered in all the vectors
DO $331 \mathrm{~K}=2$, ( $\operatorname{NIRR}(1)+1)$
IF (NIRR(K).GT. I ) NIRR $(K)=\operatorname{NIRR}(K)+N P L U S$
331
CONTINUE
DO $332 \mathrm{~K}=2$, (NPOWER(1) +1 )
IF (NPOWER(K) .GT. I) NPOWER(K) $=\operatorname{NPOWER}(K)+$ NPLUS

```
332 CONTINUE
    DO 333 K=2,(NRES(1) + 1)
    IF (NRES(K).GT. I) NRES(K) = NRES(K) + NPLUS
333 CONTINUE
    DO 334 K=2,(NNOSPL(1) + 1)
    IF (NNOSPL(K).GT. I ) NNOSPL(K) = NNOSPL(K) + NPLUS
334
    DO 335 K=2,(NDIV (1,1) + 1)
    IF (NDIV(1,K).GT. I) NDIV(1,K) = NDIV(1,K) + NPLUS
    IF (NDIV(2,K).GT. I ) NDIV (2,h) = NDIV(2,K) + NPLUS
335
    CONTNUE
    DO 336 K=2,(NINFLO(1) + 1)
    IF (NINFLO(K).GT. I ) NINFLO(K) = NINFLO(K) + NPLUS
336
    CONTINUE
    DO 338 K=2,(NUM(1) + 1)
    IF (NLMM(K).GT. 1) NLMM(K) = NLMM(K) + NPLUS
338
    DO 432 K=2, (NTRB(1,1) + 1)
    IF (NTRB(1,K).GE. I ) NTRB(1,K) = NTRB(1,K) + JPLUS
    IF (NTRB(2,K).GE. I ) NTRB(2,K) = NTRB(2,K) + JPLUS
432 CONTINUE
        CALL LOOPMK( (NL-1), NPLUS, (I+1), KTOP, KOLD, KSTOP )
        DO 337 K=1,KSTOP
337 NNAME(KTOP-K) = NNAME(KOLDK)
C If the upstream node was at the end of the stream, the NNOSPL vector
C will contain the latest new downstream node
                    ICOMPR = I + NPLUS
                    ISMN = IS - 1
    IF ( NNOSPL(ISMN).EQ. ICOMPR ) NNOSPL(ISMN) = ICOMPR + NPLUS
C
C Second the various components for each new node will be entered
    DO 500 N=1,NPLUS
C The names of the nodes
340
                I= I + 1
    WRITE ( *,3010) NNAME(I-1)
    READ (*,9000) NNAME(I)
    WRITE ( *,3015 ) NNAME(l)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 3405
        GO TO 3406
C Any limits to minimum or maximum downstream releases
3405 WRITE ( *,3016 ) NNAME(I)
    READ ( *,9003 ) FLOMIN(NLM(1))
    WRTE (*,3017) NNAME(I)
    READ ( *,9003 ) FLOMAX(NLIM(1))
    IF ( FLOMAX(NLMM(1)).LE. 0) FLOMAX(NLMM(1)) = 99999
    NLIM(1) = NLMM(1) + 1
    NLMM(NLMM(1)) = I
C Any diversions
3406 WRITE ( *,4000 ) NNAME()
    READ (*,9001) ANS
    IF ( ANS .EQ. 'r' .OR. ANS .EQ. 'y' ) GO TO 341
```

```
        GO TO 10
341 WRITE (*,4001)
    WRTTE (*,9004 ) ( K, NNAME(K), K=1, (NL-1))
    WRITE ( *,4002 ) NNAME(l)
    READ (*,9002) NDUMMY
    IF (NDUMMY .LE. 0) GO TO 10
        NDIV(1,1) = NDIV(1,1) + 1
        NDIV(1,(NDIV(1,1)+1)) = NDUMMY
        NDIV(2,(NDIV(1,1)+1)) = I
        WRITE ( *,3032)
        READ ( *,9003 ) CCAPD((NDIV(1,1)+1))
C The local inflow file if any
10 WRITE (*,2001) NNAME(l)
    READ (*,9000) FNAME
    IF ( FNAME .EQ. 'NONE' .OR. FNAME .EQ. 'none' ) GO TO 20
    IF ( FNAME .EQ. ' '.OR. FNAME .EQ. ' ') GO TO 20
        NINFLO(1) = NINFLO(1) + 1
        DO 343 KK=2,NINFLO(1)
        IF (NINFLO(KK) .GT. I ) GO TO 345
343 CONTINUE
345 CALL LOOPMK( NINFLO(1), 1, KK, KTOP, KOLD, KSTOP )
    DO 346 K=1,KSTOP
            INFLOW(KTOP-K) = INFLOW(KOLD-K)
            NINFLO(KTOP-K) = NINFLO(KOLD-K)
                INFLOW(KK) = FNAME
                NINFLO(KK) = I
                        IL}=\textrm{IL}+
C The reservoir file if any
20 WRITE ( *,2002 ) NNAME(l)
        READ (*,9000) FNAME
        IF ( FNAME .EQ. 'NONE' .OR. FNAME .EQ. 'none' ) GO TO 30
        IF ( FNAME .EQ.' 'OR. FNAME .EQ.' ') GO TO 30
        NRES(1) = NRES(1) + 1
        DO 353 KK=2,NRES(1)
        IF ( NRES(KK) .GT. I ) GO TO 355
353 CONTINUE
355 CALL LOOPMK(NRES(1), 1, KK, KTOP, KOLD, KSTOP )
    DO 356 K=1,KSTOP
        EVAP(KTOP-K) = EVAP(KOLD-K)
        NRES(KTOP-K) = NRES(KOLD-K)
                        EVAP(KK) = FNAME
                NRES(KK) = I
                        IR=IR+1
C Any imrigation district
30 WRITE ( *,2003 ) NNAME(I)
    READ (*,9000) FNAME
    IF ( FNAME .EQ. 'NONE' .OR. FNAME .EQ. 'none') GO TO 40
    IF ( FNAME .EQ.' '.OR. FNAME .EQ. ' ') GO TO 40
    NIRR(1) = NIRR(1) +1
    DO 363 KK=2,NIRR(1)
        IF ( NIRR(KK) .GT. I) GO TO 364
        CONTINUE
```

    CCAPI \((\) KTOP-K \()=\) CCAPI \((\) KOLD-K \()\)
            NIRR(KTOP-K) \(=\operatorname{NIRR}(\) KOLD-K)
            \(\operatorname{NIRR}(\mathrm{KK})=1\)
            WREQ \((K K)=\) FNAME
            WRITE ( *,3032)
            READ (*,9003) CCAPI(KK)
                    \(I G=I G+1\)
    $C$ The power plant if any
40 WRITE ( *,2004 ) NNAME(l)
READ ( *,9000) FNAME
IF ( FNAME .EQ. 'NONE' .OR. FNAME .EQ. 'none') GO TO 500
IF ( FNAME .EQ. ' 'OR. FNAME .EQ. ' ' GO TO 500
$\operatorname{NPOWER}(1)=\operatorname{NPOWER}(1)+1$
DO 323 KK = 2,NPOWER(1)
IF (NPOWER(KK) .GT. I ) GO TO 325
323 CONTINUE
325 CALL LOOPMK( NPOWER(1), 1, KK, KTOP, KOLD, KSTOP )
DO $326 \mathrm{~K}=1$,KSTOP
POWER(KTOP-K) = POWER(KOLD-K)
326 NPOWER(KTOP-K) = NPOWER(KOLD-K)
NPOWER(KK) $=1$
POWER(KK) = FNAME
$\mathbb{P}=\mathbb{I P}+1$

## C

500 CONTINUE
C
3001 FORMAT (' How many nodes do you wish to insert between ',A15,' a 1nd ',A15,'? All the nodes entered now would be on the same stre 2am as the first node. You can add new offstream nodes later. E 3nter an INTEGER value: ' )
3015 FORMAT (' Are there restrictions on the regulated downstream rel leases at the node '/A12,', either minimum or maximum levels? ')
3016 FORMAT (' What is the minimum flow level in $\mathrm{m} 3 / \mathrm{s}$ above which the 1 regulated downstream'/' releases of ',A12,' must be? ')
3017 FORMAT ('What is the maximum flow level in $\mathrm{m} 3 / \mathrm{s}$ below which the 1 regulated downstream'/ releases of ',A12,' must be? ')
3032 FORMAT (' What is the capacity of the diversion canal in $\mathrm{m} 3 / \mathrm{s}$ ? 1 If there is no limit, enter 99999: ')
3010 FORMAT ('What is the name of the next node downstream of ',A15, 1' Enter a unique name of 12 or less letters. ' )
2001 FORMAT ( 'What is the name on the inflow file? If ',A15,' has 1 only regulated flows or an insignificant drainage basin, and th 2erefore no inflow file has beenprepared, enter NONE. Enter a uniq 3ue name in 4 or less letters. ')
2002 FORMAT (' What is the name on the file containing the estimates 0 If weekly evaporation and the elevation storage table for the $r$ zeservoir? if there is no significant storage or evaporation at $t$ 3he node ',A15, ' enter NONE. Enter a unique name of 4 or less le 4tters. ')

2003 FORMAT (' What is the name on the file of the weskly water requir lements of the crops ser- viced by ',A15, '? If there is no irrig 2ation at this node, enter NONE.Enter a unique name of 4 or less I 3etters.' )
2004 FORMAT (' What is the name on the file containing the weekly powe ir conversion factors for ',A15,' ? If there is no power plant, en 2ter NONE. Enter a unique nameof 4 or less letters.')
4000 FORMAT (' Does the node ',A15, ' receive water from OTHER than i 1ts natural drainage basin - offstream sources, diversions o 2r previously entered tributaries Answer $Y$ if it does. ')
4001 FORMAT ('The following lists the nodes previously entered. ' )
4002 FORMAT (' Enter the INTEGER to the left of the node from which w
1 ater is diverted, returnsor naturally flows to the node ',A15, '
2. If the source node has not yet been entered, enter $0 .{ }^{\prime}$ )

9000 FORMAT (A12)
9001 FORMAT (A2)
9002 FORMAT ( 15 )
9003 FORMAT (F10.0)
9004 FORMAT ( $15, \mathrm{~A} 15,15, \mathrm{~A} 15,15, \mathrm{~A} 15,15, \mathrm{~A} 15$ )
C
1001 CONTNUE
RETURN
END
C
SUBROUTINE DELETE (I, NL)
c $I=$ node number of the current line
c $\mathrm{NL}=$ total number of nodes
C
c This subroutines deletes the node(s) downstream of the node listed in
c the current line of the REVIEW table
COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15),
COMMON/SHP/ NINFLO(30), NLM $(31), \operatorname{NTRB}(2,10), \operatorname{NRF}(3,10)$
COMMON/NEW/ FLOMIN(30), FLOMAX(30)
COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15)
COMMON/NOM/NNAME(40), WREQ(21), EVAP(25), INFLOW(30), POWER(15)
CHARACTER * 12 NNAME, WREQ, EVAP, FNAME, INFLOW, POWER
CHARACTER * 2 ANS
C
IP1 $=1+1$
DO $203 \mathrm{~K}=2, \mathrm{NLM}(1)$
IF ( NLM (K) .EQ. IP1 ) GO TO 205
203 CONTINUE
GO TO 207
205 DO 206 KK=K,NபM(1)
FLOMIN(KK) $=$ FLOMIN(KK+1)
FLOMAX (KK) $=$ FLOMAX (KK+1)
$206 \quad \mathrm{NLM}(\mathrm{KK})=\mathrm{NLM}(\mathrm{KK}+1)$
$\mathrm{NLM}(1)=\mathrm{NLM}(1)-1$
207 DO 303 K=2,NPOWER(1)
IF ( NPOWER(K) .EQ. IP1 ) GO TO 305
303
continue
GO TO 307

305 DO 306 KK=K,NPOWER(1)
POWER(KK) = POWER(KK+1)
306 NPOWER(KK) $=\operatorname{NPOWER}(\mathrm{KK}+1)$
$\operatorname{NPOWER}(1)=\operatorname{NPOWER}(1)-1$
307 DO $308 \mathrm{~K}=2$, NIRR( 1 )
IF ( $\operatorname{NiRR}(\mathrm{K})$.EQ. (IP1) ) GO TO 310
308 CONTINUE
GO TO 313
310 DO 312 KK=K,NIRR(1)
WREQ(KK) $=$ WREQ $(K K+1)$
$\operatorname{CCAPI}(\mathrm{KK})=\operatorname{CCAPI}(\mathrm{KK}+1)$
$\operatorname{NIRR}(\mathrm{KK})=\operatorname{NIRR}(\mathrm{KK}+1)$
$\operatorname{NiRR}(1)=\operatorname{NIRR}(1)-1$
313 DO $314 \mathrm{~K}=2, \mathrm{NRES}(1)$ IF ( NRES(K) .EQ. (IP1) ) GO TO 316
314 CONTINUE GO TO 319
316 DO 318 KK=K,NRES(1)

$$
\operatorname{EVAP}(K K)=\operatorname{EVAP}(K K+1)
$$

NRES(KK) $=$ NRES(KK +1 ) $\operatorname{NRES}(1)=\operatorname{NRES}(1)-1$
319 DO $320 \mathrm{~K}=2, \mathrm{NNOSPL}(1)$ IF ( NNOSPL(K) .EQ. IP1 ) GO TO 322
320 CONTINUE GO TO 325
322 DO 324 KK=K,NNOSPL(1)
324 NNOSPL(KK) = NNOSPL(KK+1)
NNOSPL(1) $=$ NNOSPL(1) -1
DO 326 K=2,NINFLO(1) IF ( NINFLO(K) .EQ. IP1 ) GO TO 328
326 CONTINUE GO TO 331
328 DO 330 KK=K,NINFLO(1) INFLOW(KK) $=\operatorname{INFLOW}(K K+1)$ NINFLO(KK) $=$ NINFLO $(K K+1)$ NINFLO ( 1 ) $=$ NINFLO(1) -1
331 DO $826 \mathrm{~K}=2, \mathrm{NTRB}(1,1)$ IF ( NTRB(1,K) .EQ. IP1) GO TO 828 IF ( NTRB(2,K).EQ. IP1) GO TO 888

## 826 CONTINUE

GO TO 335
C There is natural flows from the node to be deleted to another stream.
C What is to happen to the flows of the tributary.
828 WRITE ( $*, 1030$ ) NNAME(IP1), NNAME(NTRB(2,K))
READ ( *, 9001 ) ANS
IF ( ANS .EQ. ' $\gamma$ ' .OR. ANS .EQ. ' y ' ) GO TO 829
WRTE ( *, 1001) NNAME(NTRB( 2,1 )
READ ( $*, 9000$ ) FNAME
DO $106 \mathrm{KK}=1$, NN
IF ( NNAME(KK) .EQ. FNAME ) GO TO 108
106 CONTINUE
WRITE (*,1002) FNAME

GO TO 828
$108 \operatorname{NTRB}(1, K)=K K$
GO TO 335
C The TRIBUTARY is to be entirely deleted
829 DO $105 \mathrm{KK}=\mathrm{K} \operatorname{NTRB}(1,1)$
KPLUS $=K K+1$
$\operatorname{NTRB}(1, \mathrm{KK})=\operatorname{NTRB}(1, \mathrm{KPLUS})$
105
NTRB $(2, K K)=\operatorname{NTRB}(2, K P L U S)$
$\operatorname{NTRB}(1,1)=\operatorname{NTRB}(1,1)-1$
GO TO 335
C There is a TRIBUTARY flowing to the node to be deleted
888 WRITE ( ${ }^{*}, 2030$ ) NNAME(IP1), NNAME(NTRB(1,K))
READ ( *,9001) ANS
IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 829
WRITE ( ${ }^{*}, 2001$ ) NNAME(NTRB $\left.(1, K)\right)$
READ ( $*, 9000$ ) FNAME
DO $806 \mathrm{KK}=1, \mathrm{NN}$
IF ( NNAME(KK) .EQ. FNAME ) GO TO 808
806 CONTINUE
WRITE (*,1002) FNAME
GO TO 888
$808 \operatorname{NTRB}(2, K)=K K$
335 DO 338 K=2,NDIV(1,1)
IF (NDIV(1,K) EQ. IP1) GO TO 340
IF (NDIV $(2, K$.EQ. IP1) GO TO 350
338 CONTINUE
GO TO 400
C There is a diversion from the node to be deleted. Is the $C$ diversion node served from another node or is the diversion C also to be deleted.
340 WRTTE (*,1000) NNAME(IP1), NNAME(NDIV(2,K))
READ ( *,9001) ANS
IF (ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 345
WRITE ( *, 1031) NNAME(NDIV(2,K))
READ ( ${ }^{*}, 9000$ ) FNAME
DO $146 \mathrm{KK}=1, \mathrm{NL}$
IF ( NNAME(KK) .EQ. FNAME ) GO TO 118
146 CONTINUE
WRITE $(*, 1002)$ FNAME
GO TO 340
$118 \operatorname{NDIV}(1, K)=K K$
WRITE ( ${ }^{*}, 1003$ ) NNAME(NDIV( $\left.1, \mathrm{~K}\right)$ ), $\operatorname{NNAME(NDIV(2,K))~}$
READ ( *,9003) CCAPD(K)
GO TO 400
C The diversion is to be entirely deleted
345 DO $165 \mathrm{KK}=\mathrm{K}, \operatorname{NDIV}(1,1)$
$K P L U S=K K+1$
CCAPD(KK) = CCAPD(KPLUS)
NDIV $(1, K K)=\operatorname{NDIV}(1, K P L U S)$
165
$\operatorname{NDV}(2, K K)=\operatorname{NDIV}(2, K P L U S)$
$\operatorname{NDIV}(1,1)=\operatorname{NDIV}(1,1)-1$
GO TO 400

C There is a diversion to the node to be deleted
350 WRITE ( ${ }^{*}, 2000$ ) NNAME (IP1), NNAME(NDIV(1,K))
READ ( *,9001) ANS
IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 345
WRITE ( *, 2001) NNAME(NDIV(1,K))
READ ( $*, 9000$ ) FNAME
DO $246 \mathrm{KK}=1$, NL
IF ( NNAME(KK) .EQ. FNAME ) GO TO 218
246 CONTINUE
WRITE (*,1002) FNAME
GO TO 350
$218 \operatorname{NDIV}(2, K)=K K$
WRITE ( , 1003 ) NNAME(NDIV(1,K)), NNAME(NDIV(2,K))
READ ( *,9003) CCAPD(K)
$400 \mathrm{NL}=\mathrm{NL}-1$
DO $405 \mathrm{KK}=\mathrm{IP} 1$, NL
405 NNAME $(K K)=\operatorname{NNAME}(K K+1)$
C Now all the vectors have the I+1 node removed. Next all nodes
$C$ greater than $I+1$ will be renumbered one less.
DO $410 \mathrm{~K}=2$, $\operatorname{NIRR}(1)$
IF ( $\operatorname{NIRR}(\mathrm{K}) . \mathrm{GT} . \mathrm{I}) \operatorname{NIRR}(\mathrm{K})=\operatorname{NIRR}(\mathrm{K})-1$
410 CONTINUE
DO $415 \mathrm{~K}=2, \mathrm{NLM}(1)$
IF ( $\mathrm{NLM}(\mathrm{K})$.GT. I ) $\mathrm{NLM}(\mathrm{K})=\mathrm{NLM}(\mathrm{K})-1$
415 CONTINUE
DO $420 \mathrm{~K}=2$, (NPOWER(1) +1 )
IF ( NPOWER(K) .GT. I ) NPOWER $(K)=\operatorname{NPOWER}(K)-1$
420 CONTINUE
DO $430 \mathrm{~K}=2$,(NRES $(1)+1)$
IF ( NRES(K) .GT. 1 ) NRES $(K)=\operatorname{NRES}(K)-1$
430 CONTINUE
DO 440 K=2,(NNOSPL(1) + 1)
IF (NNOSPL(K) .GT. I ) NNOSPL(K) $=$ NNOSPL(K) -1
440 CONTINUE
DO $450 \mathrm{~K}=2$, $(\operatorname{NDIV}(1,1)+1)$
IF ( $\operatorname{NDIV}(1, K) . G T .1) \operatorname{NDIV}(1, K)=\operatorname{NDIV}(1, K)-1$
IF ( $\operatorname{NDIV}(2, K) . G T .1) \operatorname{NDIV}(2, K)=\operatorname{NDIV}(2, K)-1$
450 CONTINUE
DO $460 \mathrm{~K}=2,(\operatorname{NTRB}(1,1)+1)$
IF ( $\operatorname{NTRB}(1, \mathrm{~K}) . \mathrm{GT} .1) \mathrm{NTRB}(1, \mathrm{~K})=\operatorname{NTRB}(1, \mathrm{~K})-1$
IF ( $\operatorname{NTRB}(2, K) . G T . I) \operatorname{NTRB}(2, K)=\operatorname{NTRB}(2, K)-1$
460 CONTINUE
DO $470 \mathrm{~K}=2$, (NINFLO(1) +1 )
IF (NINFLO(K) .GT. I) NINFLO(K) $=$ NINFLO $(K)-1$
470 CONTINUE
C
1000 FORMAT (' There is a diversion from the node to be deleted ',A15 1,' to the node ',A15,'. Is the second node served from another 2node previously enteredor is the diversion to be deleted completel 3y? Answer $Y$ to destroy the diversionto the second node. ')
1001 FORMAT ('What is the name of the previously entered node which 1now diverts to ',A15,' Enter a name of 12 or less letters. ')

1002 FORMAT (' No node of the name ',A15, ' was found. Is it correct 2ly spelt? )
1003 FORMAT (' What is the capacity in $\mathrm{m} 3 / \mathrm{s}$ of the diversion canal fro 1m the node ',A15,' to the node ',A15)
1030 FORMAT ('The node to be deleted ',A15,' naturally flows to the 1 node ',A15,'. Does the second node receive flows from another 2node previously enteredor is the tributary to be deleted completel $3 y$ ? Answer Y to destroy the tributaryto the second node. ')
1031 FORMAT (' What is the name of the previously entered node which 1now flows directly to ',A15, ' Enter a name of 12 or less letters 2. ')

2030 FORMAT (' There is a tributary to the node to be deleted ',A15,' 2 from the node ',A15,'. Does water from the second node flow to 3 another previously entered node or is the tributary to be del 4eted completely? Answer $Y$ to destroy the tributary from the secon 5d node. ')
2031 FORMAT (' What is the name of the previously entered node which Inow receives water from ',A15, ' Enter a name of 12 or less letter 2s. ')
2000 FORMAT ( ' There is a diversion to the node to be deleted ',A15,' 2 from the node ',A15,'. Does the second node divert water to an 3other previously entered node or is the diversion to be deleted $c$ 40 mpletely ? Answer Y to destroy the diversion from the second node 5. ')

2001 FORMAT (' What is the name of the previously entered node which 1now receives water from ',A15, ' Enter a name of 12 or less letter 2s. ')
9000 FORMAT (A12)
9001 FORMAT (A2)
9003 FORMAT (F10.0) RETURN
END
C
SUBROUTINE CONFIG (NADD, NI, NP, NR, NS, ND, NF, NT, N )
c NADD $=$ initialization code, $1=$ starting afresh, $2=$ adding to an
C existing configuration
c $\mathrm{Nl}=$ number of irrigation nodes plus 2
c NP = number of power plant nodes plus 2
c NR = number of reservoir nodes plus 2
c NS = number of nodes not spilling to node numbered one higher plus 2
c $N D=$ number of diversions plus 2
c NF $=$ number of local inflow nodes plus 2
c NT $=$ number of tributaries plus 2
c $N=$ total number of nodes
c
C This subroutine defines the configuration of the system, the
C reservoirs, irrigation districts, hydro-electric plants etc. The
C vectors which contain this information can be saved on a diskette
$C$ for next time.
COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15), COMMON/SHP/ NINFLO(30), NLM (31), NTRB(2,10), NRF(3,10) COMMON/NEW/ FLOMIN(30), FLOMAX(30)

COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15) COMMON/NOM/ NNAME(40), WREQ(21), EVAP(25), INFLOW(30), POWER(15) CHARACTER * 12 NNAME, WREQ, EVAP, FNAME, INFLOW, POWER CHARACTER * 2 ANS
C
WRITE ( *, 1000)
READ ( $*, 9001$ ) ANS
IF ( ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 110
C To add (continue from 80) or start from scratch:
IF ( NADD .GT. 1) GO TO 80
$\mathrm{NP}=2$
$\mathrm{Nl}=2$
$N R=2$
$N S=2$
$N D=2$
$\mathrm{NF}=2$
$\mathrm{NT}=2$
$\mathrm{N}=1$
$\operatorname{CCAPD}(1)=0$
$\operatorname{CCAPI}(1)=0$ NLIM(1) $=1$ $\operatorname{EVAP}(1)={ }^{\prime}$
POWER(1) = ${ }^{\prime}$
$\operatorname{INFLOW}(1)=$,
WREQ(1) = '
C First of new configuration:
WRITE (*,1001)
READ ( $*, 9000$ ) NNAME(N)
C Common set of entry questions:
10 WRTTE ( *,2001) NNAME(N)
READ ( $*, 9000$ ) INFLOW(NF)
IF ( INFLOW(NF) .EQ. 'NONE' .OR. INFLOW(NF) .EQ. 'none' ) GO TO 20
IF ( INFLOW(NF) .EQ. ' '.OR. INFLOW(NF) .EQ. ' ') GO TO 20
NINFLO(NF) $=\mathrm{N}$
$\mathrm{NF}=\mathrm{NF}+1$
20 WRITE ( *,3015 ) NNAME(N)
READ ( $*, 9001$ ) ANS
IF ( ANS .EQ. ' $\gamma$ ' .OR. ANS .EQ. ' $y$ ' ) GO TO 3405
GO TO 3406
C Any limits to minimum or maximum downstream releases
3405 WRITE ( *,3016 ) NNAME(N)
READ ( $*, 9003$ ) FLOMIN(NLM (1))
WRITE ( *,3017) NNAME(N)
READ ( $*, 9003$ ) FLOMAX(NLM (1))
IF ( $\operatorname{FLOMAX}(\operatorname{NLM}(1)) . \operatorname{LE} .0)$ FLOMAX(NLM(1)) $=99999$
$\mathrm{NLM}(1)=\mathrm{NLM}(1)+1$
$\operatorname{NLM}(N L M(1))=N$
3406 WRITE ( *,2002) NNAME(N)
READ ( $*, 9000$ ) EVAP(NR)
IF ( $\operatorname{EVAP}(N R)$. EQ. 'NONE'. OR. EVAP(NR) .EQ. 'none' ) GO TO 30
IF ( $\operatorname{EVAP}(N R) . E Q . \quad$ '.OR. EVAP(NR) .EQ.' ') GO TO 30
$\operatorname{NRES}(N R)=N$

```
            NR = NR + 1
30 WRITE (*,2003 ) NNAME(N)
    READ (*,9000) WREQ(NI)
    IF (WREQ(NI) .EQ. 'NONE' .OR. WREQ(NI) .EQ. 'none' ) GO TO 40
    IF (WREQ(NI) .EQ.' '.OR. WREQ(NI) .EQ.' ') GO TO 40
                NIRR(NI) = N
    WRITE (*,2033)
    READ (*,9003) CCAPI(NI)
                            Nl = NI +1
40 WRITE ( *,2004 ) NNAME(N)
    READ (*,9000) POWER(NP)
    IF (POWER(NP) .EQ. 'NONE' .OR. POWER(NP) .EQ. 'none' ) GO TO 50
    IF ( POWER(NP) .EQ.' '.OR. POWER(NP) .EQ.' ') GO TO }5
        NPOWER(NP)=N
        NP = NP + 1
C Ask if there is another node downstream on the same stream. If
C there is find out if it has offstream sources and then go through the
C loop again. If not find out if it flows into a previosly entered node
C or is the end of the configuration.
50 WRITE ( *,1002) NNAME(N)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 55
    WRIE ( *,2000) NNAME(N)
    GO TO 75
55 WRITE ( *,1003 ) NNAME(N)
    READ (*,9001) ANS
            NNOSPL(NS) = N
                NS = NS + 1
    IF ( ANS .EQ. 'Y'.OR. ANS .EQ. 'y' ) GO TO }6
60 WRITE ( *,1004)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 100
    GO TO 70
65 WRITE ( *,4001)
    WRTE ( *,9004 ) ( K, NNAME(K), K=1, (N-1) )
    WRITE ( *,3001) NNAME(N)
    READ (*,9002) NTRB(2,NT)
    IF (NTRB(2,NT) LE. 0) GO TO 60
        NTRB(1,NT) = N
                        NT = NT +1
                GO TO 60
C The next downstream station or the new node on another stream:
70 WRITE ( *,1005)
75 N = N +1
    READ ( *,9000) NNAME(N)
    WRITE (*,4000) NNAME(N)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 77
        GO TO 10
77 WRITE ( *,4001)
        WRITE ( *,9004) ( K, NNAME(K), K=1, (N-1) )
        WRITE ( *,4002 ) NNAME(N)
```

```
READ (*,9002 ) NDIV(1,ND)
IF (NDIV(1,ND).LE. 0) GO TO 10
WRITE (*,2033 )
READ ( *,9003) CCAPD(ND)
    NDIV(2,ND) = N
                ND = ND + 1
    GO TO 10
```

$C$ The nodes are to be added on to an existing configuration
$80 \quad N P=N P+1$
$\mathrm{NI}=\mathrm{NI}+1$
$N R=N R+1$
$N S=N S+1$
$N D=N D+1$
$N F=N F+1$
NT $=$ NT +1
GO TO 70
C Ready to return to PROJOP for verification
100

$$
\operatorname{NIRR}(1)=N I-2
$$

$$
\text { NPOWER }(1)=N P-2
$$

$$
\operatorname{NRES}(1)=\operatorname{NR}-2
$$

$$
\operatorname{NNOSPL}(1)=N S-2
$$

$$
\operatorname{NINFLO}(1)=\operatorname{NF}-2
$$

$$
\operatorname{NDIV}(1,1)=\operatorname{ND}-2
$$

$$
\operatorname{NTRB}(1,1)=N T-2
$$

$$
\mathrm{Nl}=\mathrm{Nl}-1
$$

$$
N P=N P-1
$$

$$
N R=N R-1
$$

$$
N S=N S-1
$$

$$
N F=N F-1
$$

$$
N T=N T-1
$$

$$
N D=N D-1
$$

C
1000 FORMAT (' This subroutine enters the configuration of reservoirs, 1 power plants, irrigationschemes, canals and diversions, or it ad 2ds onto an existing configuration pre -viously stored on the dis $3 k e t t e$. If you wish to only insert or delete nodes between node 4s already entered on the same stream or canal or you wish to add o 5 rdelete components of previously entered nodes then you can use 6the correcting procedures of the REVIEW.' $f$ ' Do you want to use th 7is subroutine? Answer $N$ to return to the REVIEW 'r procedures. 8')
1001 FORMAT ( ' What is the name of the most upstream node on the main 1 stream? Enter a unique name of 12 or less letters. ' )
1002 FORMAT (' Is there a new node downstream of ',A14,' which you ha Ive not yet entered? Answer N if this is the last node on this st 2ream or canal. ')
1003 FORMAT (' Do the spills, turbine discharges, or return flows of '
1, A15,' flow to a previously entered node? Answer $Y$ to enter whi 2ch node.')
1004 FORMAT (' Do you have more nodes to enter? Answer $N$ to return $t$ 1o the REVIEW procedures. ')
1005 FORMAT (' What is the name of the most upstream node on another

1stream? Enter a unique name of 12 or less letters. ')
2000 FORMAT ( ' What is the name of the next node downstream of ',A15,
1' Enter a unique name of 12 or less letters. ')
2001 FORMAT (' What is the name on the inflow file? If 'A15,' has 1 only regulated flows or an insignificant drainage basin, and th 2erefore no inflow file has beenprepared, enter NONE. Enter a uniq 3ue name in 4 or less letters.' )
2002 FORMAT ( ' What is the name on the file containing the estimates o
If weekly evaporation and the elevation storage table for the $r$ 2eservoir? If there is no significant storage or evaporation at t 3he node ',A15, ' enter NONE. Enter a unique name of 4 or less le 4tters. ')
2003 FORMAT (' What is the name on the file of the weekly water requir 1ements of the crops ser-viced by 'A15, ' ? If there is no irrig 2ation at this node, enter NONE.Enter a unique name of 4 or less I 3etters.' )
2033 FORMAT (' What is the capacity of the diversion canal in m3/s? 1 If there is no limit, enter 99999: ')
2004 FORMAT (' What is the name on the file containing the weekly powe ir conversion factors for ',A15,' ? If there is no power plant, en 2ter NONE. Enter a unique nameof 4 or less letters. ')
3001 FORMAT ('Enter the INTEGER for the node to which the spills, 1 turbine discharges, or return flows from ',A15,' flow? ')
3015 FORMAT ('Are there restrictions on the regulated downstream rele lases at the node '/ A12;', either minimum or maximum levels? Answ 2er Y to specify the' $/$ restrictions. ')
3016 FORMAT ( 'What is the minimum flow level in m3/s above which the 1 regulated downstream'/ releases of ',A12,' must be? ')
3017 FORMAT (' What is the maximum flow level in m3/s below which the 1 regulated downstream'/ releases of ',A12,' must be? ')
4000 FORMAT (' Does the node ',A15, ' receive water from OTHER than $i$ 1ts natural drainage basin - offstream sources, diversions o $2 r$ previously entered tributaries? Answer $Y$ if it does. ")
4001 FORMAT ('The following lists the nodes previously entered. ')
4002 FORMAT (' Enter the INTEGER to the left of the node from which $w$
tater is diverted, returnsor naturally flows to the node ',A15,'
2. If the source node has not yet been entered, enter $0 .{ }^{\prime}$ )

9000 FORMAT ( A12)
9001 FORMAT ( A2 )
9002 FORMAT ( 15 )
9003 FORMAT ( F10.0)
9004 FORMAT ( $15, \mathrm{~A} 15, \mathrm{I}, \mathrm{A} 15, \mathrm{I} 5, \mathrm{~A} 15, \mathrm{I} 5, \mathrm{~A} 15$ )
C
110 CONTINUE
RETURN
END
${ }^{\wedge} Z$
SUBROUTNE DIRR (CT4, KVAR)
c CT4 $=$ integer code ( 1 or 0 ) indicating entry of irrigation data
c complete
c KVAR $=$ integer code ( 1 or 0 ) indicating whether irrigation arrays have already been adjusted for current time steps

## C

C This subroutine reads the irrigation data from one or two files.
C The constants used to linearize the costs due
$C$ to failures in meeting the crop water requirements are read first.
C The crop water requirements may be read from the same file or from
C another. All the values may be reviewed, updated and stored for
C a later time.
COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15)
COMMON/CAP/ TMAX(15), TMIN(15), SUP(25), SLO(25)
COMMON/NOM/ NNAME(40), WREQ(21)
COMMON/IRR/ THETA( $6,21,9)$, OMEGA( $6,21,9)$, PHI $(6,21,9)$, ID $(6,21)$,
1
$\operatorname{KINI}(6,21), \operatorname{DTHET}(6,21,9), \operatorname{IC}(21), \operatorname{CWR}(26,21)$
INTEGER CT4
CHARACTER * 12 NNAME, WREQ, FIRST(6), FNAME, DUMMY, SECTL(6),
1
DUMMYL(6), FNAME2
CHARACTER * 2 ANS
C
WRITE ( *,6001)
READ ( *,9000) FNAME2
C If a FNAME2 is given, read in new file, otherwise review data
IF ( FNAME2 .EQ.' ') GO TO 510
OPEN ( 9, FILE=FNAME2, STATUS='OLD')
READ ( 9,9100 ) JI, ( $\operatorname{FIRST}(\mathrm{M}), \mathrm{M}=1,6$ )
IF (NIRR(1) .EQ. لI ) GO TO 402
WRITE ( *,6002) NIRR(1), JI, (FIRST(M), M=1,6)
CLOSE (9)
GO TO 900
402 DO $405 \mathrm{~N}=1$, Jl
READ ( 9,9101 ) DUMMY, $\operatorname{IC}(\mathrm{N}),(\operatorname{ID}(1, N), \operatorname{KINI}(\mathrm{I}, \mathrm{N}), \mathrm{I}=1, \mathrm{IC}(\mathrm{N}))$
IF ( DUMMY .NE. WREQ(N+1) ) GO TO 499
READ (9,9102) ( (THETA(I,N,K), $K=1, K \mathrm{KN}(1, \mathrm{~N})), l=1, \mathrm{IC}(\mathrm{N})$ )
405 READ (9,9102) ( ( $\mathrm{PHI}(1, N, K), K=1, \mathrm{KINI}(1, N)), I=1, I C(N))$
GO TO 510
C The names of the irrigation districts in the datafile don't match the
C names given in the system configuration.
499 WRITE ( *,6003) WREQ(N+1), N, DUMMY
CLOSE (9)
GO TO 900
C All the loss values read in, check for up-date
510 WRITE ( *, 1004)
READ ( *,9001) ICHOIX
IF ( ICHOIX .LE. O) GO TO 60
DO $100 \mathrm{NN}=1$, J
$J=N N$
IF ( ICHOIX .GE. 99) GO TO 25
DO $23 \mathrm{~J}=1$, NiRR( 1 )
IF (NIRR(J+1) .EQ. ICHOIX ) GO TO 25
23 CONTINUE
C No irrigation was found at the node requested, try again
WRITE ( *,1007) NNAME(ICHOIX), ICHOIX
GO TO 510
25 DO $90 \mathrm{I}=1, \mathrm{IC}(\mathrm{J})$
WRITE ( *, 1010) I, WREQ(J+1), ID(I, J)
DO $33 \mathrm{~K}=2, \mathrm{KINI}(\mathrm{I}, \mathrm{J})$

OMEGA $(1, \mathrm{~J}, 1)=\operatorname{PHI}(1, \mathrm{~J}, 1) / \operatorname{THETA}(1, \mathrm{~J}, 1)$
WRITE ( *,1011) (K, THETA( $(, J, K), K=1, \mathrm{KINI}(1, J))$
WRITE ( *,1012 ) (K, PHI (l, J, K $, \mathrm{K}=1, \mathrm{KINI}(1, J))$
WRITE ( *,1013 ) (K, OMEGA(l,J,K), K=1,KNI $(1, J))$
WRTIE (*,1014)
READ ( *,9001) ICH
GO TO ( $35,40,45,80,70$ ) ICH
C Nothing incorrect continue to next curve of cost-deficit function
IF ( ICHOIX .GE. 99) GO TO 90
GO TO 90
C Phi limit of costs in interval incorrect
35 WRTTE (*,1030)
READ ( *,9001) KX
WRITE ( *, 1031) THETA(I,J,KX)
READ ( *,9002) PHI(I,J,KX)
GO TO 30
C Theta deficit limit incorrect
40 WRITE ( *, 1050)
READ ( *,9001) KX
WRITE (*,1051) KX
READ (*,9002) THETA(1,J,KX)
GO TO 30
C Kini(J) too many or not enough
45 WRITE (*,1070)
READ (*,9001) KNEW
NTIMES = KNEW - KINI $(1, J)$
WRITE (*,1071)
READ ( *,9001) KAFT
IF ( KINI(l, J) .GT. KNEW ) GO TO 55
$C$ Increase the number of intervals
$\operatorname{KINI}(1, J)=\mathrm{KNEW}$
KAFTP1 $=$ KAFT +1
CALL LOOPMK ( KINI(l, J), NTIMES, KAFTP1, KTOP, KOLD, KSTOP )
DO $48 \mathrm{~K}=1$,KSTOP
THETA (1,J,KTOP-K) $=$ THETA $(1, J, K O L D-K)$
PHI ( $1, J, K T O P-K)=\mathrm{PHI}(1, J, K O L D K)$
OMEGA ( $1, \mathrm{~J}, \mathrm{KTOP}-\mathrm{K}$ ) = OMEGA $(1, J, K O L D-K)$
DO $50 \mathrm{~N}=1, \mathrm{NTIMES}$
$K=K A F T+N$
WRITE ( ${ }^{*}, 1072$ ) K
READ (*,9002) THETA(1,J,K)
WRITE ( *, 1073) THETA(l, J,K)
READ (*,9002) PHI(l,J,K)
$50 \quad \operatorname{OMEGA}(1, J, K)=(\mathrm{PHI}(1, J, K)-\operatorname{PHI}(1, J, K-1)) /$
1 GO TO 30 (THETA $(1, J, K)-$ THETA $(1, J, K-1)$ )
GO TO 30
C Decrease the number of intervals
$55 \mathrm{KINI}(\mathrm{l}, \mathrm{J})=\mathrm{KNEW}$

```
        DO 58 K=(KAFT+1),KNN(I,N)
            KP = K - NTMMES
        THETA (I,J,K) = THETA (I,J,KP)
        PHI (I,J,K) = PHI (I,J,KP)
        OMEGA(I,J,K) = ( PHI(I,J,K) - PHI(l,J,K-1)) )
    1 (THETA(I,N,K) - THETA(I,J,K-1))
        GO TO 30
```

    C Change the last date for which the curve applies
    70 WRITE ( *, 1075)
    READ ( *,9001) ID(I,J)
    GO TO 30
    C Add on an unbounded upper interval
80 WRITE ( $*, 1080$ )
READ ( *,9002) OMEGA (I,J,KINI(I,N))
GO TO 30
90 CONTINUE
IF ( ICHOIX .LT. 99) GO TO 510
100 CONTINUE
C Everything correct, calculate constants for datafile
60 DO $200 \mathrm{~J}=1$, Jl
DO $200 \mathrm{I}=1,1 \mathrm{IC}(\mathrm{J})$
DO $75 \mathrm{~K}=2, \mathrm{KIN}(\mathrm{l}, \mathrm{J})$
OMEGA $(, \mathrm{J}, \mathrm{K})=(\operatorname{PH}(1, \mathrm{~J}, \mathrm{~K})-\mathrm{PH}(1, \mathrm{~J}, \mathrm{~K}-1)) /$
1
( THETA(, J, К) - THETA(I,J,K-1) )
75 DTHET $(,, \mathrm{J}, \mathrm{K})=$ THETA $(1, \mathrm{~J}, \mathrm{~K})-\operatorname{THETA}(1, \mathrm{~J},(\mathrm{~K}-1))$
OMEGA $(1, \mathrm{~J}, 1)=$ PHI $(1, \mathrm{~J}, 1) /$ /THETA $(1, \mathrm{~J}, 1)$
$\operatorname{DTHET}(1, \mathrm{~J}, 1)=\operatorname{THETA}(1, \mathrm{~J}, 1)$
IF (ICH .LT. 4) GO TO 200
DTHET(I,J,KINI(I, J)) $=9999$
200 CONTINUE
C If the values have been previously read in, skip to review
IF ( FNAME2 .EQ. ' ') GO TO 205
C All the crop loss curves read in for every irrigation node, ask if
C crop water requirements follow on the same file or are in another
21 WRITE ( *,2001)
READ ( $*, 9000$ ) DUMMY
IF ( DUMMY .EQ. ' ') GO TO 500
C CWR are on a separate file
CLOSE (9)
FNAME = DUMMY
OPEN ( 9, FILE=FNAME, STATUS='OL')
), $M=1,6$
IF ( NIRR(1) .EQ. JI) GO TO 502
WRITE ( *,6002 ) NIRR(1), JI, (SECTL(M), M=1,6)
CLOSE (9)
GO TO 900
502 DO $505 \mathrm{~N}=1$, Jl
READ ( 9,9101 ) DUMMY
IF ( DUMMY .NE. WREQ(N+1) ) GO TO 499
READ ( 9,9102 ) ( CWR( $1, N$ ), $l=1,26$ )
CLOSE ( $\left.{ }^{( }\right)$
CT4 $=1$

```
C Review crop water requirements
205 WRITE (*,1001)
    READ (*,9001) ICHOIX
    IF ( ICHOIX .LE. 0 ) GO TO 300
    DO 299 JJ=1,JI
        J = JJ
    IF ( ICHOIX .GE. 99) GO TO 220
    DO 210 J=1,NIRR(1)
        IF (NIRR(J+1).EQ. ICHOIX ) GO TO 220
210 CONTINUE
C No imigation was found at the node requested, try again
    WRITE ( *,1007 ) NNAME(ICHOIX), ICHOIX
        GO TO 205
220 WRITE (*,1002) WREQ(J+1)
    WRTTE ( *,1022 ) ( I, CWR(l,J), I=1,26 )
    WRITE (*,1003)
    READ (*,9001) NX
        IF (NX .GT. 0) GO TO 250
        IF ( ICHOIX .LT. 99 ) GO TO 205
        GO TO 299
250 DO 275 N=1,NX
        WRTIE (*,1033)
        READ (*,9001) IX
        WRITE (*,1034) IX
        READ (*,9002 ) CWR(IX,J)
        GO TO 220
299 CONTINUE
300 WRITE (*,1005)
    READ (*,9003) ANS
    IF ( ANS .EQ. 'Y'.OR. ANS .EQ. 'y' ) GO TO 315
        GO TO 900
C Write updated values to the diskette file, asking first how many files
C are needed.
315 WRITE (*,2002)
    READ (*,9001) NFILES
    IF ( NFILES .LE. 1) GO TO 312
C Writing to two files
    WRITE ( *,2003 ) FNAME
    READ (*,9000) DUMMY
    IF ( DUMMY .EQ. ' ') GO TO }41
        FNAME = DUMMY
417 OPEN (9,FILE=FNAME, STATUS='OLD')
    WRITE ( *,2004 ) FNAME, JI, ( SECTL(M), M=1,6 )
    READ (*,9103) ( DUMMML(M), M=1,6)
    IF (DUMMYL(1) .EQ.' ') GO TO }41
        DO 418 M=1,6
418 SECTL(M) = DUMMYL(M)
419 WRITE ( 9,9100) JI, ( SECTL(M), M=1,6 )
    DO 420 N=1,JI
        WRITE (9,9101) WREQ(N+1)
        WRITE (9,9102 ) ( CWR(I,N), I=1,26 )
    CLOSE (9)
```

C Next write the economic losses file
WRITE ( *,2005 ) FNAME2
READ ( *,9000) DUMMY
IF ( DUMMY .EQ. ' ') GO TO 421
FNAME2 = DUMMY
421 OPEN ( 9,FILE=FNAME2, STATUS='OLD')
WRITE ( *,2004 ) FNAME2, JI, ( FIRST(M), M=1,6 )
READ ( *,9103) (DUMMYL(M), M=1,6)
IF (DUMMYL(1) .EQ. ' ') GO TO 423
DO $422 M=1,6$
$422 \quad \operatorname{FIRST}(M)=\operatorname{DUMMYL}(M)$
423 WRITE ( 9,9100 ) JI, ( $\operatorname{FIRST}(M), M=1,6$ )
DO $430 \mathrm{~N}=1, \mathrm{Ji}$
WRITE (9,9101) WREQ( $\mathrm{N}+1$ ), $\mathrm{IC}(\mathrm{N}),(\mathrm{ID}(\mathrm{I}, \mathrm{N}), \mathrm{KIN}(\mathrm{l}, \mathrm{N}), \mathrm{I}=1, \mathrm{IC}(\mathrm{N}))$
WRITE ( 9,9102 ) ( (THETA (l,N,K), K=1,KINI(I,N) ),I=1,IC(N) )
430 WRITE ( 9,9102 ) ( ( $\mathrm{PHI}(\mathrm{l}, \mathrm{N}, \mathrm{K}), \mathrm{K}=1, \mathrm{KINI}(\mathrm{l}, \mathrm{N})$ ) $, \mathrm{I}=1, \mathrm{IC}(\mathrm{N}))$
WRITE (9,9104)
CLOSE (9)
GO TO 900
312 WRITE ( *,1006 ) FNAME2
READ ( *,9000) DUMMY
IF (DUMMY .EQ.' ') GO TO 317 FNAME2 = DUMMY
317 OPEN ( 9, FILE=FNAME2, STATUS='OLD')
WRITE ( *,2004 ) FNAME2, Jl, ( FIRST(M), M=1,6 )
READ ( $*, 9103$ ) ( DUMMYL(M), M=1,6)
IF (DUMMYL(1) EQ. ' ') GO TO 319
DO $318 \mathrm{M}=1,6$
318 SECTL(M) = DUMMYL(M)
319 WRITE ( 9,9100 ) JI, ( FIRST(M), M=1,6 )
DO $320 \mathrm{~N}=1$, J
WRITE ( 9,9101 ) WREQ( $\mathrm{N}+1$ ), $\mathrm{IC}(\mathrm{N}),(\operatorname{ID}(\mathrm{I}, \mathrm{N}), \mathrm{KINI}(\mathrm{l}, \mathrm{N}), \mathrm{I}=1, \mathrm{IC}(\mathrm{N}))$
WRITE $(9,9102)$ ( (THETA $(1, N, K), K=1, \mathrm{KINI}(1, N)), I=1, I C(N))$
320 WRITE (9,9102) ( (PHI (I,N,K $, K=1, \mathrm{KINI}(\mathrm{l}, \mathrm{N})), I=1, \mathrm{IC}(\mathrm{N}))$
WRTE ( 9,9100 ) Jl, ( SECTL(M), $\mathrm{M}=1,6$ )
DO $330 \mathrm{~N}=1$, J
WRITE $(9,9101)$ WREQ $(N+1)$
330 WRTE ( 9,9102 ) (CWR( $1, N$ ), $I=1,26$ )
CLOSE (9)
900 KVAR $=0$
C
1001 FORMAT (' Do you wish to review or update the quarter-monthly dis 1 itct crop water require- ments?' $\rho$ You may enter the INTEGER numbe $2 r$ of one specific district you wish to change'/' or 99 to see them 3 all. ' $/ 0$ or nothing continues with the values as read from the 4 datafiles. ')
1002 FORMAT (' Here are the quarter-monthly crop water requirements in
1 MCM for the district ',A5 )
1022 FORMAT ( $13, F 7.1,5 \mathrm{X}, 13, F 7.1,5 \mathrm{X}, \mathrm{I} 3, F 7.1,5 \mathrm{X}, \mathrm{I} 3, F 7.1$ )
1003 FORMAT (' Do you wish to change any quantity for the current run?
1 Enter 0 to continue'/' with these values or the INTEGER number o 2f incorrect quantities. ')

1033 FORMAT (' What is the INTEGER to the left of an incorrect quantit 1y? ')
1034 FORMAT ( ' For the ', I3,'th quarter-month what should be the crop iwater requirement in MCM for the district? ')
1004 FORMAT (' Do you wish to review or update the linearization inter Ivals of the irrigation loss function?' $/$ You may enter the INTE 2GER number of one specific district you wish to change'/' or 99 to 3 see them all.' $/ 0$ or nothing continues with the values as read 4 from the datafiles. ')
1005 FORMAT (' Do you wish to store updated values on a diskette? Ans 1wer $Y$ to do so ')
1006 FORMAT (' Do you want to save under the name ',A12,'? If you do, 1 enter nothing ' $/$ ' before the RETURN'/
1' Enter $b$ :FNAME where $b$ : specifies the drive and FNAME the name of
2 an existing'/ file in 10 or less letters ')
1007 FORMAT (' There was no irrigation found at the node ',A12,', the 1number ',I3/' Please try again. ')
1010 FORMAT (' Here are the current values for the bounds of irrigatio 1n deficits ( MCM), the corresponding costs of lower yeilds (Rs 2) and the slope of the straight line joining these points for th 3 e ', I3,' curve of district ',A5/ ' The curve applies until the ', 413 ,'th quarter-month after the start of the growing season'/ )
1011 FORMAT (' Deficit: ', ', $3, F 10.1,14, F 10.1,14, F 10.1,14, F 10.1,14, F 10.1$ 1)

1012 FORMAT (' Cost : ',I3,F10.1,14,F10.1,14,F10.1,14,F10.1,14,F10.1 1)

1013 FORMAT ( ' Slope:',13,F10.4,13,F10.4,13,F10.4,13,F10.4,13,F10.4)
1014 FORMAT ( $/$ Do you wish to change anything for the current run?'/ $/$ 1 Answer 5 to change the last quarter-month for which the curve app 2lies'/
38 X , ' 4 to directly give the slope of the last UNBOUNDED interva $4 l^{\prime} / 8 X, 3$ to increase or decrease the number of intervals'/ 8 X , 5 '2 to modity the bounds of a deficit range' $8 X$, ' 1 to modify t 6he corresponding cost of lower yield'/ 8 X , ' 0 or nothing to con 7 tinue with these values. ')
1030 FORMAT (' What is the INTEGER to the left of the cost which you w tould like to change? ')
1031 FORMAT ( ' What is the cost of lower yields ( Rs ) due to an irrig 1ation deficit of ', F6.1/)
1050 FORMAT (' What is the INTEGER to the left of the irrigation defic 1it which you would like to correct? ')
1051 FORMAT (' What is the correct value for the upper bound of the ', 113 ,'th interval? ' )
1070 FORMAT (' How many intervals do you now want? The maximum number 1 is 9 . ')
1071 FORMAT (' Where would you like to insert or delete? What is the 1 INTEGER to the left of the interval after which you would like $t$ 40 insert or delete. ')
1072 FORMAT (' What is the new upper bound of the ',i3,'th interval? ' 1)

1073 FORMAT ( ' What is the cost of the lower yeilds due to an irrigati 1on deficit of ',F6.1,' MCM? ')

1075 FORMAT (' When ( how many quarter-months after the start of the g 1rowing season ) does thiscurve last apply? Enter an INTEGER ')
1080 FORMAT (' What is the slope of the function in the unbounded last 1 interval? ')
2001 FORMAT (' Do the updated crop water requirements follow on the sa 1me file? If another filehas been prepared, enter b:FNAME, where b 2: specifies the drive and FNAME is the name of the file in 10 or I 3ess letters'/)
2002 FORMAT (' How many files will you use? Answer 1 or $2^{\prime}$ )
2003 FORMAT (' Do you wish to save the crop water data in the file, ', 1A12,'?'/' To save the data in a new data file, enter b:FNAME where 2 b : specifies the drive and FNAME is the name of an already existi 3ng file in 10 or less characters. '/ )
2004 FORMAT (' The current first line for the file, ',A12,' is:'/
1 1X,I3,6A12/'Enter a new title if you wish, without entering the
2number of irrigation demand points. If the first six spaces are b
3lank, no change in the title will occur '/ )
2005 FORMAT ('Do you wish to save the economic losses data in the fil
1e ',A12/ ' Enter b:FNAME where b: specifies the drive and FNAME is
2 the name of another'/' already existing file. ')
6001 FORMAT (' What is the name of the file containing the irrigation
1deficit economic losses?'/' Enter b:FNAME, where FNAME is the name
2 in 10 or less letters and b : designates'/' the drive. If you ente
3r nothing you may review any data already entered'/ )
6002 FORMAT ( ' The current configuration lists ', 13 ,' districts. The d 1atafile on the disk has ', 13, ' districts. The first line of the
2 file is:'/ 1X,6A12 /' Please check you have the correct file, dis
3kette and drive.' )
6003 FORMAT ( ' The current configuration lists ',A6,' as the ',I2,' th
1 district. The datafile lists ',A6,' at this node. Please check
2you have the correct spelling, order,' $/$ and/or file.' )
9000 FORMAT ( A12)
9001 FORMAT ( 12 )
9002 FORMAT ( F6.0)
9003 FORMAT (A2)
9100 FORMAT ( $1 \mathrm{X}, 13,6 \mathrm{~A} 12$ )
9101 FORMAT ( $1 \times$, A4, 1814 )
9102 FORMAT (1X,11F7.2)
9103 FORMAT (6A12)
9104 FORMAT ( 80(1H))
9031 FORMAT ( $\mathbf{A} 2,12$ )
RETURN
END
C
SUBROUTINE DRES (CT3)
c CT3 = integer code ( 1 or 0 ) indicating entry of reservoir data
c complete
c
C This subroutine reads the reservoir data from the file, the constants
$C$ of the evaporation and seepage linearization and the monthly loss
$C$ coefficient. The data can be reviewed and updated and stored for use
C at a later date.

COMMON/SHR/ JPOWER(15), JIRR(21), JRES(25), JNOSPL(20), JDIV(2,15)
COMMON/NOM/ JNAME(40), WREQ(21), EVAP(25)
COMMON/RES/ GAMMA $(25,9), \operatorname{DELTA}(25,9), \operatorname{EPSI}(25,9), \operatorname{KIN}(25)$,
$1 \operatorname{DGAMA}(25,9), \operatorname{CLOSS}(14,25)$
COMMON/CAP/ TMAX(15), TMIN(15), SUP(25), SLO(25)
INTEGER CT3
CHARACTER * 12 JNAME, FIRST(6), FNAME, WREQ, EVAP, DUMMY
CHARACTER * 3 MON(12)
CHARACTER * 2 ANS
DATA MON / 'OCT,'NOV','DEC','JAN','FEB','MAR','APR','MAY','JUN',
1 'JUL','AUG','SEP'/
C
WRITE ( *,5001)
READ ( $*, 9000$ ) FNAME
IF ( FNAME .EQ. ' ') GO TO 21
OPEN (9,FILE=FNAME, STATUS='OLD')
READ ( 9,9100 ) JR, ( $\operatorname{FIRST}(M), M=1,6$ )
IF ( JRES(1) .EQ. JR ) GO TO 305
WRITE ( *,5002 ) JRES(1), JR, (FIRST(M), M=1,6)
CLOSE (9)
GO TO 900
305 DO $306 \mathrm{~N}=1$,JR
READ ( 9,9101 ) DUMMY, SLO(N), SUP(N), KIN(N)
IF ( DUMMY .NE. $\operatorname{EVAP}(\mathrm{N}+1)$ ) GO TO 399
READ ( 9,9102 ) ( CLOSS $(1, N), I=1,12)$
READ ( 9,9102 ) ( GAMMA(N,K), $K=1, K N(N)$ )
306
READ ( 9,9102 ) ( EPSI ( $\mathrm{N}, \mathrm{K}), \mathrm{K}=1, \mathrm{KN}(\mathrm{N})$ )
CLOSE (9)
CT3 $=1$
GO TO 21
C
C The names of the reservoirs in the datafile don't match the names
$C$ given in the system configuration.
399 WRTE ( *,5003) EVAP (N+1), N, DUMMY
CLOSE (9)
GO TO 900
C All the values read in, check for up-date
21 WRITE ( *, 1004)
READ ( $*, 9001$ ) ICHOIX
IF ( ICHOIX .LE. 0) GO TO 60
22 DO $100 \mathrm{JJ}=1, \mathrm{JR}$
$\mathrm{J}=\mathrm{JJ}$
IF (ICHOIX .GE. 99) GO TO 30
DO $25 \mathrm{~J}=1$,JRES(1)
IF ( JRES(J+1).EQ. ICHOIX ) GO TO 30
25 CONTINUE
C No irrigation was found at the node requested, try again
WRITE ( $*, 1007$ ) JNAME (ICHOIX), ICHOIX
GO TO 21
30 WRITE ( *, 1010) EVAP $(\mathrm{J}+1)$
DO $33 \mathrm{~K}=2, \mathrm{KIN}(\mathrm{J})$
33
$\operatorname{DELTA}(J, K)=(\operatorname{EPSI}(J, K)-\operatorname{EPSI}(J, K-1)) /$
$\operatorname{DELTA}(J, 1)=\operatorname{EPSI}(J, 1) / \operatorname{GAMMA}(J, 1)$
WRITE ( $*, 1011$ ) ( $K$, GAMMA (J,K), K=1,KIN(J) )
WRTTE ( *, 1012) ( $\mathrm{K}, \mathrm{EPSI}(\mathrm{J}, \mathrm{K}), \mathrm{K}=1, \mathrm{KN}(\mathrm{J})$ )
WRITE ( $*, 1013$ ) ( $K$, DELTA(J,K), K=1,KN(J) )
WRITE ( *, 1014)
READ ( $*, 9001$ ) ICH
GO TO ( $35,40,45,80$ ) ICH
C Nothing incorrect continue to next reservoir
IF ( ICHOIX .GE. 99) GO TO 100 GO TO 21
C Epsilon limit of surface area in interval incorrect
35 WRITE ( $*, 1030$ )
READ ( *,9001) KX
WRITE ( $*, 1031$ ) GAMMA (J,KX)
READ ( *,9002) EPSI(J,KX)
GO TO 30
C Gamma storage volume limit incorrect
40 WRITE ( *, 1050)
READ ( $*, 9001$ ) KX
WRITE ( $*, 1051$ ) KX
READ ( $*, 9002$ ) GAMMA(J,KX)
GO TO 30
C Kin(J) too many or not enough
45 WRITE (*,1070)
READ ( $*, 9001$ ) KNEW
NTIMES $=$ KNEW $-\mathrm{KIN}(J)$
WRITE (*,1071)
READ (*,9001) KAFT
IF (KIN(J).GT. KNEW ) GO TO 55
$C$ Increase the number of intervals
$\operatorname{KIN}(J)=\mathrm{KNEW}$
KAFTP1 $=$ KAFT +1
CALL LOOPMK ( KIN(J), NTIMES, KAFTP1, KTOP, KOLD, KSTOP )
DO $48 \mathrm{~K}=1$,KSTOP
GAMMA ( $Ј, K T O P-K)=$ GAMMA (J,KOLD-K)
EPSI (J,KTOP-K) = EPSI ( $\mathrm{J}, \mathrm{KOLD}-\mathrm{K}$ )
DELTA (J,KTOP-K) = DELTA ( $\mathrm{J}, \mathrm{KOLD}-\mathrm{K}$ )
DO $50 \mathrm{~N}=1$, NTIMES
$\mathrm{K}=\mathrm{KAFT}+\mathrm{N}$
WRITE (*,1072) K
READ ( $*, 9002$ ) GAMMA(J,K)
WRITE ( *, 1073) GAMMA(J,K)
READ ( *,9002) EPSI(J,K)
$50 \quad \operatorname{DELTA}(J, K)=(\operatorname{EPSI}(J, \mathrm{~K})-\operatorname{EPSI}(\mathrm{J}, \mathrm{K}-1)) /$
1 ( GAMMA(J,K) - GAMMA(J,K-1) )
GO TO 30
C Decrease the number of intervals
$55 \quad \mathrm{KN}(\mathrm{J})=$ KNEW
DO $58 \mathrm{~K}=(\mathrm{KAFT}+1), \mathrm{KNN}(\mathrm{J})$
$\mathrm{KP}=\mathrm{K}-\mathrm{NT}$ MES
GAMMA (J,K) = GAMMA (J,KP)
EPSI (J,K) = EPSI (J,KP)

1
$\operatorname{DELTA}(J, K)=(\operatorname{EPSI}(J, K)-\operatorname{EPSI}(J, K-1)) /$
( GAMMA(J,K) - GAMMA(J,K-1) )
GO TO 30
C Check the monthly reservoir losses
80 WRITE ( *,1080)(I, MON(I), CLOSS(I,J), I=1,12)
WRTE ( *,1081)
READ (*,9001) IX
IF (IX .LE. 0) GO TO 30
WRITE ( *, 1087) MON(IX)
READ ( *,9002) CLOSS(IX,J)
GO TO 80
100 CONTINUE
C Everything correct, calculate constants for datafile
60 DO $200 \mathrm{~J}=1$,JR
DO $75 \mathrm{~K}=2, \mathrm{KIN}(\mathrm{J})$
$\operatorname{DELTA}(\mathrm{J}, \mathrm{K})=(\operatorname{EPSI}(\mathrm{J}, \mathrm{K})-\operatorname{EPSI}(\mathrm{J}, \mathrm{K}-1)) /$
1 ( GAMMA (J,K) - GAMMA $(J, K-1)$ )
75 DGAMA $(J, K)=$ GAMMA $(J, K)-$ GAMMA $(J,(K-1))$
$\operatorname{DELTA}(J, 1)=\operatorname{EPSI}(J, 1) / \operatorname{GAMMA}(J, 1)$
$\operatorname{DGAMA}(\mathrm{J}, 1)=\operatorname{GAMMA}(\mathrm{J}, 1)$
200 CONTINUE
WRITE (*,1005)
READ ( ${ }^{*}, 9003$ ) ANS
IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 215 GO TO 900
C write updated values to diskette file
215 WRITE ( *, 1006) FNAME
READ (*,9000) DUMMY
IF ( DUMMY .EQ. ' ') GO TO 216 FNAME = DUMMY
216 OPEN ( 9, FILE=FNAME, STATUS $=$ 'OLD')
WRITE ( 9,9100 ) JR, ( $\operatorname{FIRST}(\mathrm{M}), \mathrm{M}=1,6$ )
DO $220 \mathrm{~J}=1, \mathrm{JR}$
WRITE ( 9,9101 ) EVAP(J+1), SLO(J), SUP(J), KN(J)
WRITE ( 9,9102 ) ( CLOSS (I, J), $I=1,12$ )
WRITE ( 9,9102 ) ( GAMMA(J,K), K=1,KIN(J))
220 WRITE ( 9,9102 ) ( EPSI (J,K), K=1,KIN(J))
CLOSE (9)
900 .CONTINUE
C
1004 FORMAT (' Do you wish to review or update the linearization inter Ivals or the monthly loss coefficients?'/ You may enter the INTEG 2ER number of one specific reservoir you wish to change'f' or 99 to 3 see them all.'/ 0 or nothing continues with the values as read 4from the datafiles. ')
1005 FORMAT ('Do you wish to store updated values on a diskette? An 1swer $Y$ if you do. ')
1006 FORMAT (' Do you wish to save the file under the name ',A12,'?'/
1' Enter nothing to keep the same name or'/
1' Enter b:FNAME where b: specifies the drive and FNAME the name of 2 the file in 10 or less letters ')

1007 FORMAT (' There was no reservoir found at the node ',A12,', the 1number ',13/' Please try again. ')
1010 FORMAT (' Here are the current values for the bounds of reservoir 1 storage volumes (MCM), the corresponding surface areas, (km2 2 ) and the slope of the straight line joining these points for th 3e reservoir ',A5/ )
1011 FORMAT ( ' Storage: ',I3,F6.1,14,F6.1,14,F6.1,I4,F6.1,I4,F6.1,I4,F 16.0,14,F6.1)

1012 FORMAT (' Area : ',I3,F6.1,14,F6.1,14,F6.1,I4,F6.1,I4,F6.1,I4,F 16.0,14,F6.1)

1013 FORMAT ( ' Slope:',I3,F6.4,I3,F7.4,I3,F7.4,I3,F7.4,I3,F7.4,I3,F7.4 1,13,F7.4)
1014 FORMAT ( $/$ Do you wish to change anything for the current run?'/ 1' Answer 4 to review the monthly reservoir loss coefficients'/ $28 X$, ' 3 to increase or decrease the number of intervals'/ 8 X , 3 '2 to modify the bounds of a storage volume range'/ 48X,' 1 to modify the corresponding surface area'/ 58 X ,'0 or nothing to continue with these values. ')
1030 FORMAT ('What is the INTEGER to the left of the surface are 1a which you would like to change? ' )
1031 FORMAT (' What is the surface area (km2) corresponding to the s 1torage volume of ', F6.1/)
1050 FORMAT (' What is the INTEGER to the left of the storage bound yo 1u would like to correct?')
1051 FORMAT ('What is the correct value for the upper bound of the ', 113 ,'th interval? ')
1070 FORMAT (' How many intervals do you now want? The maximum number 1 is $9 .{ }^{\prime}$ )
1071 FORMAT ('Where would you like to insert or delete? What is the 1 INTEGER to the left of the interval after which you would like $t$ 40 insert or delete. ')
1072 FORMAT (' What is the new upper bound of the ',l3,'th interval? ' 1)

1073 FORMAT (' What is the surface area which corresponds to a storage 1 volume of ',F6.1,' MCM? ')
1080 FORMAT (' Here are the monthly reservoir losses in mm/mo.'/ $3, \mathrm{~A} 4$ 1,F6.0,13,A4,F6.0,13,A4,F6.0,13,A4,F6.0,13,A4,F6.0,13,A4,F6.0/I3,A 24,F6.0,13,A4,F6.0,I3,A4,F6.0,13,A4,F6.0,13,A4,F6.0,I3,A4,F6.0)
1081 FORMAT ('Are these all correct? Enter the INTEGER of an incorre 1ct month. 0 or nothing continues with these values. ')
1087 FORMAT (' What is the reservoir loss coeficient in mm during the 1month of ',A5,'? ')
5001 FORMAT (' What is the name of the file containing the resenvoir $d$ 1ata?' $/$ Enter b:FNAME, where FNAME is the name in 10 or less lett 2ers and b: designates the drive. ' $f$ ' if you enter nothing you may 3 review data already there'/ )
5002 FORMAT ( ' The current configuration lists ', 13, , reservoirs. The 1datafile on the disk has ', $13,{ }^{\text {' }}$ reservoirs. The first line of the 2 file is:'/ 1X,6A12 / Please check you have the correct file, dis 3kette and drive.' )
5003 FORMAT ( ' The current configuration lists ',A6,' as the ',I2,' th 1 reservoir. The datafile lists ',A6,' at this node. Please che

```
    2heck you have the correct spelling, order, and/or file.' )
9000 FORMAT ( A12)
9001 FORMAT (12)
9002 FORMAT (F6.0)
9003 FORMAT ( A2 )
9100 FORMAT ( 1X,I3,6A12)
9101 FORMAT ( 1X,A4,2F10.1,l3 )
9102 FORMAT (1X,12F6.1)
9031 FORMAT ( A2,12 )
    RETURN
    END
C
    SUBROUTINE DPOWER ( CT2 )
c CT2 = integer code (1 or 0) indicating entry of power constants
c complete
c
c This subroutine enters the turbine minimum and maximum flows and the
c power coefficients, corrector-multipliers and refernce storage values
c Values may be updated and saved for next time
    COMMON/SHR/ JPOWER(15), JIRR(21), JRES(25), JNOSPL(20), JDIV(2,15)
    COMMON/NOM/ NNAME(40), WREQ(21), EVAP(25), INFLOW(30), POWER(15)
    COMMON/POW/ H(14,15), C(14,15), STO(14,15)
    COMMON/CAP/ TUPP(15), TLOW(15)
    INTEGER CT2
    CHARACTER * }12\mathrm{ NNAME, FIRST(6), FNAME, POWER, WREQ, EVAP,
INFLOW
    CHARACTER * }12\mathrm{ DUMMY
    CHARACTER * 2 ANS
C
C Read in power file
    WRITE ( *,4001)
    READ (*,9000) FNAME
    IF ( FNAME .EQ.' ') GO TO 203
    OPEN ( 9,FILE=FNAME, STATUS='OLD')
    READ (9,9100) NP, ( FIRST(M), M=1,6 )
    IF (JPOWER(1) .EQ. NP ) GO TO 204
    WRITE ( *,4002 ) JPOWER(1), NP, (FIRST(M), M=1,6)
    CLOSE (9)
    GO TO 900
204 DO 206 N=1,NP
                READ ( 9,9101) DUMMY, TLOW(N), TUPP(N)
                IF ( DUMMY .NE. POWER(N+1) ) GO TO 299
                READ (9,9102) STO(1,N)
                READ ( 9,9103) C(1,N)
206 READ (9,9102) H(1,N)
        ClOSE (9)
            CT2=1
        GO TO 203
C The names of the power plants in the datafile don't match the names
C given in the system configuration.
299 WRITE (*,4003 ) POWER(N+1), N, DUMMY
    CLOSE (9)
```


## GO TO 900

C All the values read in, check for up-date
203 WRITE (*,1004)
READ ( *,9001) ICHOIC
IF ( ICHOIC .LE. 0 ) GO TO 150
DO $100 \mathrm{JJ}=1, \mathrm{NP}$
$\mathrm{J}=\mathrm{JJ}$
IF ( ICHOIC .GE. 99 ) GO TO 30
DO $25 \mathrm{~J}=1, \mathrm{JPOWER}(1)$
IF (JPOWER(J+1) .EQ. ICHOIC ) GO TO 30
25 CONTINUE
C No power plant was found at the node requested, try again
WRITE (*,1007) NNAME(ICHOIC), ICHOIC
GO TO 203
30 WRITE ( *,1010) POWER(J+1), H(1,J), C(1,J), STO(1,J)
WRITE (*,1012)
READ ( $*, 9001$ ) ICHOIX
GO TO ( $35,45,40$ ) ICHOIX
C Nothing incorrect continue to next power plant
IF ( ICHOIC .GE. 99 ) GO TO 100
GO TO 203
C $H(1, J)$ constant head coefficient incorrect
35 WRITE ( *,1030)
READ ( *,9003) ANS
IF ( ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 37 CALL CALC ( $\mathrm{J}, \mathrm{H}$ )
c $\quad J=$ power plant number of current node
c $\mathrm{H}(14,15)=$ the array of power coefficients for every time step for
c every power plant.
GO TO 30
37 WRITE (*,1032)
READ ( *,9002) H(1,J)
GO TO 30
C STo reference storage volume incorrect
40 WRITE ( *, 1050)
READ ( *,9002) STO ( $1, \mathrm{~J}$ )
GO TO 30
C C(1,1) corrector multiplier incorrect
45 WRITE ( *, 1070)
READ ( $*, 9002$ ) C(1,J)
GO TO 30
100 CONTINUE
C Ask if save to diskette desired
150 WRITE (*,1005)
READ (*,9003) ANS
IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 215
GO TO 900
C Write updated data to disk
215 WRITE ( *, 1006 ) FNAME
READ ( *,9000) DUMMY
IF ( DUMMY .EQ. ' ') GO TO 216
FNAME = DUMMY

```
216 OPEN (9,FILE=FNAME, STATUS \(=\) 'OLD')
    WRITE ( 9,9100 ) NP, ( \(\operatorname{FIRST}(\mathrm{M}), \mathrm{M}=1,6\) )
    DO \(220 \mathrm{~J}=1, \mathrm{NP}\)
```

        WRITE ( 9,9101 ) POWER(J+1), TLOW(J), TUPP(J)
        WRITE ( 9,9104 ) STO(1,J)
        WRITE ( 9,9103 ) C(1,J)
        WRITE (9,9103) H(1,J)
    CLOSE (9)
    900 CONTINUE
C

1004 FORMAT (' Do you wish to review or update the power production fa 1ctors used to calculate the energy produced?' $/$ You may enter the 2 INTEGER number of one specific power plant you wish to change or' 3,' 99 to see them all.'/ 0 or nothing continues with the values 4as read from the datafiles.')
1005 FORMAT (' Do you wish to store updated values on a diskette? Ans iwer Y to do so ')
1006 FORMAT (' Do you wish to save under the name ', A12,'?'/ Enter n 1othing to keep the same name or b:FNAME where $b$ : specifies the dri 2ve and FNAME the name of an existing file in 10 or less letters'/)
1007 FORMAT (' There was no power plant found at the node ',A12,', the 1 number ',13/' Please try again. ' )
1010 FORMAT (' Here are the current values for the constant head coeff 1icient'/' ( $9.78^{*}$ head $^{*}$ eff./3600) , $\mathrm{H}^{\prime} /$ the corrector multiplier, $3 C$, to be applied to the difference of the average'/' storage volum 4 e and the reference storage' $/$ and the reference storage volume, S 5 To , in Mm3, for the power plant at ', A12,/10X,1HH,10X,1HC,9X,3HST 60/3X,F9.4,3X,F9.6,3X,F7.1/' Power plants with constant head have C $7=-1.0^{\prime}$ )
1012 FORMAT ('Do you wish to change any of these values? You will be 1 able to vary the values through the season later.' $/$ Answer 3 to 2modify the reference storage volume, STo'/8X,'2 to modify the corr 3ector multiplier, $\mathrm{C}^{\prime} / 8 \mathrm{X}, 1$ to modify the constant head coefficien $4 \mathrm{t}, \mathrm{H}^{\prime} / 5 \mathrm{X}$, or 0 or nothing to continue with these values. ${ }^{\text {' }}$ )
1030 FORMAT (' Do you wish to calculate the value for the coefficient, 1 H ? If you can enter it directly, enter $\mathrm{N}: ~ ')$
1032 FORMAT (' What is the constant head coefficient, H? ')
1050 FORMAT ('What is the reference storage volume, STo, in Mm3? ')
1070 FORMAT (' What is the corrector multiplier, C? Use -1 for power iplants with constant head ')
4001 FORMAT (' What is the name of the file containing the power data? $1 ' f$ Enter b:FNAME, where FNAME is the name in 10 or less letters 2 and b: designates the drive.' $/$ If you enter nothing you may corr 3ect data already there'/)
4002 FORMAT (' The current configuration lists ',13,' power plants. Th 1e datafile on the disk has ', 13, ' power plants. The first line of 2 the file is:'/ 1X,6A12 / Please check you have the correct file, 3 diskette and drive.' )
4003 FORMAT (' The current configuration lists ',A6,' as the ',I2,' th 1 power plant. The datafile lists ',A6,' at this node. Please c 2heck you have the correct spelling, order, and/or file.' )
9000 FORMAT (A12)

```
9001 FORMAT (I2)
9002 FORMAT (F10.0)
9003 FORMAT ( A2)
9100 FORMAT (1X,I3,6A12)
9101 FORMAT (1X,A4,2F10.2,13)
9102 FORMAT ( 1X,10F8.0)
9103 FORMAT (1X,8F9.6 )
9104 FORMAT (1X,10F8.1)
    RETURN
    END
C
    SUBROUTINE CALC (J,H)
c J = power plant number of current node
c H(14,15) = the array of power coefficients for every time step for
c every power plant.
C
c This subroutine calculates the power coefficient from the effective
c head and the turbine efficiency.
C
    DIMENSION H (14,15 )
    WRITE (*,1000)
    READ (*,9000) EFF
    WRITE (*,1001)
    READ (*,9000) HEAD
    H(1,J) = 9.777*EFF*HEAD / 3600
C
1000 FORMAT (' What is the representative efficiency (in decimals) at
    1this power plant and for this head? ')
1001 FORMAT ('What is the constant head in meters?')
9000 FORMAT ( F6.0)
    RETURN
    END
C
    SUBROUTINE DCANAL (ND, NI, CT5)
c ND = number of inter-basin diversions
c NI = number of inrigation diversions
c CT5 = integer code (1 or 0) indicating entry of canal constants
c complete
c
C This subroutine reads in a constant value for the diversion chanal
C losses as a percent of flow for all diversion canals, CHLSS, and
C minimum canal flows for diversion (CMIND)
C and irrigation flows (CMINI)
    COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20),NDIV(2,15)
    COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15)
    COMMON/NOM/ NNAME(40)
    INTEGER CT5
    CHARACTER * 12 FNAME, DUMMY, NNAME, FIRST(6)
    CHARACTER * 2 ANS
C
    WRTE (*,1000)
    READ (*,9000) FNAME
```

C When no name given, user wants to only correct existing file IF ( FNAME .EQ.' ') GO TO 200
C Read in the canal file
OPEN ( 9, FILE=FNAME, STATUS='OLD')
READ ( 9,9100 ) NND, NNI, ( FIRST(K), $K=1,6$ )
IF ( NND .EQ. ND .AND. NNI .EQ. NI ) GO TO 5
WRITE ( $*, 1003$ ) NND, ND, NNI, NI, ( FIRST(K), K=1,6 )
CLOSE (9)
GO TO 500
$5 \operatorname{READ}(9,9010)$ ( CHLSS (K), CMIND (K), K=1,ND )
READ ( 9,9010 ) ( CMINI $(\mathrm{K}), \mathrm{K}=1, \mathrm{NI})$
CLOSE (9)
CT5=1
WRITE ( *,1004)
READ ( ${ }^{, 9001 \text { ) ANS }}$
IF ( ANS .EQ. ' $Y$ ' OR. ANS .EQ. ' $y$ ' ) GO TO 200
GO TO 500
C Display irrigation canal minimum flows
200 WRTE ( *,2000)
WRITE ( *,2001) ( $\mathrm{K}-1, \operatorname{NNAME}(\operatorname{NIRR}(\mathrm{~K})), \operatorname{CMINI}(\mathrm{K}), \mathrm{K}=2, \mathrm{NI})$
WRITE (*,2002)
READ ( *,9002) KX
IF (KX .LE. 0) GO TO 300
C Corrections are necessary
DO $220 \mathrm{KTIME}=1, \mathrm{KX}$
WRITE ( *,2003) KTIME
READ (*,9002) K
WRITE ( *,2004 ) NNAME(NIRR(K+1))
220 READ ( *,9003) CMINI $(K+1)$
GO TO 200
C Display diversion canal minimum flows and channel losses
300 WRITE ( $*, 3000$ )
WRITE ( *,3001 ) ( K-1, NNAME(NDIV(1,K)), NNAME(NDIV(2,K)),
1 CMIND (K), CHLSS(K)*100, K=2,ND )
WRITE ( *,3002)
READ ( *,9002) KX
IF ( KX .LE. 0 ) GO TO 400
C Corrections are necessary
DO 350 KTIME=1,KX
WRITE ( *,3003) KTIME
READ (*,9002) K
WRITE ( *,3004) K
READ (*,9002) ICODE
C Corrections to channel losses or to minimum flows?
GO TO ( 320,310 ) ICODE
GO TO 300
C Correct channel losses
310 WRITE ( *,3005 ) NNAME(NDIV(1,K+1)), NNAME(NDIV(2,K+1)) READ ( *,9003) CHLSS(K+1) GO TO 350
C Correct diversion minimum flows
320 WRITE ( *,2004) NNAME(NDIV(1,K+1))

```
        READ (*,9003) CMIND(K+1)
350
    CONTINUE
    GO TO 300
C Allow corrections to be saved
400 WRITE (*,1001)
    READ (*,9001) ANS
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' ) GO TO 415
        GO TO 500
415 WRITE (*,1002) FNAME
    READ (*,9000) DUMMY
    IF (DUMMY .EQ.' ') GO TO }41
        FNAME = DUMMY
416 OPEN ( 10,FILE=FNAME, STATUS='OLD')
    WRITE ( 10,9100) ND, NI, (FIRST(K), K=1,6 )
    WRITE ( 10,9011) ( CHLSS(K), CMIND(K), K=1,ND )
    WRITE ( 10,9012 ) ( CMINI(K), K=1,NI )
    CLOSE (10)
C
5 0 0 ~ C O N T I N U E
C
1000 FORMAT ('What is the name of the file containing diversion canal
    1', 'losses as a percent of flow, and any minimum flow limits f
    2or diversion and irrigation canals?'/ Enter b:FNAME, where b: is
    3the drive and FNAME is the name in 10 or less letterslf you do not
    4 enter a name, you may correct the previously entered file or ente
    5r new data. ')
1001 FORMAT (' Do you wish to save corrections on a diskette? Answer
    1Y to do so. ' )
1002 FORMAT (' Do you wish to store the correct version under the name
    1 ',A12,'?'/ Enter nothing before the retum to keep the same name
    2, otherwise, enter b:FNAME, where b: is the drive and FNAME is a n
    Bame of an existing file in 10 or less'/' letters. ')
1003 FORMAT (' The file lists ',13,' diversion canals and the current
    1configuration lists ',13 / ' the file lists ',}13,', irrigation
    2canals and the current configuration lists ', 13/' The first line o
    3f the file is:'/ 6A12 )
1004 FORMAT ( ' Do you wish to see or correct the values as read? Answ
    1er Y to do so ')
2000 FORMAT ('These are the IRRIGATION canal minimum flow limits:'/
    13X,3HNo.,5X,15HIRRIGATION NODE,8X,20HMINIMUM FLOW IN m3/s, /)
2001 FORMAT ( I6,6X,A12,18X,F8.2 )
2002 FORMAT (' How many values for the minimum flow do you wish to cha
    1nge? Enter an INTEGER value or nothing to continue ')
2003 FORMAT ('What is the number of the line you wish to change the '
    1,13,'st time? ' )
2004 FORMAT ('What is the minimum flow limit for the canal from the n
    lode ',A12,' Enter the value in m3/s ')
3000 FORMAT ('These are the DIVERSION canal minimum flow limits and t
    the channel losses: '/ 3X,3HNo.,8X,9HFROM NODE,5X,7HTO NODE,6X,12HM
    2INIMUM FLOW,4X,12HCHANNEL LOSS/41X,9H1. (m3/s),8X,10H2. PERCENT
    3/)
3001 FORMAT ( I6,6X,A12,3X,A12,4X,F8.2,9X,F8.4 )
```

3002 FORMAT (' How many values do you wish to change? Enter an INTEGE 1R or nothing to continue ')
3003 FORMAT ( ' What is the line number you wish to change the ', 13 ,'st
1 time? Enter an INTEGER ')
3004 FORMAT (' Do you wish to change a value in the first column or in
2 the second for line' $/$ number ', 13, '? Enter 1 or 2 ')
3005 FORMAT (' What is the percentage of flow that is lost in the dive
1rsion canal from '/ $1 \mathrm{X}, \mathrm{A} 15$, , to ', A15,' Enter a decimal number ')
9000 FORMAT (A12)
9001 FORMAT ( A 2 )
9002 FORMAT ( 12 )
9003 FORMAT ( F8.0)
9010 FORMAT (10F8.0)
9011 FORMAT ( F8.4,F8.2,F8.4,F8.2,F8.4,F8.2,F8.4,F8.2,F8.4,F8.2 )
9012 FORMAT ( 10 FB .2 )
9100 FORMAT (214,6A12)
RETURN
END
^Z
SUBROUTINE PERIOD ( JJ, I4, II, IDATE, CT6, KVAR )
C This subroutine determines how many time steps to use after reading the
C starting date. The crop water requirement array is adjusted for
C the correct time steps as are any other preparations relative to
C the starting date that are necessary before writing B:RELEASE.DATA.
C The parts which let the user vary the data by time-step and
c read variations to the diskette are last and optional
COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15)
COMMON/SHP/ NINFLO(30), NLIM(31)
COMMON/NEW/ FLOMIN(30), $\operatorname{FLOMAX}(30)$, $\operatorname{FMX}(14,30), \operatorname{FMN}(14,30)$
COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15)
COMMON/CAP/ TMAX(15), TMIN(15), SUP(25), SLO(25)
COMMONNAR/VLS $(14,25), \operatorname{VMS}(14,25), \operatorname{CIX}(14,20), \operatorname{CIN}(14,20)$,
$1 \operatorname{TMX}(14,15), \operatorname{TMN}(14,15), \operatorname{CDX}(14,15), \operatorname{CDN}(14,15), \operatorname{VL}(14,15)$
COMMON/POW/ H(14,15), C(14,15), STO $(14,15)$
COMMON/RES/ GAMMA $(25,9), \operatorname{DELTA}(25,9), \operatorname{EPSI}(25,9), \operatorname{KIN}(25)$,
$1 \operatorname{DGAMA}(25,9), \operatorname{CLOSS}(44,25)$
COMMON/IRR/ THETA( $6,21,9)$, $\operatorname{OMEGA}(6,21,9), \operatorname{PHI}(6,21,9), \operatorname{ID}(6,21)$,
$1 \operatorname{KIN}(6,21), \operatorname{DTHET}(6,21,9), \operatorname{IC}(21), \operatorname{CWR}(26,21), \operatorname{IID}(14,21)$
COMMON/NOM/ NNAME(40), WREQ(21)
DIMENSION CLOS(5)
INTEGER CT6
CHARACTER * 13 CHAR(8)
CHARACTER * 12 NNAME, WREQ, FNAME, FNAME1
CHARACTER * 2 ANS
CHARACTER * 3 MON(12)
DATA MON / 'OCT','NOV','DEC','JAN','FEB','MAR','APR','MAY','JUN', 1 'JUL','AUG','SEP'/
DATA CHAR/ ' power plant ', ' restriction ', ' diversion ',
1 ', reservoir ', 'power plant ',' irrigation ',
2 ' diversion ', ' reservoir '/
C
C Display the months to ask for current month

```
2 WRITE ( *, 1000) (I, MON(I), \(I=1,12\) )
READ ( *,9001) MONTH
IF ( MONTH .GT. 12 .OR. MONTH .LT. 1) GO TO 2
WRITE (*,1001)
READ ( *,9001) MON4
IF ( MON4 .GT. 4 .OR. MON4 .LT. 1) GO TO 2
C Calculate the number of periods II and the number of quarter-month
\(C\) long periods 14
    II = 15 - MONTH - MON4
    \(14=9-\) MON4
    IDATE \(=4^{*}\) MONTH + MON4-4
    IF ( IDATE .LT. 18 ) GO TO 10
    IF ( IDATE .GE. 27 ) GO TO 5
        \(\|=27\) - IDATE
        \(14=11\)
        GO TO 10
\(5 \quad\) II \(=20-\) MONTH - MON4
    IF ( MONTH .LT. 12 ) GO TO 10
        II = 5 - MON4
        \(14=11\)
C Verify II and 14
10 WRITE (*,1002) II, 14, (II-4 )
    READ (*,9002) ANS
    IF ( ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 2
        CT6 = 1
C Prepare the variation of the constants for the remaining periods in
\(C\) the growing season
    DO \(12 \mathrm{I}=1\), II
        DO \(121 \mathrm{~J}=1, \mathrm{NLM}(1)\)
    \(\operatorname{FMN}(1, J)=\operatorname{FLOMIN}(J) * 0.6588\)
    \(\operatorname{FMX}(1, J)=\operatorname{FLOMAX}(J) * 0.6588\)
    IF ( \(\operatorname{FLOMAX}(J)\).GE. 99999 ) \(\operatorname{FMX}(1, J)=99999\)
        IF (I .LE. 14 ) GO TO 121
    \(\operatorname{FMN}(1, J)=4 * \operatorname{FMN}(1, J)\)
    \(\operatorname{FMX}(1, J)=4\) * \(\operatorname{FMX}(1, J)\)
        CONTINUE
        DO \(122 \mathrm{~J}=1, \mathrm{NDIV}(1,1)\)
            VL( \((1, J)=1.0\)
        DO \(12 \mathrm{~J}=1, \mathrm{NRES}(1)\)
            \(\operatorname{VLS}(1, J)=1.0\)
            \(\operatorname{VMS}(1, J)=1.0\)
        DO \(14 \mathrm{~J}=1\),NPOWER(1)
            DO 14 I=2,II
            \(H(l, J)=H(1, J)\)
            IF ( C( 1, J) .LT. 0 ) GO TO 14
                    \(C(1, J)=C(1, J)\)
                    \(\operatorname{STO}(1, J)=S T O(1, J)\)
        CONTINUE
    DO \(20 \mathrm{~J}=1\),NRES(1)
        CLOSR1 \(=\) CLOSS (MONTH, J)
        CLOSR2 \(=\) CLOSS (MONTH \(+1, \mathrm{~J}\) )
        CLOS(1) \(=\) CLOSS(MONTH \(+2, \mathrm{~J}\) )
```

```
        CLOS(2) = CLOSS(MONTH+3,J)
        CLOS(3) = CLOSS(MONTH+4,J)
        CLOS(4) = CLOSS(MONTH+5,J)
        CLOS(5) = CLOSS(MONTH+6,J)
    DO 22!=1,(5-MON4 )
        CLOSS(l,J) = CLOSR1/4
    DO 23I = (6-MON4 ), 14
        CLOSS(1,J) = CLOSR2/4
    DO 24 I = 1,(II - I4)
        CLOSS(l+14,J) = CLOS(l)
    IF (IDATE .LE. 18 ) CLOSS(|l,J)=CLOSS(II,J)/2
20 CONTNUE
C Do the turbine max and min flows
    DO 30 J=1,NPOWER(1)
        DO 31I=1,I4
            TMX(I,J) = TMAX(J) * 0.6588
            TMN(I,J) = TMIN(J) * 0.6588
        DO 32 I= |4+1,|
            TMX(l,J) = TMAX(J) * 2.6352
            TMN(I,J) = TMIN(J) * 2.6352
    IF (IDATE .GT. 18) GO TO 30
        TMN(II,J)=TMN(|I,J)/2
        TMX(II,J)=TMX(II,J)/2
    30 CONTINUE
    C Check that CWR is as read in and not previously adjusted
    IF ( KVAR .LT. 1) GO TO 415
    WRTTE (*, 1222)
    READ (*, 9001) KVAR
    IF (KVAR .LT. 1) GO TO 70
C Do the irrigation canal capacities
415 DO 40 J=1,NIRR(1)
    DO 41 I=1,14
        CIX(I,J) = CCAPI (J+1) *.6588
    41 CIN(I,J) = CMINI(J+1) * .6588
        DO 42 I= |4+1,|
            CIX(I,J) = CCAPI(J+1) * 2.6352
            CIN}(l,J)=\operatorname{CMINI}(J+1)*2.635
    IF ( IDATE .GT. 18) GO TO 43
        CIN(|,J)=CIN(|,J)/2
        CIX(II,J)=CIX(II,J)/2
    C Determine what irrigation cost curves to use when and start CWR at
    C starting date - ie, CWR(1,j) = CWR(IDATE,I) and so on
    C
C
                    |D(1,j) = the curve number to use for the 1st
                        period in this run
43 IS = IDATE
    IF (IS .GT. 26) IS = IS - 26
    IF ( KVAR .GT. 1) GO TO 45
4 3 5 ~ D O ~ 4 4 ~ I = 1 , 1 4
44 CWR(I,J) = CWR(IS+I-1,J)
    IF ( II .LE. I4 ) GO TO 45
    IF (IDATE .GT. 26 ) GO TO }44
C MAHA season with monthly seasons at the end
```

```
        DO \(442 \mathrm{I}=1, \mathrm{II}-14-1\)
\(442 \operatorname{CWR}(1+14, J)=\operatorname{CWR}\left(1 S+14+\left(4^{\star} \mid\right)-1, J\right)+\operatorname{CWR}\left(I S+14+\left(4^{\star} \mid\right)-2, J\right)+\)
    \(1 \quad \operatorname{CWR}\left(I S+14+\left(4^{\star} \mid\right)-3, J\right)+\operatorname{CWR}(I S+14+(4 * 1)-4, J)\)
        \(\operatorname{CWR}(11, J)=\operatorname{CWR}(25, \mathrm{~J})+\operatorname{CWR}(26, \mathrm{~J})\)
        GO TO 45
C YALA season with monthly seasons at the end
443 DO \(444!=1,11-14\)
\(444 \quad \operatorname{CWR}(1+14, J)=\operatorname{CWR}\left(1 S+14+\left(4^{\star} \mid\right)-1, J\right)+\operatorname{CWR}\left(1 S+14+\left(4^{\star} \mid\right)-2, J\right)+\)
    \(1 \quad \operatorname{CWR}\left(I S+14+\left(4^{*}\right)-3, J\right)+\operatorname{CWR}\left(I S+14+\left(4^{*} \mid\right)-4, J\right)\)
\(C\) Determine what penalty cost to give to irrigation deficits in period I
45 DO \(46 \mathrm{~N}=1, \mathrm{IC}(\mathrm{J})\)
            IF ( ID(N,J) .GE. IS ) GO TO 47
46 CONTINUE
47 DO \(48 \mathrm{I}=1,14\)
            IF (ID(N,J).LT. IS ) \(N=N+1\)
                        \(\operatorname{IID}(\mathrm{I}, \mathrm{J})=\mathrm{N}\)
48
                                    \(I S=I S+1\)
                \(I S=I S+3\)
    DO \(49 \mathrm{l}=(4+1, \mathrm{ll}-1\)
        IF (ID(N,J).LT. IS ) \(N=N+1\)
            \(\operatorname{liD}(1, J)=N\)
                        IS \(=\) IS +4
                        \(\operatorname{IID}(1, J)=\operatorname{IC}(J)\)
40 CONTINUE
    \(K V A R=1\)
C Do the DIVERSION canal capacities
    DO \(50 \mathrm{~J}=1, \operatorname{NDIV}(1,1)\)
        DO \(51 I=1,14\)
            \(\operatorname{CDX}(1, J)=\operatorname{CCAPD}(\mathrm{J}+1)\) * .6588
\(51 \operatorname{CDN}(1, J)=\operatorname{CMIND}(\mathrm{J}+1)\) *. 6588
        DO \(52|=| 4+1\), \(\mid 1\)
            \(\operatorname{CDX}(1, J)=\operatorname{CCAPD}(J+1) * 2.6352\)
\(52 \operatorname{CDN}(1, J)=\operatorname{CMIND}(J+1) * 2.6352\)
    IF (IDATE .GT. 18 ) GO TO 50
        \(\operatorname{CDX}(\|, \mathrm{J})=\operatorname{CDX}(\|, \mathrm{J}) / 2\)
        \(\operatorname{CDN}(\|, J)=\operatorname{CDN}(\|, \mathrm{J}) / 2\)
50 CONTINUE
C Find which constants, if any, vary with time
15 WRITE ( *, 1004 )
    READ ( *,9001) IND
    IF ( IND .LE. 0) GO TO 60
    IF ( IND .EQ. 1) GO TO 80
    WRITE ( \({ }^{*}, 1003\) ) ( \(\left.J, \operatorname{NNAME}(J), J=1, \mathrm{dJ}\right)\)
21 WRITE ( *,1104) CHAR(IND-1)
    READ ( *,9001) INODE
    IF ( INODE .LE. 0 ) GO TO 15
    GO TO ( \(80,200,250,300,400,500,600,700,100\) ) IND
C No more changes required
    GO TO 60
C Calculate the difference in reservoir storage volumes in one period
C
                                vs another
100 DO \(199 \mathrm{~J} 1=1\),NRES(1)
```

```
        J = \1
    IF ( INODE .GE. 99) GO TO 130
    DO 125 J=1,NRES(1)
        IF (NRES(J+1) .EQ. INODE ) GO TO 130
125 CONTINUE
C No RESERVOIR was found at the node requested, try again
    WRITE ( *,1007 ) CHAR(IND-1), NNAME(INODE), INODE
        GO TO 21
130 WRITE ( *,1020 ) NNAME(NRES(J+1))
    WRITE ( *, 1008 ) ( I, SUP(J) * VMS(I,J), I=1,II )
    WRITE ( *, 1008) (I, SLO(J) * VLS(I,J), l=1,|I )
    WRITE (*,1024)
    READ ( *,9001) ITIMES
    IF ( ITIMES .LE. 0 ) GO TO 135
    DO 123 I=1,ITIMES
        RED1 = 0.0
        RED2 = 0.0
        WRITE ( *,1006 ) I
        READ (*,9001) |IR
        WRITE (*,1021) IIR
        READ (*,9003) RED1
        WRITE (*,1022)
        READ (*,9003) RED2
        VMS((IIR),J) = 1 + RED1
123 VLS((IIR),J) = 1 + RED2
    GO TO 130
135 IF ( INODE .LT. 99 ) GO TO 21
199 CONTINUE
    GO TO 15
C Calculate the difference in power generated in one period vs another
200 DO 299 J1=1,NPOWER(1)
                        J = J1
    IF (INODE .GE. 99) GO TO 230
    DO 205 J=1,NPOWER(1)
        IF ( NPOWER(J+1) .EQ. INODE ) GO TO 230
205 CONTINUE
C No POWER PLANT was found at the node requested, try again
    WRITE ( *,1007 ) CHAR(IND-1), NNAME(INODE), INODE
        GO TO 21
C H(i,j) = 9.777 kN/m3 * eff. * constant head / 3600 s/hr
C It gives energy production in GW-hr. when QTB(i,) is in Mm3
C When the head is not constant, the energy calculated is corrected by
C multiplying a factor C(i,j) by the difference between the average
C storage level during the time step and a reference level, STO(i,i)
C These energy production constants may vary during the season.
230 WRITE ( *,1030) NNAME(NPOWER(J+1))
    WRITE ( *,1332 ) (I, H(l,J), C(l,J), STO(l,J), I =1,|l )
    WRITE (*,1036 )
    READ (*,9001) TIMES
        IF ( TIMES .LE. 0 ) GO TO 290
            DO 233 l=1,TTMMES
            WRITE ( *,1031) 14
```

```
    READ (*,9001) IX
    WRITE ( *,1032 ) IX
    READ (*,9003) DUMMY
    IF (DUMMY .GT. 0) H(IX,J) = DUMMY
        IF ( C(IX,J) .LE. 0) GO TO 233
            WRITE (*,1033) IX
            READ (*,9003) DUMMY
            IF ( DUMMY .GT. 0) C(IX,J) = DUMMY
            WRITE (*,1034) IX
            READ (*,9003) DUMMY
            IF ( DUMMY .GT. 0) STO(IX,J) = DUMMY
                CONTINUE
                GO TO 230
2 9 9 ~ C O N T I N U E ~
    GO TO 15
C Vary the flow release restrictions
250 DO 259 J1=1,NLM(1)-1
            J= J1
    IF (INODE .GE. 99 ) GO TO 260
    DO 255 J=1,NLM(1)-1
        IF ( NLIM(J+1) .EQ. INODE ) GO TO 260
255 CONTINUE
C No FLOW RESTRICTIONS were found at the node requested, try again
    WRITE ( *,1007 ) CHAR(IND-1), NNAME(INODE), INODE
    GO TO 21
260 WRTE (*,1250) NNAME(NLM(J+1)), (I, FMN(I, ) ), I, FMX(I,J),
    1
    WRITE (*,1253)
    READ (*,9001) ICHOIX
    GO TO ( 270, 280) 1CHOIX
    IF (INODE .LT. 99) GO TO 21
    GO TO 259
C There are differences in the minimum allowed flows
270 WRITE (*,1015)
    READ (*,9001) IX
    WRTTE (*,1251) IX
    READ ( *,9003) FMN(IX,J)
        GO TO 260
C There are differences in the maximum allowed flows
280 WRITE (*,1015)
    READ (*,9001) IX
    WRITE (*,1252) IX
    READ (*,9003) FMX(IX,J)
        GO TO 260
259 CONTINUE
    GO TO 15
C Calculate the difference in diversion canal transportation losses from
C one period to another
300 DO 399 J1=1,NDIV(1,1)
            J = J1
    IF ( INODE .GE. 99 ) GO TO 330
```

```
    DO 305 J=1,NDIV(1,1)
        IF ( NDIV(1,J+1).EQ. INODE ) GO TO 330
305 CONTINUE
C No DIVERSION was found at the node requested, try again
    WRITE ( *,1007 ) CHAR(IND-1), NNAME(INODE), INODE
        GO TO 21
330 J2 = NDIV(2,J+1)
    WRITE (*,1040) NNAME(NDIV(1,J+1)), NNAME(J2)
    WRITE (*,1008) (I, CHLSS(J+1) * VL(I,J) * 100, I=1,II )
    WRITE (*,1036)
    READ (*,9001) TIMES
    IF ( ITIMES .LE. 0 ) GO TO 335
    DO 343 I=1,TMMES
        WRTTE (*,1041) I
        READ (*,9001) IIR
        WRITE (*,1042) IIR
        READ (*,9003) RED
343 VL((|R),J) = 1 + RED
    GO TO 330
335 IF (INODE .LT. 99) GO TO 21
399 CONTINUE
    GO TO 15
C Read the same variations as last time with the first period removed.
80 WRITE (*,1051)
    READ (*,9005 ) FNAME
            OPEN (9,FILE=FNAME,STATUS='OLD' )
            READ (9,8000) MTHOLD, MN4OLD, IOLD, I4OLD
            WRITE (*,1052) FNAME, MN4OLD, MON(MTHOLD), IIOLD, I4OLD
            READ (*,9001) ICHOIX
                    GO TO ( 80, 89) ICHOIX
            READ (9,8001) ( (H(l,J),C(l,J),STO(l,J),TMN(1,J),TMX(l,J),
                I=1,|OLD), J=1,NPOWER(1) )
            READ (9,8002) ( (VLS(1,J), VMS(1,\), CLOSS(1,J),
                I=1,|OLD), J=1,NRES(1) )
            READ (9,8002) ( (CIX(I,J),CIN(1,J), I=1,IIOLD), J=1,NIRR(1) )
            READ (9,8002) ((FMX(I,J),FMN(I,J), I=1,IIOLD), J=1,NLM(1)-1)
            READ (9,8002) ( (CDX(I,J),CDN(I,J),VL(I,J),I=1,|OLD),
    1
                                    J=1,NDIV(1,1))
    CLOSE (9)
C Advance the values by one time step
C This cannot be done the first quarter-month of a new month
    WRITE (*,1053)
    READ (*,9002) ANS
    IF ( ANS .EQ. 'Y' .OR. ANS .EQ. 'y' .OR. MON4 .LE. 1) GO TO }1
    DO }85!=1,1
        DO }82\textrm{J}=1,\mathrm{ NPOWER(1)
            TMN(l,J) = TMN (l+1,J)
            TMX(l,J) = TMX (I+1,J)
            DO }83\textrm{J}=1,NRES(1
            VLS(l,J) = VLS(l+1,J)
            VMS(l,J) = VMS(I+1,J)
            DO }84\textrm{J}=1,N/RR(1
```

```
        \(\mathrm{CIX}(1, \mathrm{~J})=\mathrm{CIX}(1+1, \mathrm{~J})\)
        \(\operatorname{CiN}(1, J)=\operatorname{CiN}(1+1, J)\)
        DO \(85 \mathrm{~J}=1, \mathrm{NDV}(1,1)\)
        \(\operatorname{CDX}(1, \mathrm{~J})=\operatorname{CDX}(1+1, \mathrm{~J})\)
        \(\operatorname{CDN}(1, J)=\operatorname{CDN}(1+1, J)\)
    CLOSE (9)
    WRTE ( *, 1050)
        GO TO 15
400 DO \(499 \mathrm{~J}=1\), NRES(1)
            \(\mathrm{J}=\mathrm{J} 1\)
    IF ( INODE .GE. 99) GO TO 430
    DO \(405 \mathrm{~J}=1\),NRES(1)
        IF ( NRES(J+1) .EQ. INODE ) GO TO 430
405 CONTINUE
C No RESERVOIR was found at the node requested, try again
    WRITE ( *,1007 ) CHAR(IND-1), NNAME(INODE), INODE
        GO TO 21
430 WRITE ( *,1082 ) NNAME(NRES(J+1)), (I, CLOSS(I,J), I=1,II)
    WRITE (*,1083)
    READ ( *,9002) ANS
    IF ( ANS .EQ. ' \(\gamma\) ' .OR. ANS .EQ. ' \(y^{\prime}\) ) GO TO 440
    IF ( INODE .GE. 99) GO TO 499
    GO TO 21
C There are differences in the evaporation and infiltration loss
C coefficient
440 WRTE ( \(*\),1015)
    READ ( \(*, 0001\) ) IX
    WRTTE ( *, 1086) IX
    READ ( *,9003) CLOSS(IX,J)
        GO TO 430
499 CONTINUE
        GO TO 15
C Vary the turbine release restrictions
500 DO \(599 \mathrm{~J} 1=1\), NPOWER(1)
            \(\mathrm{J}=\mathrm{J} 1\)
    IF ( INODE .GE. 99) GO TO 530
    DO \(505 \mathrm{~J}=1\), NPOWER(1)
        IF ( NPOWER(J+1) .EQ. INODE ) GO TO 530
505 CONTINUE
C No POWER PLANT was found at the node requested, try again
    WRITE ( *, 1007 ) CHAR(IND-1), NNAME(INODE), INODE
        GO TO 21
530 WRITE ( *,1100 ) NNAME(NPOWER(J+1)), ( I, TMN(I, J), I, TMX(I,J),
    \(1 \quad \mathrm{l}=1, \mathrm{II}\) )
    WRITE ( *, 1103)
    READ ( \(*, 9001\) ) ICHOIX
    GO TO (550, 560) ICHOIX
    IF ( INODE .LT. 99) GO TO 21
    GO TO 599
C There are differences in the minimum turbine flows
550 WRITE (*,1015)
    READ ( \({ }^{*}, 9001\) ) IX
```


## 390 CONTINUE

C According to Yala or Maha season, prepare vector of which anticipated
$C$ irrigation flow will return to system when, where and what percentage
DO $395 \mathrm{~K}=1,14$

$$
K P=\text { IDATE }+K-1
$$

$395 \quad \mathrm{C} 1(\mathrm{~K}, \mathrm{~J})=\mathrm{C} 1(\mathrm{KP}, \mathrm{J})$
IF (IDATE .GT. 26 ) GO TO 450 DO $398 \mathrm{~K}=14+1$; II-1
$K P=$ IDATE $+K-1$
$398 \quad \mathrm{Cl}_{1}(\mathrm{~K}, \mathrm{~J})=(\mathrm{C} 1(\mathrm{KP}, \mathrm{J})+\mathrm{C} 1(\mathrm{KP}+1, \mathrm{~J})+\mathrm{C} 1(\mathrm{KP}+2, \mathrm{~J})+\mathrm{C} 1(\mathrm{KP}+3, \mathrm{~J})) / 4$
$\mathrm{C} 1(\mathrm{II}, \mathrm{J})=(\mathrm{C} 1(25, \mathrm{~J})+\mathrm{C} 1(26, \mathrm{~J})) / 2$ GO TO 500
450 IDATE $=$ IDATE -26
DO $495 \mathrm{~K}=1,14$ $K P=$ IDATE $1+K-1$
$495 \quad \mathrm{C} 1(\mathrm{~K}, \mathrm{~J})=\mathrm{C} 1(\mathrm{KP}, \mathrm{J})$
DO $498 \mathrm{~K}=14+1$, 11
$K P=$ IDATE $1+K-1$
$\mathrm{C} 1(\mathrm{~K}, \mathrm{~J})=(\mathrm{C} 1(\mathrm{KP}, \mathrm{J})+\mathrm{C} 1(\mathrm{KP}+1, \mathrm{~J})+\mathrm{C} 1(\mathrm{KP}+2, \mathrm{~J})+\mathrm{C} 1(\mathrm{KP}+3, \mathrm{~J})) / 4$
$498 \quad$ C1(K, J) $=$
550 CLOSE (9)
C
1000 FORMAT (' What is the name of the file which contains the informa 1tion on the irrigation return flows?'/ 'Enter b:FNAME, where 2 b : is the name of the drive and FNAME the name in 10 or// less le 3tters. If you enter nothing you may amend values already there., 4 )
1001 FORMAT (' Do you wish to save the updated version? Answer Y to d 10 so ')
1002 FORMAT (' Do you wish to save under the same name,',A12 ${ }^{\prime}$ Enter b 1:FNAME, where $b$ : is the drive and FNAME the name in 10 or less let 2ters or nothing to use the same name. ')
1003 FORMAT (' The file has ',13,' occurences of retum flow and the f 1irst line of the file is '/ 6A12/ ' Do you wish to continue readin Zg this file? Answer N to retum to the last menu ')
2000 FORMAT (' This table shows the source and destination of irrigati
1on return flows:' /4H No.,15X,10HIRRIGATION,15X,6HDRAI
2NS,12X,8HTIME LAG/22X,4HFROM,20X,2HTO,8X,18H( quarter-months ))
2001 FORMAT ( $15,15 \mathrm{X}, \mathrm{A12,5X}, \mathrm{~A} 12,15 \mathrm{X}, 13$ )
2002 FORMAT (' How many values would you like to change? Enter an INT
1EGER. Correct values may be saved later ')
2006 FORMAT ('Enter the code for the error:'/ 10X,' 1 - correction of
1 existing value'/ 10X,' 2 - deletion of an entire line'/ 10X,' 3 -
2 addition of a node which has return flows to another node'/
3' Enter an INTEGER. ')
2007 FORMAT ('How many do you wish to add? Enter an INTEGER value ')
2008 FORMAT ( 'What is the INTEGER to the left of the additional node
1, number ', 13, ', whose irrigation turnouts will return to ano
2ther node in the system? ' )
2009 FORMAT (' What is the INTEGER to the left of the node which rece
lives the return flow from this node ')
2099 FORMAT (' How many quarter-months later does the irrigation flow

WRITE ( *, 1101) IX
READ ( ${ }^{*}, 9003$ ) TMN(IX, J)
GO TO 530
C There are differences in the maximum turbine flows
560 WRITE ( $*, 1015$ )
READ ( *,9001) IX
WRITE (*,1102) IX
READ ( *,9003) TMX (IX, J)
GO TO 530
599 CONTINUE GO TO 21
600 DO $699 \mathrm{~J} 1=1, \operatorname{NIRR}(1)$

$$
\mathrm{J}=\mathrm{J} 1
$$

IF ( INODE .GE. 99 ) GO TO 625
DO $605 \mathrm{~J}=1, \mathrm{NIRR}(1)$ IF ( NIRR(J+1) .EQ. INODE ) GO TO 625
605 CONTINUE
C No IRRIGATION was found at the node requested, try again
WRITE ( *, 1007 ) CHAR(IND-1), NNAME(INODE), INODE GO TO 21
625 WRITE ( *,1200) WREQ(J+1), (I, CIN(I,J), I, CIX $(1, J)$,
$1 \quad I=1, I I)$
WRITE ( *, 1203)
READ ( *,9001) ICHOIX
GO TO ( 650,660 ) ICHOIX
IF ( INODE .LT. 99 ) GO TO 21
GO TO 699
C There are differences in the minimum canal flows
650 WRTE (*,1015)
READ ( *,9001) IX
WRITE ( *,1201) IX
READ ( $*, 9003$ ) $\mathrm{CIN}(\mathrm{IX}, \mathrm{J})$
GO TO 625
C There are differences in the maximum CANAL flows
660 WRITE (*,1015)
READ ( $*, 9001$ ) IX
WRTE ( *,1202) IX
READ ( *,9003) CIX(IX,J) GO TO 625
699 CONTINUE
GO TO 21
700 DO $799 \mathrm{~J}=1$, NDIV $(1,1)$

$$
J=J 1
$$

IF ( INODE .GE. 99 ) GO TO 725
DO $705 \mathrm{~J}=1, \mathrm{NDIV}(1,1)$ IF ( NDIV( $1, \mathrm{~J}+1$ ) .EQ. INODE ) GO TO 725
705 CONTINUE
C No DIVERSION was found at the node requested, try again WRITE ( *,1007 ) CHAR(IND-1), NNAME(INODE), INODE GO TO 21
725 WRITE (*,1300) $\operatorname{NNAME(NDIV(1,J+1)),\operatorname {NNAME}(\operatorname {NDIV}(2,J+1))~}$
WRITE ( *,1301) ( $1, \operatorname{CDN}(l, J), I, \operatorname{CDX}(l, J), l=1, I I)$

WRITE (*,1302)
READ ( *, 9001) ICHOIX
GO TO ( 750,760 ) ICHOIX
IF ( INODE .LT. 99) GO TO 21
GO TO 799
C There are differences in the minimum canal flows
750 WRITE (*,1015)
READ (*,9001) IX
WRITE (*,1201) DX
READ ( *,9003) CDN(IX,J)
GO TO 725
C There are differences in the maximum canal flows
760 WRITE ( ${ }^{*}, 1015$ )
READ (*,9001) IX
WRITE (*,1202) DX
READ (*,9003) CDX (IX,J)
GO TO 725
799 CONTINUE
GO TO 21
C Give the opportunity to save these variations for the run next week
60 WRTE ( *,1005)
READ ( $*, 9002$ ) ANS
IF ( ANS .EQ. ' $Y$ ' .OR. ANS .EQ. ' $y$ ' ) GO TO 420 GO TO 70
420 WRITE ( *, 1400) FNAME
READ ( *,9005) FNAME1
IF ( FNAME1 .EQ. ' ') GO TO 475
FNAME=FNAME1
475 OPEN (9,FILE=FNAME,STATUS='OLD')
WRITE $(9,8000)$ MONTH, MON4, II, 14
WRITE $(9,8001)$ ( $(\mathrm{H}(1, J), \mathrm{C}(1, J), \operatorname{STO}(1, J), \operatorname{TMN}(1, J), \operatorname{TMX}(1, J)$,
1
WRITE $(9,8002)$ ( $\operatorname{VLS}(1, J)$, VMS $(1, J)$, CLOSS $(1, J)$,
1
$l=1, I I), J=1, N R E S(1))$
WRITE (9,8002) ( (CIX(l, J), $\operatorname{CIN}(l, J), I=1, I I), J=1, \operatorname{NIRR}(1))$
WRITE $(9,8002)$ ( $(\operatorname{FMX}(1, J), \operatorname{FMN}(I, J), I=1, I I), J=1, \operatorname{NLIM}(1)-1)$
WRITE $(9,8002)$ ( (CDX $(1, J), \operatorname{CDN}(1, J), \mathrm{VL}(1, J), \mathrm{I}=1, \mathrm{II})$,
1

$$
J=1, \operatorname{NDIV}(1,1))
$$

CLOSE (9)
70 CONTINUE
C
1000 FORMAT ( $15, A 5,15, A 5,15, A 5,15, A 5,15, A 5,15, A 5 / 15, A 5,15, A 5,15, A 5,15$, $1 A 5,15, A 5,15, A 5 /{ }^{\prime}$ What is the INTEGER to the left of the current mo 2 nth, i.e. the month from which the optimal operation modelling occ 3urs? ')
1001 FORMAT (' If the starting date is within the first quarter-month
1 , enter 1,2 if before the first half month, 3 if before the thr
2ee-quarter month and 4 if in the last quarter month. ')
1002 FORMAT (' The current run has ',13,' periods - ',l3,' quarter-mon 1thly and ', 13, ' monthly - before the end of the current growing $s$ 2eason. In the Maha season, the last month period is a half-month I 3ong'f If the number of periods is not correct, answer $\mathrm{N}^{\prime}$ )

1003 FORMAT ( $13,5 \mathrm{X}, \mathrm{A} 12,13,5 \mathrm{X}, \mathrm{A} 12,13,5 \mathrm{X}, \mathrm{A} 12, \mid 3,5 \mathrm{X}, \mathrm{A} 12$ )
1004 FORMAT (' Do any of the sytem constants CHANGE from now to the en 1d of the growing season?' $/$ Answer 1 to read the variations stored 2 on the diskette from last time'/ 8X,'2 to review the power produc 3tion $\mathrm{v} / \mathrm{s}$ storage curves'/ $8 \mathrm{X}, 3$ to reveiw the restrictions on flow 4 releases'/ 8 X , ' 4 to review the diversion canal losses over t 4he growing season'/ 8 X, '5 to review the reservoir losses'/ 8 X, '6 t 50 review turbine max. and min. flows'/ $8 \mathrm{X}, ' 7$ to review the irrigat 6ion canal max. and min. flows'/ 8X,'8 to review the diversion cana 71 max. and $\min$. flows'/ $8 \mathrm{X}, ' 9$ to review the reservoir max. or min. 9 storage levels'/ $8 \mathrm{X}, \mathrm{\prime} 0$ or nothing if no changes are required ' )
1005 FORMAT (' Do you wish to save the time varying constants for next 2 time? Answer Y to do so' )
1007 FORMAT ( ' There was no ',A13,' found at the node ',A12,' the numb 1er ',13)
1015 FORMAT ('What is the INTEGER to the left of the time step you wo 1uld like to change? ')
1020 FORMAT (' These are the minimum and maximum storage volumes allow 1ed in the reservoir '/ 1X,A12,' during the season: ')
1006 FORMAT ('What is the INTEGER to the left of the value requiring 1the ', 13 , ' revision? ' )
1021 FORMAT ('By how much percent will the storage levels increase or 2 decrease in the ', 13 ,'th'/' time step? Answer in decimals inclu 3ding a minus sign for reductions, giving'/ the variation for the 4MAXIMUM storage volume if any.' $/$ If you answer 0 or nothing, the 5 limit will remain unchanged. ')
1022 FORMAT (' Give the variation of the MINIMUM permissable storage $v$ 1olume in decimals in-' $/$ cluding a minus sign for reductions. ')
1023 FORMAT (' No reservoir was found at the point ',A12,' Please chec 1 k that you have entered the INTEGER correctly, or enter 0 to retu 2 m to the main menu.' )
1008 FORMAT ( I5,F10.1,5X,I5,F10.1,5X,I5,F10.1,5X,I5,F10.1)
1024 FORMAT (' How many of the storage volume boumds would you like to 1 revise? ')
1030 FORMAT (' These are the power production constants at the ', A12, 1' power plant:' $/$ ' PERIOD', $13 \mathrm{X}, 1 \mathrm{HH}, 13 \mathrm{X}, 1 \mathrm{HC}, 8 \mathrm{X}, 10 \mathrm{HSTO}$ in Mm3 )
1031 FORMAT (' In what time step do any of the constants differ from t 1hose shown?' $/$ The ',l3,'th time step is the last a quarter-month 2long. Answer an INTEGER number. ')
1032 FORMAT(' What should the constant head factor, $H$, be during the ' 1,13 ,'th time step?' If no change is required, answer nothing befor zore the RETURN ')
1332 FORMAT ( $15,3 \mathrm{X}, \mathrm{F} 14.4, \mathrm{~F} 14.6, \mathrm{~F} 14.1$ )
1033 FORMAT (' What should the corrector multiplier, C, be during the' 1,14 ,th time step?' $/$ if no change is required, answer nothing befor 2ore the RETURN ')
1034 FORMAT ('What should the reference storage, STo, be during the ' 1,14 ,'th time step?'/' If no change is required, answer nothing bef 2ore the RETURN ')
1035 FORMAT (' No power plant was found at the point ',A12,' Please ch leck you have entered the INTEGER correctly, or enter 0 to return 2to the main menu.' )

1036 FORMAT (' How many need to be revised? Answer an INTEGER number $1^{\prime}$ )
1040 FORMAT ('These are the transport losses ( $\%$ of flow) which will 1 be applied to the diver-sion canal from ',A12,' to ',A12 )
1042 FORMAT (' By how much percent will the canal transport losses be 2greater or less in the '/l3,'th time step? Answer in decimals inc 3luding a minus sign for decreased'r losses. ')
1041 FORMAT (' In what time step, identified by the INTEGER to the lef 1 t , do the canal losses differ the ', 13 ,'th time? ')
1043 FORMAT (' No diversion canal was found at the point ',A12,' Pleas 1e check you have'/ entered the INTEGER correctly, or enter 0 to $r$ 2eturn to the main menu.' )
1050 FORMAT (' The values were advanced one time step ')
1051 FORMAT (' What is the drive and the name of the file which has th 1 e values from last time? Enter b:FNAME where b : specifies the driv $2 e$ and FNAME the name of the file in 10 or less letters ')
1052 FORMAT ('The file, ',A12,' stores data for the ',13,' quarter-mo 1nth of ',A5,'. There are ',I3,' periods, ',I3,' of them quarter 2 months. Is this the file whose variations you want to use this $t$ 3ime?'/' Enter 1 to change the file'/ 6X,' 2 to return to the last 4 menu without reading this file'/ $3 X$ ', any other INTEGER or nothing 5 to continue reading the values in this file. ')
1053 FORMAT (' Do you want to use the variation values as read in, tha 1t is, you have the same starting date, or do you wish to advance 2the variation values one quarter-month period? Answer Y to use th 3e values as read, without advancing. ')
1082 FORMAT ('These are the reservoir losses in mm/period until the e Ind of the season at the '/ 1X,A12,' reservoir.'/ I7,F6.0,17,F6.0,I 27,F6.0,17,F6.0,I7,F6.0,17,F6.0,/ I7,F6.0,17,F6.0,17,F6.0,I7,F6.0,I 37,F6.0,17,F6.0/ I7,F6.0,17,F6.0)
1083 FORMAT (' Do you wish to amend any value? Answer $Y$ to correct th 1e figures. ')
1086 FORMAT (' What is the reservoir loss coefficient in mm during the 1 duration of the ', 13, 'th'r' period? ')
1100 FORMAT (' These are the minimum and maximum turbinable flows in $M$ $1 \mathrm{CM} /$ period (quarter-month and month ) until the end of the season 2at the ',A12,' power plant.'/ $13, F 7.1,13, F 7.1,13, F 7.1,13, F 7.1,13$,
3F7.1,I3,F7.1,I3,F7.1,I3,F7.1/ I3,F7.1,I3,F7.1,I3,F7.1,I3,F7.1,I3,F
47.1,I3,F7.1,I3,F7.1,I3,F7.1/ I3,F7.1,I3,F7.1,I3,F7.1,|3,F7.1,I3,F7
5.1,|3,F7.1,I3,F7.1,13,F7.1/ I3,F7.1,l3,F7.1,|3,F7.1,I3,F7.1)

1103 FORMAT (' Do you wish to amend any value due to plant maintenance
1 or repairs?'/ Enter 2 to change a maximum flow'/ $7 X$, ' 1 to chan 2ge a minimum flow'/ $3 X$,' or 0 to continue with these values. ')
1101 FORMAT (' What is the minimum turbinable flow in MCM/period (mon
1th or quarter-month ) during the ', I3,'th period? ' )
1102 FORMAT ('What is the maximum turbinable flow in MCM/period (mon th or quarter-month ) during the ', I3,'th period? ' )
1104 FORMAT (' What is the number for the specific ',A13,' you wish to 1 review?'f Enter 99 if you wish to see the values for every node 2or one INTEGER'/ If you enter 0 or nothing you will return to th Be main menu ')
1200 FORMAT (' These are the minimum and maximum canal capacities'/' i
in MCM/period(quarter-month and month) until the end of the season 2for the '/ $1 \mathrm{X}, \mathrm{A} 6$, ' district.' / $13, \mathrm{~F} 7.1,13, \mathrm{~F} 7.1,13, \mathrm{~F} .1,13, \mathrm{F7} .1$, 313,F7.1,13,F7.1,13,F7.1,13,F7.1/ I3,F7.1,13,F7.1,13,F7.1,13,F7.1,I 43,F7.1,13,F7.1,13,F7.1,13,F7.1/ I3,F7.1,13,F7.1,13,F7.1,13,F7.1,13 5,F7.1,13,F7.1,13,F7.1,13,F7.1/ I3,F7.1,13,F7.1,13,F7.1,13,F7.1 )
1203 FORMAT (' Do you wish to amend any value due to seasonal higher I 1osses?'/ Enter 2 to change a maximum channel capacity'/ 6 X , ' 1 2to change a minimum'/ 4 X ,'or 0 to continue with these values. ' )
1201 FORMAT (' What is the minimum capacity flow in MCM/period (month 1or quarter-month) during the ', 13 ,'th period? ' )
1202 FORMAT (' What is the maximum capacity flow in MCM/period (month 1or quarter-month) during the ', 13 ,'th period? ' )
1222 FORMAT ( ' The crop water requirements have been adjusted to start 1 at the previous startingdate. Enter a number to continue with th 2e values for that date'/' or nothing to re-adjust the crop water r 3equirement data'/' ( You must re enter the crop water requirements 4 and the date anew '/' before adjusting them to a new starting dat 5e)! ')
1250 FORMAT (' These are the minimum and maximum flow restrictions in $1 \mathrm{MCM} /$ period (quarter-monthand month) until the end of the season at 2 the node ', $\mathrm{A} 12 / 3(4(13, F 7.2,13, F 7.1)), 2(13, F 7.2,13, F 7.1)$ )
1251 FORMAT (' What is the minimum allowed flow in MCM/period (month 1or quarter-month ) duringthe ', 13 ,'th period? ' )
1252 FORMAT ( ' What is the maximum allowed flow in MCM/period ( month 1or quarter-month ) duringthe ', 13 ,'th period? ' )
1253 FORMAT (' Do you wish to amend any value due to seasonal differen 1ces?'/ Enter 2 to change a maximum flow'/ $7 X$, ' 1 to change a min 2imum flow'/ $3 X$,' or 0 to continue with these values. ')
1300 FORMAT ( ' These are the minimum and maximum canal capacities in $M$ 1CM/period( quarter-month and month ) until the end of the season f 2or the diversion from ',A12 ' to ',A12 )
1301 FORMAT ( I3,F7.1,13,F7.1,13,F7.1,13,F7.1,13,F7.1,13,F7.1,13,F7.1,I 13,F7.1/ I3,F7.1,13,F7.1,13,F7.1,13,F7.1,13,F7.1,13,F7.1,13,F7.1,13 2,F7.1/ I3,F7.1,13,F7.1,13,F7.1,13,F7.1, I3,F7.1,13,F7.1,13,F7.1,I 33,F7.1/ I3,F7.1,13,F7.1,13,F7.1,13,F7.1)
1302 FORMAT (' Do you wish to amend any value due to seasonal higher I 7osses?'/ Enter 2 to change a maximum channel capacity'/ $7 X, 1$ to 8 change a minimum'/ $3 X$,' or 0 to continue with these values. ')
1400 FORMAT (' Do you wish to save the updated version under the same 1filename, ',A15,' Enter b:FNAME where $b$ : is the drive and FNAME is 2 the new name or enter nothing to keep the same name. ')
8000 FORMAT ( 414 )
8001 FORMAT ( $2(1 X, F 7.4, F 9.6,3 F 8.1)$ )
8002 FORMAT (8F10.2)
9001 FORMAT ( 12 )
9002 FORMAT (A2)
9003 FORMAT (F8.0)
9004 FORMAT (2F4.0)
9005 FORMAT (A12)
RETURN
END
^z

SUBROUTINE DINFLO ( 14, II, NN, CT7 )
c $\quad 14=$ number of time steps of a quarter month in the current run
c II = total number of time steps in the current run
c $\mathrm{NN}=$ total number of nodes
c $\mathrm{CT} 7=$ integer code ( 1 or 0 ) indicating entry of inflow data is
c complete
c This subroutine enters the predicted inflows for all local inflow
c nodes for every time step. Values may be corrected but not saved.
COMMON/SHP/ NINFLO(30), NLM $(31), \operatorname{NTRB}(2,10), \operatorname{NRF}(3,10), \mathrm{C} 1(26,10)$
COMMON/INF/ FLOW $(26,40)$
COMMON/NOM/ NNAME(40), WREQ(21), EVAP(25), INFLOW(30)
INTEGER CT7
CHARACTER * 12 NAME1, NNAME, WREQ, EVAP, FNAME, INFLOW,
1 FIRST(6)
CHARACTER * 2 ANS
C
WRITE (*,1000) 14, II
READ ( *,9000) FNAME
IF ( FNAME .EQ. ' ') GO TO 300
C Read in the INFLOW file, checking for the right place and number
c of time periods.
OPEN ( 9, FILE=FNAME, STATUS='OLD')
READ ( 9,9100 ) NNF, ( $\operatorname{FIRST}(M), M=1,6)$
IF (NINFLO(1) .EQ. NNF ) GO TO 102
WRITE ( $*, 2002$ ) NINFLO(1), NNF, (FIRST(M), M=1,6)
CT7 $=0$
GO TO 999
102 DO $105 \mathrm{~N}=1, \mathrm{NNF}$
READ ( 9,9102 ) FNAME, 141 , 111
$\mathrm{NP} 1=\mathrm{N}+1$ IF ( FNAME .NE. INFLOW(NP1)) GO TO 199 IF ( I41 .NE. 14 ) GO TO 198 IF ( II1 .NE. II ) GO TO 197
105
READ ( 9,9101 ) ( $\operatorname{FLOW}(1, N I N F L O(N P 1)), I=1, I I)$
$C T 7=1$
CLOSE (9)
GO TO 300
C The total number of periods on the datafile is not the same as
C calculated in DPERIOD
197 WRITE ( *,2003) INFLOW(NP1), III, II
$\mathrm{CT7}=0$
GO TO 999
C The number of quarter-month periods on the datafile is not the same
$C$ as calculated in DPERIOD
198 WRITE ( *,2004) INFLOW(NP1), 141, 14 CT7 $=0$
GO TO 999
C The names of the local inflow basins in the datafile don't match the
$C$ names given in the system configuration.
199 WRITE ( *,2005) INFLOW(NP1), N, FNAME
CT7 $=0$

GO TO 999
C Display the local inflow data and ask for corrections, by screen
300 NBEG $=1$
NTMES $=\mathrm{NN} / 8+1$
DO 220 L=1,NTIMES
301 WRITE ( *,3000) ( $1, I=1, I I$ )
NEND $=7+$ NBEG
IF ( NEND .GT. NN ) NEND = NN
DO 200 N=NBEG, NEND
C For every node N , list the local inflows the program will use
200 WRITE ( *,3001) N, NNAME(N), ( FLOW (l,N), l=1,11 )
WRITE ( *,3002)
READ (*,9002) KX
IF (KX .LE. 0 ) GO TO 215
C Corrections need to be made
DO $210 \mathrm{~K} 1=1, \mathrm{KX}$
WRITE ( $*, 3003$ ) K1
READ ( *,9002) NX
WRITE ( *,3004 ) NNAME(NX)
READ ( *,9002) IX
WRITE ( *,3005 ) NNAME(NX), IX
210 READ ( *,9003) FLOW(IX,NX)
GO TO 301
215 NBEG $=$ NEND +1
220 CONTINUE
C
1000 FORMAT ( ' What is the name of the file you have prepared of 2the local drainage to the'/' nodes listed in the configuration fil $3 e$ ? The predicted inflows must have ',13' quarter-month periods 4at the beginning and ', 13 ,' periods in all'/' Enter b:FNAME, where 5 b : is the drive and FNAME is the name in 10 or less letterslf you 6 only wish to review the inflows already entered, enter nothing be 7fore' $/$ RETURN ' )
2002 FORMAT (' The current configuration lists ',13,' nodes for which 1local inflow files have beenprepared. The datafile lists ', 13 ,' a $2 s$ the number of nodes. The first line of the datafile is '/ $8 X$, $36 A 12$ )
2003 FORMAT (' The node with the inflow name ',A6,' lists ',l3,' numbe ir of periods and not ',l3 )
2004 FORMAT (' The node with the inflow name ',A6,' lists ',I3,' quart 1er-month long periods and not ', 13 )
2005 FORMAT ( 'The node with the inflow name ',A6,', is the ',I3'th n lode with significant local inflow in the configuration. However, 2 the name ',A6,' appears on the datafile. Please check the spelli 3ng, the order in the file, or the file. ')
3000 FORMAT ( $30 X, 37 \mathrm{HLOCAL}$ INFLOW (MCM) IN THE TIME STEP/
$13 X, 3 H N o ., 3 X, 9 H N O D E$ NAME, 11X, $11,7 X, 11,7 X, 11,7 X, 11,7 X, 11,7 X$, 211,7X,11/T20,7X,11,7X,11,6X,12,6X,I2,6X,12,6X,12,6X,12/ )
3001 FORMAT ( $15,2 \mathrm{X}, \mathrm{A} 15,2 \mathrm{X}, 7 \mathrm{~F} 8.2 / 20 \mathrm{X}, 7 \mathrm{~F} 8.2$ )
3002 FORMAT (' How many values would you like to correct? Enter an IN 1TEGER number ')
3003 FORMAT (' What is the NUMBER of the ',I3,'st node which you would

1 like to correct? ')
3004 FORMAT ('Enter the time step NUMBER above the incorrect inflow v 1alue for the node ', A12,1H )
3005 FORMAT (' Enter the correct local inflow for the node ',A12, ' du
1 ring the time step ', $13,1 \mathrm{H}$ )
9000 FORMAT (A12)
9001 FORMAT (A2)
9002 FORMAT ( 15 )
9003 FORMAT (F10.0)
9100 FORMAT (1X,I3,6A12)
9101 FORMAT ( $1 \mathrm{X}, 12 \mathrm{~F} 6.0$ )
9102 FORMAT ( $1 \mathrm{X}, \mathrm{A}, 214$ )
999 CLOSE (9)
RETURN
END
へZ
SUBROUTINE RETQR ( NN, I4, II, IRT, IDATE )
c $\mathrm{NN}=$ total number of nodes
C $\quad 14=$ number of time steps of a quarter month in the current run
c II = total number of time steps in the current run
c NNN = number of instances of retum flow
c IDATE $=$ the order that the first quarter month of the current run is
c in the season
c
C This subroutine calculates the extra inflow due to return flow from
C a) already delivered irrigation flows
C b) anticipated irrigation flows
COMMON/SHP/ NINFLO(30), NLM $(31), \operatorname{NTRB}(2,10), \operatorname{NRF}(3,10), \mathrm{C} 1(26,10)$
COMMON/INF/ FLOW $(26,40)$
COMMON/NOM/ NNAME(40)
CHARACTER * 12 NNAME, FNAME, NAME1, FIRST(6)
CHARACTER * 2 ANS
C Read in the data file of flows whence, whither, when and what quantity
1 WRITE ( *,1000)
READ ( $*, 9000$ ) FNAME
IF ( FNAME .EQ.' ') GO TO 3
OPEN ( 9, FILE=FNAME, STATUS='OLD')
READ ( 9,9002 ) IRT, ( $\operatorname{FIRST}(N), N=1,6)$
WRITE ( *, 1003) IRT, ( $\operatorname{FIRST}(\mathrm{N}), \mathrm{N}=1,6$ )
READ (*,9001) ANS
IF (ANS .EQ. 'N' .OR. ANS .EQ. 'n' ) GO TO 550
READ (9,9010) ( $\operatorname{NRF}(1, K), \operatorname{NRF}(2, K), \operatorname{NRF}(3, K), K=1, \operatorname{IRT})$
READ ( 9,9011 ) ( ( C1 $(1, K), I=1,26), K=1, I R T)$
CLOSE (9)
C Display and correct
3 WRITE ( ${ }^{*}, 2000$ )
WRITE ( *, 2001 ) ( K, NNAME(NRF(1,K)), NNAME(NRF(2,K)), NRF(3,K), 1
$K=1, I R T$ )
331 WRITE ( *,2002)
READ ( *,9002) NX
IF (NX .LE. 0) GO TO 340
C Additions, deletions or corrections are required to the irrigation

C district flows
WRITE ( *,2006 )
READ ( *,9002) ICH
GO TO ( $333,322,311$ ) ICH
GO TO 331
C Add more Turnouts which have retum flows
311 WRITE (*,2007)
READ ( *,9002) NX
IF ( NX LE. 0) GO TO 3
WRITE ( ${ }^{*}, 9004$ ) ( N, NNAME( N$), \mathrm{N}=1, \mathrm{NN}$ )
DO $312 \mathrm{~N}=1$, NX
WRITE ( *,2008) N
READ ( *,9002) NRF(1,IRT+N)
WRITE ( *,2009)
READ ( *,9002) NRF (2,IRT+N)
WRITE ( *, 2099 ) NNAME(NRF(1,IRT+N)), NNAME(NRF(2,IRT+N))
312
READ ( *,9002) NRF(3,IRT + N)
$\operatorname{IRT}=\operatorname{IRT}+\mathrm{NX}$ GO TO 3
C Deletions
322 WRITE ( *,2011)
READ ( *,9002) NX IF (NX .LE. 0) GO TO 3 DO $324 \mathrm{~N}=1, \mathrm{NX}$

WRITE ( *,2012) N
READ ( *,9002) KX
DO $324 M=K X, I R T$
$\mid P 1=1+M$
$\operatorname{NRF}(3, M)=\operatorname{NRF}(3, I P 1)$
$\operatorname{NRF}(2, M)=\operatorname{NRF}(2, I P 1)$
324
$\operatorname{NRF}(1, \mathrm{M})=\operatorname{NRF}(1, \operatorname{IP} 1)$
IRT $=$ IRT -1
GO TO 3
C Corrections
333 WRITE (*,2020)
READ ( *,9002) NX
IF (NX .LE. 0) GO TO 3
DO $339 \mathrm{~N}=1, \mathrm{NX}$
WRITE ( *,2021)
READ ( *,9002) ICH
WRITE ( *,2022)
READ (*,9002) KX
GO TO ( $334,335,337$ ) ICH
GO TO 3
C Node of turnout number wrong
334 WRITE ( *,9004) (N, NNAME(N), N=1,NN )
WRITE ( *,2023 ) KX, NNAME(NRF(2,KX))
READ ( *,9002) NRF (1,KX)
GO TO 339
C Node of return wrong
335 WRITE ( *,9004) ( N, NNAME(N), N=1,NN )
WRITE ( *,2024 ) KX, NNAME(NRF(1,KX))

READ ( *,9002 ) NRF(2,KX)
GO TO 339
C Lag-time of retum flow wrong
337 WRITE ( $*, 2029$ ) $\operatorname{NNAME(NRF(1,KX)),~} \operatorname{NNAME(NRF(2,KX)),KX~}$ READ ( *, 9002 ) NRF( $3, \mathrm{KX}$ )
339 CONTINUE
GO TO 3
C Display percentages for each node for all quarter-months
C Vary with the time period if necessary
340 DO $360 \mathrm{~J}=1$,IRT
345 WRTTE ( *,3000 ) NNAME(NRF(1,J)), NNAME(NRF(2,J))
CALL TABLE (J, IDATE )
WRITE ( ${ }^{*}, 2020$ )
READ ( *,9002) NX
IF ( NX .LE. 0) GO TO 360
$C$ Percentage of irrigation wrong
DO $350 \mathrm{~N}=1, \mathrm{NX}$
WRTE ( $*, 3001$ ) N
READ ( ${ }^{*}, 9002$ ) IX
WRITE ( $*, 3002$ ) IX
350 READ ( *,9003) C1 (XX, J)
GO TO 345
360 CONTINUE
C write updates to disk
WRITE (*,1001)
READ ( ${ }^{*}, 9001$ ) ANS
IF ( ANS .EQ. ' $\gamma$ ' .OR. ANS .EQ. ' $y$ ' ) GO TO 365 GO TO 380
365 WRITE ( *,1002) FNAME
READ ( *,9000) NAME1
IF ( NAME1 .EQ.' ') GO TO 375
FNAME $=$ NAME1
375 OPEN ( $10, \mathrm{FILE}=$ FNAME, STATUS='OLD')
WRITE ( 10,9002 ) IRT, ( FIRST ( $К$ ) $, K=1,6$ )
WRITE ( 10,9010 ) ( $\operatorname{NRF}(1, K), \operatorname{NRF}(2, K), \operatorname{NRF}(3, K), K=1, I R T)$
WRITE ( 10,9011 ) ( ( C1 (l, K $), \mathrm{I}=1,26$ ), $K=1$, IRT )
CLOSE ( 10 )
C Ask for the actual quantity of previous irrigation, calculate what C will therfore return, and add to local inflow amount in array
380 DO $500 \mathrm{~J}=1$,IRT
C1LAST $=\mathrm{C}_{1}(1, \mathrm{~J})$
DO $390 \mathrm{~K}=1, \mathrm{NRF}(3, \mathrm{~J})$
$K P=\operatorname{NRF}(3, N)+1-K$
IFD = IDATE $-K$
IF ( IFD .GT. 0) GO TO 385
WRITE ( *,4001 ) NNAME(NRF(1,J)), NNAME(NRF(2,J)), K, C1LAST
READ ( *,9003) C1 (IFD,J)
C1LAST $=$ C1 (IFD, J)
IF ( C1 (IFD,J) .LE. 0) GO TO 390
385 WRITE ( *,4000 ) NNAME(NRF(1,J)), NNAME(NRF(2,J)), K
READ ( *,9003) QR
$\operatorname{FLOW}(\mathrm{KP}, \operatorname{NRF}(2, \mathrm{~J}))=\mathrm{FLOW}(\mathrm{KP}, \mathrm{NRF}(2, \mathrm{~J}))+\mathrm{C} 1(\mathrm{IFD}, \mathrm{J}) * \mathrm{QR}$

1from ',A12,' reach ',A12,'? Enter an INTEGER value ')
2011 FORMAT (' How many do you wish to delete? Enter an INTEGER value 1')
2012 FORMAT (' What is the INTEGER of the ', 3 ,'th line you wish to de 1lete? ')
2020 FORMAT (' How many do you wish to correct? Enter an INTEGER valu 1e. ')
2021 FORMAT (' What do you wish to change?' / Enter 1 - change the n lode of the irrigation turnout'/ $7 X, 2$ - change the node to where 2they return'/ $7 X, 3$ - change the time lag ')
2022 FORMAT ('What is the number of the line you wish to change? Ent ier the INTEGER to the left of the line. ')
2023 FORMAT (' What is the INTEGER of the node in line ',I3,' of the ttable whose irrigation turnouts will return to ${ }^{\prime}, \mathrm{A} 12,1 \mathrm{X}$ )
2024 FORMAT (' What is the INTEGER of the node in line ',I3,' to whi 1ch some of the irrigation tumout of the node ',A12,' does flow 2? ')
2029 FORMAT ( ' How many quarter-months later does a percentage of the 1irrigation flows from the node ',A12,' reach the node ',A12,' of I 2ine ',I3,' of the table?'r Enter an INTEGER number ' )
3000 FORMAT ('This table shows the percentage of the irrigation flows 1 delivered from the node ',A12,' which will eventually reach the $n$ 2ode ',A12,'. Note that the percentage may vary from one quarter 3-month to the next' )
3001 FORMAT (' What is the INTEGER for the quarter-month above the ',I 13,'st percentage you wish to correct? ')
3002 FORMAT ( ' What is the correct percentage for the ',I3,' quarter-m 1onth? Enter in decimals ')
4000 FORMAT (' What was the actual irrigation DELIVERY from ',A12,' ( 1some of which will drain to ',A12,') that occured ', 13, ' quarter2months ago? ')
4001 FORMAT (' What is the PERCENTAGE of the actual irrigation deliver
$1 y$ from ',A12"' ( some of which will drain to ',A12,') that occured
2 ',13,' quarter-months ago?',' The last percentage was ',F6.3,' En
3ter a decimal number ')
9000 FORMAT (A12)
9001 FORMAT ( A2 )
9002 FORMAT ( $15,6 A 12$ )
9003 FORMAT (F10.0)
9004 FORMAT ( $15,2 \mathrm{X}, \mathrm{A} 12,15,2 \mathrm{X}, \mathrm{A} 12,15,2 \mathrm{X}, \mathrm{A} 12,15,2 \mathrm{X}, \mathrm{A} 12$ )
9010 FORMAT ( 2014 )
9011 FORMAT (8F10.3)
200 CONTINUE RETURN
END
C
SUBROUTINE TABLE ( J, IDATE )
COMMON/SHP/ NINFLO(30), $\operatorname{NTRB}(2,10), \operatorname{NRF}(3,10), C 1(26,10)$
$C$ This subroutine displays the proper heading and spacing according
$C$ to the season Yala or Maha
IF (IDATE .GT. 26 ) GO TO 405
C Display Maha season table

WRITE ( *,3009) (I, I=1,12 ), ( C1 (I, J), I = 1, 12 ),
( $I, I=13,24),(C 1(l, J), I=13,24)$
WRITE ( *,3099) C1(25,J), C1(26,J)
GO TO 500
C Display Yala season table
405 WRITE ( *,4009) ( $1,1=1,10$ ), ( $C 1(1, J), I=1,10)$,
1
( $I, I=11,22),(C 1(I, J), I=11,22)$
C
500 CONTINUE
C
3009 FORMAT ( 12X,3HOCT,23X,5H NOV,22X,5H DEC/ 1X,14,3l6,4X,416,4X, 14I6/4F6.3,4X,4F6.3,4X,4F6.3/12X,3HJAN,23X,5H FEB,22X,5H MAR/ $11 \mathrm{X}, 14,316,4 \mathrm{X}, 416,4 \mathrm{X}, 416 / 4 \mathrm{~F} 6.3,4 \mathrm{X}, 4 \mathrm{~F} 6.3,4 \mathrm{X}, 4 \mathrm{~F} 6.3$ )
3099 FORMAT ( 12X,3HAPR/ 3X,2H25,3X,2H26/ 2F6.3)
4009 FORMAT ( $12 \mathrm{X}, 3 \mathrm{HAPR}, 23 \mathrm{X}, 5 \mathrm{H}$ MAY,22X,5H JUN/ 12X, $14,16,4 \mathrm{X}, 416,4 \mathrm{X}$, 14I6/12X,2F6.3,4X,4F6.3,4X,4F6.3/ 12X, 3HJUL,23X,5H AUG,22X,3HSEP/ 11X, $14,316,4 \mathrm{X}, 416,4 \mathrm{X}, 4 \mathrm{I} 6 / 4 \mathrm{~F} 6.3,4 \mathrm{X}, 4 \mathrm{~F} 6.3,4 \mathrm{X}, 4 \mathrm{~F} 6.3$ )
RETURN
END
^Z
SUBROUTINE DWRITE ( NN, II, I4, NNN, MINPOW )
c $\mathrm{NN}=$ total number of nodes
c II = total number of time steps in the current run
c $\quad 14=$ number of time steps of a quarter month in the current run
c MINPOW = integer code for the variation of the formulation desired
C ( 0 - allow large fluctuations
C $\quad 1$ - meet minimum energy targets each time step
c $\quad 2$ - limit the fluctuation to a maximum value
c $\quad 3$ - minimize the fluctuations with objective function)
c
C This subroutine writes the B:Release datafile, calling on other $C$ subroutines as reeded. A vector of nodes which release downstream $C$ flows to the node numbered one higher is created, as is a vector of C power plants with those that turbine flows which are diverted before the $C$ power plants which are not at diversion nodes or which turbine the flowsC delivered downstream to the node numbered one higher.
c The constraints and variables specific to:
C reservoir storage are written first,
C then those for the power plants,
C thirdly, those for irrigation
c fourthly those for downstream and tributary flows
C fifthly those variables defining diverted flows
C lastly those involved in energy production levels.
c There are subroutines to write the power, reservoir, and irrigation variables and constraints, and general subroutines defining format lines c

COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15)
COMMON/SHP/ NINFLO(30), NLM (31), NTRB $(2,10), \operatorname{NRF}(3,10), \mathrm{C} 1(10,10)$
COMMON/NEW/ FLOMIN(30), FLOMAX(30), FMX(14,30), FMN(14,30)
COMMON/CAN/ CCAPI(21), CCAPD(15), CMINI(21), CMIND(15), CHLSS(15)
COMMON/CAP/ TMAX(15), TMIN(15), SUP(25), SLO(25)
COMMON NAR/ VLS $(14,25)$, VMS $(14,25), \mathrm{CIX}(14,20), \operatorname{CIN}(14,20)$,

1
$\operatorname{TMX}(14,15), \operatorname{TMN}(14,15), \operatorname{CDX}(14,15), \operatorname{CDN}(14,15), \mathrm{VL}(14,15)$
COMMON/STG/STO(40), ST12(40), APOW(14), ERHS(14)
COMMON/POW/ H $(14,15), \mathrm{C}(14,15)$, STO $(14,15)$
COMMON/RES/ GAMMA(25,9), DELTA(25,9), EPSI(25,9), KIN(25),
$1 \operatorname{DGAMA}(25,9), \operatorname{CLOSS}(14,25)$
COMMON/IRR/ THETA( $6,21,9)$, OMEGA $(6,21,9), \operatorname{PHI}(6,21,9), \operatorname{ID}(6,21)$,
$1 \operatorname{KINI}(6,21), \operatorname{DTHET}(6,21,9), \operatorname{IC}(21), \operatorname{CWR}(26,21), \operatorname{IID}(14,21)$
COMMON/NF/ FLOW $(26,40)$
COMMON/RSC/ RO1, RO2, RO3(40), RO4
COMMON/NOM/ NNAME(40)
DIMENSION N1(15), K1(15), NSPIL(40), FLOWN(14), NPOW(15)
CHARACTER * 250 LF
CHARACTER * 75 DOT1
CHARACTER * 60 DOT2
CHARACTER * 45 DOT3
CHARACTER * 31 DOT4
CHARACTER * 17 DOT5
CHARACTER * 4 DOT6
CHARACTER * 20 RHS, LE, GE, EQ
CHARACTER * 16 UPB, LOW
CHARACTER * 12 NNAME
CHARACTER * 7 HDOT, ST, CNT, IFM(4), QT, QS, QD, POW, PDF, EN, EP
CHARACTER * 4 HN
CHARACTER * 2 ANS
DATA RHS $/$ ( 2 H .,6H RHS, 1 X, ,'/ EQ/' (3H EQ, 1X,1H.,1X,'/ DATA LE/ ( 3 H LE, $1 \mathrm{X}, 1 \mathrm{H} ., 1 \mathrm{X}, 1 /$ GE/' ( 3 H GE, $1 \mathrm{X}, 1 \mathrm{H}, 1 \mathrm{X}$, '/ DATA HDOT/'( $2 \mathrm{H} ., 1 /$ ST/'4H ST,'/, HN/'1HN,'/, CNT/4H CNT,'/ DATA UPB/'5H UPB ,F7.1,1X,'/, LOW/5H LOW ,F5.1,1X,'/ DATA QT/'4H QTB,'/, PDF/'4H PDF,'/, EN /4H ENG,'/, EP [4H EP,'/ DATA QS/4H QS,'/, QD/'4H QD,'/, POW/4H POW'/, NTIMES/0/ DATA IFM/ 11, ', ' $2, ~ ', ~ 3 H-1, ', ~ 3 H 1, ' /$

DATA DOT1/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$ 1.,2X,1H.,2X,1H. )'/

DATA DOT2 $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$
1.) '/

DATA DOT3/ $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}.)^{\prime} /$
DATA DOT4/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}.)^{\prime} /$
DATA DOT5/' $2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}.)^{\prime} /$ DATA DOT6 ' ) '/
C
C Divide CLOSS $(\mathrm{i}, \mathrm{D})$ in mm by 1000 to have in metres. After
C multiplication by surface area of a reservoir, in km 2 , the volume will
C be in MCM, as desired.
DO 250 I=1, II
DO $250 \mathrm{~J}=1$,NRES(1)
$250 \operatorname{CLOSS}(1, J)=\operatorname{CLOSS}(1, J) / 1000$
C Definition of NSPIL vector where spills and turbine flows
C flow from the point $j$ to the point $j+1$

$$
L=2
$$

```
            \(\mathbb{N}=1\)
    DO \(110 \mathrm{~N}=1, \mathrm{NN}\)
    IF ( NNOSPL(L) .EQ. N ) GO TO 100
            NSPIL(IN) \(=\mathbf{N}\)
                        \(\mathbb{N}=\mathbb{N}+1\)
            GO TO 110
\(100 \quad L=L+1\)
110 CONTINUE
C Find the nodes where there is a diversion and a power plant.
105 DO \(101 \mathrm{~K}=1\),NPOWER(1)+1
101 NPOW \((K)=\operatorname{NPOWER}(K)\)
            \(\amalg=1\)
        DO \(120 \mathrm{~N}=2\), NPOWER(1) +1
            DO \(120 \mathrm{~K}=2, \mathrm{NDIV}(1,1)+1\)
                IF ( NDIV( \(1, \mathrm{~K}\) ) .EQ. NPOWER(N) ) GO TO 115
                    GO TO 120
\(115 \quad \mathrm{~N} 1(L)=\mathrm{N}\)
            \(K 1(\) L) \(=K\)
                    \(L=\amalg+1\)
120 CONTINUE
        IF ( LL .LE. 1) GO TO 200
C Ask where the turbine flows go - downstream
C - or to the diversion
        WRTE (*,1001)
        WRTE (*,1011) (NNAME(NPOWER(N1(L))), NNAME(NDIV(2,K1(L))),
    \(1 \quad L=1, \amalg-1\) )
    WRITE (*,1021)
        READ ( \({ }^{*}, 9002\) ) NTIMES
        IF (NTIMES .LE. 0 ) GO TO 200
C There are NTIMES nodes whose turbine flows go to a diversion. Now
C check that the first NTIMES nodes listed in the NPOWER array are the
C nodes n whose turbine flows go to a diversion.
125 WRITE ( *,1002) (L, NNAME(NPOW(L)), L=2,NPOW(1)+1)
    WRITE ( *,1003) NTIMES
    READ ( *,9002) LX
    IF ( LX .LE. 0 ) GO TO 200
    IF (LX.GT. NPOW(1)+1) GO TO 125
        LX2 \(=\) NPOW (LX)
C Move the node number of the node which does divert its turbine flow
C to the second spot in the NPOWER vector, shifting others to its spot
    DO \(130 \mathrm{~N}=1, \mathrm{LX}-2\)
\(130 \quad\) NPOW (LX-N+1) \(=\) NPOW(LX-N)
    \(\operatorname{NPOW}(2)=L X 2\)
    GO TO 125
C Start to write to b:RELEASE.DATA
200 WRITE ( *,1000)
    READ ( \(*, 9000\) ) ANS
    OPEN ( 8, FILE='B:RELEASE.DAT', STATUS='OLD' )
    WRITE ( 8,2000 )
C Write the lines defining the universal equations - UPB, LOW
C
                                    OBJ, INT
    WRITE ( 8,2001 )
```

WRITE ( 8,2002 )
WRITE ( 8,2003 )
WRITE ( 8,2004 )
C Write variables and equations for points with reservoirs
DO 10 L=2,(NRES(1)+1)
$J=\operatorname{NRES}(\mathrm{L})$
IF ( KNN(L-1) .GT. 1) CAL WRES( J,II,L )
c $J=$ node number of current node
c II = number of time steps in current run
c $L=$ reservoir number of current node
C Write STIPj, storage volume variable, in the UPB, LOW, CNTIPj and
C ( for every i, and every j) CNTi+1Pj constraints
C First the last period only
JL=1
IF (J.GT. 9) JL=2
$\mathrm{IL}=1$
IF (II.GT. 9) IL=2
IF (KN(L-1) .LE. 1) GO TO 3
LF $=\mathrm{HDOT} / / \mathrm{ST} / / \mathrm{FFM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL})$
$1 / / \mathrm{FM}(4) / / \mathrm{UPB} / / \mathrm{LOW} / / 2 \mathrm{R}$ R, $/ / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{FM}(3) / /$
2 '5H OBJ,F8.2'//DOT5
IF (IL .GE. 2 .OR. JL .GE. 2 ) LF = HDOT//ST//IFM(IL)//HN//
1
2
//FM(4)//UPB//LOW// /10X,2H R $/ / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{FM}(3) / /$
' 5 H OBJ ,F8.2,'//DOT5
WRITE ( $8, L \mathcal{L}$ ) II,J, II,J, SUP(L-1), ST12(J), II,J, RO3(J) GO TO 5
C The evaporation and seepage losses are a cste factor * closs * ST
3 IF (KN(L-1).LE. 0 ) GO TO 4
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{ST} / / \mathrm{FFM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL})$
1
IF ( J.GT. 9 .OR. II .GT. 9 ) LF = HDOT//ST//IFM(IL)//HN//

1
2
UPB// / 10X'//LOW/P 5H OBJ ,F8.2,'//DOT4
WRITE ( $8, L \mathrm{~F}) \mathrm{II}, \mathrm{J}, \mathrm{Il}, \mathrm{J},(1+\operatorname{DELTA}(\mathrm{L}-1,1) * \operatorname{CLOSS}(I I, L-1))$,
1 VMS(II,L-1)*SUP(L-1), ST12(J), RO3(J)
GO TO 5
C There are no intervals on the reservoir loss curve, there are no
C losses, the node is likely the sink node the SEA
$4 \quad \mathrm{~F}=\mathrm{HDOT} / / \mathrm{ST} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL})$
$1 / / / \mathrm{FM}(4) / / \mathrm{DOT} 1$
WRITE ( $8, L \mathcal{F}$ ) II,J, II, J
C For all periods but the last
5 DO $10 \quad I=1, I l-1$
$\mathrm{IL}=1$
IF (I .GT. 9) IL=2
$\mathrm{IP}=1$
$12=1+1$
IF (I2.GT. 9) $\operatorname{P}=2$
IF (KIN(L-1) .LE. 1) GO TO 8
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{ST} / / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL})$
$1 / / \mathrm{FM}(4) / / \mathrm{CNT} / / / \mathrm{FM}(\mathrm{IP}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{FFM}(3) / / \mathrm{UPB} / / \mathrm{LOW} / / 2 \mathrm{H}$ R,'// 2 IFM(LL)//HN//IFM(JL)//IFM(3)//DOT5
IF (IL.GE. 2 .OR. JL .GE. 2 ) LF = HDOT//ST//IFM(IL)//HN//

GO TO 10
C The evaporation and seepage losses are a cste factor * closs * ST
8 IF (KN(L-1).LE. 0) GO TO 9
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{ST} / / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL})$
1 // F8.3,'//CNT//IFM(IP)//HN//IFM(JL)//IFM(3)//UPB//LOW//
2 DOT4
IF (IL. .GT. 1. OR. JL .GT. 1 ) $\mathrm{LF}=\mathrm{HDOT} / / \mathrm{ST} / / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / /$
1
2
3 IFM(JL)//CNT//IFM(LL)//HN//IFM(JL) //' F8.3,'//CNT//IFM(IP)//HN//IFM(JL)
//IFM(3)// / 10X,'//UPB//LOW//DOT4
WRTTE ( $8, L F) \quad I, J, I, J,(D E L T A(L-1,1) * C L O S S(1, L-1))+1$,
1
I2,J, VMS $(1, L-1)^{\star} S U P(L-1)$, VLS $(1, L-1)^{\star} S L O(L-1)$
GO TO 10
C There are no intervals on the reservoir loss curve, there are no
C losses, the node is likely the sink node the SEA
$9 \quad \mathrm{LF}=\mathrm{HDOT} / / \mathrm{ST} / / \mathrm{IFM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL})$
$1 / / \mathrm{FPM}(4) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{P}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / / \mathrm{FM}(3) / / \mathrm{DOT} 2$
WRITE ( $8, L F) \quad I, J, I, J, I+1, J$
10 CONTINUE
C Write the ENG variable and the type line for the EPiNn equation for
C the nodes with power plants
DO 16 L=1, NPOWER(1)
$J=\operatorname{NPOWER}(L+1)$
CALL LFTYPE (II, 10, EQ, ' 3 H EP,', J)
c $\quad \|=$ number of time steps in current run
c $\quad 10=$ code for inclusion of node number in constraint name
c $E Q=$ type of constraint, in this case an equality
c ' $3 H E P$;' = the piece of format line which will be used to write the
c constraint name in the data line
c $\quad J=$ node number of the current node
$\mathrm{JL}=1$
IF (J.GT. 9) JL = 2
DO $15 \mathrm{I}=1$, 11
$\mathrm{IL}=1$
IF (I GT. 9) IL = 2
IF ( C(I,L).GT. O ) CALI WPOWER (J, I, II, L )
c $J=$ node number of the current node
c $1=$ number of current time step
c $\|=$ number of time steps in the current run
c $L=$ power plant number in original NPOWER vector of the current node
c
C Write the ENGiNn variable in EP, OBJ, and any other applicable

C constraints - UPB, LOW, POW, etc
IF ( MINPOW .LE. O ) GO TO 216
IF ( MINPOW .LT. 2) GO TO 215
C MINPOW $=2,3$ per period power difference calculated
$\mathrm{IM}=1$
IF ( $\mathrm{I}-1 . \mathrm{GT} .9$ ) $\mathrm{IM}=2$
IF (I GE. II .OR. I .LE. 1) GO TO 221
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{EN} / / \mathrm{FFM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{PDF} / / / \mathrm{FM}(\mathrm{LL}) / / 15$,
$1 / / \mathrm{PDF} / / / \mathrm{FM}(\mathrm{M}) / / \mathrm{FM}(3) / / 5 \mathrm{H}$ OBJ ,F6.2, $/ / \mathrm{EP} / / / \mathrm{FM}(\mathrm{IL})$
$2 / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / / \mathrm{FM}(3) / / \mathrm{DOT} 4$
IF ( 14 . EQ. I) GO TO 220
WRITE ( 8, LF ) I, J, I, $1,1, \mathrm{I}-1$, RO1, $\mathrm{I}, \mathrm{J}$ GO TO 15
220 WRITE (8,LF) I, J, I,4, l-1, RO1, I, J GO TO 15
C First and last periods are in only one difference calculation

```
221 IEQ = 1
    SIGN = 1
    IF ( I .LT. II ) GO TO 214
        IEQ = |l-1
        SIGN =-1
```

$214 \mathrm{LF}=\mathrm{HDOT} / / \mathrm{EN} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{PDF} / / \mathrm{FM}(\mathrm{IM}) / / \mathrm{F} 4.0, \mathrm{D} / / /$
1 ' 5 H OBJ ,F6.2,'//EP//IFM(LL)//HN//IFM(JL)//IFM(3)/DOT3
WRITE ( $8, L \mathrm{LF}$ ) I, J, IEQ,SIGN, RO1, I, J
GO TO 15
C MINPOW $=1$, minimum power per period desired
$215 \mathrm{LF}=\mathrm{HDOT} / / \mathrm{EN} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{POW} / / \mathrm{FM}(\mathrm{LL}) / / / \mathrm{FM}(4) / /$
$1 \quad 5 \mathrm{H}$ OBJ , F6.2,'//EP//FM(IL)//HN//IFM(JL)//IFM(3)//DOT3
WRTE ( $8, L \mathrm{LF}$ ) I, J, I, RO1, I, J
GO TO 15
C MINPOW $=0$, ENG needs to be written in OBJ and EP only
$216 \mathrm{LF}=\mathrm{HDOT} / / \mathrm{EN} / / \mathrm{FM}(\mathrm{LL}) / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / 5 \mathrm{H}$ OBJ ,F6.2, T28,'//EP
$1 / / \mathrm{FFM}(\mathrm{LL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{FM}(3) / / \mathrm{DOT} 2$
WRTE (8,LF) I,J, RO1, I,J
15 CONTINUE
C Once the ENG variable and ST variables for plants with non-constant
C head have been written for every time step, the RHS values for power
C plants with non-constant head will be written to b:RELEASE.DATA
IF ( C(1,L) .GT. 0) CALL LFRHS (II, 0, EP, J, ERHS )
c $\quad \|=$ number of time steps in the current run
c $\quad 0=$ code to write the node number
c EP = character variable of the piece of format line
c used to write
c the beginning of the constraint name
c $\quad J=$ node number of current node to include in the
c constraint name
c ERHS(14) = a vector of the constant values of the RHS of the
c constraints for every time step
16 CONTINUE
C Write the variable QTB in CNTiNj, CNTINj+m, UPB, LOW and EPiNn
C constraints, according to whether the turbined flows are diverted
C or go downstream

C First diverted flow:

> DO $20 \mathrm{~L}=1$,NTIMES
> $\mathrm{J}=\mathrm{NPOW}(\mathrm{L}+1)$

C Find LJ , the ordinal number corresponding to the power plant at $J$
C for its datafiles
DO $155 \mathrm{LJ}=1, \mathrm{NPOWER}(1)$
IF ( NPOWER(Lل+1) .EQ. J ) GO TO 160
155 CONTINUE
C No power plant found at that number, redo ordering of NPOW
WRITE (*,1005) J
CLOSE (8)
GO TO 105
$160 \mathrm{JL}=1$
IF (J.GT. 9 ) JL=2
$C$ Find the ordinal value, $K$, in the diversion vector, NDIV, where
C the node, J , where the turbined flows are diverted, is represented DO $17 K=2, \operatorname{NDIV}(1,1)+1$

IF ( $\operatorname{NDIV}(1, K) . E Q . J)$ GO TO 19
17 CONTINUE
C No diversion found at the power plant node WRITE (*,1004) NNAME(J)
CLOSE (8)
GO TO 105
C The diversion TO node found, the QTB variable for the power plants
c on diversions will be written for all its constraints
$19 \quad J D=\operatorname{NDIV}(2, K)$
$J P=1$
IF (JD.GT. 9) JP=2
DO $21 \mathrm{l}=1$,II
$\mathrm{IL}=1$
IF (I.GT. 9) IL=2
IF ( TMX (l, لL) .GT. CDX $(1, \mathrm{~K}-1))$ TMX $(1, \mathrm{~L} \mathrm{~J})=\operatorname{CDX}(\mathrm{l}, \mathrm{K}-1)$
IF ( TMN( $1, \mathrm{~L}$ ) .LT. CDN $(1, K-1)$ ) $\operatorname{TMN}(1, \mathrm{~L})=\operatorname{CDN}(1, K-1)$
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{QT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{IFM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL})$
$1 \quad / / 3 \mathrm{H} 1, ' / / \mathrm{CNT} / / \mathrm{IFM}(\mathrm{IL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JP}) / / \mathrm{F} 7.3, ' / / \mathrm{UPB} / /$
2 '/10X',//LOW//T35,'//EP//FM(IL)//HN//IFM(JL)//F7.4,'
3 //DOT5
WRTE ( $8, L F) \quad I, J, I, J, I, J D, V L(I, K) * C H L S S(K)-1, T M X(1, L J)$,
1 TMN(I,LJ), I,J,H(I,Lل)
21 CONTINUE
C Remove the node just written from the diversion vectors $\operatorname{DiV}(1, n)$, $\operatorname{DIV}(2, n)$
DO 195 L2 $=$ K, NDIV $(1,1)+1$
$\operatorname{NDIV}(1, \mathrm{~L} 2)=\operatorname{NDIV}(1, L 2+1)$
$\operatorname{NDIV}(2, L 2)=\operatorname{NDIV}(2, L 2+1)$
CHLSS(L2) $=$ CHLSS(L2+1)
DO 195 I $=1,11$
$\operatorname{CDN}(1, L 2-1)=\operatorname{CDN}(1, L 2)$
$195 \quad \operatorname{CDX}(1, L 2-1)=\operatorname{CDX}(1, \mathrm{~L})$
$\mathrm{VL}(1, \mathrm{~L}-1)=\mathrm{VL}(1, \mathrm{~L} 2)$
$\operatorname{NDIV}(1,1)=\operatorname{NDIV}(1,1)-1$
20 CONTINUE
C Second, downstream flow

```
DO 25 L=NTIMES+2, NPOWER(1)+1
    \(J=N P O W(L)\)
```

C Downstream flow stations send turbined flow to the node numbered one
C higher, or if they are in the NNOSPL vector, the flows arrrive to
C the node listed in the NTRB vector
$\mathrm{JP1}=\mathrm{J}+1$
DO $821 \mathrm{~K}=2, \mathrm{NNOSPL}(1)$
IF (J.EQ. NNOSPL(K) ) GO TO 822
821 CONTINUE
GO TO 830
$C$ The flows from node J were found to NOT flow to the node $\mathrm{J}+1$
822 DO $823 \mathrm{~K}=2$, NTRB $(1,1)$
IF (J.EQ. $\operatorname{NTRB}(1, K)$ ) GO TO 824
823 CONTINUE
C The node J is not on a tributary which flows to another node, write
C an error message to the screen and stop.
WRITE ( *, 1006 ) NNAME(J)
STOP
C The node $J$ is on a tributary which flows to the node $\operatorname{NTRB}(2, K)$
824 JP1 $=\operatorname{NTRB}(2, \mathrm{~K})$
C Find $L$, the ordinal number corresponding to the power plant at $J$
C for its datafiles
830 DO 22 ل 22 1,NPOWER(1) IF (NPOWER( $L$ + 1 ) .EQ. J ) GO TO 24
22 CONTINUE
C No power plant found at that number, redo ordering of NPOW WRITE (*,1005) J
CLOSE (8)
GO TO 105
$24 \mathrm{JL}=1$
IF (J.GT. 9 ) JL=2
$J P=1$
IF (JP1 .GT. 9) JP=2
DO $25 \mathrm{I}=1$, li
IL=1
IF (I.GT. 9) IL=2
LF $=\mathrm{HDOT} / / \mathrm{QT} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL})$
1 //'2H 1,'//CNT//IFM(IL)//HN//IFM(JP)//FM(3)//UPB//LOW//
$2 \mathrm{EP} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{F} 7.4,1 / / \mathrm{DOT} 5$
IF (J.GE. 9 .OR. I .GT. 9 ) LF = HDOT//QT//FM(IL)//HN//
$1 \quad \mathrm{IFM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL})$
2
$/ / 3 \mathrm{H} 1, \cdot / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / /$ IFM(JP)///FM(3)// / 10X,'//UPB//
LOW//EP//IFM(IL)//HN//IFM(JL)
//F7.4,'//DOT5
5 WRITE ( $8, L F)$ I,J, I,J, I,JP1, TMX (I,LJ), TMN(I,Lل), I,J,
1
25 CONTINUE
c
C Write variables and equations of the points with irrigation diversion DO $30 L=2$, NIRR(1) +1
$J=\operatorname{NIRR}(L)$

CALL WIRR ( $J, I I, L, N N N$ )
c $\quad J=$ node number of the current node
c $\|=$ number of times steps in the current run
c $L=$ irragation number of the current node
c NNN = number of instances of irrigation return flow
30 CONTINUE
C Write the CNT variables of natural flow
$39 \mathrm{DO} 40 \mathrm{~L}=1, \mathrm{IN}-1$
$J=\operatorname{NSPILL} L(L)$
$\mathrm{JL}=1$
IF (J.GT. 9) JL=2
$\mathrm{JP}=1$
IF ( $\mathrm{J}+1 . \mathrm{GT} .9$ ) JP $=2$
DO $40 \mathrm{I}=1$, 11
$\mathrm{IL}=1$
IF (I.GT. 9) IL=2
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{QS} / / \mathrm{IFM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL})$
$1 / / \mathrm{FFM}(4) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JP}) / / \mathrm{FM}(3) / / \mathrm{DOT} 2$
40 WRITE ( 8,LF ) I, J, I, J, I, J+1
C Write any upper or lower bounds of QS variables

$$
\text { DO } 45 I=1, \|
$$

$\mathrm{L}=1$
IF ( $1 . \mathrm{GT} .9$ ) $\mathrm{IL}=2$
DO $45 \mathrm{~L}=1$, NLM $(1)-1$
$L P 1=L+1$
$\mathrm{JL}=1$
IF ( NLM (LP1) .GT. 9 ) JL = 2
IF ( FMN(I,L) .GT, O ) GO TO 43
IF ( FMX (I,L) .GT. 99998 ) GO TO 45
C QS has only an upperbound, FMX $(1, L)$
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{QS} / / \mathrm{FM}(\mathrm{LL}) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{UPB} / / \mathrm{DOT} 1$
WRITE ( 8,LF ) I, NLM(LP1), FMX(I,L)
GO TO 45
C QS has a lowerbound and may have an upperbound too
43 IF ( FMX(I,L) LT. 99999) GO TO 44
C QS has only a lowerbound, $\mathrm{FMN}(1, \mathrm{~L})$
LF = HDOT//QS//FM(IL)//HN//IFM(JL)//LOW//DOT1
WRITE ( $8, L \mathcal{F})$ I, NLM (LP1), FMN(I,L)
GO TO 45
C QS has both upper and lower bounds
$44 \quad \mathrm{LF}=\mathrm{HDOT} / / \mathrm{QS} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / L O W / / \mathrm{UPB} / / \mathrm{DOT} 2$
WRITE ( $8, L F) \quad I, N L M(L P 1), F M N(I, L), \quad F M X(I, L)$
45 CONTINUE
C Write the CNT variables of tributary flows
DO $50 L=2, \operatorname{NTRB}(1,1)+1$
$\mathrm{J}=\mathrm{NTRB}(1, \mathrm{~L})$
JL $=1$
IF (J.GT. 9) JL = 2
$J P=1$
IF ( NTRB(2,L) .GT. 9 ) JP = 2
DO 50 I=1, II
$\mathrm{IL}=1$

```
    IF (I .GT. 9) IL = 2
        LF = HDOT//QS//IFM(IL)//HN//IFM(JL)//CNT//IFM(IL)//HN//IFM(JL)
    1//IFM(4)//CNT//FFM(IL)//HN//IFM(JP)//FM(3)//DOT2
50 WRITE ( 8,LF ) I, J, I, J, I, NTRB(2,L)
C Write the CNT variables of DIVERSION flows in an explicit loop,
C necessary because of branching for double diversions from one node
                    L}=
C Start of loop to write a diversion variable for each diversion L
505 IDOUBL = 0
            J=NDIV(1,L)
            LM = L - 1
            LH=L
            JL = 1
    IF (J.GT. 9 ) JL = 2
        JP = 1
    IF (NDIV(2,L).GT. 9 ) JP = 2
        l = 1
C At some nodes there is more than one diversion. If there are two
C unique diversions from the same node, assign Q1D and Q2D as the
C variable name
        DO 51 LL=L+1, NDIV(1,1)+1
        IF ( NDIV(1,山) .NE. J ) GO TO 51
            IDOUBL = 1
                QD = '4H Q1D,'
        GO TO 515
5 1 ~ C O N T I N U E
C Loop to write a diversion variable for each period I
515 IL = 1
    IF (I GT. 9) IL = 2
                IUP = 0
    IF (CDX(I,LM) .GE. 99999) IUP =1
    IF (CDN(I,LM).LE. 0) IUP = IUP + 2
            GO TO (52,54,56) IUP
            LF = HDOT//QD//IFM(IL)//HN//IFM(JL)//CNT//IFM(IL)//HN//IFM(JL)
    1//\FM(4)//CNT//FM(IL)//HN//IFM(JP)//'F7.3,2X,'//UPB
    2 //LOW//DOT4
        IF (I.GT. 9 .OR. J .GT. 9) LF = HDOT//QD//IFM(IL)//HN//
    1
    2
    3
    WRITE (8,LF) l J | J | NDN(2L1),VL(1LM*CHLSS(L1)-1,
    1 CDX(l,LM), CDN(l,LM)
        GO TO 57
52 LF = HDOT//QD//IFM(IL)//HN///FM(JL)//CNT//IFM(IL)//HN///FM(JL)
    1///FM(4)//CNT//FM(IL)//HN//IFM(JP)//FF7.3,2X,'/LOW//DOT3
    WRITE ( 8,LF ) I, J, I, J, I, NDIV(2,L1), VL(I,LM)*CHLSS(L1)-1,
    1
        GO TO 57
54 LF = HDOT//QD//FM(LL)//HN//IFM(JL)//CNT//IFM(IL)//HN//IFM(JL)
    1///FM(4)//CNT//IFM(IL)//HN///FM(JP)//FF7.3,2X,'//UPB//DOT3
    WRITE ( 8,LF ) I, J, I, J, I, NDIV(2,L1), VL(I,LM)*CHLSS(L1)-1,
    1
                                    CDX(1,LM)
```

- GO TO 57
$1 / / / \mathrm{FM}(4) / / \mathrm{CNT} / / \mathrm{FM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JP}) / / \mathrm{F} 7.3,2 \mathrm{X}, \mathrm{\prime} / / \mathrm{DOT} 2$
WRTTE ( 8,LF ) I, J, I, J, I, NDIV(2,L1), VL(I,LM)*CHLSS(L1)-1
$57 \quad I=1+1$
IF ( I LE. II ) GO TO 515
C End of I loop for each period
C If there is a second diversion also write II variables, and delete
$C$ the second diversion from the list
IF (IDOUBL .LE. 0) GO TO 60
IF (IDOUBL .GT. 1) GO TO 58
IDOUBL $=2$
QD = '4H Q2D,'
L1 = Ш
$L M=L 1-1$
$I=1$
$J P=1$
IF ( $\operatorname{NDIV}(2, L) . G T .9) \mathrm{JP}=2$
GO TO 515
C Delete second diversion from the vectors it was in, so it won't be C written again
58 DO $59 L 2=\amalg, \operatorname{NDIV}(1,1)+1$
$\operatorname{NDIV}(1, L 2)=\operatorname{NDIV}(1, L 2+1)$
$\operatorname{NDIV}(2, L 2)=\operatorname{NDIV}(2, L 2+1)$
CHLSS(L2) $=$ CHLSS(L2+1)
DO $59 \mathrm{I}=1$, 11
$\operatorname{CDN}(1,12-1)=\operatorname{CDN}(1, L 2)$
$59 \quad \operatorname{CDX}(1,2-1)=\operatorname{CDX}(1,2)$
$\mathrm{VL}(1, L 2-1)=\mathrm{VL}(1, L 2)$
$Q D=$ '4H QD,'
$\operatorname{NDIV}(1,1)=\operatorname{NDIV}(1,1)-1$
$L=L+1$
IF (L.LE. $\operatorname{NDIV}(1,1)+1)$ GO TO 505
C End of $L$ loop for each diversion in project
C Define CNT and list its RHS constants
DO $300 \mathrm{~N}=1, \mathrm{NN}$
CALL LFTYPE (II, 10, EQ, ' 3HCNT,', N )
c $\quad \|=$ number of time steps in current run
c $\quad 10=$ code for inclusion of node number in constraint name
c $\quad \mathrm{EQ}=$ type of constraint, in this case an equality
c ' 3 HCNT ,' = the piece of format line which will be used to write the
$c \quad$ beginning of the constraint name in the data line
c $\quad N=$ node number of the current node
300 CONTINUE
DO $325 \mathrm{~J}=1$, NN
DO $324!=1$, 11
$324 \quad \operatorname{FLOWN}(1)=\operatorname{FLOW}(1, \mathrm{~J})$
CALL LFRHS (II, O, CNT, J, FLOWN )
c $\quad \|=$ number of time steps in the current run
c $\quad 0=$ code to write the node number
c CNT = character variable of the piece of format line
c used to write the beginning of the constraint name
c $\quad J=$ node number of current node to include in the
c constraint name
c FLOWN(14) $=$ a vector of the constant values of the RHS of the
c constraints for every time step
325 CONTINUE
IF ( MINPOW .LE. 0 ) GO TO 999
C Write the lines for firmpower
IF (MINPOW .GT. 1) GO TO 350
C MINPOW $=1$, CALCULATE TOTAL POWER EACH PERIOD CALL LFTYPE (II, 0, GE, POW, 0)
c $\quad \|=$ number of time steps in current run
c $\quad 0=$ code for a constraint name without a node number
c $\quad \mathrm{GE}=$ type of constraint, in this case greater than or equal
c POW = the piece of format line which will be used to write the
c constraint name in the data line, in a character variable
c $\quad 0=$ no node number needed

> CAL LFRHS ( II, 10, POW, 0, APOW )
c II = number of time steps in the current run
c $\quad 10=$ code not to write the node number in the constraint name
c POW = character variable of the piece of format line
c used to write the beginning of the constraint name
c $\quad 0=$ no node number needed
c APOW $(14)=$ a vector of the constant values of the RHS of the constraints for every time step GO TO 999
C MINPOW $>1$, the difference in power production calculated each period
c the PDFi constraints and the DIFi, PDFPi and PDFMi variables
350 CALL LFTYPE ( II-1, 0, EQ, PDF, 0 )
c $\quad \|-1=$ one less than the number of time steps in current run
c $\quad 0=$ code for a constraint name without a node number
c $\quad E Q=$ type of constraint, in this case an equality
c $\quad$ PDF $=$ the piece of format line which will be used to write the
c constraint name in the data line, in a character variable
c $\quad 0=$ no node number needed
CALI LFTYPE ( II-1, 0, EQ, '3H PP,', 0 )
c $\quad \mathrm{I}-1=$ one less than the number of time steps in current run
c $\quad 0=$ code for a constraint name without a node number
c $\quad E Q=$ type of constraint, in this case an equality
$c^{\prime} 3 H P P, '=$ the piece of format line which will be used to write the
c constraint name in the data line
c $\quad 0=$ no node number needed
DO $360 \mathrm{I}=1, \mathrm{MIN}(9, \|-1)$
WRITE ( 8,3000 ) I, I, I, I, I, I
IF (MINPOW .GT. 2 ) GO TO 355
WRTE $(8,3001)$ I, I, APOW(I)
GO TO 360
c if MINPOW $=3$, DIFi variable has a cost in OBJ
355 WRITE (8,3002) I, I, -RO4
360 CONTINUE
IF ( II-1 .LT. 10) GO TO 999
DO $370 I=10, \|-1$
WRITE $(8,3005)$ I, I, I, I, I, I

IF (MINPOW .GT. 2 ) GO TO 365
WRITE $(8,3006)$ I, I, APOW(I)
GO TO 370
C
if MINPOW $=3$, DIFi variable has a cost in OBJ
365 WRITE ( 8,3007 ) I, I, -RO4
370 CONTINUE
999 WRITE $(8,2005)$
C
1000 FORMAT ('Hit the RETURN when all is set to write the file RELEAS 1E.DATA on drive $\mathrm{b}:$ : )
1001 FORMAT (' Here is a list of power plants in the current configura 1tion which are at nodes with diversions. Where do the turbine fl 2ows go?' $/$ ' Count the number of nodes where the turbine flows are $t$ 3he diverted flows, such as from Polgolla to Bowatenne. ')
1011 FORMAT (' The node ',A12,' diverts to the node ',A12 )
1021 FORMAT (' Enter the NUMBER of power plants whose turbine flows ar 1e diverted to another stream ')
1002 FORMAT (' Here is a list of the power plants in the current confi 1guration:'/ $15,2 \mathrm{X}, \mathrm{A} 12,10 \mathrm{X}, 15,2 \mathrm{Z}, \mathrm{A} 12,10 \mathrm{X}, 15,2 \mathrm{X}, \mathrm{A} 12 / 15,2 \mathrm{X}, \mathrm{A} 12,10 \mathrm{X}$, $215,2 \mathrm{X}, \mathrm{A} 12,10 \mathrm{X}, \mid 5,2 \mathrm{Z}, \mathrm{A1} 2 / 15,2 \mathrm{X}, \mathrm{A} 12,10 \mathrm{X}, 15,2 \mathrm{X}, \mathrm{A1} 2,10 \mathrm{X}, 15,2 \mathrm{X}, \mathrm{A} 12 /$ $315,2 \mathrm{X}, \mathrm{A} 12,10 \mathrm{X}, 15,2 \mathrm{X}, \mathrm{A} 12,10 \mathrm{X}, 15,2 \mathrm{X}, \mathrm{A} 12$ )
1003 FORMAT ( ' The ', 13 ,' power plant(s) which divert all their turbin 1e flow MUST be first in the list. Enter the number to the left 0 if a power plant which needs to be moved to the top of the list. N 3OTE that the numbers are not the node numbers.' / 'En 4 ter 0 or nothing if the list needs no changes. ')
1004 FORMAT ('The power plant at ',A12,' has no diversion listed. PI 1ease correct the list of power plants. '/)
1005 FORMAT ('I was unable to find a power plant ',13,'. Please redo 1 the list of power plants. '/ )
1006 FORMAT ('The current configuration lists no place for the turbin 1ed flows of ',A12 )
2000 FORMAT ( 14 H DATA RELEASE;/23H INPUT _TYPE_ \$ _COL_ \$/9X,50H ROW1 1 \$ _COEF1_ ROW2_ \$ _COEF2_ _ROW3_ \$ _COEF3_/9X,51H_ROW4_ \$ _COEF4

2_ROW5 \$ COEF5 ROW6 \$ COEF6; /7H CARDS; )
 $12 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.
2002 FORMAT ( 8 H INTEGER,2X,1H.,5H $\operatorname{INT}, 2 \mathrm{X}, 1 \mathrm{H} .2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}$, 11H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H. )
2003 FORMAT ( 8H LOWERBD, $2 \mathrm{X}, 1 \mathrm{H}, 5 \mathrm{H}$ LOW, $2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}$, $11 \mathrm{H} .2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.
2004 FORMAT ( 8 H UPPERBD, $2 \mathrm{X}, 1 \mathrm{H} ., 5 \mathrm{H}$ UPB, $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}$, 11H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H. )
2005 FORMAT ( $2 \mathrm{H} ; / 63 \mathrm{HPROC}$ LP SPARSEDATA TIME=1920 $\operatorname{IMAXIT=5000}$
MAXIT1 = 5
$100 \mathrm{MAXIT} 2=500 ; / 2 \mathrm{H} / *$ )
3000 FORMAT ( $2 \mathrm{H} ., 6 \mathrm{H}$ PDFM,11,2X,3HPDF,I1,5H 1 ,2HPP, $11,5 \mathrm{H} 1$,2X,
$11 \mathrm{H} .2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}_{.} / 2 \mathrm{H} .$,
26H PDFP, $11,2 \mathrm{X}, 3 \mathrm{HPDF}, 11,5 \mathrm{H}-1$,2HPP, $11,5 \mathrm{H} 1 \mathrm{i}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}$,
$31 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.

3001 FORMAT ( $2 \mathrm{H} ., 5 \mathrm{H}$ DIF,11,2X,2HPP,11,5H-1 ,3HUPB,F9.3,2X,1H.,2X, 11H. $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.
3002 FORMAT ( $2 \mathrm{H} ., 5 \mathrm{H}$ DIF, $11,2 \mathrm{X}, 2 \mathrm{HPP}, 11,5 \mathrm{H}-1$,3HOBJ,F9.3,2X,1H.,2X, 11H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H. )
3005 FORMAT ( $2 \mathrm{H} ., 6 \mathrm{H}$ PDFM, $2,2 \mathrm{X}, 3 \mathrm{HPDF}, \mathrm{I2,5H} 1$,2HPP,I2,5H 1 ,2X, 11H., $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} . / 2 \mathrm{H} .$, 26H PDFP, $12,2 \mathrm{X}, 3 \mathrm{HPDF}, 12,5 \mathrm{H}-1$,2HPP, $12,5 \mathrm{H} 1$,2X,1H.,2X,1H.,2X, $31 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.
3006 FORMAT ( $2 \mathrm{H} ., 5 \mathrm{H}$ DIF,I2,2X,2HPP,12,5H -1 ,3HUPB,F9.3,2X,1H.,2X, 11H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H. )
3007 FORMAT ( $2 \mathrm{H} ., 5 \mathrm{H}$ DIF,I2,2X,2HPP,I2,5H -1 ,3HOBJ,F9.3,2X,1H.,2X, $\left.11 \mathrm{H}_{\mathrm{I}}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}.\right)$
9000 FORMAT (A2)
9002 FORMAT ( 15 )
9998 format (A250)
9999 format ( 3120 )
RETURN
END
${ }^{\wedge}$ Z
SUBROUTINE WPOWER ( $\mathrm{J}, \mathrm{I}, \mathrm{II}, \mathrm{L}$ )
c $J=$ node number of the current node
c $I=$ number of current time step
c $I I=$ number of time steps in the current run
c $L=$ power plant number in original NPOWER vector of the current node
C
C This subroutine corrects the energy production calculation for nodes
c where the volume stored significantly affects the head, by
c including the ST variable in the EPiNn constraint. Also the RHS
c of the EPiNn equation is calculated and passed to DWRITE
COMMON/SHR/ NPOWER(15), NIRR(21), NRES(25), NNOSPL(20), NDIV(2,15)
COMMON/STG/ STO(40), ST12(40), APOW(14), ERHS(14)
COMMON/POW/ H( 14,15 ), C( 14,15$)$, STO $(14,15)$
CHARACTER * 250 LF
CHARACTER * 75 DOT1
CHARACTER * 60 DOT2
CHARACTER * 10 HDOT
CHARACTER * $7 \mathrm{HN}, \mathrm{HS}, \mathrm{HE}, \mathrm{IFM}(3)$
DATA DOT1/ ' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}$, 11H.,2X,1H.,2X,1H. )'/
DATA DOT2 $2 \mathrm{XX}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$
1.) '/

DATA HDOT/' ( 2 H ., 1X,'/
DATA HN $/ 1 \mathrm{HN}, 1 /$ HS ${ }^{\prime}$ 2HST, $/ /$ HE/ 2HEP, $/$
DATA IFM/ 11, ', $12, \quad$, 1 H 1, '/
C
$\mathrm{JL}=1$
IF (J.GT. 9 ) JL=2
C Determine how many digits are required to write the time step indicator

```
IL = 1
IF (I.GT. 9) IL=2
IF ( I .EQ. | ) GO TO 10
IP=1
```

```
    IF (1.GT. 8) IP = 2
    LF = HDOT//HS//IFM(IL)//HN//IFM(JL)//'2X,'//HE//IFM(IL)//HN//
                |FM(JL)//'2X,F8.6,1X,'//HE//FFM(IP)//HN//IFM(JL)//
                '2X,F8.6,1X,'//DOT2
            WRITE ( 8,LF ) I,J,I,J,C(I,L)/2,I+1,J,C(I+1,L)/2
                GO TO 30
C The last period is one digit
10 LF = HDOT//HS///FM(IL)//HN///FM(JL)//'2X,'//HE//FFM(IL)//HN//
    1 IFM(JL)//'2X,F8.6,'//DOT1
        WRITE ( 8,LF ) I,J, I,J,C(I,L)/2
C Calculation of the ERHS vector
30 CONTINUE
            IF ( I.GT. 1) GO TO 40
        ERHS(l) = C(1,L) * (STO(1,L) - STO(J)/2 )
            GO TO 50
40 ERHS(I) = STO(I,L) * C(I,L)
50 CONTINUE
    RETURN
    END
C
    SUBROUTINE WRES (J, II, L )
c J = node number of current node
c II = number of time steps in current run
c L = reservoir number of current node
C
C This subroutine writes the lines defining the reservoir linearization
c equations, their RHS constants, and the variables which appear in
c them only. It calls on a separate subroutine, LFII, to construct the
c necessary format line according to the number of periods |l, where
C the line or lines are written to b: RELEASE.DATA
        COMMON/SHR/ JPOWER(15), JIRR(21), JRES(25), JNOSPL(20), JDIV(2,15)
    COMMON/RES/ GAMMA(25,9), DELTA(25,9), EPSI(25,9), KIN(25),
    1 DGAMA(25,9), CLOSS(14,25)
    COMMON/CAP/ TMAX(15), TMIN(15), SUP(25), SLO(25)
    COMMON/NAR/ VP(10,12)
C
    CHARACTER * 250 LF
    CHARACTER * 60 DOT2
    CHARACTER * 45 DOT3
    CHARACTER * 20 RHS, LE, GE, EQ
    CHARACTER * 18 DOT5
    CHARACTER * 15 UPB, LOW
    CHARACTER * 10 DOT1, ONE, F6, F10, HDOT
    CHARACTER * 4 HN, HY, HT, HR, HE, HK, IFM(2)
C
    DATA DOT3' 2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H. )'/
    DATA DOT2/ 2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H
    1.) '/
    DATA RHS/' ( 2H .,6H RHS,1X,'/ EQ/' ( 3H EQ, 1X,1H.,1X,'/
    DATA LE ( 3H LE, 1X,1H., \X '%,
    GE/' ( 3H GE, 1X,1H.,1X,'
    DATA DOT5/' 2X,1H.,2X,1H. )'/
    DATA UPB/'4HUPB ,F5.1,2X,'/
```

DATA DOT1/'1X,1H.,1X'/, ONE/'1X,1H1,1X,'/, F10/' F10.4,1X,'/
DATA HDOT/' ( 2 H .,1X,'/
DATA HN/'1HN,'/, HY/'1HY',', HT/'1HT,'/, HE/'1HE,'/, HK/'1HK'/
DATA HR/'1HR,'/, IFM/' 11 ,', ' 12, '/
C
C Calculate the ordinal number, JL of the linearization data for C the reservoir J

$$
L=L-1
$$

IF (KIN(L) .LE. 1 ) GO TO 50 $K=0$
C Write the equations defining the storage interval variables C RiNn and YiNn, and the RHS line of the YiNn equations:

CAL LFII ( J, II, O, EQ, HR, 'NONE', DOT1, 0.0, K)
CALL LFII ( J, II, 0, LE, HY, 'NONE', DOT1, 0.0, K)
CALL LFII ( $J, I I, 0, R H S, ~ H Y, ~ ' N O N E ', ~ O N E, ~ 0.0, ~ K ~) ~$
c $\quad \mathrm{J}=$ node number of current node
c II = number of time steps in current run
c $\quad 0=$ no real numbers after the constraint names needed c EQ, LE or RHS = the starting characters of the format line c HR or HR = character variable of the piece of format which will c be used to write the constraint name c 'NONE' = code not to write linearization interval number
c DOT1, or ONE = character variable which will be written c after each constraint name
c $0.0=$ code to write TYPE lines
c $\quad K=$ interval number, in this case 0
C The equation which define the limits of the storage intervals, YiNnEk
C and guarantee that variables in only one interval appear at a time
DO $10 \mathrm{~K}=1$, KN(Lل)
CALL LFII (J, II, O, GE, HY, HE, DOT1, 0.0, K )
c $J=$ node number of current node
c $\quad \|=$ number of time steps in current run
c $\quad 0=$ no real numbers after the constraint names needed
c $\quad \mathrm{GE}=$ the starting characters of the format line
c
c

HY = character variable of the piece of format which will
be used to write the constraint name
HE = the character variable for the piece of format line
which will write the interval marker
DOT1 = character variable which will be written
after each constraint name
c $\quad 0.0=$ code to write TYPE lines
c $\quad \mathrm{K}=$ interval number
10 CONTINUE
C Now write the variables specific to the linearization of the reservoir c losses.
C There is a separate line for each $I$, and every item in the line is $C$ quite different. Therefore, the LF is built in this program unit $\mathrm{JL}=1$ IF (J.GT. 9 ) JL = 2 DO $20 \mathrm{I}=1, \mathrm{MIN}(9, \mathrm{II})$

LF = HDOT//HY//IFM(1)//HN//IFM(JL)//HK//FM(1)//'2X,'//HY// 1

HN//IFM(JL)//' $3 \mathrm{H} 1,3 \mathrm{HINT}, 3 \mathrm{H} 1$,3HUPB,3H $1,4 \mathrm{H}$ CNT,' $/ / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{F} 8.4,1 / / \mathrm{DOT5}$
WRITE ( $8, L \mathcal{F}$ ) $I, J, 1, l, J, 1$, DGAMA(LJ,1), I,J, I,J, CLOSS(I,LلL)*EPSI( $\mathrm{L}, 1$ )
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HT} / / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{FFM}(1) / /{ }^{2} 2 \mathrm{X}, \cdot / / \mathrm{HR} / /$ IFM(1)//HN//IFM(JL)// $5 \mathrm{H} 1,4 \mathrm{H}$ CNT, $/ / / \mathrm{FFM}(1) / / \mathrm{HN}$ $/ / \mathrm{FFM}(\mathrm{JL}) / / \mathrm{F} 10 / / \mathrm{HY} / / \mathrm{IFM}(1) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FM}(1) / /$ ' $5 \mathrm{H}-1$;//DOT3
WRITE ( $8, L F) I, J, 1, I, J, I, J, \operatorname{DELTA}(L J, 1) * \operatorname{CLOSS}(I, L J), I, J, 1$
DO $20 \mathrm{~K}=2, \mathrm{KNN}$ (Lل)
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HY} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{IFM}(1) / / 2 \mathrm{X}, 1 / / \mathrm{HY} / /$
IFM(1)//HN///FM(JL)//HE//IFM(1)//'F7.1,1X, $/ / \mathrm{HY} / / / \mathrm{FM}(1)$
$/ / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{BH} 1$,3HINT,3H 1 ,3HUPB,3H 1 ,'//HR//
IFM(1)//HN//IFM(JL)//F7.1,1X,3HCNT,'//FM(1)//HN//
IFM(JL)//P8.4 ) '

IF (JL.GE. 2 ) $\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HY} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(2) / / \mathrm{HK} / /$ IFM $(1) / / 2 X^{\prime} / / / \mathrm{HY} / / \mathrm{IFM}(1) / / \mathrm{HN} / / \mathrm{FM}(2)$ $/ / \mathrm{HE} / \mathrm{FFM}(1) / / \mathrm{F}^{2} .1,1 \mathrm{X}, / / / \mathrm{HY} / / \mathrm{IFM}(1) / /$
HN//IFM(2)//' 3H $1 / 10 \mathrm{X}, 3 \mathrm{HINT}, 3 \mathrm{H} 1,3 \mathrm{HUPB}, 3 \mathrm{H} 1$,'//HR// IFM(1)//HN//FM(2)//PF7.1,4H CNT;'// IFM(1)//HN//IFM(2)/PF8.4) '
WRITE ( $8, L \mathcal{F}$ ) I,J,K, I,J,K, DGAMA(LJ,K), I,J,
I,J, GAMMA(LJ,K-1), I,J, CLOSS(I, لL)*EPSI(L,K) LF = HDOT//HT//FM(1)//HN//IFM(JL)//HK//FM(1)//'2X,'//HR// IFM(1)//HN//IFM(JL)// 5H $1,4 \mathrm{H}$ CNT, $/ / / \mathrm{FFM}(1) / / \mathrm{HN}$ $/ / \mathrm{FM}(\mathrm{JL}) / / \mathrm{F} 10 / / \mathrm{HY} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FM}(1) / /$ '5H-1 ://DOT3
20
C When there are more than nine timesteps the format is changed for c the greater index.

IF (II LE. 9 ) GO TO 50
DO $25 I=10,11$
LF = HDOT//HY///FM(2)//HN//FM(JL)//HK//RFM(1)//'2X,'//HY//

IFM(2)//HN//IFM(JL)//HE//IFM(1)//F7.1,1X,'//HY//IFM(2)//

WRITE ( $8, L F)$ ) $1, J, 1,1, J, 1$, DGAMA(LJ,1), $1, J$, $\mathrm{I}, \mathrm{J}, \operatorname{CLOSS}(\mathrm{I}, \mathrm{L}) \star \operatorname{EPSI}(\mathrm{L}, 1)$
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HT} / / / \mathrm{FM}(2) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{IFM}(1) / / 2 \mathrm{X}, / / / \mathrm{HR} / /$
IFM(2)//HN//IFM(JL)//'5H1,4H CNT,'//IFM(2)//HN
$2 \quad / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{F} 10 / / \mathrm{HY} / / \mathrm{IFM}(2) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FFM}(1) / /$
3 ' $5 \mathrm{H}-1,1 / / D O T 3$
WRITE ( $8, L \mathcal{F}$ ) I,J,1, I,J, I,J,DELTA(LJ,1)*CLOSS(I,LلL), I,J,K
DO $25 \mathrm{~K}=2, \mathrm{KIN}(\mathrm{L})$
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HY} / / / \mathrm{FM}(2) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{FFM}(1) / / 2 \mathrm{X}, 1 / / \mathrm{HY} / /$ IFM(2)//HN//IFM(JL)//HE//IFM(1)//FF7.1,1X,'//HY///FM(2)//
1
2
HN/IFM(JL)// $3 \mathrm{H} 1,3 \mathrm{HINT}, 3 \mathrm{H} 1$,3HUPB,3H $1,4 \mathrm{H}$ CNT,'
$/ / / \mathrm{FM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{F} 8.4, \mathrm{~S} / / \mathrm{DOT5}$
IF (JL .GE. 2 ) $\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HY} / / / \mathrm{FM}(2) / / \mathrm{HN} / / / \mathrm{FM}(2) / / \mathrm{HK} / /$
IFM(1)//2X,'//HY//IFM(2)//HN//IFM(2)
$/ / \mathrm{HE} / / \mathrm{FM}(1) / /{ }^{\prime} \mathrm{F} 7.1,1 \mathrm{X}, / / / \mathrm{HY} / / \mathrm{IFM}(2) / /$
HN//IFM(2)//' 3H $1 / 9 \mathrm{X}, 3 \mathrm{HINT}, 3 \mathrm{H} 1,3 \mathrm{HUPB}, 3 \mathrm{H} 1,4 \mathrm{H} \mathrm{CNT} ; ' / /$
IFM(2)//HN//IFM(2)//F8.4,'//DOT5
HN/IFM(JL)//' 3H $1 / 10 \mathrm{X}, 3 \mathrm{HINT}, 3 \mathrm{H} 1,3 \mathrm{HUPB}, 3 \mathrm{H} 1,4 \mathrm{H}$ CNT,'

```
    3 //IFM(2)//HN//IFM(JL)//F8.4,1X,'//HR//IFM(2)//HN//IFM(JL)
    4 //'F7.1)'
        WRITE ( 8,LF ) I,J,K, I,J,K, DGAMA(LJ,K), I,J,
            I,J, CLOSS(I,LJ)*EPSI(LJ,K), I,J, GAMMA(LJ,K-1)
        LF = HDOT//HT//IFM(2)//HN//IFM(JL)//HK//FFM(1)//2X,'//HR//
        IFM(2)//HN//FM(JL)// 5H 1 ,4H CNT;'//IFM(2)//HN
        //IFM(JL)//F10//HY//IFM(2)//HN//IFM(JL)//HE//IFM(1)//
            `5H-1 ,//DOT3
        WRITE ( 8,LF ) I,J,K, I,J, l,J, DELTA(LJ,K)*CLOSS(I,LJ), I,J,K
C If the seepage and evaporation loss function is estimated as a straight
C line, i.e. the losses = CLOSS(i,j) * cste factor * STiNn, this
C subroutine doesn't write anything.
5 0 ~ C O N T I N U E ~
        RETURN
        END
C
        SUBROUTINE WIRR (J, II, L, IRT )
        J = node number of the current node
c Il = number of times steps in the current run
c L = irragation number of the current node
c IRT = number of instances of irrigation retum flow.
C
C This subroutine writes the lines defining the irrigation linearization
c equations, their RHS constants, and the variables which appear in
c them only. Because the linearization curves might have only one
c interval, i.e. the loss function is a constant value times any size
c deficit, eliminating the need for any linearization for the time period
C the single interval curves apply, a special loop writes the RHS of XiNn,
C the TYPE lines for XiNn and WiNn to b: RELEASE.DATA when KNI(i,j) > 1
        COMMON/SHR/ JPOWER(15), JIRR(21), JRES(25), JNOSPL(20), JDIV(2,15)
        COMMON/SHP/ NINFLO(30), NTRB(2,10), NRF}(3,10), C1 (26,10
        COMMONNAR/ VP(14,10),VLS(14,25),VMS(14,25),CIX(14,20),CIN(14,20)
        COMMON/RR/ THETA(6,21,9), OMEGA(6,21,9), PHI(6,21,9), ID (6,21),
        1 KINI(6,21), DTHET(6,21,9), IC(21), CWR(26,21), IID(14,21)
C
        DIMENSION IS(6), I1(6), K1(6), CWRN(14)
        CHARACTER * 250 LF
        CHARACTER * }75\mathrm{ DOTS1
        CHARACTER * 60 DOTS2
        CHARACTER * 45 DOTS3
        CHARACTER * 35 DOTS4
        CHARACTER * 20 RHS, LE, GE, EQ
        CHARACTER * }18\mathrm{ DOTS5
        CHARACTER * }15\mathrm{ UPB, LOW
        CHARACTER * 10 DOT1, ONE, F6, F10, HDOT
        CHARACTER * 4 HN, HX, HD, HW, HE, HK, IFM(2)
C
        DATA DOTS1/ ' 2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,
        11H.,2X,1H.,2X,1H. )'/
        DATA DOTS2/' 2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1
        1H.) '/
        DATA DOTS3/' 2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H. )'/
```

```
        DATA DOTS4/' 2X,1H.,2X,1H.,2X,1H.,2X,1H. )'/
        DATA DOTS5/' 2X,1H.,2X,1H. )'/
C
    DATA RHS'' ( 2H .,6H RHS,1X,'/ EQ/' ( 3H EQ, 1X,1H.,1X,'/
    DATA LE/' ( 3H LE, 1X, 1H.,1\overline{X},%, GE/ ( 3H GE, 1X,1H.,1X'/
    DATA UPB/'4HUPB ,F5.1,1X'/ LOW/4HLOW ,F5.1,1X,'/
    DATA DOT1/'1X,1H.,1X,', ONE/'1X,1H1,1X,'/, F10/' F10.3,1X,'/
    DATA HDOT/'( 2H .,1X,'/
    DATA HN/'1HN,'/, HX '1HX''/, HD/'1HD,'/, HE/'1HE,'/, HK/'1HK'/
    DATA HW/'1HW,'/, IFM/' 11,','12,'/
C
C Calculate the ordinal number, لـا of the linearization data for
C the district J
                    LJ=L-1
IF (J.GT. 9) JL = 2
C Small loop to print three lines defining the RHS, TYPE of WiNn and
C XiNn for curves with more than one linearization interval,
C 6 at a time
                N=0
            I=0
                    I=I + 1
        IF (l.GT. II ) GO TO (71,72, 73, 74, 75 ) N
        IF ( I .GT. II .AND. N .LE. 0 ) GO TO }6
        IF ( KINI(IID(l,L\),LJ).LE. 1 ) GO TO 60
            N=N+1
            IS(N) = I
            H(N)=1
        IF (IS(N).GT. 9) I1(N)=2
        IF (N LTT. 6 ) GO TO 60
            LF = RHS//HX//FM(11(1))//HN//IFM(JL)//ONE//HX//FM(11 (2))//
            HN//IFM(JL)//ONE//HX//FM(11(3))//HN//RFM(JL)//ONE//
                    HX//FM(11(4))//HN///FM(JL)//ONE//HX//
                    IFM(11(5))//HN///FM(JL)//ONE//HX//FM(11(6))//HN//
                    IFM(JL)//ONE/P1H )'
    WRITE ( 8,LF ) ( IS(L), J,M=1,6 )
    LF = LF//HX//FM(11(1))//HN//IFM(JL)//DOT1//HX//FM(I1(2))//
            HN//FM(JL)//DOT1//HX//FM(11(3))//HN//FM(JL)//DOT1//
            HX//IFM(11(4))//HN//IFM(JL)//DOT1//HX//
            IFM(11(5))//HN//FM(JL)//DOT1//HX//IFM(11(6))//HN//
            IFM(JL)//DOT1//1H )'
        WRITE ( 8,LF ) (IS(L), J,M=1,6 )
        LF = EQ//HW//IFM(11(1))//HN//IFM(JL)//DOT1//HW//IFM(I1(2))//
            HN//IFM(JL)//DOT1//HW//IFM(11(3))//HN//IFM(JL)//DOT1//
            HW//IFM(11 (4))//HN//IFM(JL)//DOT1//HW//
            IFM(11(5))//HN//IFM(JL)//DOT1//HW//IFM(11(6))//HN//
            IFM(JL)//DOT1//1H )'
        WRITE ( 8,LF ) ( IS(L), J,M=1,6 )
            N=0
        GO TO 60
C End of loop - at this point I=|l and N number of lines
c
                have yet to be written. IS(n), and II(n) are
```

```
C ready to write them
C One RHS constraint to go
    LF = RHS//HX//FM(11(1))//HN//FM(JL)//ONE//DOTS1
    WRITE ( 8,LF ) (IS(L), J,M=1,N )
    LF = LE//HX//FM(l1(1))//HN//FM(JL)//DOT1//DOTS1
    WRITE ( 8,LF ) ( IS(L), J,M=1,N )
    LF = EQ//HW//IFM(11(1))//HN//FM(JL)//DOT1//DOTS1
            GO TO }7
C Two
72 LF = RHS//HX//FM(I1(1))//HN//IFM(JL)//ONE//HX//IFM(11(2))//
    HN//FM(JL)//ONE//DOTS2
    WRITE ( 8,LF ) ( IS(L), J,M=1,N )
    LF = LE//HX//IFM(11(1))//HN//IFM(JL)//DOT1//HX//FM(I1(2))//
                HN//IFM(JL)//DOT1//DOTS2
    WRITE ( 8,LF ) (IS(L), J,M=1,N )
    LF = EQ//HW///FM(11(1))//HN//IFM(JL)//DOT1//HW//IFM(I1(2))//
                HN//IFM(JL)//DOT1//DOTS2
                GO TO 77
    LF = RHS//HX//FM(11(1))//HN//IFM(JL)//ONE//HX//FM(11(2))//
                HN//IFM(JL)//ONE//HX//IFM(I1(3))//HN//IFM(JL)//ONE//DOTS3
    WRITE ( 8,LF ) (IS(L), J,M=1,N )
    LF = LE//HX//IFM(I1(1))//HN///FM(JL)//DOT1//HX//IFM(I1(2))//
        HN//IFM(JL)//DOT1//HX/IFM(11(3))//HN//IFM(JL)//DOT1//DOTS3
    WRITE ( 8,LF ) (IS(L), J,M=1,N )
    LF = EQ//HW///FM(11(1))//HN//IFM(JL)//DOT1//HW//IFM(11(2))//
        HN//FM(JL)//DOT1//HW//IFM(11 (3))//HN//IFM(JL)//DOT1//DOTS3
    WRITE ( 8,LF ) ( IS(L), J,M=1,N )
                GO TO 77
    LF = RHS//HX//FM(11(1))//HN//IFM(JL)//ONE//HX//FM(11(2))//
                HN//IFM(JL)//ONE//HX//IFM(I1 (3))//HN///FM(JL)//ONE//
                HX/IFM(11(4))//HN//FFM(JL)//ONE//DOTS4
    WRITE ( 8,LF ) (IS(L), J,M=1,N )
    LF = LE//HX//FM(11(1))//HN///FM(JL)//DOT1//HX//FM(11(2))//
        HN///FM(JL)//DOT1//HX//FM(11(3))//HN//FFM(JL)//DOT1//
        HX//FM(11(4))//HN//IFM(JL)//DOT1//DOTS4
    WRITE ( 8,LF ) (IS(L),J,M=1,N )
    LF = EQ//HW//IFM(l1(1))//HN//IFM(JL)//DOT1//HW//IFM(11(2))//
        HN//IFM(JL)//DOT1//HW//FM(11 (3))//HN///FM(JL)//DOT1//
        HW//FM(11(4))//HN//IFM(JL)//DOT1//DOTS4
    WRITE ( 8,LF ) (IS(L),J,M=1,N )
        GO TO 77
    LF = RHS//HX//IFM(11(1))//HN//IFM(JL)//ONE//HX//FM(I1(2))//
        HN//IFM(JL)//ONE//HX//IFM(11(3))//HN//IFM(JL)//ONE//
        HX//IFM(11(4))//HN//IFM(JL)//ONE//
        HX//FM(11(5))//HN//FM(JL)//ONE//DOTS5
    WRITE ( 8,LF ) ( IS(L), J, M=1,N )
    LF = LE//HX///FM(L1(1))//HN//IFM(JL)//DOT1//HX/|FM(11(2))//
        HN///FM(JL)//DOT1//HX//IFM(I1 (3))//HN//IFM(JL)//DOT1//
    2 HX//IFM(11(4))//HN//IFM(JL)//DOT1//
    HX//IFM(I1(5))//HN//IFM(JL)//DOT1//DOTS5
    WRITE ( 8,LF ) ( IS(L), J,M=1,N )
    LF = EQ//HW//IFM(I1(1))//HN//IFM(JL)//DOT1//HW//IFM(11(2))//
```

```
    HN//FM(JL)//DOT1//HW//IFM(11(3))//HN//IFM(JL)//DOT1//
    2HW//AFM(L1 (4))//HN//IFM(JL)//DOT1//
    3HW//IFM(11(5))//HN//IFM(JL)//DOT1//DOTS5
77 WRTE ( 8,LF ). (IS(L), J,M=1,N )
C Because the number of intervals vary with the curve used for that
c timestep a different loop is used to write the DiNnEk constraints
C Small loop to print one line defining the DiNnEk constraints,6 at a
c time
62 N = 0
        I=0
            I=I+1
            K=0
                    K=K+1
        IF (I .GT. II ) GO TO 80
        KINIJ = KINI(IID(I,LJ),LJ)
        IF ( K.GT. KINIJ .OR. KINIJ .LE. 1) GO TO 65
            N=N+1
            K1(N) = K
            11(N) =1
            IS(N)=1
            IF (I.GT. 9) IS(N) = 2
            IF (N .LT. 6) GO TO 70
        LF = GE//HD//IFM(IS(1))//HN//FM(JL)//HE//IFM(1)//DOT1
        1 //HD//IFM(IS(2))//HN//FM(JL)//HE//RFM(1)//DOT1
        2 //HD//IFM(IS(3))//HN//FM(JL)//HE//IFM(1)//DOT1
        3 //HD//IFM(IS(4))//HN//IFM(JL)//HE///FM(1)//DOT1
        4 //HD//IFM(IS(5))//HN///FM(JL)//HE//IFM(1)//DOT1
        5 //HD//IFM(IS(6))//HN///FM(JL)//HE//FM(1)//DOT1//1H )'
        WRITE ( 8,LF ) (H(M), J, K1(M), M=1,6 )
            N=0
            GO TO 70
80 GO TO ( 81, 82, 83, 84, 85) N
            GO TO 90
C End of loop - at this point I=II, K=last k of last curve and N number
c of DiNnEk have yet to be written
C though K1(n), II(n), and IS(n) are ready to write them
C One DiNnEk to go
81 LF = GE//HD//FM(IS(1))//HN//IFM(JL)//HE//IFM(1)//DOT1//DOTS1
            GO TO }8
C Two
82 LF = GE//HD//IFM(IS(1))//HN//FM(JL)//HE//FM(1)//DOT1
    1//HD//IFM(IS(2))//HN//IFM(JL)//HE//FM(1)//DOT1//DOTS2
            GO TO }8
83 LF = GE//HD//IFM(IS(1))//HN//IFM(JL)//HE//IFM(1)//DOT1
    1//HD//FM(IS(2))//HN//IFM(JL)//HE//IFM(1)//DOT1
    2 //HD//IFM(IS(3))//HN///FM(JL)//HE//IFM(1)//DOT1//DOTS3
```

$85 \mathrm{LF}=\mathrm{GE} / / \mathrm{HD} / / \mathrm{IFM}(\mathrm{IS}(1)) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{IFM}(1) / / \mathrm{DOT} 1$
$1 / / \mathrm{HD} / / \mathrm{IFM}(\mathrm{IS}(2)) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HE} / / / \mathrm{FM}(1) / / \mathrm{DOT} 1$
$2 / / \mathrm{HD} / / \mathrm{FM}(\mathrm{IS}(3)) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FM}(1) / / \mathrm{DOT} 1$
$3 \quad / / \mathrm{HD} / / \mathrm{IFM}(\mathrm{IS}(4)) / / \mathrm{HN} / / \mathrm{FF}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FM}(1) / / \mathrm{DOT} 1$
$4 \quad / / \mathrm{HD} / / \mathrm{FM}(\mathrm{IS}(5)) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{IFM}(1) / / \mathrm{DOT} 1 / / \mathrm{DOTS} 5$
87 WRITE ( $8, L F)$ ( $\operatorname{I}(M), J, K 1(M), M=1, N)$
C
C Now write the variables specific to the linearization of the IRRIGATION c losses. Also included are QDF, the irrigation deficit, and QR, the c irrigation turnout.
C There is a separate line for each $I$, and every item in the line is C quite different. Therefore, the LF is built in this program unit
90 DO $20 \quad I=1, \mathrm{MIN}(9, I)$
C If a percentage of QR returns to another node, include it in CNT
DO $11 \mathrm{~K}=1$, IRT
IF ( $\operatorname{NRF}(1, K) . E Q . J . \operatorname{AND} . \operatorname{NRF}(3, K)+I . L E$. II ) GO TO 12
CONTINUE
LF = HDOT//'3H QR,'//IFM(1)//HN//IFM(JL)//'4X,3HIRR,'///FM(1)
$/ / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{ONE} / / 3 \mathrm{HCNT}, ' / / \mathrm{FM}(1) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{ONE} / / \mathrm{DOTS} 2$ WRITE ( $8, L F)$ I,J, I,J, I, J
GO TO 15
$\mathbb{P}=1$
IF $(1+N R F(3, K) . G T .9) \mathbb{I P}=2$
$J P=1$
IF ( $\operatorname{NRF}(2, \mathrm{~K}) . \mathrm{GT} .9) \mathrm{JP}=2$
LF = HDOT//'3H QR,'//IFM(1)//HN//IFM(JL)//'4X,3HIRR,'//IFM(1)
//HN//IFM(JL)//ONE//3HCNT,'//IFM(1)//HN//IFM(JL)//ONE//
' 3HCNT,'//IFM(IP)//HN//IFM(JP)//F10//DOTS3
WRITE ( $8, L F)$ I,J, I,J, I,J, I+NRF(3,K), NRF(2,K), -C1(I,K)
C The irrigation variable QDF
IF ( KINI(IID(I,Lل),LلL) .LE. 1 ) GO TO 19
LF = HDOT//'3HQDF,'//IFM(1)//HN//IFM(JL)//'4X,3HIRR,'//IFM(1)
$/ / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /{ }^{\prime} 5 \mathrm{H} 1 \quad . / / \mathrm{HW} / / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / /$
' $5 \mathrm{H}-1$,'//DOTS2
WRITE (8,LF) I, J, I, J, I, J
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HX} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{FFM}(1) / / \mathrm{I}^{2 X}, / / / \mathrm{HD} / /$
IFM(1)//HN//IFM(JL)//HE//FM(1)//'F7.1,2X.'//HX//FM(1)//
HN//IFM(JL)//' 3H 1 , 3HINT,3H 1 ,3HUPB,3H 1 ,'//DOTS4
WRITE ( $8, L F)$ l $, J, 1, I, J, 1, \operatorname{DTHET}(I I D(I, L J), L J, 1), I, J$
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HD} / / \mathrm{IFM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{FFM}(1) / /{ }^{\prime} 2 \mathrm{X}, 1 / / \mathrm{HW} / /$
IFM(1)//HN//IFM(JL)//' $5 \mathrm{H} 1,4 \mathrm{H}$ OBJ,'//F10//HD//IFM(1)
$/ / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FM}(1) / / 4 \mathrm{H}-1$,'//DOTS3
WRITE ( $8, L F$ ) I,J, $1, \quad I, J,-O M E G A(I I D(I, L J), L J, 1), I, J, 1$
DO $18 \mathrm{~K}=2, \mathrm{KINI}(\mathrm{ILD}(\mathrm{I}, \mathrm{LJ}), \mathrm{LJ})$
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HX} / / \mathrm{IFM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{FFM}(1) / / 2 \mathrm{X}, / / / \mathrm{HD} / /$
IFM(1)//HN//IFM(JL)//HE//IFM(1)//'F7.1,2X,'//HX//IFM(1)
//HN//IFM(JL)//' 3H 1 ,3HINT,3H 1 ,3HUPB,3H 1 '//HWN//
IFM(1)//HN//FM(JL)//'F7.1,2X,3HOBJ,F7.1 )'
WRITE ( $8, L F)$ I, J,K, I, J,K, DTHET(IID(I,LJ),LJ,K), I,J, I,J,
THETA(IID(I,LJ),LJ,K-1), - PHI(IID(I,LJ),LJ,K-1)
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HD} / / \mathrm{FFM}(1) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{IFM}(1) / / 2 \mathrm{C}, ' / / \mathrm{HW} / /$
1

2 WRITE ( $8, L \mathcal{L}$ ) I,J,K, I,J, - OMEGA(IID (I,LJ),LJ,K), I,J,K CONTINUE GO TO 20
19 IF ( OMEGA(IID(I,LJ),LJ,1).GT. 0.0001 ) GO TO 195
C There is only one interval of linearization without any costs
$\mathrm{LF}=\mathrm{HDOT} / / 3 \mathrm{HQDF}, \mathrm{i} / / \mathrm{FM}(1) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / 4 \mathrm{X}, 3 \mathrm{HIRR}, / / / \mathrm{FM}(1)$
$1 / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /{ }^{\prime} 5 \mathrm{H} 1$,'//DOTS1
WRITE ( 8,LF ) l, J, I, J
GO TO 20
C There is only one interval of linearization, and there is a cost $>0$.
$195 \mathrm{LF}=\mathrm{HDOT} / / 3 \mathrm{HQDF}, ' / / \mathrm{FF}(1) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / /{ }^{\prime} 4 \mathrm{X}, 3 \mathrm{HIRR}, ' / / \mathrm{FFM}(1)$
$1 / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / /{ }^{\prime} 5 \mathrm{H} 1$,4HOBJ,'//F10//DOTS2
WRITE ( $8, L F) I, J, I, J,-$ OMEGA(IID(l,LJ),LJ, 1 )
20 CONTINUE
IF (II .LE. 9) GO TO 31
C When there are more than nine timesteps the format is changed for
c the greater index.
DO $301=10,11$
C If a percentage of QR returns to another node, include it in CNT DO $22 K=1$, IRT
IF ( $\operatorname{NRF}(1, K)$.EQ. J .AND. $\operatorname{NRF}(3, K)+I$.LE. II ) GO TO 23

1
2

23
$2 \cdot 3 H C N T, ' / / F M(2) / / H N / / I F M(J P) / / F 10 / / D O T S 3$
WRITE ( $8, L F) I, J, I, J, I, J, I+\operatorname{NRF}(3, K), \operatorname{NRF}(2, K),-C 1(1, K)$ IF ( KINI(IID(I,LJ),LلL) .LE. 1 ) GO TO 29
$/ / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{ONE} / / 3 \mathrm{HCNT}, / / / \mathrm{FM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{ONE} / /$
DOTS2
WRITE ( 8, LF ) I,J, I,J, I,J
GO TO 25
$J P=1$
$\mathbb{I F}(\operatorname{NRF}(2, K) . G T .9) J P=2$
$\mathrm{LF}=\mathrm{HDOT} / / /^{\prime} 3 \mathrm{H}$ QR, $, / / / \mathrm{FM}(2) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / /^{\prime} 4 \mathrm{X}, 3 \mathrm{HIRR}, ' / / \mathrm{IFM}(2)$
//HN//IFM(JL)//ONE//'3HCNT,'//IFM(2)//HN//IFM(JL)//ONE//
CONTINUE
LF = HDOT//'3H QR,'//IFM(2)//HN//IFM(JL)//'4X,3HIRR,'//IFM(2)
irrigation variables QDF
LF = HDOT//'3HQDF, $' / / / \mathrm{FM}(2) / / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / /^{\prime} 4 \mathrm{X}, 3 \mathrm{HIRR}, ' / / / \mathrm{FM}(2)$
$/ / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / /{ }^{\circ} 5 \mathrm{H} \quad 1 \quad . / / \mathrm{HW} / / \mathrm{IFM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /$
' $5 \mathrm{H}-1$,'//DOTS2
WRITE ( $8, L \mathrm{~L}$ ) I, J, I, J, I, J
LF $=\mathrm{HDOT} / / \mathrm{HX} / / \mathrm{IFM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{IFM}(1) / /{ }^{2} 2 \mathrm{X}^{\prime} / / \mathrm{HD} / /$
IFM(2)//HN $/ / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FF}(1) / / \mathrm{I}^{\prime} 7.1,2 \mathrm{X}, 1 / / \mathrm{HX} / / \mathrm{FFM}(2) / /$
1
$2 \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /{ }^{\prime} 3 \mathrm{H} 1$,3HINT,3H 1 ,3HUPB,3H 1 ,'//DOTS4
WRITE ( 8,LF ) I, J,1, I,J,1, DTHET(IID(I,LJ),LJ,1), I, J
$\mathrm{LF}=\mathrm{HDOT} / / / \mathrm{HD} / / / \mathrm{FM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{IFM}(1) / / 2 \mathrm{X}^{\prime} / / / \mathrm{HW} / /$
$1 \quad \mathrm{FFM}(2) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / /^{5 H} 1,4 \mathrm{H}$ OBJ, $1 / / \mathrm{F} 10 / / \mathrm{HD} / / \mathrm{FFM}(2)$
$2 / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HE} / / \mathrm{FM}(1) / /{ }^{\prime} 4 \mathrm{H}-1$ ://DOTS3
WRITE ( $8, L F$ ) I,J,1, I,J, - OMEGA(IID (I,LJ),LJ, 1), I,J, 1
DO $28 K=2, \mathrm{KIN} /(\mathrm{IDD}(\mathrm{I}, \mathrm{LJ}), \mathrm{LJ})$
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HX} / / \mathrm{FM}(2) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{FM}(1) / / 2 \mathrm{XX}, / / \mathrm{HD} / /$
IFM(2)//HN//IFM(JL)//HE//IFM(1)//'F7.1,2X,'//HX//IFM(2)
$/ / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{BH} 1$,3HINT,3H1,3HUPB,3H1,'//HW//
$\left.3 \quad \mathrm{FFM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /{ }^{\prime} \mathrm{F} 7.1,2 \mathrm{X}, 3 \mathrm{HOBJ}, F 7.1\right)^{\prime}$ WRITE ( 8,LF ) I,J,K, I,J,K, DTHET(IID(I,LJ),LJ,K), I,J, I,J, THETA(IID(I,LJ),LJ,K-1), - PHI(IID(I,LJ),LJ,K-1)
$\mathrm{LF}=\mathrm{HDOT} / / \mathrm{HD} / / \mathrm{IFM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{HK} / / \mathrm{IFM}(1) / /{ }^{2} 2 \mathrm{X}, / / / \mathrm{HW} / /$
IFM(2)//HN//IFM(JL)//' 5H 1 ,4H OBJ,'//F10//HD//
IFM(2)//HN//FM(JL)//HE//IFM(1)//' 5H-1,'//DOTS3
WRITE ( 8,LF ) I,J,K, I,J, - OMEGA(IID(I,LJ),LJ,K), I,J,K
GO TO 30
29 IF ( OMEGA(IID(I,Lل),LJ,1).GT. 0.0001) GO TO 295
C There is only one interval of linearization, and there is NO cost LF = HDOT//'3HQDF,'//IFM(2)//HN//IFM(JL)//'4X,3HIRR,'///FM(2)
1
$/ / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /{ }^{\prime} 5 \mathrm{H} 1$,'//DOTS 1
WRITE ( 8,LF ) I, J, I, J
GO TO 30
C There is only one interval of linearization, and there is a cost $>0$.
$295 \mathrm{LF}=\mathrm{HDOT} / / \mathrm{I}^{3} \mathrm{HQDF}, \mathrm{I} / / \mathrm{FM}(2) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /{ }^{\prime} 4 \mathrm{X}, 3 \mathrm{HIRR}, ' / / / \mathrm{FM}(2)$
$1 \quad / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{I}^{5 \mathrm{H}} 1$,4HOBJ,'//F10//DOTS2
WRITE ( $8, L F$ ) $I, J, I, J, \quad$ OMEGA (IID (I,LJ),LJ,1)
30 CONTINUE
C
C Definition of IRRiNn constraints and RHS
CALL LFTYPE ( II, 10,' ( $3 H E Q, 1 X, 1 H ., 1 X, ', ~ ' 3 H I R R, ', ~ J) ~$
c $\quad \|=$ number of time steps in current run
c $\quad 10=$ code for inclusion of node number in constraint name
$c^{\prime}(3 H E Q, 1 X, 1 H ., 1 X$,' = the piece of format line which will write the type of the constraint, in this case
an equality
' $3 H I R R, '=$ the piece of format line which will be used to write the
c constraint name in the data line
c $\quad \mathrm{J}=$ node number of the current node
DO 33 I=1,II
$33 \quad \operatorname{CWRN}(\mathrm{l})=\mathrm{CWR}(\mathrm{l}, \mathrm{L} \mathrm{J})$
CALL LFRHS ( II, 0, '4H IRR,', J, CWRN )
c $\quad \|=$ number of time steps in the current run
c $\quad 0=$ code to write the node number
c '4H IRR,' = character variable of the piece of format line used to write the beginning of the constraint name
c $\quad \mathrm{J}=$ node number of current node to include in the
c constraint name
CWRN(14) $=$ a vector of the constant values of the RHS of the constraints for every time step
RETURN
END
${ }^{\wedge} Z$
SUBROUTINE LFII ( J, IT, NUM, FIRST, RPEATR, INTVAL, FORM, R1, K )
c $\quad J=$ node number of current node
c $\quad I T=$ number of time steps in current run
c NUM = code for writing real number values after the constraints
c FIRST $=$ the starting characters of the format line
c RPEATR = character variable of the piece of format which will
c be used to write the constraint name
c $\operatorname{INTVAL}=$ code for use of linearization interval number
c FORM = character variable which will be written
c after each constraint name
c $\quad \mathrm{R} 1=$ real number value to write after every constraint name
$c$ using the format of FORM
c $K=$ interval number
c
C This subroutine constructs a format line of the form:
FIRST + ii * (RPEATRiNjINTk + REAL VALUE ) + END
where $i$ is a time step $i$ less than or equal to ii, the total number
$C \quad j$ is the node in question, $J$
C INT is an otional interval marker
$C \quad k$ is the interval in question, $K$
C Real Value, R1, is written using the format FORM
C FORM may contain a constant value )
C END is the format of necessary dots to fill the line
$C$ The line is then written to $b:$ RELEASE.DATA
CHARACTER * 250 LF
CHARACTER * 75 DOT1
CHARACTER * 60 DOT2 CHARACTER * 45 DOT3 CHARACTER * 31 DOT4 CHARACTER * 20 FIRST CHARACTER * 17 DOT5 CHARACTER * 10 FORM CHARACTER * 7 NAME CHARACTER * 6 DOT6 CHARACTER * 4 RPEATR, INTVAL, IFM(2), HN
c
DATA DOT1/" $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$ 1.,2X,1H.,2X,1H. )'/ DATA DOT2/' $2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$
1.) $1 /$

DATA DOT3/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} .2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.$) ) /$
DATA DOT4/' $2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}$.$) ) /$
DATA DOT5/' $2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}.)^{\prime} /$
DATA DOT6/' 1 H ) $\%$
DATA IFM/ ' 11, ', 'I2, $/ \mathrm{HN} /{ }^{\prime} 1 \mathrm{HN}$, '/
C
$I I=I T$
$I S=1$
$\mathrm{JL}=1$
IF (J.GT. 9) JL=2
IF ( INTVAL .EQ. 'NONE' ) GO TO 100
$C$ There are intervals in the repeated name
GO TO ( $10,20,30,40,50,60,10,20,30,40,50,60$ ) II
CII is equal to 1,7 , or 13 or more
$10 \mathrm{LF}=\mathrm{FIRST} / /$ RPEATR $/ / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{IFM}(1) / / \mathrm{FORM} / /$ 1 DOT1
IF ( NUM .EQ. 0) GO TO 15
WRITE ( 8,LF ) 1,J,K, R1
IF ( II .LE. 1) GO TO 999

```
        IS = 2
        GO TO 60
c write format line without a real value, ie TYPE lines
15 WRITE ( 8,LF ) 1,J,K
    IF (| .LE. 1) GO TO 999
        IS =2
        GO TO 60
C Il is equal to 2 or 8
20 LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//
    1 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//FM(1)//FORM//DOT2
    IF (NUM .EQ. 0) GO TO 25
    WRITE ( 8,LF ) (I,J,K, R1,I=1,2 )
    IF (|I.LE. 2) GO TO 999
        IS = 3
        GO TO 60
25 WRITE (8,LF ) (I,J,K,I=1,2 )
    IF (II .LE. 2 ) GO TO 999
        IS = 3
        GO TO 60
C II is equal to 3 or }
30 LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//NTVAL//FM(1)//FORM//
    1 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//
    2 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//DOT3
    IF (NUM .EQ. 0) GO TO 35
    WRITE ( 8,LF ) (I,J,K, R1, I=1,3 )
    IF ( II .LE. 3 ) GO TO 999
        IS = 4
        GO TO 60
    c write format line without a real value, ie TYPE lines
    35 WRITE ( 8,LF ) (I,J,K,I=1,3 )
    IF ( |I .LE. 3 ) GO TO }99
                IS = 4
        GO TO 60
    C II is equal to 4 or 10
    40 LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//FM(1)//FORM//
    1 RPEATR//IFM(1)//HN//FM(JL)//INTVAL//IFM(1)//FORM//
    2 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//
    3 RPEATR//IFM(1)//HN//IFM(JL)//NTVAL//IFM(1)//FORM//DOT4
        IF (NUM .EQ. 0) GO TO 45
        LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//
    1 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//FM(1)//FORM//// 10X,'//
    2 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//
    3 RPEATR//IFM(1)//HN//FFM(JL)//INTVAL//IFM(1)//FORM//DOT4
        WRITE (8,LF ) (I,J,K, R1, I=1,4)
        IF (II .LE. 4) GO TO 999
        IS = 5
        GO TO 60
    c write format line without a real value, ie TYPE lines
45 WRITE ( 8,LF ) ( I,J,K, I=1,4 )
    IF ( II .LE. 4 ) GO TO }99
        IS = 5
        GO TO 60
```

C II is equal to 5 or 11, use TWO lines, when there are numbers
50 IF (NUM .EQ. 0) GO TO 55
$\mathrm{LF}=\mathrm{FIRST} / / \mathrm{RPEATR} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FM}(1) / / \mathrm{FORM} / /$
1 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//
2 RPEATR $/ / / \mathrm{FM}(1) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FM}(1) / / \mathrm{FORM} / / / / 10 \mathrm{X}, ' / /$
3 RPEATR//IFM(1)//HN//IFM(JL)///NTVAL//FM(1)//
4 FORM//RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM
$5 / / D O T 5$
WRITE ( 8, LF ) ( $I, \mathrm{~J}, \mathrm{~K}, \mathrm{R} 1, \mathrm{I}=1,5$ )
IF (II .LE. 5) GO TO 999
$I S=6$
GO TO 60
C NUM equals 0 , therefore there are no real numbers and 5 items
$C$ may be written on one line
$55 \mathrm{LF}=\mathrm{FIRST} / /$ RPEATR $/ / \mathrm{IFM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FM}(1) / /$
1 FORM $/ /$ RPEATR $/ / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / /$ NTVAL//FM $(1) / /$
2 FORM $/ /$ RPEATR $/ /$ IFM $(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / /$ INTVAL $/ / \mathrm{IFM}(1) / /$
3 FORM $/ /$ RPEATR $/ /$ IFM $(1) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FM}(1) / /$
4 FORM//RPEATR//IFM(1)//HN//IFM(JL)///NTVAL//IFM(1)//
5 FORM//' $2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}.)^{\prime}$
WRITE ( $8, L F)(I, J, K, I=1,5)$
IF (II LE. 5) GO TO 999
IS $=6$
GO TO 60
C II is greater or equal to 6
$60 \quad 13=1$
$14=1$
$15=1$
$16=1$
IF (IS .LT. 5 ) GO TO 62
$16=2$
IF (IS .LT. 6) GO TO 62 $15=2$
IF (IS .LT. 7) GO TO 62
$14=2$
IF (IS .LT. 8) GO TO 62
$13=2$
62 IF (NUM .EQ. 0 ) GO TO 65
LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)///NTVAL//FM(1)//FORM//
1 RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//FM(1)//FORM//
2 RPEATR//IFM(I3)//HN//IFM(JL)//INTVAL//IFM(1)//FORM//DOT6
WRITE ( $8, L F$ ) ( $I, J, K, R 1, I=I S, I S+2$ )
LF $={ }^{\prime}(9 X, / / /$ RPEATR $/ / / \mathrm{FM}(14) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / /$ NTVAL $/ / \mathrm{IFM}(1) / /$ FORM
$4 \quad / / \mathrm{RPEATR} / / \mathrm{FM}(15) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FFM}(1) / / \mathrm{FORM} / /$
5 RPEATR $/ / / \mathrm{FM}(\operatorname{l6}) / / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{NTVAL} / / \mathrm{IFM}(1) / / \mathrm{FORM} / / \mathrm{DOT} 6$
WRITE ( $8, \mathrm{LF}$ ) ( $\mathrm{I}, \mathrm{J}, \mathrm{K}, \mathrm{R} 1, \mathrm{I}=\mathrm{IS}+3, \mathrm{IS}+5$ )
IF (II .LT. 12) GO TO 999
$I S=I S+6$
$\|=0$
GO TO 60
C NUM equals 0 , therefore no real numbers will be written
$c$ and 6 items may be written on one line
$65 \mathrm{LF}=\mathrm{FIRST} / / \mathrm{RPEATR} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FF}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FM}(1) / / \mathrm{FORM}$
$1 / /$ RPEATR//IFM(1)//HN//IFM(JL)//INTVAL//IFM(1)//FORM
$2 / /$ RPEATR $/ /$ IFM $(13) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FM}(1) / / \mathrm{FORM}$
$3 \quad / /$ RPEATR $/ /$ IFM $(14) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / / \mathrm{INTVAL} / / \mathrm{FM}(1) / /$ FORM
$4 / /$ RPEATR $/ /$ IFM $(15) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / / \mathrm{NTVAL} / / \mathrm{FFM}(1) / / \mathrm{FORM} / /$
5 RPEATR $\left./ / \mathrm{FFM}(\operatorname{I6}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{INTVAL} / / \mathrm{IFM}(1) / / \mathrm{FORM} / /^{\prime} 1 \mathrm{H}\right)^{\prime}$
70 WRITE ( 8,LF ) ( $\mathrm{I}, \mathrm{J}, \mathrm{K}, \mathrm{I}=\mathrm{IS}, \mathrm{IS}+5$ )
IF ( II .LT. 12) GO TO 999
$I S=I S+6$
$11=0$
GO TO 60
C
C There are no interval markers in the repeated name
C
100 GO TO ( $110,120,130,140,150,160$,
$1 \quad 110,120,130,140,150,160$ ) II
CII is equal to 1,7 , or 13 or more
$110 \mathrm{LF}=\mathrm{FIRST} / /$ RPEATR $/ / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{FORM} / / \mathrm{DOT} 1$
IF (NUM .EQ. 0) GO TO 115
WRITE ( 8,LF ) 1,J, R1
IF ( II .LE. 1) GO TO 999
IS = 2
GO TO 160
115 WRITE ( 8,LF ) 1,ل
IF (II LE. 1) GO TO 999
IS $=2$
GO TO 160
C II is equal to 2 or 8
$120 \mathrm{LF}=$ FIRST//RPEATR $/ / / \mathrm{FM}(1) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{FORM} / /$ RPEATR $/ / \mathrm{IFM}(1) / /$
$1 \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{FORM} / / \mathrm{DOT} 2$
IF ( NUM .EQ. 0) GO TO 125
WRITE ( 8, LF ) ( $1, \mathrm{~J}, \mathrm{R} 1,1=1,2$ )
IF (II .LE. 2) GO TO 999
IS $=3$
GO TO 160
125 WRITE ( 8,LF ) (I,J, I=1,2 )
IF ( $11 . L E .2$ ) GO TO 999
$I S=3$
GO TO 160
C 11 is equal to 3 or 9
$130 \mathrm{LF}=\mathrm{FIRST} / / \mathrm{RPEATR} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{FORM} / / \mathrm{RPEATR} / / \mathrm{FM}(1) / /$
$1 \mathrm{HN} / / \mathrm{FFM}(\mathrm{JL}) / / \mathrm{FORM} / / \mathrm{RPEATR} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{JL}) / / \mathrm{FORM} / / \mathrm{DOT} 3$
IF (NUM .EQ. 0) GO TO 135
WRITE ( $8, L \mathrm{LF}$ ) ( $\mathrm{I}, \mathrm{J}, \mathrm{R} 1, \mathrm{I}=1,3$ )
IF ( II .LE. 3) GO TO 999
IS $=4$
GO TO 160
135 WRITE ( 8,LF ) ( $\mathrm{I}, \mathrm{J}, \mathrm{I}=1,3$ )
IF (II .LE. 3) GO TO 999
IS $=4$
GO TO 160
C II is equal to 4 or 10

140 LF $=$ FIRST//RPEATR//IFM(1)//HN//IFM(JL)//FORM//RPEATR//IFM(1)//HN
$1 / / \mathrm{IFM}(\mathrm{JL}) / / F O R M / / R P E A T R / / I F M(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / F O R M / / R P E A T R / /$
2 IFM(1)//HN//IFM(JL)//FORM//DOT4
IF ( NUM .EQ. 0 ) GO TO 145
WRITE ( 8,LF ) ( $\mathrm{I}, \mathrm{J}, \mathrm{R} 1, \mathrm{I}=1,4$ )
IF ( II .LE. 4 ) GO TO 999
IS $=5$
GO TO 160
145 WRITE ( 8,LF ) ( $I, J, I=1,4$ )
IF (II .LE. 4 ) GO TO 999 IS = 5 GO TO 160
C II is equal to 5 or 11 , use TWO lines
150 IF (NUM .EQ. 0 ) GO TO 155
C NUM $>0$, real numbers will be written, TWO lines necessary
LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//FORM//RPEATR//IFM(1)//HN
1 //IFM(JL)//FORM//RPEATR//IFM(1)//HN//IFM(JL)//FORM//DOT6
WRITE ( $8, L F$ ) ( $\mathrm{I}, \mathrm{J}, \mathrm{R} 1, \mathrm{I}=1,3$ )
LF $={ }^{\prime}$ ( 12 X, ,//RPEATR//IFM(IL)//HN//IFM(JL)//FORM//RPEATR//
$2 \mathrm{IFM}(\mathrm{IL}) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{FORM} / / \mathrm{DOT5}$
WRITE ( $8, L F)(I, J, R 1, I=4,5)$
IF ( II LE. 5 ) GO TO 999
IS = 6
GO TO 160
155 LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//FORM//RPEATR//IFM(1)//
1 HN//IFM(JL)//FORM//RPEATR/IFM(1)//HN//IFM(JL)//FORM//RPEATR
$2 / / I F M(1) / / H N / / I F M(J L) / / F O R M / / R P E A T R / / I F M(1) / / H N / / I F M(J L) / /$
3 FORM//' $2 \mathrm{X}, 1 \mathrm{H}, 2 \mathrm{X}, 1 \mathrm{H}.)^{\prime}$
WRITE ( 8, LF ) ( $\mathrm{I}, \mathrm{J}, \mathrm{I}=1,5$ )
IF ( II LE. 5 ) GO TO 999
IS $=6$
GO TO 160
C II is greater or equal to 6
$160 \quad 13=1$
$14=1$
$15=1$
$16=1$
IF ( IS .LT. 5 ) GO TO 162
$16=2$
IF (IS .LT. 6 ) GO TO 162
$15=2$
IF ( IS .LT. 7 ) GO TO 162
$14=2$
IF ( IS .LT. 8 ) GO TO 162
$13=2$
162 IF (NUM .EQ. O ) GO TO 165
LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//FORM//RPEATR//IFM(1)//
1 HN//IFM(JL)//FORM//RPEATR//IFM(I3)//HN//IFM(JL)//FORM//DOT6
WRITE ( 8,LF) ( I, J, R1, I = IS, IS+2 )
LF $={ }^{\prime}(12 X, / / / R P E A T R / / I F M(14) / / H N / / I F M(J L) / / F O R M / / R P E A T R / /$
1 IFM(I5)//HN//IFM(JL)//FORM//RPEATR//IFM(I6)//HN//IFM(JL)//
2 FORM//DOT6

WRITE ( $8, \mathrm{LF}$ ) ( $I, \mathrm{~J}, \mathrm{R} 1, \mathrm{I}=\mathrm{IS}+3, \mathrm{IS}+5$ )
IF (II .LT. 12) GO TO 999
$I S=I S+6$
$\|=0$
Gi) TO 160
C NUM equals zero, that is FORM contains the value, and 6 items may c be written on one line
165 LF = FIRST//RPEATR//IFM(1)//HN//IFM(JL)//FORM//RPEATR//IFM(1)
$1 / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{FORM} / / \mathrm{RPEATR} / / \mathrm{IFM}(\mathrm{I} 3) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{JL}) / / \mathrm{FORM}$
2 //RPEATR//IFM(I4)//HN//IFM(JL)//FORM//RPEATR//IFM(I5)//HN//
3 IFM(JL)//FORM//RPEATR/IFM(I6)//HN//IFM(JL)//FORM//' 1H )'
170 WRITE ( 8,LF ) ( I, J, I=IS, IS+5 )
IF ( II .LT. 12 ) GO TO 999
$I S=I S+6$
$\|=0$
GO TO 160
999 CONTINUE
RETURN
END
C
SUBROUTINE LFTYPE( IT, NUM, FIRST, NAME, N )
IT = number of time steps in current run
c NUM = code for inclusion of node number in constraint name
c FIRST = type of constraint
c $\quad$ NAME $=$ the piece of format line which will be used to write the
C constraint name in the data line
c $\quad N=$ node number of the current node
C
C This subroutine writes constraint TYPE lines to b :RELEASE.DATA
c depending on the number of time steps II (IT)
CHARACTER * 250 LF
CHARACTER * 75 DOT1
CHARACTER * 60 DOT2
CHARACTER * 45 DOT3
CHARACTER * 31 DOT4
CHARACTER * 20 FIRST
CHARACTER * 17 DOT5
CHARACTER * 10 FORM
CHARACTER * 7 NAME
CHARACTER * 6 DOT6
CHARACTER * 4 IFM(2), HN
C
DATA DOT1/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$ 1.,2X,1H.,2X,1H. )'/

DATA DOT2/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$
1.) '/

DATA DOT3/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.$) ) /$
DATA DOT4/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.$) ) //$
DATA DOT5/' $2 \mathrm{X}, 1 \mathrm{H} ., 2 \mathrm{X}, 1 \mathrm{H}$.$) '/$
DATA DOT6/' 1H ) $\%$ FORM / '1X,1H.,1X,'/
DATA IFM/ ' $11, ', \quad$ 'I2,'/, HN/'1HN,'/
C

$$
I I=I T
$$

IS $=1$
C Define NL - 1 or 2 spaces required to write the integer N
IF ( NUM .LE. 0 ) GO TO 5
$\mathrm{NL}=1$
IF ( N . GT. 9 ) NL = 2
5 GO TO ( $10,20,30,40,50,60,10,20,30,40,50,60$ ) II C II is equal to 1,7 , or 13 or more
10 IF (NUM .GT. O) GO TO 11
C TYPE line with one indice in repeated name
$\mathrm{LF}=\mathrm{FIRST} / / \mathrm{NAME} / / / \mathrm{FM}(1) / / \mathrm{FORM} / / \mathrm{DOT}_{1}$
WRITE ( $8, L F$ ) 1
IF ( II .LE. 1 ) GO TO 999
IS = 2
GO TO 60
C TYPE line with two indices in repeated name
$11 \mathrm{LF}=\mathrm{FIRST} / / \mathrm{NAME} / / / \mathrm{FM}(1) / / \mathrm{HN} / / / \mathrm{FM}(\mathrm{NL}) / / \mathrm{FORM} / / \mathrm{DOT}^{2}$
WRITE ( $8, L$ ) $1, N$
IF (II .LE. 1 ) GO TO 999
IS $=2$
GO TO 60
C II is equal to 2 or 8
20 IF (NUM .GT. 0 ) GO TO 21
C TYPE line with one indice in repeated name
$\mathrm{LF}=\mathrm{FIRST} / / \mathrm{NAME} / / \mathrm{IFM}(1) / / F O R M / / \mathrm{NAME} / \mathrm{IFM}(1) / / F O R M / / D O T 2$
WRITE ( $8, L \mathrm{LF}$ ) 1, 2
IF ( II .LE. 2 ) GO TO 999
IS = 3
GO TO 60
C TYPE line with two indices in repeated name
$21 \mathrm{LF}=\mathrm{FIRST} / /$ NAME/IFM(1)//HN/IFM(NL)//FORM
1
//NAME/IFM(1)//HN//IFM(NL)//FORM//DOT2
WRITE ( 8,LF ) 1, N, 2, N
IF (II.LE. 2 ) GO TO 999
IS $=3$
GO TO 60
C II is equal to 3 or 9
30 IF (NUM .GT. 0 ) GO TO 31
C TYPE line with one indice in repeated name
LF $=$ FIRST//NAME/IFM(1)//FORM//NAME//IFM(1)//FORM
1 //NAME/IFM(1)//FORM//DOT3
WRITE ( 8,LF ) 1, 2, 3
IF ( II .LE. 3 ) GO TO 999
IS $=4$
GO TO 60
C TYPE line with two indices in repeated name
$31 \mathrm{LF}=\mathrm{FIRST} / / \mathrm{NAME} / / \mathrm{IFM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{NL}) / /$ FORM
$1 / / \mathrm{NAME} / / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{NL}) / / F O R M$
$2 / /$ NAME/IFM(1)//HN/IFM(NL)//FORM//DOT3
WRITE ( $8, L F$ ) 1, N, 2, N, 3, N
IF ( II .LE. 3 ) GO TO 999
IS $=4$

GO TO 60
C 11 is equal to 4 or 10
40 IF (NUM.GT. 0 ) GO TO 41
C TYPE line with one indice in repeated name
LF $=$ FIRST//NAME//IFM(1)//FORM//NAME/IFM(1)//FORM
$1 / /$ NAME/IFM(1)//FORM/NAME//FM(1)//FORM//DOT4
WRITE ( 8,LF ) 1, 2, 3, 4
IF ( II .LE. 4 ) GO TO 999
IS = 5
GO TO 60
C TYPE line with two indices in repeated name
$41 \mathrm{LF}=\mathrm{FIRST} / / \mathrm{NAME} / / \mathrm{IFM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{NL}) / /$ FORM
$1 / / \mathrm{NAME} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{NL}) / / F O R M$
$2 / / \mathrm{NAME} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{NL}) / / \mathrm{FORM}$
3 //NAME//IFM(1)//HN//IFM(NL)//FORM//DOT4
WRITE ( 8,LF ) 1, N, 2, N, 3, N, 4, N
IF ( II .LE. 4 ) GO TO 999
IS = 5
GO TO 60
C 11 is equal to 5 or 11
50 IF (NUM .GT. 0 ) GO TO 51
C TYPE line with one indice in repeated name
LF $=$ FIRST//NAME/IFM(1)//FORM//NAME/IFM(1)//FORM
$1 / / \mathrm{NAME} / / \mathrm{FM}(1) / / F O R M / / \mathrm{NAME//IFM}(1) / / F O R M$
$1 / / \mathrm{NAME/IFM}(1) / / F O R M / / D O T 5$
WRITE ( 8,LF ) 1, 2, 3, 4, 5
IF (II LE. 5 ) GO TO 999
IS = 6
GO TO 60
C TYPE line with two indices in repeated name
$51 \mathrm{LF}=\mathrm{FIRST} / / \mathrm{NAME} / / \mathrm{FM}(1) / / \mathrm{HN} / \mathrm{IFM}(\mathrm{NL}) / / \mathrm{FORM}$
$1 / / \mathrm{NAME} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{NL}) / / \mathrm{FORM}$
$2 / / \mathrm{NAME} / / \mathrm{FM}(1) / / \mathrm{HN} / / \mathrm{FM}(\mathrm{NL}) / / \mathrm{FORM}$
3 //NAME//IFM(1)//HN/IFM(NL)//FORM
4 //NAME//IFM(1)//HN//IFM(NL)//FORM//DOT5
WRITE ( 8, LF $)(I, N, I=1,5$ )
IF ( II .LE. 5) GO TO 999
IS $=6$
C II is greater or equal to 6
$60 \quad 13=1$
$14=1$
$15=1$
$16=1$
IF ( IS .LT. 5) GO TO 62
$16=2$
IF ( IS .LT. 6) GO TO 62 $15=2$ IF ( IS .LT. 7) GO TO 62
$14=2$
IF ( IS .LT. 8) GO TO 62

$$
13=2
$$

62 IF (NUM .GT. 0 ) GO TO 65

C TYPE line with one indice in repeated name
LF $=$ FIRST//NAME/IFM(1)//FORM//NAME//IFM(1)//FORM
$1 / / \mathrm{NAME} / / \mathrm{FM}(13) / / F O R M / /$ NAME//IFM(I4)//FORM
2 //NAME//IFM(I5)//FORM//NAME//IFM(I6)//FORM//DOT6
63 WRITE ( $8, \mathrm{LF})(\mathrm{I}, \mathrm{I}=\mathrm{IS}, \mathrm{IS}+5)$
IF ( II .LE. 11) GO TO 999
$I S=I S+6$
$\|=0$
GO TO 60
C TYPE line with two indices in repeated name
65 LF $=$ FIRST//NAME//IFM(1)//HN//IFM(NL)//FORM
$1 / /$ NAME/IFM(1)//HN//IFM(NL)//FORM
$2 / / \mathrm{NAME} / / \mathrm{FM}(\mathrm{I} 3) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{NL}) / / \mathrm{FORM}$
$3 / / \mathrm{NAME} / / \mathrm{FM}(14) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{NL}) / / \mathrm{FORM}$
4 //NAME//IFM(I5)//HN//IFM(NL)//FORM
5 //NAME//IFM(I6)//HN//IFM(NL)//FORM//DOT6
67 WRITE ( 8,LF ) (I, N, I=IS, IS +5 )
IF (II .LE. 11) GO TO 999
$I S=I S+6$
$\mathrm{ll}=0$
GO TO 60
999 CONTINUE
RETURN
END
C
SUBROUTINE LFRHS ( QUANT, ICODE, NAME, M, ARRAY )
c QUANT = number of time steps in the current run
c ICODE = code to write the node number
c $\quad$ NAME $=$ character variable of the piece of format line
C used to write the beginning of the constraint name
c $\quad M=$ node number of current node to include in the
c constraint name
c $\operatorname{ARRAY}(14)=$ a vector of the constant values of the RHS of the
c constraints for every time step
C
INTEGER QUANT
DIMENSION ARRAY(14), AR(6), IV(6), IL(6)
C AR(6) vector used to hold RHS constant values until six non-zero
c values are found to be written on a line in the data file
IV(6) vector used to hold the time step index until there are six values to write
c IL(6) vector used to hold the index for the format required (11 or
c I2), to write the time step index, until there are six values
c to write
CHARACTER * 250 LF
CHARACTER * 75 DOT1
CHARACTER * 60 DOT2
CHARACTER * 45 DOT3
CHARACTER * 31 DOT4
CHARACTER * 20 RHS
CHARACTER * 17 DOT5
CHARACTER * 11 F10

```
    CHARACTER * }7\mathrm{ NAME
    CHARACTER * 6 DOT6
    CHARACTER * 4 IFM(2), HN
C
    DATA RHS /' ( 2H .,6H _RHS_, %, F10 /'1X,F8.3,1X,'/
    DATA DOT1/' 2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H
    1.,2X,1H.,2X,1H. )'/
    DATA DOT2/' 2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H.,2X,1H
    1. )'/
    DATA DOT3/' 1X,1H.,1X,1H.,1X,1H.,1X,1H.,1X,1H.,1X,1H. )'/
    DATA DOT4/' 2X,1H.,2X,1H.,2X,1H.,2X,1H. )'/
    DATA DOT5/' 2X,1H.,2X,1H. )'/
    DATA DOT6/' 1H )'/
    DATA IFM/ ' I1,', 'I2,'/, HN/'1HN,'/
C
    IF ( ICODE .LE. O ) GO TO 50
C Small loop to print one line defining the NON-ZERO RHS 6 at a time
C for NAMES with only one index, no Nn
5 N = 0
            l=0
                    l=I + 1
        IF ( I .GT. QUANT ) GO TO ( 81, 82, 83, 84, 85 ) N
        IF (I .GT. QUANT .AND. N .LE. 0 ) GO TO 999
        IF ( ARRAY(I) .LE. 0.0001 ) GO TO 20
            N = N+1
            AR(N) = ARRAY(I)
            IV(N) = I
            IL(N) = 1
    IF (IV(N).GT. 9) IL(N)=2
    IF ( N .LT. 6 ) GO TO 20
        LF = RHS//NAME//IFM(IL(1))//F10//'T27,'//NAME//IFM(IL(2))//F10
    | //'T44,'//NAME//IFM(IL(3))//F10//// 8X,'//NAME//IFM(IL(4))
    2 //F10//'T27,'//NAME//IFM(IL(5))//F10//TT44,'//NAME//
    IFM(IL(6))//F10//DOT6
    WRITE ( 8,LF ) (IV(L), AR(L), L=1,6 )
        N = 0
        GO TO 20
C End of loop - at this point I=QUANT and N number of RHS constraints
c have yet to be written. AR(n),IV(n), and IL(n) are
C ready to write them
C One RHS constraint to go
81 LF = RHS//NAME//IFM(IL(1))//F10//DOT1
                GO TO 87
C Two
82 LF = RHS//NAME//IFM(IL(1))//F10//'T27,'//NAME//IFM(IL(2))//F10
    1//DOT2
                GO TO 87
83 LF = RHS//NAME//IFM(IL(1))//F10//'T27,'//NAME//IFM(IL(2))//F10
    //'T44,'//NAME//IFM(IL(3))//F10//DOT3
        GO TO 87
    LF = RHS//NAME//IFM(IL(1))//F10//'T27,'//NAME//IFM(IL(2))//F10
        //' / 8X,'//NAME//IFM(IL(3))//F10//'T27,'//NAME//
```

                IFM(IL(4))//F10//DOT4
                GO TO 87
        LF \(=\) RHS//NAME//IFM(IL(1))//F10//'T27,'//NAME/IIFM(IL(2))//F10
    1 //'T44,'//NAME/IFM(IL(3))//F10//' / 8X,'//NAME/IFM(IL(4))
    2 //F10//'T27,'//NAME//IFM(IL(1))//F10//DOT5
    87 WRITE ( $8, L F$ ) (IV(L), AR(L), $L=1, N$ )
GO TO 999
C
C ICODE equals 0 , writing NAMEiNn constraint
C Define ML - 1 or 2 spaces required to write the integer $M$
50
$M L=1$
IF (M.GT. 9) ML = 2

C Small loop to print one line defining the NON-ZERO RHS 6 at a time

$$
N=0
$$

$$
1=0
$$

$1=1+1$
IF ( I .GT. QUANT ) GO TO ( $71,72,73,74,75$ ) N
IF ( I .GT. QUANT .AND. N .LE. 0 ) GO TO 999
IF ( ARRAY(I) .LE. 0.0001 ) GO TO 70
$N=N+1$
$\operatorname{AR}(N)=\operatorname{ARRAY}(\mathrm{I})$
$\operatorname{IV}(N)=1$
$\mathrm{IL}(\mathrm{N})=1$
IF ( IV(N).GT. 9 ) IL(N) $=2$
IF ( N .LT. 6 ) GO TO 70
LF = RHS//NAME//IFM(IL(1))//HN//IFM(ML)//F10//'T27,'//NAME//
1 IFM(IL(2))//HN//IFM(ML)//F10//'T44,'//NAME//IFM(IL(3))//HN//
2 IFM(ML)//F10// / 8X,'//NAME//IFM(IL(4))//HN//IFM(ML)//F10//
3 'T27,'//NAME//IFM(IL(5))//HN//IFM(ML)//F10//'T44,'//NAME//
4 IFM(IL(6))//HN//IFM(ML)//F10//DOT6
WRITE ( $8, L F$ ) ( IV(L), M, AR(L), L=1,6)
$\mathrm{N}=0$
GO TO 70
C End of loop - at this point I=QUANT and N number of RHS constraints
c have yet to be written. AR(n), IV(n), and IL(n) are
C ready to write them
C One RHS constraint to go
$71 \mathrm{LF}=\mathrm{RHS} / / \mathrm{NAME} / / \mathrm{FM}(\mathrm{IL}(1)) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{ML}) / / \mathrm{F} 10 / / \mathrm{DOT} 1$ GO TO 77
C Two
72 LF $=$ RHS//NAME//IFM(IL(1))//HN//IFM(ML)//F10//'T27,'//NAME//
1 IFM(IL(2))//HN//IFM(ML)//F10//DOT2 GO TO 77
73 LF = RHS//NAME//IFM(IL(1))//HN//IFM(ML)//F10//'T27,'//NAME//
1 IFM(IL(2))//HN//IFM(ML)//'1X,F7.3,1X,T44,'//NAME//
$2 \mathrm{IFM}(\mathrm{IL}(3)) / / \mathrm{HN} / / \mathrm{FFM}(\mathrm{ML}) / /^{\prime} 1 \mathrm{X}, \mathrm{F} 7.3,1 \mathrm{X}, \mathrm{I} / / \mathrm{DOT} 3$ GO TO 77
74 LF = RHŞ//NAME//IFM(IL(1))//HN//IFM(ML)//F10//'T27,'//NAME//
1 IFM(IL(2))//HN//IFM(ML)//F10//' $/ 8 X, ' / /$ NAME/IFM(IL(3))//
$2 \mathrm{HN} / \mathrm{IFM}(\mathrm{ML}) / / \mathrm{F} 10 / / \mathrm{T} 27, \mathrm{I} / / \mathrm{NAME/IFM}(\mathrm{LL}(4)) / / \mathrm{HN} / / \mathrm{IFM}(\mathrm{ML}) / /$
3 F10//DOT4
GO TO 77
LF $=$ RHS//NAME//IFM(IL(1))//HN//IFM(ML)//F10//'T27,'//NAME//
IFM(IL(2))//HN//IFM(ML)//F10//T44,'//NAME//IFM(IL(3))//HN
$2 / / I F M(M L) / / F 10 / /{ }^{\prime} / 8 X$, '//NAME//IFM(IL(4))//HN//IFM(ML)//
3 F10//'T27,'//NAME//IFM(IL(5))//HN//IFM(ML)//F10//DOT5
77 WRITE ( $8, L F$ ) ( IV(L), M, AR(L), $L=1, N$ )
999 CONTINUE
RETURN
END

This appendix lists the decision variables and the constant parameters of PROJPLAN and PROJOP. First are the decision variables of PROJPLAN:
$D_{i}=$ absolute difference between seasons of the quantity of land left idle in all the districts
$D_{1} \quad=\quad$ difference (ha) of the available land not cultivated in season 1 and season 2
$D_{2}=$ difference (ha) of the available land not cultivated in season 2 and season 3
$D_{3} \quad=$ difference (ha) of the available land not cultivated in season 1 and season 3
$\mathrm{DD}_{\mathrm{m}} \quad=\quad$ difference in the number of uncultivated hectares in the solution. If the difference is positive, the even index m is non-zero and the corresponding odd term is zero. Conversely, if the difference is negative, the odd index m is non-zero and the corresponding even term is zero.

$$
\begin{aligned}
H_{i j k}= & \text { decision variable of the number of } \\
& \text { hectares to be sown in crop } j \text { in district } \\
& k \text { in season } i
\end{aligned}
$$

$Q_{i \pi n}=$ regulated releases (Mm3) to the downstream node, $\mathrm{n}+1$, or $\mathrm{n}-\mathrm{q}$ (when n is the last node on a tributary flowing to the node $n-q$ ), during the sub-season $\tau$ of the season i

| $\mathrm{QD}_{\mathrm{i} \tau(\mathrm{n}-\mathrm{p})}=$ | regulated diversion releases $(\mathrm{Mm} 3)$ from a |
| ---: | :--- |
|  | node, $n-\mathrm{p}$, to the node n during the sub- |
|  | season $\tau$ of season $i$ |

$Q R_{i \pi n} \quad=\quad$ irrigation releases (Mm3) delivered to the districts served by the node n during the sub-season $\tau$ of the season $i$

| $Q R_{i \tau(n-m)}=$ | irrigation releases (Mm3) from a node, $n-$ |
| ---: | :--- |
|  | $m$, of which a quantifiable percentage |
|  | reaches node $n$ during the same sub-season |
|  | $\tau$ of season $i$ |

storage volume at the beginning of the first season should be included with the predicted inflows at the node $n$
$\mathrm{S}_{\mathrm{i}(\tau-1) \mathrm{n}}=$ storage (Mm3) at the node n at the beginning of sub-season $\tau$ of the season i. When $\tau=1$, the storage at the end of the preceding season enters into the calculation:

$$
S_{i O n}=S_{(i-1) L n}
$$

where $\mathrm{L}=$ number of sub-seasons in season i-1

Secondly the constant parameters in PROJPLAN:
$b_{i j k} \quad=\quad$ land (ha) required to grow a given level of crop $j$ in district $k$ in season $i$, may be 0
$c_{i j k} \quad=\quad$ net benefit (Rs/ha) of the crop $j$ in district $k$ in season $i$
$\mathrm{CC}_{1} \quad=\quad$ cost (Rs/ha) of land left uncultivated in season $1 \mathrm{v} / \mathrm{s}$ the amount left idle in season 2

| $\mathrm{CC}_{2}=$ | $\operatorname{cost}(\mathrm{Rs} / \mathrm{ha})$ of land left uncultivated in |
| ---: | :--- |
|  | season $3 \mathrm{v} / \mathrm{s}$ the amount left idle in |
|  | season 2 |


| $\mathrm{CC}_{3}=$ | $\operatorname{cost}(\mathrm{Rs} / \mathrm{ha})$ of land left uncultivated in |
| ---: | :--- |
|  | season $3 \mathrm{v} / \mathrm{s}$ the amount left idle in |
|  | season 1 |


| $c l_{i j k} \quad=\quad$ | cost of labour (Rs/ha) associated with |
| ---: | :--- |
|  | growing crop $j$ in district $k$ over the |
|  | entire season $i$ |

dmax $_{i}=$ limit in hectares of the allowable difference between the season $i$ and the season i+1 of idle land
$f_{i j k} \quad=\quad$ fertilizer costs (Rs/ha) required to grow crop $j$ in district $k$ over the entire season i
$\begin{aligned} & \mathrm{hh}_{\mathrm{ik}} \quad=\quad \text { total arable land (ha) in the district } k \\ & \text { in the season } \mathrm{i}\end{aligned}$

I $=3$ consecutive growing seasons starting October 1 or April 15

| inf $_{i \tau n}=$ | predicted sub-seasonal inflows $\left(\mathrm{Mm}^{3}\right)$ from |
| ---: | :--- |
|  | the drainage basin of the node $n$ during |
|  | the sub-season $\tau$ of the season $i$. The |
|  | storage at the node $n$ at the beginning of |
|  | the first sub-season is included in |
|  | infl, $1, n$ |

$J=$ number of prospective and possible crops, up to 50 dimensioned in PROJPLAN
$J^{1}=$ list of crops with growing seasons longer than 6 months
$J^{2}=$ list of crops with minimum production quotas in a given season

Jp $=$ number of prospective crops, $j$, combined in a group
$K=$ number of irrigation districts, up to 20 dimensioned in PROJPLAN, currently 14 districts operate in the Mahaweli Irrigation Project
$K^{1} \quad=\quad$ the list of irrigation districts $k$ which
obtain water from the node $n$, up to 5 irrigation districts form one node

| loss $_{i \pi n}=$ | estimated seasonal evaporation and |
| ---: | :--- |
|  | seepage losses from the node $n$ during the |
|  | sub-season $\tau$ of the season $i$ |

$\mathrm{N}^{1} \quad=\quad$ number of tributary nodes whose regulated releases reach the node $n$
$\mathrm{N}^{2} \quad=\quad$ number of nodes whose diverted releases flow to the node $n$
$\mathrm{N}^{3} \quad=\quad$ number of nodes whose irrigation return flows eventually reach the node $n$
$p_{i j k} \quad=\quad$ price (Rs/ha) of crop j grown in district k in season $i$

| pcrop $_{i, j p}=$ | minimum production level ( $T$ ) for that |
| ---: | :--- |
|  | combination of crops jp in the season $i$ |

qmin $_{i \pi n} \quad=\quad$ minimum downstream sub-seasonal regulated release $\left(\mathrm{Mm}^{3}\right)$ allowed from the node $n$ during the sub-season $\tau$ of the season $i$
qmax $_{i t n}$
$=$ maximum downstream sub-seasonal regulated release $\left(\mathrm{Mm}^{3}\right)$ allowed from the node $n$ during the sub-season $\tau$ of the season $i$

| qdmax $_{i r n}=$ | maximum regulated diversion canal |
| ---: | :--- |
|  | releases $\left(\mathrm{Mm}^{3}\right)$ from node $n$ during the |
|  | sub-season $\tau$ of the season $i$, limited by |
|  | the canal capacity |

$\operatorname{smin}_{i \tau n}=$ minimum allowed storage $\left(\mathrm{Mm}^{3}\right)$ at node n at the end of the sub-season $\tau$ of season i
$\operatorname{smax}_{i r n}=$ maximum allowed storage $\left(\mathrm{Mm}^{3}\right)$ at the node $n$ at the end of the sub-season $\tau$ of the season i
$t_{i j k} \quad=\quad$ maximum land (ha) suitable for growing crop j in district $k$ in season $i$.
$u_{i j k}=$ water requirement $\left(\mathrm{Mm}^{3} / \mathrm{ha}\right)$ of the crop $j$ in district $k$ over the entire season $i$, including delivery losses
$u l_{i j k r}=$ water requirement $\left(\mathrm{Mm}^{3} / \mathrm{ha}\right)$ of the crop $j$
in district $k$ during the sub-season $\tau$ in the season $i$, including the delivery losses
$\mathrm{w}_{\mathrm{ik}} \quad=$ cost of water delivered (Rs/1000 m3) to district $k$ in season $i$. This term may be used to minimize irrigation deliveries to certain districts by increasing their costs relative to the other districts
wd $\quad=\quad$ cost (Rs) of disparate hectares left idle
$y_{i j k} \quad=\quad$ yield $(T / h a)$ of the crop $j$ in the district $k$ in the season i
$y^{\min }{ }_{i j} \quad=\quad$ minimum production target $(T)$ for the crop $j$ in the season $i$, used to guarantee production of certain crops over all the districts
$\alpha_{i r(n-p)} \quad=\quad$ diversion canal transport loss as a percent of the seasonal flow, particular to the diversion from the node n-p to the node $n$, during the sub-season $\tau$ of season i

| $B_{i \tau(n-m)} \quad$ | irrigation return flow percentage of the |
| ---: | :--- |
|  | irrigation turnout at the node $n-m$ which |
|  | flows to the node $n$ during the sub-season |
|  | $\tau$ of season $i$ |

Third the decision variables in PROJOP:
$\mathrm{D}_{\mathrm{ikn}} \quad=\quad$ linearization variable, the incremental irrigation deficit (Mm3) occurring at the time step $i$ at the irrigation node $n$ in the linearization interval k
$\mathrm{DIF}_{\mathrm{i}} \quad=\quad$ absolute difference (GW-hr) between the power produced in one time step and the next
$\mathrm{DIFM}_{\mathrm{i}} \quad=$ negative difference between the total power produced at the time step $i$ and that produced at the time step $1+1$
$\operatorname{DIFP}_{\mathrm{i}} \quad=$ positive difference between the total power produced at the time step 1 and that produced at the time step $i+1$

ENG $_{\text {in }} \quad=$ estimated energy produced ( $\mathrm{GW}-\mathrm{hr}$ ) at the time step $i$ at the node $n$

| $Q_{i k n} \quad=$ | linearization variable, the turbine |
| ---: | :--- |
|  | release at time step $i$ at the power plant |
|  | $n$ in a linearization interval $k$ |

$Q D_{\text {in }} \quad=\quad$ regulated diversion releases (Mm3) from
node $n$ at the time step $i$
$\mathrm{QD}_{\mathrm{i}(n-p)}=\quad$ flow diverted to the noden from the node n-p at the time step $i$
$\begin{aligned} \text { QDF }_{\text {in }}= & \text { irrigation deficit (Mm3) occurring at } \\ & \text { time step } i \text { at the node } n\end{aligned}$

| $Q R_{\text {in }} \quad=\quad$ Irrigation releases $(\mathrm{Mm} 3)$ delivered to |  |
| ---: | :--- |
|  | the irrigation district from the node $n$ |
|  | during the time step $i$ |

$\begin{aligned} & Q R_{(i-x)(n-m)}= \text { the volume diverted for irrigation at } \\ & \text { node } n-m \text { at the time step } i-x, ~ a ~\end{aligned}$ significant portion of which flows to the node n at the time step i
$Q_{\text {in }} \quad=\quad$ regulated downstream releases (Mm3) at time step $i$ at node $n$ that was not used to generate electricity or if there is no power plant at $n$, the volume to the

|  |  | downstream node |
| :---: | :---: | :---: |
| $Q S_{i(n-1)}$ |  | downstream flows from the node $n-1$ to node n at the time step i |
| $Q S_{i(n-q)}$ | = | downstream flows from the node $n-q$, $a$ tributary to node $n$, at time step $i$ |
| QTB in | = | turbine volume (Mm3) at the time step i at the node n |
| $\mathrm{QTB}_{i(n-z)}$ | = | turbine volume from the power plant n-z which flows to the node n at the time step i |
| $S_{i k n}$ | = | linearization variable, the incremental storage (average ST for the time step minimum storage of the interval k) at power plant node n |
| $\mathrm{SHORT}_{i}$ | = | decisision variable for the shortfall in target energy (GW-hr) from total energy suppied by all power plants in the time step i |


| $\mathrm{ST}_{\text {in }} \quad=\quad$ storage volume $(\mathrm{Mm} 3)$ of the reservoir or |  |
| ---: | :--- |
|  | tank at the node $n$ at the end of time |
|  | step $i$ |

STlln $=$ desired storage volume (Mm3) of the reservoir or tank at node $n$ at the end of the last time step II
$T_{i k n} \quad=\quad$ linearization variable, the incremental storage (STin - minimum storage of the interval k) at the end of the time step $i$ at the reservoir or tank at node n
$\mathrm{X}_{\mathrm{ikn}} \quad=$ Integer variable permitting only one interval $k$ to have non-zero values at the time step $i$ at irrigation node $n$
$Y_{i k n} \quad=\quad$ integer variable used to select one interval $k$ at the time step $i$ at the node n for the linearization of the surface area - slope curve
$Z_{\mathrm{ikn}} \quad=\quad$ integer variable used to select one interval $k$ at the time step $i$ at the node n for the linearization of the electrical

## power curve

Finally the constants of PROJOP are these:

| $c_{\text {in }}=$ | correcting factor used to adjust the |
| ---: | :--- |
|  | estimate of energy production according |
|  | to the average volume of water stored at |
|  | the node $n$ at time step $i$. |

CWr $_{\text {in }} \quad=\quad$ volume of water (Mm3) demanded by crops supplied by the node $n$ for the time step i, including transportation losses, a given quantity based on the known cropping pattern and expected evapotransportation rates for the remainder of the season
difmax $_{\mathrm{i}}=$ maximum allowed difference (GW-hr) in energy generated between the time step $i$ and $i+1$
$h_{\text {in }} \quad=\quad$ power coefficient $(G W-H r / M m 3)$ for a representative head in the operating range of the reservoir $n$ during time step $i$.

II $=$ number of time steps left in the current
season

$\mathrm{N}^{2} \quad=\quad$ list of nodes which are the last nodes on
$N^{3} \quad=\quad$ list of nodes where a percentage of their irrigation deliveries return to the node n at the time step i

Ni $\quad=\quad$ number of nodes which deliver water to irrigation districts where the losses due to irrigation deficits are considered linear
$\mathrm{Ni}^{1} \quad=$ number of nodes which deliver water to irrigation districts where the losses due to irrigation deficits are linearized by mixed integer constraints
$\mathrm{Ni}^{2} \quad=\quad$ number of nodes which deliver water to irrigation districts where the losses due to irrigation deficits are linearized by the second method

Np $\quad=$ number of hydro-electric power plants modeled in the project
$\mathrm{Nr} \quad=\quad$ number of nodes which have significant storage

| $\operatorname{pmin}_{i}=$ | minimum total energy production (GW-hr) |
| ---: | :--- |
|  | permitted at the time step $i$ |
| $\operatorname{pmax}_{i}=$ | maximum total energy production (GW-hr) |
|  | permitted at the time step $i$ |

qdmin $_{\mathrm{in}}=\operatorname{minimum}$ regulated diversion canal
$\quad$ releases $(\mathrm{Mm} 3)$ from node $n$ at the time

step $i$
qdmax $_{\text {in }} \quad=\quad$ maximum regulated diversion canal releases (Mm3) from node $n$ at the time step i limited by the canal capacity

| qrmin $_{\text {in }}=$ | minimum irrigation releases (Mm3) from |
| ---: | :--- |
|  | node $n$ at the time step $i$ | qrmax \(_{in}=\left(\begin{array}{ll}maximum irrigation releases (Mm3) from <br>

\& node n at the time step i, limited by <br>
\& canal capacities\end{array}\right.\)
qsmin $_{\text {in }}=$ minimum downstream releases (Mm3) from node n at the time step i
qsmax $_{\text {in }}=$ maximum downstream releases (Mm3) from node n at the time step i

| qtbmin $_{\text {in }}=$ | minimum turbine releases $(\mathrm{Mm} 3)$ from the |
| ---: | :--- |
|  | power plant at the node $n$ at time step $i$ |


| qtbmax ${ }_{\text {in }}$ | $=$ | maximum turbine releases (Mm3) from the power plant at the node n at time step i |
| :---: | :---: | :---: |
| $\operatorname{smax}_{\text {in }}$ | $=$ | maximum allowed storage (Mm3) at node $n$ at the end of time step i |

$\mathrm{sf}_{\text {in }} \quad=\quad$ target storage $(\mathrm{Mm} 3)$ for the end of this
monsoon season at node $n$

| $\operatorname{smin}_{\text {in }}=$ | minimum allowed storage (Mm3) at the node |
| ---: | :--- |
|  | $n$ at the end of time step $i$ |

sto $_{\text {in }} \quad=$ representative storage volume (Mm3) of the reservoir at the node n for the time step i.
$\alpha_{\mathrm{kn}} \quad=\quad$ maximum storage volume (Mm3) in interval k at the power plant node n
$\beta_{i \mathrm{kn}} \quad=$ average power coefficient (GW-hr/Mm3) which calculates the amount of power
generated at time step $i$ at power plant $n$ for the average storage in the interval $k$

| $\Gamma_{k n}=$ | maximum storage volume $(\mathrm{Mm} 3)$ of the |
| ---: | :--- |
|  | interval $k$ at the reservoir or tank $n$ |

$¥ \quad=\quad 4$, when $i$ is the last quarter-month time step before the final monthly time steps when optimizing at the start of the season, otherwise, it is equal to 1
$\delta_{\mathrm{kn}} \quad=\quad$ slope of the surface area - storage curve for the reservoir or tank at the node $n$ in the linearization interval $k$
$\epsilon_{\mathrm{kn}} \quad=\quad$ minimum surface area (km2) of the reservoir or tank at the node $n$ in linearization interval k
$\Theta_{i k n} \quad=\quad$ maximum irrigation deficit (Mm3) in interval $k$ for time step $i$ at the irrigation node $n$
$\mu_{1} \quad=\quad$ unit price (Rs/GW-hr) of electrical production

| $\mu_{2}=$ | penalty price (Rs/Mm3) of the reduced <br>  <br>  <br>  <br>  <br> dieficits due to a unit volume of irrigation |
| ---: | :--- |
| $\mu_{3 n}=$ | unit price (Rs /Mm3) which can be |
|  | assigned to the agricultural or other |
|  | benefits of a reservoir n storing more |
|  | water at the end of the growing season |
|  | than stipulated by PROJPLAN. When equal |
|  | to zero, future benefits of additional |
|  | water are ignored |


| $\mu_{4} \quad=\quad$ | unit price (Rs/GW-hr) of a difference in |
| ---: | :--- |
|  | power production between one time step <br>  <br> $\sigma_{\text {in }}=$ |
| $\quad$reservoir loss coefficient (mm) used to <br>  <br> calculated the evaporation and seepage |  |
|  | losses in the tank or reservoir at node $n$ |
|  | at time step $i$ |


$\pi^{\prime}{ }_{\text {in' }} \quad=\quad$ percentage of irrigation flow, diverted
at $n-m$ (the $\left.n^{\prime}\right)$, which will contribute to the regulated inflow of the node n during the time step i
$\Phi_{i k n} \quad=\quad$ the losses (Rs) due to a reduction of yield from a deficit of the magnitude of the minimum level for the linearization interval k at the node n at the time step i
$\Omega_{i \mathrm{kn}} \quad=\quad$ the slope of the losses $\mathrm{v} / \mathrm{s}$ water deficit curve for the crops of the irrigation district at the node n at the time step i due to a deficit of the magnitude of the linearization interval k


[^0]:    * Qo $=5 \mathrm{Mm}^{3}$ for a quarter monthly time step

    Qo $=100 \mathrm{Mm}^{3}$ for a monthly time step
    Qo $=50 \mathrm{Mm}^{3}$ for a half monthly time step

